

# DL1\_C5\_S6\_Challenge

```
In [1]: import statistics as st
import math
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
from scipy.stats import norm
```

## Task 3 : Stockholder Age Analysis

```
In [2]: x_samp= 45.1
mu_popmean = 44
sd = 8.7
samp = 68
alpha=0.05
```

### Task 3.A: What is null and alternate hypothesis

H0 = Avg age of female shareholders is 44 years H1 = Avg age of female shareholders is higher  
so both side tail test

### Task 3.B : Calculate critical value

```
In [3]: z_critical = norm.ppf(alpha/2)
print("The z-critical is", z_critical)
```

The z-critical is -1.9599639845400545

### Task 3.C : Test Statistics(z\_statistic)

```
In [4]: z_statistic = (x_samp- mu_popmean)/(sd/(samp)**0.5)
print("The Z statistics is ", abs(z_statistic))
```

The Z statistics is 1.042624411075732

### Task 3.d : p-value

```
In [5]: p_value = norm.sf(abs(z_statistic))  
print("The p_value is ",p_value*2)
```

The p\_value is 0.29712227883324194

## Task 3.E : Draw the Conclusion

i. If  $p\text{-value} < \alpha$  : Rejection of Null Hypothesis( $H_0$ )  $p\text{-value} = 1.44e-20$   $p\text{-value} < \alpha$  which means not to acceptance of Null Hypothesis. so, inconclusion  $H_1$  is True that is price of house is not 33.88 sqft.

ii. If  $-(z\text{-critical}) > z\text{-statistics} > +(z\text{-critical})$  : Rejection of Null Hypothesis( $H_0$ )  $z\text{-critical} = 1.95$   $Z\text{ statistics} = 9.29$   $z\text{-critical} < z\text{-statistics}$  which means not to acceptance of Null Hypothesis. so, inconclusion null Hypothesis is false and it can be rejected.

## Task 2 : Health Drink Price Survey Analysis

```
In [6]: import pandas as pd
Drink_df=pd.read_csv("DS1_C5_S6_CityPrice_Data_Challenge.csv")
Drink_df
```

Out[6]:

|    | California | Florida |
|----|------------|---------|
| 0  | 2.55       | 2.25    |
| 1  | 2.36       | 2.40    |
| 2  | 2.38       | 2.19    |
| 3  | 2.43       | 2.39    |
| 4  | 2.73       | 2.39    |
| 5  | 2.67       | 2.50    |
| 6  | 2.54       | 2.33    |
| 7  | 2.24       | 2.33    |
| 8  | 2.43       | 2.40    |
| 9  | 2.80       | 2.49    |
| 10 | 2.50       | 2.19    |
| 11 | 2.64       | 2.29    |
| 12 | 2.25       | 2.59    |
| 13 | 2.38       | 2.23    |
| 14 | 2.61       | 2.41    |
| 15 | 2.71       | 2.56    |
| 16 | 2.80       | 2.48    |
| 17 | 2.49       | 2.29    |
| 18 | 2.69       | 2.28    |
| 19 | 2.43       | 2.39    |
| 20 | 2.23       | 2.59    |
| 21 | 2.61       | 2.58    |
| 22 | 2.57       | 2.53    |
| 23 | 2.36       | 2.26    |
| 24 | 2.57       | 2.39    |
| 25 | 2.56       | 2.58    |
| 26 | 2.38       | 2.29    |
| 27 | 2.43       | 2.27    |
| 28 | 2.71       | 2.45    |
| 29 | 2.25       | 2.56    |
| 30 | 2.64       | NaN     |
| 31 | 2.27       | NaN     |

|    | California | Florida |
|----|------------|---------|
| 32 | 2.18       | NaN     |

```
In [9]: x_Florida = Drink_df['Florida'].mean()
x_Florida
```

Out[9]: 2.396

```
In [10]: x_California = st.mean(Drink_df['California'])
x_California
```

Out[10]: 2.4966666666666666

```
In [11]: n1=33
n2=30

var_c=0.028
var_f=0.015

sd_c = var_c**0.5
sd_f = var_f**0.5
```

## Task 2.A : What is null and alternate hypothesis

H0 = The mean of entire price is same  
H1 = The price is decrease or increase.  
so, two tail test

## Task 2.B : using alpha = 0.1 calculate critical value

```
In [17]: z_critical = norm.ppf(1-alpha/2)
print("The z-critical is", z_critical)
```

The z-critical is 1.959963984540054

## Task 2.C : Test Statistics(z\_statistic)

```
In [13]: z_statistic = (x_Florida-x_California)/(sd_c/(n2)+sd_f/(n1))**0.5
print("The Z statistics is ", abs(z_statistic))
```

The Z statistics is 1.0444780056077585

## Task 2.d : p-value

```
In [14]: p_value = norm.sf(abs(z_statistic))
print("The p_value is ",p_value*2)
```

The p\_value is 0.2962642899686494

```
In [16]: rs = (x_Florida-x_California) + 2.58*((var_c/n1 + var_f/2))
ls = (x_Florida-x_California) - 2.58*((var_c/n1 + var_f/2))
print("99% confidence level ", rs-ls)
```

99% confidence level 0.04307818181818182

## Task 2.e : Conclusion

- In [ ]:
- i. If  $p\text{-value} < \alpha$  : Rejection of Null Hypothesis( $H_0$ )
  - ii. If  $-z\text{-critical} > z\text{-statistic} > +z\text{-critical}$  : Rejection of Null Hypothesis( $H_0$ )

$p\text{-value}=0.29 > \alpha=0.1$ , which means not to rejection of Null Hypothesis.

$z\text{-statistics}=1.04 < z\text{-critical}= 1.95$ , which means not rejection of Null Hypothesis.

## Task 1 : Customer Service Analysis

```
In [ ]: x_samp = [3,4,5,5,4,5,5,4,4,4,4,4,4,4,5,4,4,4,3,3,3,4,3,5,4,4,5,4,4,4,5 ]
x_samp = st.mean(x_samp)
x_samp
```

```
In [ ]: x_samp= 4.09
mu_popmean = 4.30
sd = 0.574
samp = 32
alpha=0.10
```

## Task 1.A: What is null and alternate hypothesis

$H_0$  = The mean of the survey was 4.30  $H_1$  = The mean of the survey was not 4.30 We have to proves that would not rate highly , so its both side tail hypothesis

## Task 1.B : Calculate critical value

```
In [ ]: z_critical = norm.ppf(alpha/2)
print("z_critical is ", z_critical)
```

## Task 1.C: Test Statistics(z\_statistic)

```
In [ ]: z_statistic = (x_samp / mu_popmean)/(sd/(samp)**0.05)
print("The z_statistic is ", z_statistic)
```

## Task 1.D : P\_value

```
In [ ]: p_value = norm.sf(abs(z_statistic))
print("The p_value is ", p_value)
```

## Task 1.E : Draw a Conclusion

i. If  $p\text{-value} < \alpha$  : Rejection of Null Hypothesis( $H_0$ )  $p\text{-value} = 0.024$   $p\text{-value} < 0.10$  which means, we can reject null Hypothesis

ii. If  $-z\text{-critical} > z\text{-statistics} > +z\text{-critical}$  : Rejection of Null Hypothesis( $H_0$ )  $z\text{-critical} = 1.97$