1743. Restore the Array From Adjacent Pairs

### Medium Array Hash Table

itself, you do recall every pair of adjacent elements in nums. You are given a 2D integer array adjacentPairs with a size of n - 1. Each element adjacentPairs[i] =  $[u_i, v_i]$  indicates that the elements  $u_i$  and  $v_i$  are adjacent in the array nums. It is guaranteed that every adjacent pair of elements nums [i] and nums [i+1] will be represented in adjacentPairs, either as

In this problem, you have forgotten an integer array nums that consists of n unique elements. Despite not remembering the array

Leetcode Link

[nums[i], nums[i+1]] or [nums[i+1], nums[i]]. These pairs can be listed in any order. Your task is to reconstruct and return the original array nums. If there are several possible arrays that fit the adjacent pairs, returning any one of them is acceptable.

To restore the array, we need to recognize that the description constructs a path (like a one-dimensional graph) where each number

### except for the two endpoints has exactly two neighbors (think of nodes in a graph). The graph formed by adjacentPairs will have

elements (they have a degree of two). Identifying the unique starting or ending point allows us to sequentially rebuild the array from one end to the other. The solution approach begins by creating a graph representation where each element of adjacentPairs is a node and the adjacent elements are the connected edges. Once the graph is built, we look for a node with a degree of one, which we know will be one of the endpoints in our original array. After identifying an endpoint, we can begin traversing the graph to 'visit' each node exactly once. The traversal is done by always moving to the 'unvisited' neighbor of the current node, adding each visited node to our answer array,

ans. This process continues until the entire array is reconstructed, ensuring that all pairs are honored as they were in the original array. Solution Approach The Solution class in the provided Python code implements a function called restoreArray to solve the problem by reconstructing the original array from the given pairs of adjacent integers.

## for keys that have not been explicitly set. For each a, b pair in adjacentPairs, we add b as an adjacent node to a and vice versa.

g = defaultdict(list) for a, b in adjacentPairs: g[a].append(b) g[b].append(a)

integer that appears only once in the adjacency list (this has a graph degree of one) - meaning it's an endpoint.

where N is the number of elements in the original array.

1 for i, v in g.items(): if len(v) == 1: ans[0] = ians[1] = v[0]break 3. Reconstruct the Array: Once we have one endpoint, we initialize our answer array ans with the starting endpoint as the first element. We also know what follows it immediately given our graph.

From there, we traverse the graph to rebuild the original array. We iterate from the second to the last element of the ans array

v = g[ans[i - 1]]ans[i] = v[0] if v[1] == ans[i - 2] else v[1]4. Return the Result: After the loop completes, ans contains the reconstructed array following the original order.

guaranteed a valid path that visits each node exactly once. The time complexity is O(N) because we visit each vertex exactly once,

The nature of the problem aligns well with graph traversal algorithms – specifically, using a simple walk technique, as we are

adjacentPairs = [[4,3], [1,2], [3,1]]From these pairs, we need to reconstruct the original integer array nums. Here's how we would apply the solution approach: 1. Create a Graph Representation: First, we create a graph by adding each pair to our adjacency list, representing each number

To illustrate the solution approach, let's take a small example. Suppose we have the following pairs of adjacent elements from the

# 2 4: [3], 3 3: [4, 1], 4 1: [2, 3], 5 2: [1]

and our array now looks like:

1 from collections import defaultdict

def restoreArray(self, adjacentPairs):

graph[pair[0]].append(pair[1])

graph[pair[1]].append(pair[0])

array\_length = len(adjacentPairs) + 1

for node, neighbors in graph.items():

restored\_array[0] = node

restored\_array[1] = neighbors[0]

restored\_array = [0] \* array\_length

# (having only one adjacent node)

# Construct the rest of the array

# Return the reconstructed array

// Return the restored array

vector<int> restoreArray(vector<vector<int>>& adjacent\_pairs) {

int num\_elements = adjacent\_pairs.size() + 1;

unordered\_map<int, vector<int>> graph;

int a = edge[0], b = edge[1];

for (auto& edge : adjacent\_pairs) {

graph[a].push\_back(b);

graph[b].push\_back(a);

vector<int> answer(num\_elements);

// Create a graph represented as an adjacency list.

