Cluster analysis for spatial data mining and visualisation

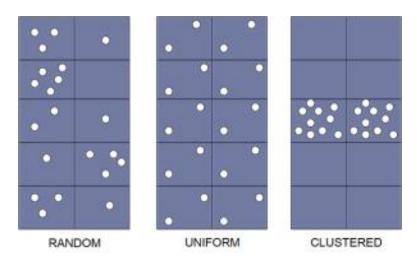
Spatial Data Mining: is a process to analyse large geographical databases and to extract implicit information from spatial data. Spatial data mining can be viewed as the search for interesting, useful and unexpected, but implicit spatial patterns.

How spatial data are distributed across a region?

Are they located randomly?

Are they clustered?

Can you see spatial dependency within data?



Acknowledgements:

Sections of this tutorial (including images) have been derived and or adapted from various publicly accessible resources and have been duly referenced.

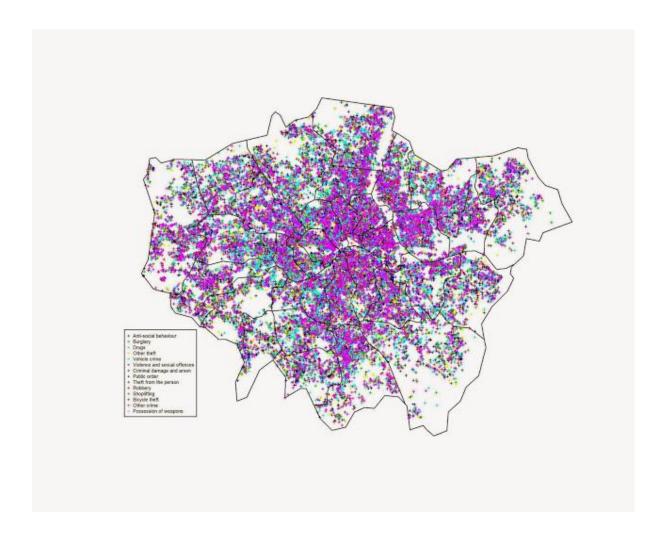
Please refer to the associated practical sheet for formal references and the reference list at the conclusion of this presentation for links to the original document as created by the corresponding author.

Experiments: Analysing point patterns

- PPA: Study of the spatial arrangements of points in (usually 2-dimensional) space.
- The easiest way to visualize a 2-D point pattern is a map of the locations.

Data Preparation (using **spatstat** R package): Crime dataset

- 1. Remove NAs from data
- 2. Remove all duplicates
- 3. Select Specific region



Descriptive Statistics

PPA: Analyse the occurrence of points in a particular space.

- How many points are there?
- How many crimes are committed in a neighbourhood of a city?
- How does that compare to a differing neighbourhood?

Simple descriptive statistics: Count, Mean, Median, and Standard Deviation

- How dense a pattern is, where the center of a set of points is
- How dispersed these points are

1) Frequency and Density

Mean centre: Mean in space

$$C = (\bar{x}, \bar{y}) = \left(\frac{\sum_{i=1}^{n} x_i}{n}, \frac{\sum_{i=1}^{n} y_i}{n}\right)$$

