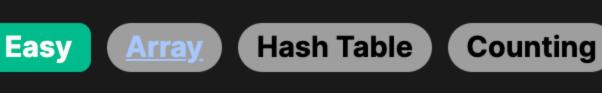
# 3005. Count Elements With Maximum Frequency



## **Problem Description**

"maximum frequency". The frequency of an element is defined by how many times that element appears within the array. In simpler terms, we must: 1. Count how many times each unique element appears in the given array.

In this problem, we are given an array of positive integers, and we need to find the "total frequencies" of the elements having the

2. Identify the highest frequency - that is, the maximum number of times any element is repeated in the array.

- 3. Add up the frequencies of all the elements that are repeated as many times as the maximum frequency.
- 4. Return this sum as our answer.
- This is a problem of calculating occurrences and then working with those counts to determine which numbers are the most common and to what extent.

## The intuition behind the solution is based on two steps: counting and comparison. The approach goes as follows:

element appears in the array. In Python, this can be efficiently done using the Counter class from the collections module.

Identify and sum the maximum frequencies: Once we have the counts, we look through them to find the maximum frequency value. With that value in hand, we can then sum up the occurrences of all elements that have this maximum frequency.

Count each element's occurrences: We can use a data structure, like a hash table, to keep track of how many times each

Solution Approach

The solution makes use of a counting approach, which is both intuitive and efficient for this type of problem. It leverages the

#### following algorithms, data structures, and patterns: Hash Table (Counter from Python's collections module): This data structure is ideal for counting instances of elements

Implementation snippet:

because it provides constant-time lookups and insertions (0(1)). We use Counter to create a hash table where keys are the elements of **nums** and values are their corresponding frequencies.

cnt = Counter(nums) Finding Maximum Value: After counting, we need to find the maximum frequency. We can achieve this by utilizing the built-in

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max function to traverse the values in the counter and find the highest count.
Implementation snippet:
```

mx = max(cnt.values())

Summing Specific Frequencies: Lastly, we need to return the sum of the frequencies of the elements that are exactly equal

to the maximum frequency found. We achieve this by using a generator expression that iterates over the values of our

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counter and sums up those that equal mx.
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Implementation snippet:

return sum(x for x in cnt.values() if x == mx)

```
By combining these steps, the solution is able to find the "total frequency" of the maximum frequency elements in nums. The
Counter simplifies the counting process, max helps us quickly find the highest frequency, and the generator expression is a
Pythonic way to compute the conditional sum we're interested in.
```

This is a direct approach working well for the problem due to its simplicity and the efficiency of counting and hash table

**Example Walkthrough** Let's go through an example to illustrate the solution approach described above. Suppose we have the following array of integers:

# cnt = Counter(nums) # cnt will be Counter( $\{2: 2, 3: 2, 5: 1\}$ )

frequency, which is 2.

**Python** 

operations in Python.

nums = [2, 3, 3, 2, 5]

'5' appears 1 time.

In this step, the Counter object cnt gives us {2: 2, 3: 2, 5: 1} which shows that '2' appears 2 times, '3' appears 2 times, and

Next, we need to identify the maximum frequency from the Counter object. In this case, both 2 and 3 have the same highest

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mx = max(cnt.values()) # mx will be 2
```

elements 2 and 3 both occur twice, we sum these frequencies: return sum(x for x in cnt.values() if x == mx) # returns 2 + 2 = 4

The generator expression iterates over the values 2, 2, 1 in the cnt, but only sums those equal to mx (which is 2), resulting in 2

Our final result for the nums array using the steps described in the solution approach is 4. This demonstrates the correctness and

Finally, we sum the frequencies of all elements that have this maximum frequency. Since the maximum frequency is 2, and

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efficiency of the described approach in finding the sum of the frequencies of the elements with the maximum frequency in the
array.
```

# Count the frequency of each element in the nums list using Counter

# print(result) # Output: 3, since '3' appears 3 times, which is the max frequency

int maxFrequency = -1; // Store the current maximum frequency found

int maxFrequency = 0: // Variable to hold the maximum frequency

// Iterate over the frequency array to find the maximum frequency

// If current frequency matches max, accumulate the result

// New maximum found, update max variables

} else if (max0ccurringElementCount == freq) {

// Return the maximum frequency of any element in nums

if (max0ccurringElementCount < freq) {</pre>

maxFrequency = freq;

maxFrequency += freq;

max0ccurringElementCount = freq;

int max0ccurringElementCount = -1; // Helps in tracking the largest count found so far

int totalMaxFrequency = 0; // This will hold the sum of the maximum frequencies

// Count the frequency of each number in the given array

+ 2, and thus the total frequency sum we return is 4.

def maxFrequencyElements(self, nums: List[int]) -> int:

return max\_frequency\_elements\_count

# result = solution.maxFrequencyElements([1, 2, 2, 3, 3, 3])

Here, mx is the variable holding the maximum frequency, which equals 2.

First, we shall count each element's occurrences using the Counter class.

Solution Implementation

frequency\_counter = Counter(nums) # Find the maximum frequency among all elements max\_frequency = max(frequency\_counter.values()) # Calculate the sum of elements that have the maximum frequency # This is the count of elements that appear the most frequently in the list

max\_frequency\_elements\_count = sum(frequency for frequency in frequency\_counter.values() if frequency == max\_frequency)

int[] frequency = new int[101]; // Array to store the frequency of elements, assuming the values range between 0 and 100

#### Java class Solution { public int maxFrequencyElements(int[] nums) {

for (int num : nums) {

++frequency[num];

for (int freq : counts) {

return maxFrequency;

from collections import Counter

from typing import List

class Solution:

# Example usage:

# solution = Solution()