// Initialize the answer array with the given size.

// Find the starting element which is the one with only one neighbor.

// Calculate the number of elements in the original array.

return restoredArray;

break

return restored\_array

graph = defaultdict(list)

for pair in adjacentPairs:

class Solution:

1 ans =  $[4, 3, 1, _]$ 

1 ans = [4, 3, 1, 2]

Example Walkthrough

Assume we pick 4 as the starting point. Our answer array ans tentatively starts with:

2. Identify an Endpoint: We look for an integer that appears only once in the adjacency list, as this will be an endpoint. In our

Since 4 is connected to 3, the next element is 3:

3. Reconstruct the Array: From 3, we look at its neighbors, which are 4 (which we've just visited) and 1. So the next element is 1,

Continuing this, the next number we add is the neighbor of 1 which isn't 3 (since we've already been there). That's 2, resulting in:

The array is now fully reconstructed.

graph, both 4 and 2 appear only once, so either can be chosen as the starting endpoint.

representation simplifies the problem, making it more approachable and easier to solve efficiently. Python Solution

# Create a graph using a dictionary where each key has an associated list of its adjacent nodes

# Since it's an undirected graph, add each node to the list of its neighboring node

# The original array would have a length of one more than the number of adjacent pairs

if len(neighbors) == 1: # Endpoints will only have one neighbor

# Find the first and the second elements of the array, which are the endpoints of the path

for i in range(2, array\_length): # Find the next adjacent node that is not the previous element in the array current\_neighbors = graph[restored\_array[i - 1]] # If the current node has only one neighbor, it must be the next element; otherwise # it is the one that is not the previously used element

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                restored_array[i] = current_neighbors[0] if current_neighbors[1] == restored_array[i - 2] else current_neighbors[1]
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1 // Solution class to restore the array from its adjacent pairs
  class Solution {
       // Method to restore array using adjacent pairs
       public int[] restoreArray(int[][] adjacentPairs) {
           // Calculate the total number of unique elements
           int n = adjacentPairs.length + 1;
           // Create a graph using a Map to store element and its adjacent elements
           Map<Integer, List<Integer>> graph = new HashMap<>();
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           // Iterate over each adjacent pair
           for (int[] edge : adjacentPairs) {
               // Unpack the pair
               int a = edge[0], b = edge[1];
               // Build the adjacency list for each element in the pair
               graph.computeIfAbsent(a, k -> new ArrayList<>()).add(b);
               graph.computeIfAbsent(b, k -> new ArrayList<>()).add(a);
           // Initialize the array to hold the restored sequence
           int[] restoredArray = new int[n];
           // Find the first element (head of array) which will be an element with only one neighbor
           for (Map.Entry<Integer, List<Integer>> entry : graph.entrySet()) {
               if (entry.getValue().size() == 1) {
                   // Found the first element, which is the head of our restored array
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                   restoredArray[0] = entry.getKey();
                   // The only neighbor is the second element
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                   restoredArray[1] = entry.getValue().get(0);
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                   break;
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           // Reconstruct the array starting from index 2
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           for (int i = 2; i < n; ++i) {
               // Get the neighbors of the last added element in restoredArray
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               List<Integer> neighbors = graph.get(restoredArray[i - 1]);
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               // Check the two neighbors to determine which is the next element in sequence
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// If one neighbor is the same as the previous element in restoredArray, choose the other one

restoredArray[i] = neighbors.get(0) == restoredArray[i - 2] ? neighbors.get(1) : neighbors.get(0);