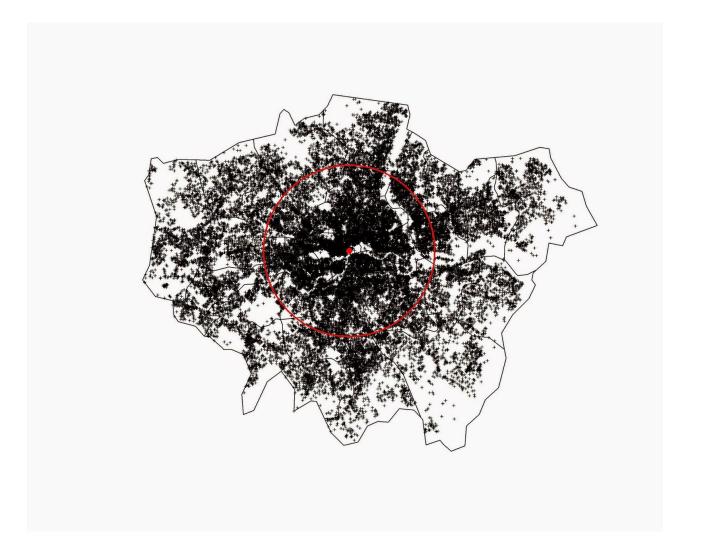
Standard distance: SD in space

Measure of spread in the 2D space

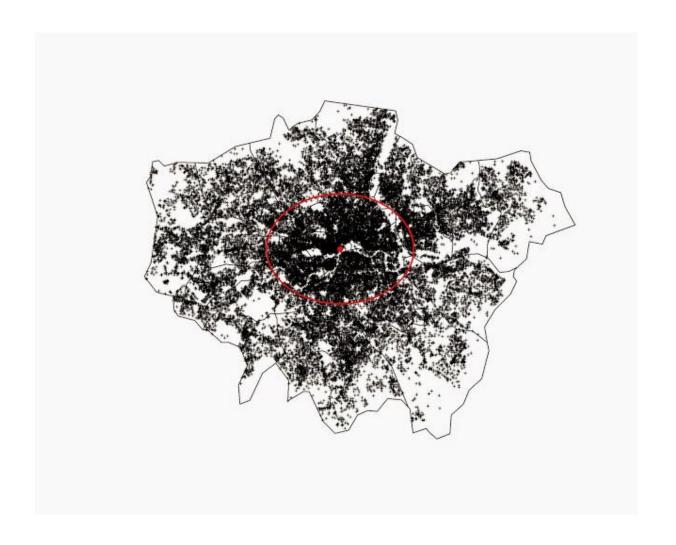
$$d = \sqrt{\frac{\sum_{i=1}^{n} [(x_i - \bar{x})^2 + (y_i - \bar{y})^2]}{n}}$$



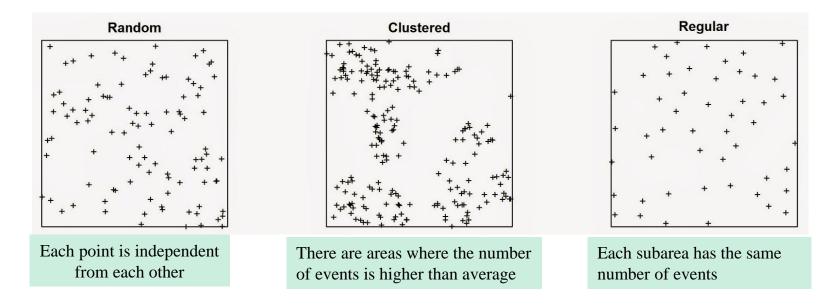
Visual feeling of the spread of data around mean centre



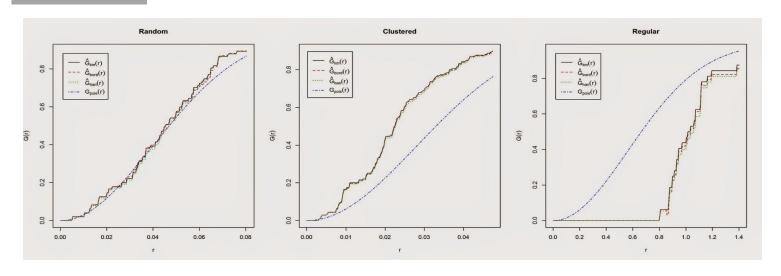
Standard Deviational Ellipse is a modified version of standard distance that captures the shape of this distribution by showing any directional bias in the pattern.

