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1 . do "/Users/imisiaaiyetan/Documents/My Econometrics Assignment 3.do"

2 .
3 . * Name: Imisi Raphael Aiyetan
4 . * Course: Econometrics 512
5 . * Topic: Impact of capital accumulation and Human capital on Economic Growth
6 .
7 .
8 . * Let's load the data from download folder
9 . clear

10 . set more off

11 . webuse auto
    (1978 Automobile Data)

12 .
13 . use "/Users/imisiaaiyetan/Downloads/Table2_1.dta"
    (Production data for the USA, 2005)

14 .
15 . * Problem 1a: Run the multiple regression
16 .
17 . reg lnoutput lnlabor lncapital

```

Source	SS	df	MS	Number of obs = 51		
Model	91.9246133	2	45.9623067	F(2, 48) = 645.93		
Residual	3.41551772	48	.071156619	Prob > F = 0.0000		
				R-squared = 0.9642		
				Adj R-squared = 0.9627		
Total	95.340131	50	1.90680262	Root MSE = .26675		

lnoutput	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnlabor	.4683318	.0989259	4.73	0.000	.269428	.6672357
lncapital	.5212795	.096887	5.38	0.000	.326475	.7160839
_cons	3.887599	.3962281	9.81	0.000	3.090929	4.684269

```

18 .
19 . * problem 1b: Regress lnoutput on lncapital to predict the first residual.
20 . *Similarly, regress lnlabour on lncapital to predict the second residual
21 .
22 . reg lnoutput lncapital

```

Source	SS	df	MS	Number of obs = 51		
Model	90.3298259	1	90.3298259	F(1, 49) = 883.41		
Residual	5.0103051	49	.102251124	Prob > F = 0.0000		
				R-squared = 0.9474		
				Adj R-squared = 0.9464		
Total	95.340131	50	1.90680262	Root MSE = .31977		

lnoutput	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lncapital	.9617962	.0323595	29.72	0.000	.8967674	1.026825

_cons	3.391633	.458073	7.40	0.000	2.471101	4.312165
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23 . predict e1, residuals

24 .

25 . reg lnlabor lncapital

Source	SS	df	MS	Number of obs = 51		
Model	86.3937937	1	86.3937937	F(1, 49)	=	582.21
Residual	7.27102154	49	.148388195	Prob > F	=	0.0000
				R-squared	=	0.9224
				Adj R-squared	=	0.9208
Total	93.6648153	50	1.87329631	Root MSE	=	.38521

lnlabor	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lncapital	.9406082	.0389823	24.13	0.000	.8622704	1.018946
_cons	-1.059006	.5518237	-1.92	0.061	-2.167937	.0499254

26 . predict e2, residuals

27 .

28 . reg e1 e2

Source	SS	df	MS	Number of obs = 51		
Model	1.59478739	1	1.59478739	F(1, 49)	=	22.88
Residual	3.41551769	49	.069704443	Prob > F	=	0.0000
				R-squared	=	0.3183
				Adj R-squared	=	0.3044
Total	5.01030508	50	.100206102	Root MSE	=	.26402

e1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
e2	.4683318	.0979112	4.78	0.000	.2715719	.6650918
_cons	-9.90e-10	.0369696	-0.00	1.000	-.0742933	.0742933

29 .

30 .

31 . * problem 1c: The next procedure is to regress lnoutput on the second residual
>

32 .

33 . reg lnoutput e2

Source	SS	df	MS	Number of obs = 51		
Model	1.59478745	1	1.59478745	F(1, 49)	=	0.83
Residual	93.7453436	49	1.91317028	Prob > F	=	0.3657
				R-squared	=	0.0167
				Adj R-squared	=	-0.0033
Total	95.340131	50	1.90680262	Root MSE	=	1.3832

lnoutput	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
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e2	.4683318	.5129548	0.91	0.366	-.5624894	1.499153
_cons	16.94139	.1936831	87.47	0.000	16.55217	17.33061