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           for (auto& pair : graph) {
               if (pair.second.size() == 1) {
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                   answer[0] = pair.first;
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                   answer[1] = pair.second[0];
                   break;
           // Iterate over each element in the answer to find the next element.
           for (int i = 2; i < num_elements; ++i) {</pre>
               // Access the neighbors of the last added element.
               auto neighbors = graph[answer[i - 1]];
               // The next element is the one which is not the previously added element.
               answer[i] = neighbors[0] == answer[i - 2] ? neighbors[1] : neighbors[0];
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           // Return the restored original array.
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           return answer;
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  };
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Typescript Solution
    type AdjacencyList = Map<number, number[]>;
    // Restore the array from the given adjacency pairs
     function restoreArray(adjacentPairs: number[][]): number[] {
       // Calculate the number of elements in the original array
       const numElements: number = adjacentPairs.length + 1;
       // Create a graph represented as an adjacency list
       const graph: AdjacencyList = new Map<number, number[]>();
       for (const [a, b] of adjacentPairs) {
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         if (!graph.has(a)) graph.set(a, []);
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         if (!graph.has(b)) graph.set(b, []);
         graph.get(a)!.push(b);
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         graph.get(b)!.push(a);
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       // Initialize the answer array with the given size
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       const answer: number[] = new Array(numElements);
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       // Find the starting element which is the one with only one neighbor
       for (const [key, neighbors] of graph) {
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        if (neighbors.length === 1) {
           answer[0] = key;
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           answer[1] = neighbors[0];
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```

## **Time Complexity** The time complexity of the given code can be analyzed as follows:

• Finding the starting node (where the degree is 1) has a maximum complexity of O(n) where n is the number of unique nodes. This is because in the worst case, we have to check every entry in the dictionary.

// Iterate over each element in the answer to find the next element

// The next element is the one which is not the previously added element

answer[i] = neighbors[0] === answer[i - 2] ? neighbors[1] : neighbors[0];

console.log(restoredArray); // Output will be the restored array based on the given adjacent pairs

for (let i = 2; i < numElements; ++i) {</pre>

// Return the restored original array

Time and Space Complexity

operations in the dictionary.

const adjacentPairs = [[2, 1], [3, 4], [3, 2]];

const restoredArray = restoreArray(adjacentPairs);

// Access the neighbors of the last added element

const neighbors = graph.get(answer[i - 1])!;

- Reconstructing the array ans requires us to iterate n 2 times (since the first two elements are already filled), and in each iteration, we find the next node in 0(1) time (since we're dealing with at most two elements in a list, and we know one of them is
- the previous node). So, the complexity for this part is O(n). Overall, the time complexity is  $0(m + n + n) \Rightarrow 0(m + 2n)$ . Since m = n - 1, we simplify the time complexity to 0(n).

Building the graph g has a complexity of O(m), where m is the number of adjacent pairs. Every adjacent pair requires two insert

Space Complexity

the space needed for g is O(2m). The ans array will contain n elements, so it requires O(n) space.

Hence, both time and space complexities of the given code are O(n).

# Intuition

Problem Description

nodes with the following properties: the starting and ending elements (the ones found at the beginning and end of the array nums) will have only one adjacent element in adjacentPairs (they have a degree of one), while all other elements will have two adjacent

Here's a step-by-step walkthrough of the solution approach: 1. Create a Graph Representation: To keep track of the adjacent nodes (the integers that can come before or after a given integer in the array), we use a defaultdict of lists, named g. A defaultdict is used here because it conveniently allows appending to lists

2. Identify an Endpoint: Since we know the original array has unique elements with exactly two endpoints, we start by finding an

and at each step, pull the adjacent vertices from our graph. Since each element has two neighboring elements (except the endpoints), we can easily determine the next element in the array by checking which of the two vertices is not the one we've just visited (i.e., not the second-to-last element in ans). 1 n = len(adjacentPairs) + 1 2 ans = [0] \* n3 # ... previous endpoint identification code ... 4 for i in range(2, n):

problem statement: and its corresponding adjacent numbers. We get the following graph:

1 ans = [4, \_] 1 ans =  $[4, 3, _]$ 

4. Return the Result: Finally, the reconstructed array ans = [4, 3, 1, 2] is the original array, considering the given adjacentPairs. Therefore, the result of the restoreArray function with the given input would be [4, 3, 1, 2]. In this example, the algorithm successfully reconstructs the original array from the pairs of adjacent elements. The use of graph

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C++ Solution 1 #include <vector> 2 #include <unordered\_map> using namespace std; class Solution { public:

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break;

return answer;

// Example usage:

The space complexity of the given code can be analyzed as follows: The graph g will contain each unique node and its adjacent nodes. Since each edge contributes to two nodes' adjacency lists,

Together, the space complexity for storing the graph and the array amounts to 0(2m + n). Since m = n - 1, we can simplify the space complexity to O(n).