2092. Find All People With Secret

Description

You are given an integer [n] indicating there are [n] people numbered from [0] to [n-1]. You are also given a [0]-indexed 2D integer array meetings where [n] indicates that person [x] and person [y] have a meeting at [x] time [x]. A person may attend [x] meetings at the same time. Finally, you are given an integer [x] firstPerson.

Person 0 has a **secret** and initially shares the secret with a person firstPerson at time 0. This secret is then shared every time a meeting takes place with a person that has the secret. More formally, for every meeting, if a person x_i has the secret at $time_i$, then they will share the secret with person y_i , and vice versa.

The secrets are shared instantaneously. That is, a person may receive the secret and share it with people in other meetings within the same time frame.

Return a list of all the people that have the secret after all the meetings have taken place. You may return the answer in any order.

Example 1:

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Input: n = 6, meetings = [[1,2,5],[2,3,8],[1,5,10]], firstPerson = 1
Output: [0,1,2,3,5]
Explanation:
At time 0, person 0 shares the secret with person 1.
At time 5, person 1 shares the secret with person 2.
At time 8, person 2 shares the secret with person 3.
At time 10, person 1 shares the secret with person 5.
Thus, people 0, 1, 2, 3, and 5 know the secret after all the meetings.
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Example 2:

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Input: n = 4, meetings = [[3,1,3],[1,2,2],[0,3,3]], firstPerson = 3
Output: [0,1,3]
Explanation:
At time 0, person 0 shares the secret with person 3.
At time 2, neither person 1 nor person 2 know the secret.
At time 3, person 3 shares the secret with person 0 and person 1.
Thus, people 0, 1, and 3 know the secret after all the meetings.
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Example 3:

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Input: n = 5, meetings = [[3,4,2],[1,2,1],[2,3,1]], firstPerson = 1
Output: [0,1,2,3,4]
Explanation:
At time 0, person 0 shares the secret with person 1.
At time 1, person 1 shares the secret with person 2, and person 2 shares the secret with person 3.
Note that person 2 can share the secret at the same time as receiving it.
At time 2, person 3 shares the secret with person 4.
Thus, people 0, 1, 2, 3, and 4 know the secret after all the meetings.
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Constraints:

- $2 <= n <= 10^5$
- 1 <= meetings.length <= 10 ⁵
- meetings[i].length == 3
- $\emptyset \ll x_i, y_i \ll n 1$
- x i != y i
- 1 <= time $_{i}$ <= 10 5
- 1 <= firstPerson <= n 1