61. Rotate List Medium Linked List Two Pointers **Leetcode Link**

The problem presents a singly linked list and an integer k. The task is to move the last k nodes of the list to the front, essentially

Problem Description

n moves. If a list is empty or has a single node, it remains unchanged after rotation. Intuition

rotating the list to the right by k places. If the list has n nodes and k is greater than n, the rotation should be effective after k modulo

To address this problem, we can follow a series of logical steps:

by its length n, or multiples of n, results in the same list. 2. Since rotating by k places where k is greater than the length of the list (let's call it n) is the same as rotating by k modulo n

3. Identify the k-th node from the end (or (n - k)-th from the beginning after adjusting k) which after rotation will become the

1. Determine the length of the list. This helps to understand how many rotations actually need to be performed since rotating a list

new head of the list. We use two pointers, fast and slow. We initially set both to the head of the list and move fast k steps forward.

places, we calculate k = n. This simplifies the problem by ensuring that we don't perform unnecessary rotations.

- 4. We then advance both fast and slow pointers until fast reaches the end of the list. At this point, slow will be pointing to the node right before the k-th node from the end.
- 5. We update the pointers such that fast's next points to the old head, making the old tail the new neighbor of the old head. The slow's next becomes the new head of the rotated list, and we also need to set slow's next to None to indicate the new end of the list.
- Following this approach leads us to the rotated list which is required by the problem.
- 1. Check for Edge Cases: If the head of the list is None or if there is only one node (head.next is None), there is nothing to rotate, so we simply return the head.

using a while loop that continues until the current node (cur) is None.

8. Perform the Rotation:

Example Walkthrough

Solution Approach

the rotation. Here is the step-by-step walk-through:

help us find the new head after the rotations.

3. Adjust k by Modulo: Since rotating the list n times results in the same list, we can reduce k by taking k modulo n (k %= n). This simplifies the number of rotations needed to the minimum effective amount.

2. Calculate the Length (n): We traverse the entire list to count the number of nodes, storing this count in n. This traversal is done

The implementation of the solution uses the two-pointer technique along with an understanding of linked list traversal to achieve

4. Early Exit for k = 0: If k becomes 0 after the modulo operation, this means the list should not be rotated as it would remain the same. Thus, we can return the head without any modifications.

5. Initialize Two Pointers: Start with two pointers, fast and slow, both referencing the head of the list. These pointers are going to

7. Move Both Pointers Until Fast Reaches the End: Now, move both fast and slow pointers simultaneously one step at a time until fast is at the last node of the list. Due to the initial k steps taken, slow will now be pointing to the (n-k-1)-th node or the one right before the new head of the rotated list.

6. Move Fast Pointer: Forward the fast pointer by k steps. Doing this will place fast exactly k nodes ahead of slow in the list.

• The node following slow (slow.next) is the new head of the rotated list (ans). To complete the rotation, we set the next node of the current last node (fast.next) to the old head (head).

By following the above steps, we have rotated the list to the right by k places effectively and efficiently. As a result, the ans pointer,

To mark the new end of the list, we assign None to the next of slow (slow.next = None).

1. Check for Edge Cases: The list is not empty and has more than one node, so we can proceed.

now referring to the new head of the list, is then returned as the final rotated list.

2. Calculate the Length (n): By traversing the list, we determine the length n = 5.

• The node after slow (slow.next), which is 4, will become the new head.

def rotateRight(self, head: Optional[ListNode], k: int) -> Optional[ListNode]:

Use two pointers, fast and slow. Start both at the beginning of the list

Move both pointers at the same speed until fast reaches the end of the list

At this point, slow is at the node before the new head after rotation

slow.next = None # The next pointer of the new tail should point to None

fast.next = head # The next pointer of the old tail should point to the old head

We can now adjust the pointers to complete the rotation

return new_head # Return the new head of the list

Note: The Optional[ListNode] type hint should be imported from typing

If the list is empty or has just one element, no rotation is needed

3. Adjust k by Modulo: Since k = 2 is not greater than n, k % n is still k. Thus, k remains 2.

- Let's illustrate the solution approach with a small example: Suppose we have a linked list $[1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 5]$ and we are given k = 2.
- 4. Early Exit for k = 0: k is not 0, so we do need to perform a rotation. 5. Initialize Two Pointers: We set both fast and slow to the head of the list. Currently, fast and slow are pointing to 1.

