

2333. Minimum Sum of Squared Difference

Description

You are given two positive **0-indexed** integer arrays `nums1` and `nums2`, both of length `n`.

The **sum of squared difference** of arrays `nums1` and `nums2` is defined as the **sum** of $(\text{nums1}[i] - \text{nums2}[i])^2$ for each $0 \leq i < n$.

You are also given two positive integers `k1` and `k2`. You can modify any of the elements of `nums1` by `+1` or `-1` at most `k1` times. Similarly, you can modify any of the elements of `nums2` by `+1` or `-1` at most `k2` times.

Return *the minimum sum of squared difference after modifying array `nums1` at most `k1` times and modifying array `nums2` at most `k2` times*.

Note : You are allowed to modify the array elements to become **negative** integers.

Example 1:

Input: `nums1 = [1,2,3,4]`, `nums2 = [2,10,20,19]`, `k1 = 0`, `k2 = 0`

Output: 579

Explanation: The elements in `nums1` and `nums2` cannot be modified because `k1 = 0` and `k2 = 0`.

The sum of square difference will be: $(1 - 2)^2 + (2 - 10)^2 + (3 - 20)^2 + (4 - 19)^2 = 579$.

Example 2:

Input: `nums1 = [1,4,10,12]`, `nums2 = [5,8,6,9]`, `k1 = 1`, `k2 = 1`

Output: 43

Explanation: One way to obtain the minimum sum of square difference is:

– Increase `nums1[0]` once.

– Increase `nums2[2]` once.

The minimum of the sum of square difference will be:

$(2 - 5)^2 + (4 - 8)^2 + (10 - 7)^2 + (12 - 9)^2 = 43$.

Note that, there are other ways to obtain the minimum of the sum of square difference, but there is no way to obtain a sum smaller than 43.

Constraints:

- `n == nums1.length == nums2.length`
- `1 <= n <= 10^5`
- `0 <= nums1[i], nums2[i] <= 10^5`
- `0 <= k1, k2 <= 10^9`

