

# DL1\_C5\_S6\_Practice

```
In [15]: import statistics as st
import math
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
from scipy.stats import norm
```

## Task 1: Real Estate Survey Analysis

$H_0$  = Avg price per sqft is 33.88 dollars in 2020  $\mu = 33.88$   $H_1 = \mu < 33.88 \text{ \& } \mu > 33.88$

### A : Determine the type of tail-test

$H_0$  = Avg price per sqft is 33.88 dollars in 2020  $\mu = 33.88$   $H_1 = \mu < 33.88 \text{ \& } \mu > 33.88$

Alternate Hypothesis we have to prove Avg is not 33.88 so its both side tail test

### Task 1.B : Calculate z-critical

```
In [2]: x_samp= 32.18
mu_popmean = 33.88
sd = 1.28
samp = 49
alpha=0.05
```

```
In [3]: z_critical = norm.ppf(1-alpha/2)
print("The z-critical is", z_critical)
```

The z-critical is 1.959963984540054

### Task 1.C: Test Statistics(z\_statistic)

```
In [4]: z_statistic = (x_samp- mu_popmean)/(sd/(samp)**0.5)
print("The Z statistics is ", abs(z_statistic))
```

The Z statistics is 9.296875000000016

### Task 1.D : p-value

```
In [5]: p_value = norm.sf(abs(z_statistic))
print("The p_value is ",p_value*2)
```

The p\_value is 1.4463410868771357e-20

## Task 1.E : Draw the Conclusion

i. If  $p\text{-value} < \alpha$  : Rejection of Null Hypothesis( $H_0$ )

$p\text{-value} = 1.44e-20$   $p\text{-value} < \alpha$  which means not to acceptance of Null Hypothesis. so, inconclusion  $H_1$  is True that is price of house is not 33.88 sqft.

ii. If  $-(z\text{-critical}) > z\text{-statistics} > +(z\text{-critical})$  : Rejection of Null Hypothesis( $H_0$ )  $z\text{-critical} = 1.95$   $Z\text{ statistics} = 9.29$   $z\text{-critical} < z\text{-statistics}$  which means not to acceptance of Null Hypothesis. so, inconclusion null Hypothesis is false and it can be rejected.

## Task 2 : Sports Metrics Analysis

$H_0$  = Mac throw farther than 85  $H_1$  = mean distance of throws is 87.5 yards  $\mu \leq 87.5$  Right tail test

### Task 2.B : Calculate z-critical

```
In [6]: x_samp= 87.5
mu_popmean = 85
sd = 2.1
samp = 32
alpha= 0.05
```

```
In [7]: z_critical = norm.ppf(1-alpha)
print("The z-critical is", z_critical)
```

The z-critical is 1.6448536269514722

### Task 2.C: Test Statistics( $z\text{-statistic}$ )

```
In [8]: z_statistic = (x_samp - mu_popmean)/(sd/(samp)**0.5)
print("The Z statistics is ", abs(z_statistic))
```

The Z statistics is 6.734350297014738

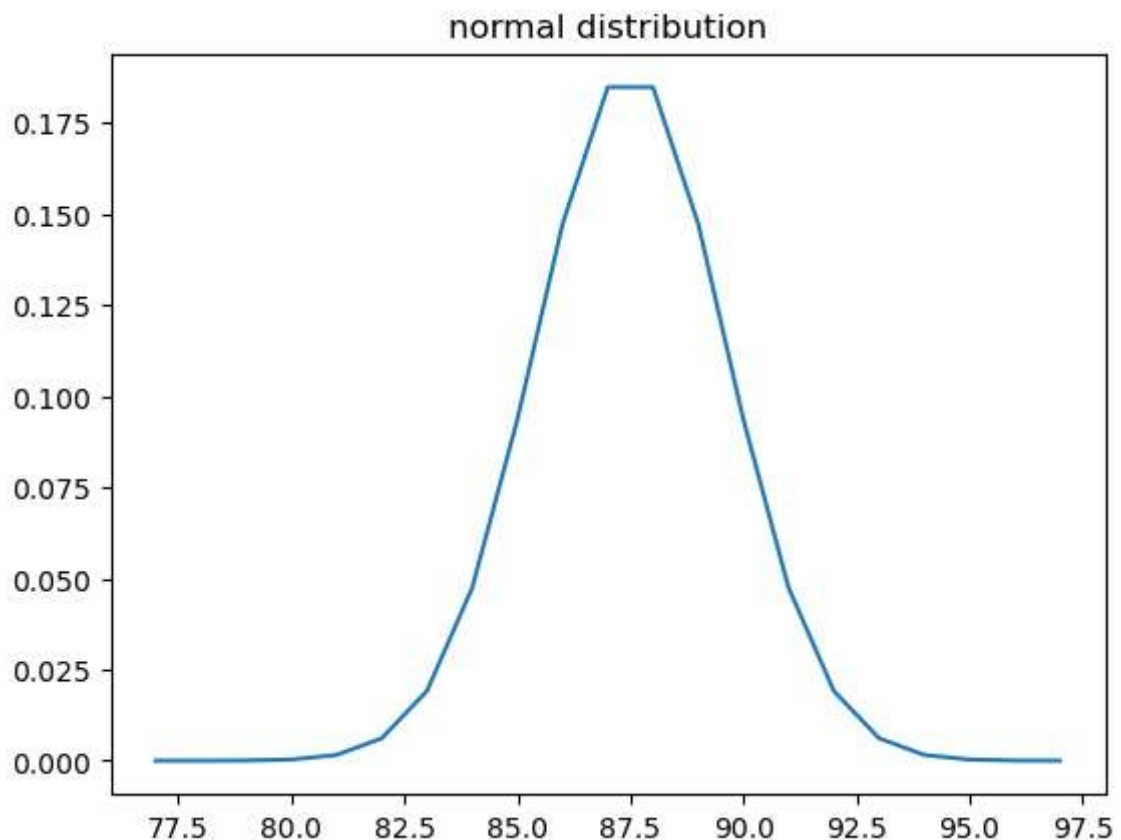
### Task 2.d : Calculate p-value

```
In [9]: p_value = norm.sf(abs(z_statistic))  
print("The p_value is ",p_value)
```

The p\_value is 8.233201952582752e-12

## Tasl 2.e : Sketch the graphs and state your conclusion

```
In [24]: mean = 87.5  
sd = 2.1  
  
lower1 = mean-5*sd  
upper1 = mean+5*sd  
norm1=np.arange(lower1,upper1)  
plt.plot(norm1,norm.pdf(norm1,mean,sd))  
plt.figure(figsize = (2,2))  
plt.title("normal distribution")  
plt.show()
```



i. If  $p\text{-value} < \alpha$  : Rejection of Null Hypothesis( $H_0$ )  
 $p\text{-value} = 8.23e-12$   $p\text{-value} < \alpha$  which means not to acceptance of Null Hypothesis. so, inconclusion  $H_1$  is True that is price

ii. If  $-(z\text{-critical}) > z\text{-statistics} > +(z\text{-critical})$  : Rejection of Null Hypothesis( $H_0$ )

$z\text{-critical} = 1.64$   $Z\text{ statistics} = 6.73$   $z\text{-critical} < z\text{-statistics}$  which means not to acceptance of Null Hypothesis. so, inconclusion null Hypothesis is false and it can be rejected.