8. Perform the Rotation:

7. Move Both Pointers Until Fast Reaches the End: We advance both pointers until fast is at the last node: Move slow to 2 and fast to 4.

Now fast is at 5, the end of the list, and slow is at 3.

Move slow to 3 and fast to 5.

• We set fast.next (which is 5.next) to the old head (1), forming a connection from 5 to 1. • We update slow.next to None to indicate the new end of the list.

6. Move Fast Pointer: We advance fast by k steps: from 1 to 2, then 2 to 3. Now, fast is pointing to 3, and slow is still at 1.

front of the list.

By returning the new head (4 in this case), we conclude the rotation process and the modified list is correctly rotated by k places.

After performing rotation, the list now becomes $[4 \rightarrow 5 \rightarrow 1 \rightarrow 2 \rightarrow 3]$ because the last two nodes (4 and 5) have been moved to the

self.val = val self.next = next

1 # Definition for singly-linked list.

return head

length += 1

return head

fast = slow = head

for _ in range(k):

while fast.next:

new_head = slow.next

fast = fast.next

while current:

current, length = head, 0

def __init__(self, val=0, next=None):

if head is None or head.next is None:

Move the fast pointer k steps ahead

fast, slow = fast.next, slow.next

44 # if you want to use it for type checking in Python 3.

ListNode newHead = slow.next;

// Return the new head of the rotated list

slow.next = null;

fast.next = head;

return newHead;

* Definition for singly-linked list.

ListNode() : val(0), next(nullptr) {}

ListNode(int x) : val(x), next(nullptr) {}

ListNode* rotateRight(ListNode* head, int k) {

// find the length of the linked list

current = current->next;

if (!head || !head->next) {

ListNode* current = head;

return head;

int length = 0;

k %= length;

if (k == 0) {

while (k--) {

return head;

ListNode* fast = head;

ListNode* slow = head;

while (fast->next) {

return newHead;

// Definition for singly-linked list.

next: ListNode | null;

this.val = val;

this.next = next;

* Rotates the list to the right by k places.

Typescript Solution

class ListNode {

val: number;

fast = fast->next;

fast = fast->next;

slow = slow->next;

// Move fast pointer k steps ahead

// Return the new head of the rotated list

constructor(val: number = 0, next: ListNode | null = null) {

* @param {ListNode | null} head - The head of the linked list.

* @return {ListNode | null} - The head of the rotated linked list.

* @param {number} k - Number of places to rotate the list.

while (current) {

++length;

ListNode(int x, ListNode *next) : val(x), next(next) {}

// Normalize k to prevent unnecessary rotations if k >= length

// Set two pointers, fast and slow initially at head

Otherwise, you can omit it from the function signatures.

Count the number of elements in the linked list

Python Solution

class ListNode:

class Solution:

- 17 current = current.next 18 # Compute the actual number of rotations needed as k could be larger than the length of the list 19 k %= length 20 21 if k == 0: # If no rotation is needed
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* };

public:

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C++ Solution

* struct ListNode {

int val;

class Solution {

ListNode *next;