```

34 .
35 .
36 .
37 . * problem 2: IV regression
38 .
39 .
40 . * problem 2a: Instrumental Variable regression. lnoutlab is used as an
41 . *instrument in this regression. In that case, we replace lncapital with
42 . *lnoutlab and lnoutput is regressed on lnlabor lnoutlab
43 .
44 . ivregress gmm lnoutput lnlabor (lncapital = lnoutlab)

```

```

Instrumental variables (GMM) regression                                Number of obs =      51
                                                                    Wald chi2(2) =    335.04
                                                                    Prob > chi2 =    0.0000
                                                                    R-squared =      0.9048
GMM weight matrix: Robust                                           Root MSE =      .42193

```

lnoutput	Coef.	Robust Std. Err.	z	P> z	[95% Conf. Interval]	
lncapital	1.385655	.4317705	3.21	0.001	.5394005	2.23191
lnlabor	-.3792855	.4425238	-0.86	0.391	-1.246616	.4880453
_cons	2.044667	1.018963	2.01	0.045	.0475363	4.041798

```

Instrumented: lncapital
Instruments:  lnlabor lnoutlab

```

```

45 .
46 .
47 . reg lnoutput lnlabor lnoutlab

```

Source	SS	df	MS	Number of obs =	51
Model	95.340131	2	47.6700655	F(2, 48) =	.
Residual	2.0810e-11	48	4.3354e-13	Prob > F =	0.0000
Total	95.340131	50	1.90680262	R-squared =	1.0000
				Adj R-squared =	1.0000
				Root MSE =	6.6e-07

lnoutput	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnlabor	1	6.83e-08	1.5e+07	0.000	.9999999	1
lnoutlab	1	2.81e-07	3.6e+06	0.000	.9999996	1.000001
_cons	-6.02e-07	1.64e-06	-0.37	0.715	-3.89e-06	2.69e-06

```

48 .
49 . * problem 2b: To perform two stage least squares, predict lncapital_hat
50 . *and thereafter regress lnoutput on lnlabour and lncapital_hat
51 .
52 . predict lncapital_hat
(option xb assumed; fitted values)

```

```
53 .
54 . reg lnoutput lnlabor lncapital_hat
```

Source	SS	df	MS	Number of obs = 51		
Model	95.340131	2	47.6700655	F(2, 48) = .		
Residual	4.0460e-11	48	8.4292e-13	Prob > F = 0.0000		
				R-squared = 1.0000		
				Adj R-squared = 1.0000		
Total	95.340131	50	1.90680262	Root MSE = 9.2e-07		

lnoutput	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnlabor	2.09e-07	3.96e-07	0.53	0.600	-5.87e-07	1.01e-06
lncapital_hat	.9999998	3.92e-07	2.5e+06	0.000	.999999	1.000001
_cons	1.38e-06	2.28e-06	0.60	0.548	-3.21e-06	5.96e-06

```
55 .
56 . * problem 2c: Regress lnoutput on lnlabor and lnoutlab and generate the
57 . *first coefficient. Similarly, Regress lncapital on lnlabor and lnoutlab and
58 . *generate the second coefficient
59 .
60 . reg lnoutput lnlabor lnoutlab
```

Source	SS	df	MS	Number of obs = 51		
Model	95.340131	2	47.6700655	F(2, 48) = .		
Residual	2.0810e-11	48	4.3354e-13	Prob > F = 0.0000		
				R-squared = 1.0000		
				Adj R-squared = 1.0000		
Total	95.340131	50	1.90680262	Root MSE = 6.6e-07		

lnoutput	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnlabor	1	6.83e-08	1.5e+07	0.000	.9999999	1
lnoutlab	1	2.81e-07	3.6e+06	0.000	.9999996	1.000001
_cons	-6.02e-07	1.64e-06	-0.37	0.715	-3.89e-06	2.69e-06