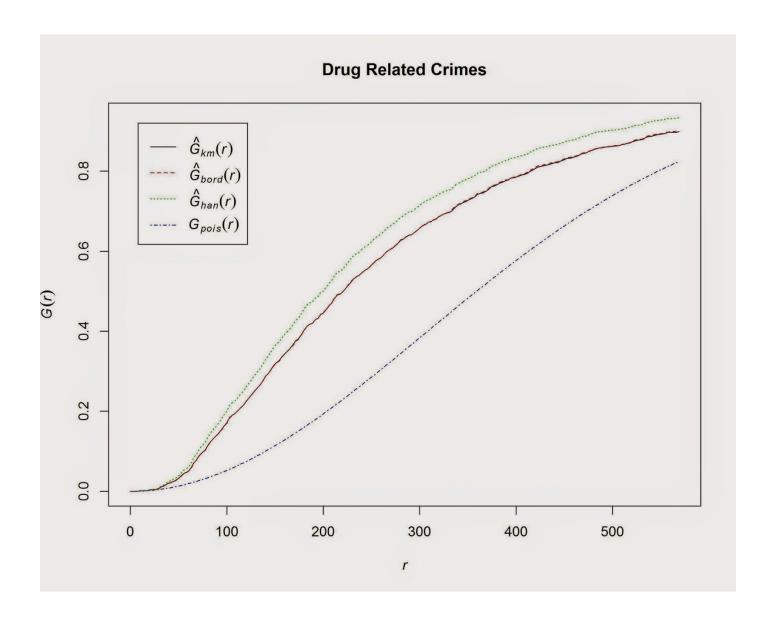


Checking spatial randomness



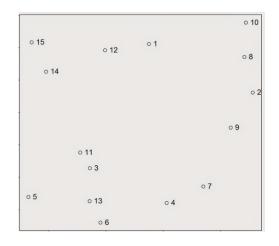
G function

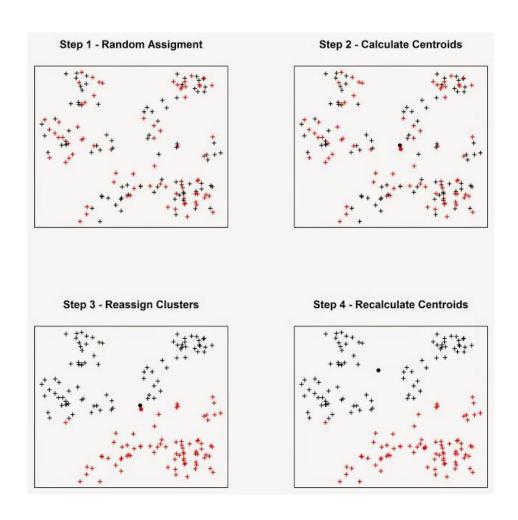




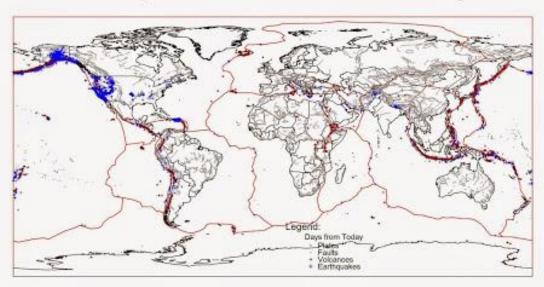
Cluster Analysis: Theoretical Background

