

Assignment No-2

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Assignment No - 2

- 1] Solve the following with forward chaining or backward chaining or resolution. Use predicate logic as the language of knowledge representation. Clearly specify the facts and inference rule used.

Example 1 :

- 1] Every child sees some witch. no witch has both a black cat and a pointed hat.
- 2] Every witch is good or bad.
- 3] Every child who sees any good witch gets candy.
- 4] Every witch that is bad has a black cat.
- 5] Every witch that is seen by any child has a pointed hat.
- 6] Prove : Every child gets candy.

→

A] Facts into FOL

- 1] $\exists x \forall y (\text{child}(x), \text{witch}(y) \rightarrow \text{sees}(x, y))$
- 2] $\neg \exists y (\text{witch}(y) \rightarrow \text{has}(y, \text{black cat}) \wedge \text{has}(y, \text{pointed hat}))$
- 3] $\exists y (\text{witch}(y) \rightarrow \text{good}(y) \vee \text{bad}(y))$
- 4] $\forall x ((\text{sees}(x, y) \rightarrow (\text{witch}(y) \rightarrow \text{good}(y))) \rightarrow \text{get}(x, \text{candy}))$
- 5] $\forall y ((\text{witch}(y) \rightarrow \text{bad}(y)) \rightarrow \text{has}(y, \text{black hat}))$
- 6] $\forall y (\text{sees}(x, y) \rightarrow \text{has}(y, \text{pointed hat}))$

B) FOL into CNF

1] $\exists x \forall y (\text{child}(x), \text{witch}(y) \rightarrow \text{sees}(x, y))$

$\rightarrow \neg \exists y, (\text{witch}(y) \rightarrow \text{has}(y, \text{black hat}))$

$\rightarrow \neg \exists y (\text{witch}(y) \rightarrow \text{has}(y, \text{pointed hat}))$

2] $\forall y (\text{witch}(y) \rightarrow \text{good}(y))$

$\forall y (\text{witch}(y) \rightarrow \text{bad}(y))$

3] $\exists x [\text{sees}(x, y) \rightarrow \text{witch}(y) \rightarrow \text{good}(y)] \rightarrow \text{gets}(x, \text{candy})$

$\rightarrow \exists x [\text{sees}(x, \text{good}(y)) \rightarrow \text{gets}(x, \text{candy})]$

4] $\exists y [\text{bad}(y) \rightarrow \text{has}(y, \text{black hats})]$

5] $\exists y [\text{seen}(x, y) \rightarrow \text{has}(y, \text{pointed hat})]$

$\rightarrow \neg \forall y [\text{seen}(x, y) \rightarrow \text{has}(y, \text{black hat})]$

c)

$\text{sees}(x, y)$

$\text{witch}(y) \vee \text{sees}(x, y)$

{ good \vee bad }

$\neg \text{seen}(x, \text{good}) \wedge \neg \text{seen}(x, \text{bad})$

$\text{has}(y, z)$

{ y | good \vee bad }

{ z | black cat \vee

pointed hat } }

$\text{seen}(x, \text{good}) \vee \text{seen}(x, \text{bad})$

$\text{has}(\text{good}, \text{pointed})$

hats $\vee \text{get}(x, \text{candy})$

seen (x , good) \vee has (good,
pointed hat) \vee gets
(x , candy)

seen (x , good) \vee
gets (x , candy)

gets (x , candy)

gets (x , candy)

Example 2 :

- 1] Every boy or girl is a child
- 2] Every child gets a doll or train or a lump of coal.
- 3] No boy gets any doll.
- 4] Every child who is bad gets any lump of coal.
- 5] No child gets a train.
- 6] Ram gets lump of coal.
- 7] Prove : Ram is bad

→ 1] $\forall x (\text{boy}(x) \text{ or } \text{girl}(x) \rightarrow \text{child}(x))$

2] $\forall y (\text{child}(y) \rightarrow \text{gets}(y, \text{doll}) \text{ or } \text{gets}(y, \text{train})$
or $\text{gets}(y, \text{coal})$

3] $\forall w (\text{boy}(w) \rightarrow \neg \text{gets}(w, \text{doll}))$

4] for all $z (\text{child}(z) \text{ and } \text{bad}(z)) \rightarrow \text{gets}(z, \text{coal})$