```
61 . mat beta = e(b)
62 . svmat beta, names(matcol)
63 .
64 . reg lncapital lnlabor lnoutlab
```

Source	SS	df	MS	Number of obs = 51		
Model	92.9197874	2	46.4598937	F(2, 48) = 471.62		
Residual	4.72858879	48	.098512266	Prob > F = 0.0000		
				R-squared = 0.9516		
				Adj R-squared = 0.9496		
Total	97.6483762	50	1.95296752	Root MSE = .31387		

lncapital	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	

lnlabor	.9954032	.0325471	30.58	0.000	.9299629	1.060843
lnoutlab	.7216804	.1341345	5.38	0.000	.4519849	.9913759
_cons	-1.475596	.7796798	-1.89	0.064	-3.043248	.0920548

```

65 . mat gamma = e(b)

66 . svmat gamma, names(matcol)

67 .
68 . * Take the ratio of the two coefficients derived
69 .
70 . scalar alpha_hat1 = betalnoutlab/gammalnoutlab

71 . display alpha_hat1
1.3856551

72 .
73 . * problem 2d: Check using another approach, if we will arrive at the same
74 . * alpha_hat1. The procedure is as follows
75 .
76 . * regress lnoutlab on lnlabor and predict the first residuals
77 .
78 . reg lnoutlab lnlabor

```

Source	SS	df	MS	Number of obs =	51
Model	.039343945	1	.039343945	F(1, 49) =	0.35
Residual	5.47531704	49	.111741164	Prob > F =	0.5557
				R-squared =	0.0071
				Adj R-squared =	-0.0131
Total	5.51466099	50	.11029322	Root MSE =	.33428

lnoutlab	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnlabor	-.0204951	.0345397	-0.59	0.556	-.0899052	.048915
_cons	4.999017	.42371	11.80	0.000	4.14754	5.850494

```

79 . predict e_z, residuals

80 .
81 . * regress lnoutput on lnlabor and predict the second residuals
82 .
83 . reg lnoutput lnlabor

```

Source	SS	df	MS	Number of obs =	51
Model	89.8648125	1	89.8648125	F(1, 49) =	804.22
Residual	5.47531855	49	.111741195	Prob > F =	0.0000
				R-squared =	0.9426
				Adj R-squared =	0.9414
Total	95.340131	50	1.90680262	Root MSE =	.33428

lnoutput	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnlabor	.9795049	.0345397	28.36	0.000	.9100948	1.048915
_cons	4.999017	.42371	11.80	0.000	4.14754	5.850494

```
84 . predict e_y, residuals
```

```
85 .
```

```
86 . * regress lnoutlab on lnlabor and predict the third residuals
```

```
87 .
```

```
88 . reg lncapital lnlabor
```

Source	SS	df	MS	Number of obs =	51
Model	90.0681184	1	90.0681184	F(1, 49) =	582.21
Residual	7.5802578	49	.154699139	Prob > F =	0.0000
				R-squared =	0.9224
				Adj R-squared =	0.9208
Total	97.6483762	50	1.95296752	Root MSE =	.39332

lncapital	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lnlabor	.9806122	.0406402	24.13	0.000	.8989427	1.062282
_cons	2.132096	.4985469	4.28	0.000	1.130229	3.133964

```
89 . predict e_t, residuals
```

```
90 .
```

```
91 . * Estimate the first covariance using the second and the first residuals
```

```
92 .
```

```
93 . corr e_y e_z, covariance
    (obs=51)
```

	e_y	e_z
e_y	.109506	
e_z	.109506	.109506

```
94 . scalar scov1 = r(cov_12)
```

```
95 .
```

```
96 . * Estimate the second covariance using the third and the first residuals
```

```
97 .
```

```
98 . corr e_t e_z, covariance
    (obs=51)
```

	e_t	e_z
e_t	.151605	
e_z	.079029	.109506

```
99 . scalar scov2 = r(cov_12)
```

```
100 .
```

```
101 . * Finally, divide the first covariance by the second covariance.
```

```
102 .
```

```
103 . scalar alpha_hat2 = scov1/scov2
```

```
104 . display alpha_hat2
      1.3856551

105 .
106 .
107 .
      end of do-file

108 .
```