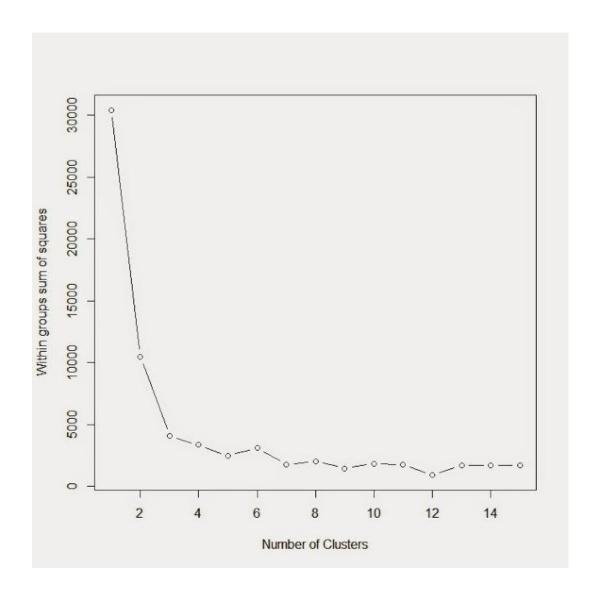
$$W_k = \frac{1}{n_k} \sum_{i=1}^{n_k} \sum_{j=1}^{p} (x_{ij} - x_{i'j})^2$$

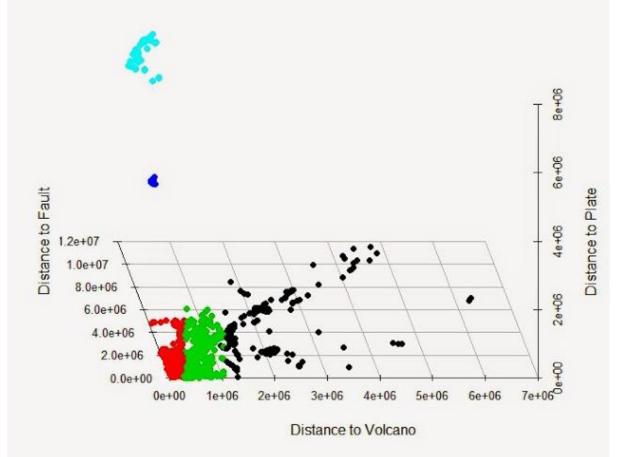


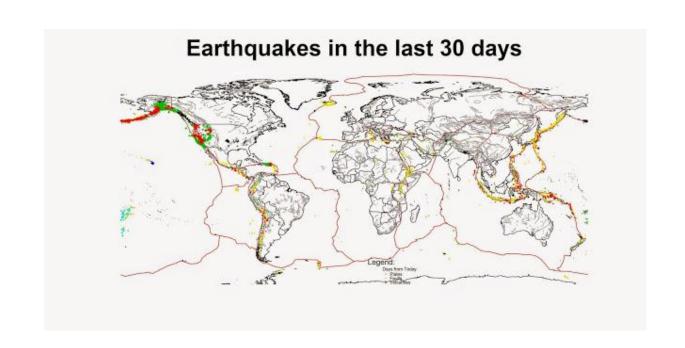


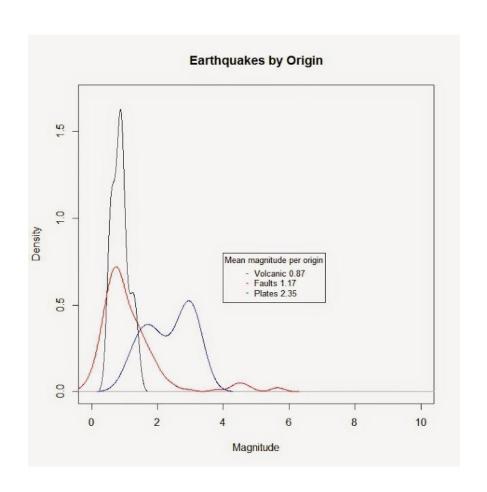
Earthquakes in the last 30 days











These slides have been compiled from various important resources

References:

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Han, J., Kamber, M. and Tung, K. H. (2001) Spatial Clustering Methods in Data Mining: A Survey. In Harvey J. Miller and Jiawei Han (eds.), *Geographic Data Mining and Knowledge Discovery*, CRC Press. Boca Raton, FL, USA.

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