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Java Solution
   // Definition for singly-linked list.
   class ListNode {
       int val;
       ListNode next;
       ListNode() {}
       ListNode(int val) { this.val = val; }
       ListNode(int val, ListNode next) { this.val = val; this.next = next; }
8 }
   class Solution {
       public ListNode rotateRight(ListNode head, int k) {
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           // If the list is empty or has one node, no rotation needed
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           if (head == null || head.next == null) {
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               return head;
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           // Find the length of the linked list
           ListNode current = head;
           int length = 0;
19
           while (current != null) {
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                length++;
22
               current = current.next;
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           // Normalize k in case it's larger than the list's length
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           k %= length;
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           // If k is 0, the list remains unchanged
29
           if (k == 0) {
30
               return head;
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           // Use two pointers: 'fast' will lead 'slow' by 'k' nodes
34
           ListNode fast = head;
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           ListNode slow = head;
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           while (k > 0) {
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               fast = fast.next;
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               k--;
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           // Move both at the same pace. When 'fast' reaches the end, 'slow' will be at the k-th node from the end
41
           while (fast.next != null) {
42
               fast = fast.next;
43
               slow = slow.next;
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           // 'slow' is now at the node after which the rotation will occur
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// Break the list at the node 'slow' and make 'fast' point to the original head to rotate

// If the head is null or there is only one node, return the head as rotation isn't needed

// If k is 0 after modulo operation, no rotation is needed; return the original head

// Move both slow and fast pointers until fast reaches the end of the list

fast->next = head; // Connect the original end of the list to the original head

48 49 50 // The slow pointer now points to the node just before rotation point 51 // The fast pointer points to the last node of the list 52 ListNode* newHead = slow->next; // This will be the new head after rotation 53 slow->next = nullptr; // Break the chain to form a new end of the list

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    */
   function rotateRight(head: ListNode | null, k: number): ListNode | null {
       // If the head is null or there is only one node, return the head as no rotation is needed.
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       if (!head || !head.next) {
20
           return head;
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23
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       // Find the length of the linked list.
25
       let current: ListNode | null = head;
       let length: number = 0;
26
27
       while (current) {
28
            length++;
29
           current = current.next;
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       // Normalize k to prevent unnecessary rotations if k is greater than or equal to length.
       k %= length;
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       // If k is 0 after the modulo operation, no rotation is needed; return the original head.
35
       if (k === 0) {
36
37
           return head;
38
39
       // Set two pointers, fast and slow, initially at the head.
40
       let fast: ListNode = head;
41
       let slow: ListNode = head;
42
43
44
       // Move the fast pointer k steps ahead.
       while (k > 0) {
45
46
            fast = fast.next!;
47
           k--;
48
49
       // Move both slow and fast pointers until the fast reaches the end of the list.
50
       while (fast.next) {
           fast = fast.next;
53
           slow = slow.next!;
54
55
56
       // The slow pointer now points to the node just before the rotation point.
       // The fast pointer points to the last node in the list.
       let newHead = slow.next; // This will be the new head after rotation.
       slow.next = null; // Break the chain to form a new end of the list.
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       fast.next = head; // Connect the original end of the list to the original head.
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       // Return the new head of the rotated list.
62
       return newHead;
64 }
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Time and Space Complexity
Time Complexity
The time complexity of the given Python code can be broken down into the following steps:
  1. Iterate through the linked list to find out the length n: This process takes O(n) time as it goes through all elements of the linked
    list exactly once.
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3. Moving the fast pointer k steps ahead: This again takes O(k) time, but since k in this case is always less than n after the modulo operation, we can say this operation takes at most O(n) time.

Space Complexity

4. Moving both fast and slow pointers to find the new head of the rotated list: This has to traverse the remainder of the list, which takes at most 0(n-k) time. However, in worst-case scenarios where k is 0, this would result in 0(n) time. Since the previous steps ensure that k < n, the combined operations will still be O(n).

- 5. Re-link the end of the list to the previous head and set the next of the new tail to None: These operations are done in constant time, 0(1). In all, considering that O(n) is the dominating factor, the overall time complexity of the code is O(n).
- The space complexity of the code can also be analyzed: 1. The given algorithm only uses a fixed amount of extra space for variables cur, n, fast, and slow, regardless of the size of the input linked list.

2. No additional data structures are used that depend on the size of the input.

2. Calculate k = n: This calculation is done in constant time, 0(1).

3. All pointer moves and assignments are done in-place. Hence, the space complexity is 0(1), which means it requires constant extra space.