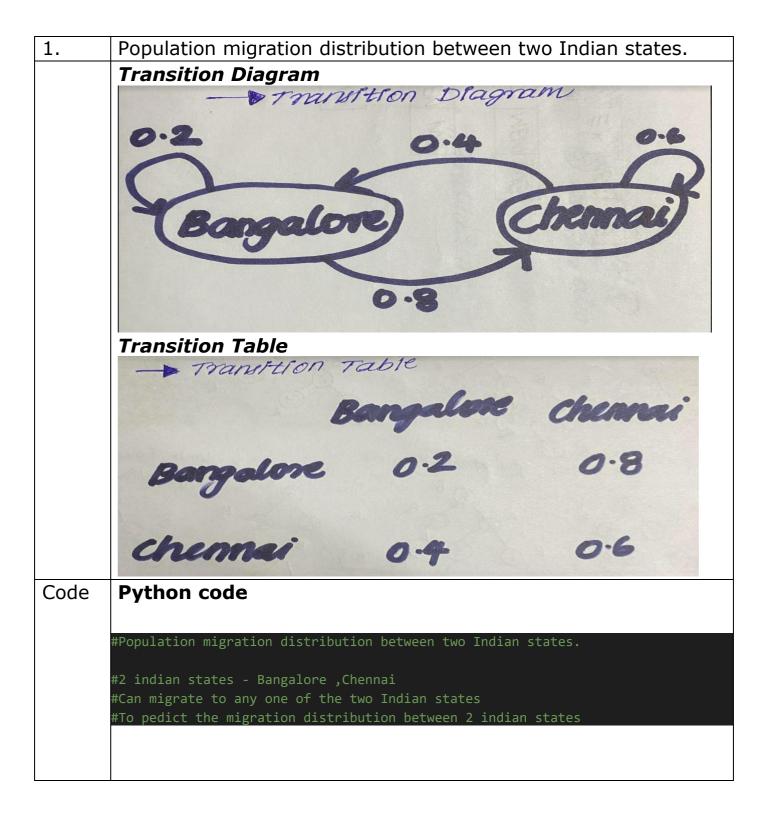
LINEAR ALGEBRA ASSIGNMENT Unit 2

Implementation of Markov chains for:



```
import numpy as np
import random as rm
#encoding indian_state to numbers
indian_state = {
    0: "Bangalore",
    1:"Chennai",
indian_state
#Transition Matrix
T= np.array([[0.2,0.8],[0.4,0.6]])
#Random Walk on Markov Chains
#when start_indian_state = 0 ,present location is Bangalore
#when start_indian_state = 1 ,present location is Chennai
for start_indian_state in range(2):
    print("\nMigration Prediction of population staying
in",indian_state[start_indian_state],"for next 5 times")
                       #for next 5 predictions
    print(indian_state[start_indian_state],"--->",end="
    prev_indian_state = start_indian_state
                                   #continue the loop for n-1 times, as we are
    while n-1:
starting fron current indian_state we are staying
        curr_indian_state =
np.random.choice([0,1],p=T[prev_indian_state])
                                                    #which indian_state
population might migrate next by folling the transition probability
(probabilty of going to indian_states bangalore or chennal from previous
indian_state)
        print(indian_state[curr_indian_state],"--->",end=" ")
        prev_indian_state=curr_indian_state
        n-=1
    print("stop")
#A stationary distribution of a Markov chain is a probability distribution
that remains unchanged in the Markov chain as time progresses.
steps = 10**5
                    #accuracy increses with number of steps, hence higher the
number higher the accuracy
start_indian_state=0
pi=np.array([0,0])
pi[start_indian_state] = 1
prev_indian_state = start_indian_state
while i<steps:
    curr_indian_state=np.random.choice([0,1],p=T[prev_indian_state])
    pi[curr_indian_state]+=1
    prev_indian_state=curr_indian_state
    i+=1
```

output

[Running] python -u "d:\PES\sem4\LA\marcov_2a.py"

Migration Prediction of population staying in Bangalore for next 5 times
Bangalore ---> Chennai ---> Bangalore ---> Bangalore ---> Stop

