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0, & y < 0 \\
\min(1, y/M) & y \ge 0
\end{cases}$$

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$$\mu_{\underset{G}{\stackrel{L,TL}{G}}}(\alpha) = \max_{y \in \mathbb{R}} \mu_Y(y) \mu_{\underset{G}{\stackrel{L,TL}{G}}}(y, \alpha) = \max_{y \in \mathbb{R}} \left[\mu_Y(y) \min(1, \mu_L(y) / \mu_T L(\alpha)) \right]$$

Если цель слева, надо повернуть налево. А если справа, то направо.

$$\alpha = \left| \frac{L, TL}{G} (Y) \widetilde{\cap} \xrightarrow{R, TR} (Y) \right|$$

$$L(y) \wedge F(x) \rightarrow TL(\alpha)$$

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