```
// Iterate over the frequency array to find the highest frequency count(s)
        for (int freq : frequency)
            if (maxFrequency < freq) { // Found a new maximum frequency</pre>
               maxFrequency = freq: // Update the maximum frequency
                totalMaxFrequency = freq; // Reset the total to the current max frequency
            \} else if (maxFrequency == freq) { // Found another frequency count that matches the maximum
                totalMaxFrequency += freq; // Add to the total the frequency of this value
        return totalMaxFrequency; // Return the sum of the highest frequencies
#include <vector>
class Solution {
public:
   // Function to find the maximum frequency of elements in the given vector
   int maxFrequencyElements(vector<int>& nums) {
        int counts[101] = {0}: // Initialize array to store frequencies of elements, assuming elements range from 0 to 100
       // Count frequency of each element in nums
        for (int num : nums) {
           ++counts[num];
```

**}**;

**TypeScript** 

```
// Function to find the maximum frequency of elements in an array.
// The input is limited to integers between 0 and 100 inclusive.
function maxFrequencyElements(nums: number[]): number {
   // Initialize an array to hold counts for each possible number from 0 to 100.
   const counts: number[] = new Array(101).fill(0);
   // Populate the counts array with the frequency of each number.
   for (const num of nums) {
       ++counts[num];
   // Initialize variables to store the maximum frequency found and
   // the sum of frequencies that are equal to the maximum.
   let maxFrequencvSum = 0:
   let currentMaxFrequency = -1;
   // Iterate through the counts array to find the maximum frequency.
   for (const frequency of counts) {
        if (currentMaxFrequency < frequency) {</pre>
           // If the current frequency is higher than the previous maximum,
            // update the maximum frequency and reset the sum.
            currentMaxFrequency = frequency;
           maxFrequencySum = frequency;
        } else if (currentMaxFrequency === frequency) {
           // If the current frequency matches the maximum frequency,
            // add it to the sum.
           maxFrequencySum += frequency;
   // Return the sum of frequencies that are equal to the maximum frequency found.
   return maxFrequencySum;
from collections import Counter
from typing import List
```

max\_frequency\_elements\_count = sum(frequency for frequency in frequency\_counter.values() if frequency == max\_frequency)

```
Time Complexity
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Time and Space Complexity

def maxFrequencyElements(self, nums: List[int]) -> int:

# Find the maximum frequency among all elements

max\_frequency = max(frequency\_counter.values())

# result = solution.maxFrequencyElements([1, 2, 2, 3, 3, 3])

frequency\_counter = Counter(nums)

return max\_frequency\_elements\_count

operations, the total time complexity is O(n).

The space complexity is determined by:

# Count the frequency of each element in the nums list using Counter

# This is the count of elements that appear the most frequently in the list

# Calculate the sum of elements that have the maximum frequency

# print(result) # Output: 3, since '3' appears 3 times, which is the max frequency

### Constructing the counter cnt from the list nums via Counter(nums), which requires iterating through all the elements in nums. The time complexity for building the counter is O(n), where n is the length of the list nums.

**Space Complexity** 

class Solution:

# Example usage:

# solution = Solution()

this maximum frequency sum(x for x in cnt.values() if x == mx). The time to find max(cnt.values()) is O(k), where k is the number of unique elements in <a href="nums">nums</a>. The summing part involves going through these values at most once, which is

The time complexity of the given code can primarily be broken down into two segments:

again O(k). Since  $k \ll n$ , both steps are bounded by O(n) complexity. Therefore, when considering the combined time complexity of these

Finding the maximum frequency with max(cnt.values()) and then summing up instances where the frequency is equal to

- The space required to store the cnt counter, which can contain at most n unique elements if all elements of nums are unique. Thus, the space complexity due to the counter is O(n).
- The space required for variable mx is constant, O(1). Given that O(n) + O(1) simplifies to O(n), the overall space complexity of the code is O(n).