Migration Prediction of population staying in Chennai for next 5 times
Chennai ---> Bangalore ---> Chennai ---> Bangalore ---> Chennai ---> Stop

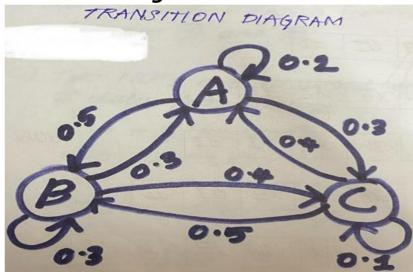
Overall Probabity of population migrating to Bangalore 0.33397

Overall Probabity of population migrating to Chennai = 0.66604

[Done] exited with code=0 in 1.706 seconds

2. Vote changing pattern of Three Political parties from one election to the next.

Transition Diagram



Transition Table

Transition rable	porty	partyB	partyc
party A	0.2	0.5	0.3
party B	0.3	0.3	0.4
party c	0.4	0.5	0.1
TRAN	SITION TABLE		

```
Code
```

Python code

```
#Vote changing pattern of Three Political parties from one election to the
#3 political parties - partyA , partyB , partyC
#Any one of the political parties can win the upcomming elections.
#Predicting which will be the next rulling party with each initial state being
PartyA ,PartyB and PartyC
import numpy as np
import random as rm
#encoding state to numbers
state = {
   0:"partyA",
   1:"partyB",
    2:"partyC"
state
#Transition Matrix
T= np.array([[0.2,0.5,0.3],[0.3,0.3,0.4],[0.4,0.5,0.1]])
#Random Walk on Markov Chains
#when start_state = 0 ,current ruling party is partyA
#when start_state = 1 ,current ruling party is partyB
#when start_state = 2 ,current ruling party is partyC
for start_state in range(3):
    print("\nPrediction of rulling parties for next 5 elections when",
state[start_state], "is the current rulling party:")
                   #for next 5 predictions
    n=6
    print(state[start_state],"--->",end=" ")
    prev_state = start_state
                                #bcoz we have just visited start state
                                   #continue the loop for n-1 times, as the
    while n-1:
first Election is already over
        curr_state = np.random.choice([0,1,2],p=T[prev_state])
state it is going next by folling the transition probability (probabilty of
going to states 1,2,3 from previous state)
        print(state[curr_state],"--->",end=" ")
        prev_state=curr_state
        n-=1
    print("stop")
#A stationary distribution of a Markov chain is a probability distribution
that remains unchanged in the Markov chain as time progresses.
steps = 10**5
                    #accuracy increses with number of steps,hence higher the
number higher the accuracy
```

```
start_state=0
           pi=np.array([0,0,0])
          pi[start_state] = 1
          prev_state = start_state
           =0
           while i<steps:
               curr_state=np.random.choice([0,1,2],p=T[prev_state])
               pi[curr_state]+=1
               prev_state=curr_state
               i+=1
          ans=pi/steps
          print("\nOverall Probabity of partyA being the rulling party
          =",ans[0],"\nOverall Probabity of partyB being the rulling party
          =",ans[1],"\nOverall Probabity of partyC being the rulling party =",ans[2])
                                           Thank you *******
output
           [Running] python -u "d:\PES\sem4\LA\markov 2b.py"
           Prediction of rulling parties for next 5 elections when partyA is the current rulling party:
           partyA ---> partyB ---> partyC ---> partyA ---> partyB ---> partyA ---> stop
           Prediction of rulling parties for next 5 elections when partyB is the current rulling party:
           partyB ---> partyC ---> partyB ---> partyB ---> partyA ---> partyB ---> stop
           Prediction of rulling parties for next 5 elections when partyC is the current rulling party:
           partyC ---> partyC ---> partyB ---> partyA ---> partyA ---> partyC ---> stop
           Overall Probabity of partyA being the rulling party = 0.29928
           Overall Probabity of partyB being the rulling party = 0.41462
```

Overall Probabity of partyC being the rulling party = 0.28611

[Done] exited with code=0 in 1.6 seconds