

Q. Write a program to evaluate the following arithmetic statement by using Three, Two, One and Zero address instruction

(a) $A - B + (C + D) / E + F / G + (J * K)$

(b) $(A * B + C) + D / E + F * G + I * J$

Ans. (a) $A - B + (C + D) / E + F / G + (J * K)$

Using Three-Address instructions :

$$\frac{A-B+(C+D)}{E+F/G+(J*K)}$$

Note: Always use minimum number of instructions and minimum number of distinct registers

ADD R1, C, D $R1 \leftarrow M[C] + M[D]$

SUB R2, A, B $R2 \leftarrow M[A] - M[B]$

ADD R1, R2, R1 $R1 \leftarrow R2 + R1$

MUL R2, J, K $R2 \leftarrow M[J] * M[K]$

ADD R2, G, R2 $R2 \leftarrow M[G] + R2$

ADD R3, E, F $R3 \leftarrow M[E] + M[F]$

DIV R3, R3, R2 $R3 \leftarrow R1 / R2$

DIV X, R1, R3 $X \leftarrow R1 / R3$

Using Two-Address instructions

MOV R1, C $R1 \leftarrow M[C]$

ADD R1, D $R1 \leftarrow R1 + M[D]$

MOV R2, A $R2 \leftarrow M[A]$

SUB R2, B $R2 \leftarrow R2 - M[B]$

ADD R1, R2 $R1 \leftarrow R1 + R2$

MOV R2, J $R2 \leftarrow M[J]$

MUL	R_2, K	$R_2 \leftarrow R_2 * M[K]$
ADD	R_2, G	$R_2 \leftarrow R_2 + M[G]$
MOV	R_3, E	$R_3 \leftarrow M[E]$
ADD	R_3, F	$R_3 \leftarrow R_3 + M[F]$
DIV	R_3, R_2	$R_3 \leftarrow R_3 / R_2$
DIV	R_1, R_3	$R_1 \leftarrow R_1 / R_3$
MOV	X, R_1	$X \leftarrow R_1$

Using One-Address instructions.

LOAD J	$AC \leftarrow M[J]$	{ AC - Accumulator }
MUL K	$AC \leftarrow AC * M[K]$	
STORE T	$\cancel{M[T]} \leftarrow J * K$	
LOAD G	$AC \leftarrow M[G]$	
ADD T	$AC \leftarrow AC + M[T]$	
STORE T	$M[T] \leftarrow AC$	
LOAD E	$AC \leftarrow M[E]$	
ADD F	$AC \leftarrow AC + M[F]$	
DIV T	$AC \leftarrow AC / M[T]$	
STORE T	$M[T] \leftarrow AC$	
LOAD C	$AC \leftarrow M[C]$	
ADD D	$AC \leftarrow AC + M[D]$	
STORE G	$M[G] \leftarrow AC$	
LOAD A	$AC \leftarrow M[A]$	
SUB B	$AC \leftarrow AC - M[B]$	
ADD G	$AC \leftarrow AC + M[G]$	
DIV T	$AC \leftarrow AC / M[T]$	
STORE X	$M[X] \leftarrow AC$	

Zero-Address instructions :

For zero-Address instructions, First write the given arithmetic expression into postfix notation.

Here the arithmetic ~~notation~~ expression is

$$\frac{A-B+(C+D)}{E+F/G+(J*K)}$$

whose Postfix notation is

$$AB-CD++EF\text{ }G\text{ }/\text{ }+JK*\text{ }+\text{ }/$$

PUSH A TOS $\leftarrow A$

PUSH B TOS $\leftarrow B$

SUB TOS $\leftarrow A-B$

PUSH C TOS $\leftarrow C$

PUSH D TOS $\leftarrow D$

ADD TOS $\leftarrow C+D$

ADD TOS $\leftarrow A-B+(C+D)$

PUSH E TOS $\leftarrow E$

PUSH F TOS $\leftarrow F$

PUSH G TOS $\leftarrow G$

DIV TOS $\leftarrow F/G$

ADD TOS $\leftarrow E+F/G$

~~POP~~ PUSH J TOS $\leftarrow J$

PUSH K TOS $\leftarrow K$

MUL TOS $\leftarrow J*K$

ADD TOS $\leftarrow E+F/G+(J*K)$

DIV TOS $\leftarrow \frac{A-B+(C+D)}{E+F/G+(J*K)}$

POP X M[X] $\leftarrow TOS$

$\Theta =$ Multiply -9 and -13 using Booth's algorithm

Ans.

Here, Multiplicand (M) = $-9 = 10111$ (2's complement)

Multiplier (Q) = $-13 = 10011$ (2's complement)

Tracing Table

Note: $M = 10111$
 $-M = 01001 \rightarrow$ 2's complement

n	A	Q	V_o	operation
5	00000	10011	0	Initial $A \leftarrow A - M \Rightarrow A + (-M)$ 00000 01001 $\underline{01001}$
	01001	100.11	0	
	00100	11001	1	ashr (arithmetic shift right)
4	00010	01100	1	ashr
3				$A \leftarrow A + M \Rightarrow$ 00010 10111 $\underline{11001}$
	11001	01100	1	
	11100	10110	0	ashr
2	11110	01011	0	ashr
1	00111	01011	0	$A \leftarrow A - M \Rightarrow A + (-M)$ 11110 01001 $\underline{00111}$
	00011	10101	1	ashr

Final output = 0001110101

= +117 Ans.