$\forall y \text{ child}(y) \rightarrow \neg \text{gets}(y, \text{train})$

5] $\text{child}(\text{ram}) \rightarrow \text{gets}(\text{ram}, \text{coal})$

To prove $(\text{child}(\text{ram}) \rightarrow \text{bad}(\text{ram}))$,

CNF clauses

- 7] ! boy (x) or child (x)
 ! girl (x) or child (x)
- 7] ! child (y) or gets (y, doll) or
 gets (y, train) or gets (y, ~~doll~~ (coal))
- 7] ! boy (w) or ! gets (w, doll)
- 7] ! child (z) or ! bad (z) or gets (z, coal)
- 7] ! child (ram) → gets (ram, coal)
- 6] bad (ram)

Resolution

- 7] ! child (z) or ! bad (z) or gets (z, coal)
- 6] bad (ram)
- 7] ! child (ram) or gets (ram, coal)
 Substituting z by ram
- 7] (a) ! boy (x) or child (x)
 boy (ram)
- 8] child (ram) Substituting x by ram
- 7] ! child (ram) or gets (ram, coal)
- 8] child (ram)
- 9] gets (ram, coal)
- 7] ! child (y) (or gets (y, doll) or gets (y, train))
 or gets (y, coal)
- 8] child (ram)
- 10] gets (ram, doll) or gets (ram, train) or
 gets (ram, coal).
 (Substituting y by ram).
- 7] gets (ram, coal).

- 10] gets (ram, doll) or gets (ram, train) or
 gets (ram, coal)
 (substituting y by ram)
 9] gets (ram, coal)
 10] gets (ram, doll) or gets (ram, train) or gets
 (ram, coal)
 11] gets (ram, doll) or gets (ram, coal)
 12] ! boy (w) or ! gets (w, doll)
 5] boy (ram)
 12] ! get (ram, doll) substituting w by ram
 11] gets (ram, doll) or gets (ram, train)
 12] ! gets (ram, doll)
 13] gets (ram, coal)
 6] <a> get (ram, coal)
 13] gets (ram, coal)

Hence, bad (ram) is proved.

- 2] Differentiate betⁿ STRIPS and ADL.

STRIPS

- 1] only allow positive literals in the states
 for eg : A valid sentence is
 expressed as
 \Rightarrow intelligent ^ Beautiful.

ADL

- 1] can support both positive and negative literals
 for eg : \rightarrow same sentence is expressed as \Rightarrow
 stupid ^ -ugly

i) STRIPS stand for Standard Research Institute problem Solver.

ii) stands for Action Description language.

3) makes use of closed world assumption (i.e) un mentioned literals are false.

3) makes use of open world Assumption (i.e) unmentioned literals are unknown.

4) We only can find ground literals in goals
for eg :- Intelligent \wedge Beautiful.

4) we can find qualified variables in goal.

for eg: $\exists x At(P_1, x) \wedge At(P_2, x)$ is the goal of having P_1 and P_2 in the same place in the example of blocks.

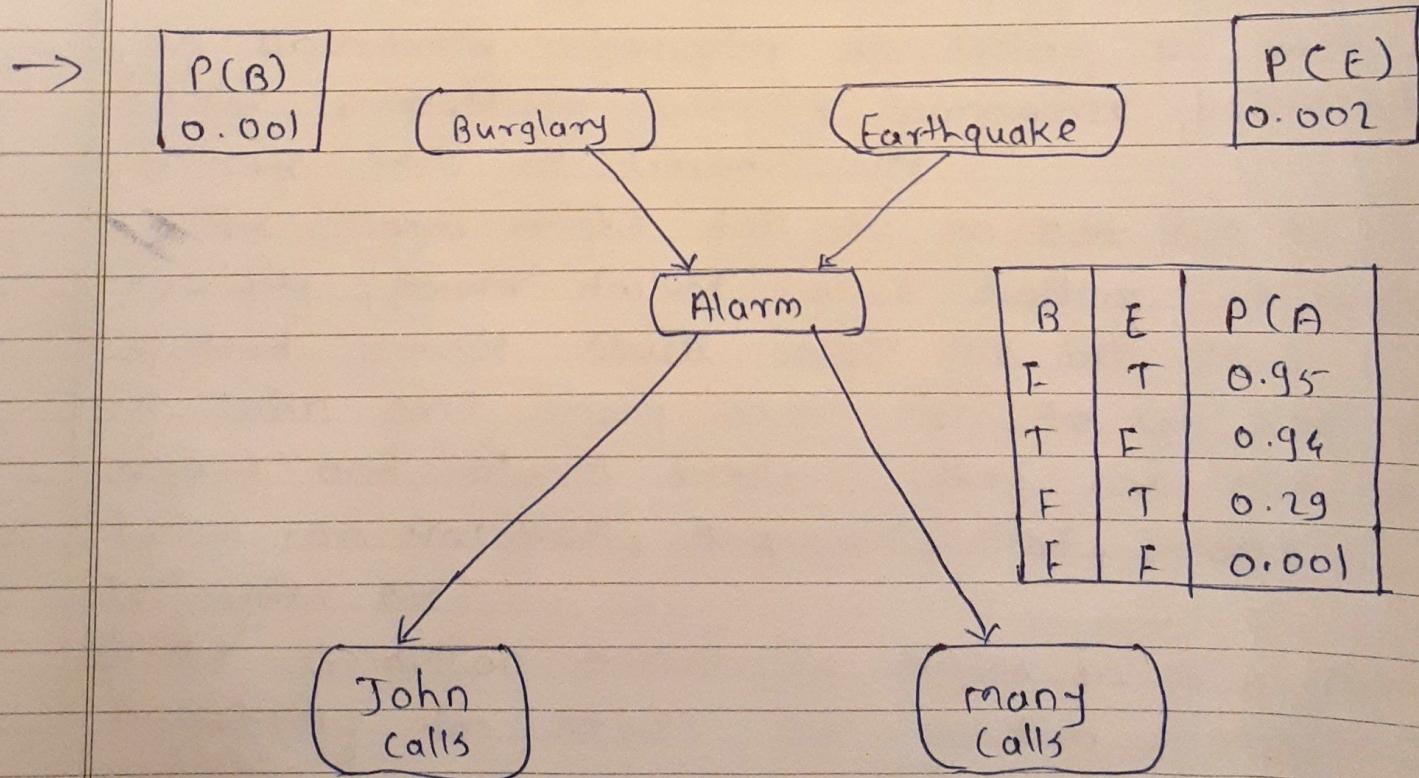
5) Goals are conjunctions
for eg :- (Intelligent \wedge Beautiful).

5) Goals may involve conjunctions and disjunctions for eg:-
(Intelligent \wedge (Beautiful \wedge Rich))

6) Effects are conjunctions

6) Conditional effects are allowed : when $P : E$ means E is an effect only if P is satisfied.

4] You have two neighbours J and m, who have promised to call you at work when they hear the alarm. J always calls when he hears the alarm, but sometimes confused telephone ringing with alarm, and calls then too. m likes loud music and sometimes misses the alarm altogether. Given the evidence of who has or has not called. we would like to estimate the probability of burglary. draw a Bayesian network for this domain with suitable probability table.



A	$P(T)$
T	0.09
F	0.05

A	$P(m)$
T	0.70
F	0.01

- ① The topology of the network indicates that
- Burglary and earthquake affect the probability of the alarms going off.
 - Whether John and Mary call depends only on alarm.

- They do not perceive any burglaries directly
They do not notice minor earthquakes and
they do not confer before calling

- ② Many listening to loud music and John
confusing phone ringing to sound of alarm
can be read from network only implicitly
as uncertainty associated to calling at work.

- ③ The probability actually summarizes potentially
infinite sets of circumstances.

- The alarm might fail to go off due to high
humidity, power failure, dead battery, cut wires,
a dead mouse stuck inside the bell etc.

- John and Mary might fail to call and
report an alarm because they are out to
lunch, on vacation, temporarily deaf, passing
helicopter etc.

- ④ The condition probability tables in NLW gives
probability for values of random variables
depending on combination of values for the
parent nodes.

- ⑤ Each row must sum to 1, because entire
represent exhaustive set of cases for variable.

- ⑥ All variables are Boolean.

- ⑦ In general, a table for Boolean variable with k parents contains 2^k independently specific probabilities.
- ⑧ A variable with no parents has only one row representing prior probabilities of each possible value of the variable.
- ⑨ Every entry in full joint probability distribution can be calculated from information in Bayesian network.
- ⑩ A generic entry in joint distribution is probability of a conjunction of particular assignments to each variable $P(x_1 = x_1 \wedge \dots \wedge x_n = x_n)$ abbreviated as $P(x_1, \dots, x_n)$.
- ⑪ The value of this entry is $P(x_1, \dots, x_n) = \prod_{i=1}^n P(\text{Parents}(x_i))$, where $\text{Parents}(x_i)$ denotes the specific values of the variables parents (x_i)
- $$\begin{aligned}
 &= P(\text{John calls} \wedge \text{Mary calls} \wedge \text{Earthquake} \wedge \text{Burglary} \wedge \text{Alarm}) \\
 &= P(\text{John calls}) P(\text{Mary calls}) P(\text{Earthquake}) P(\text{Burglary}) P(\text{Alarm}) \\
 &= 0.09 \times 0.07 \times 0.001 \times 0.999 \times 0.998 \\
 &= 0.000628
 \end{aligned}$$

⑫ Bayesian network.

