1577. Number of Ways Where Square of Number Is Equal to Product of Two Numbers

Description

Given two arrays of integers nums1 and nums2, return the number of triplets formed (type 1 and type 2) under the following rules:

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• Type 1: Triplet (i, j, k) if \begin{bmatrix} nums1[i]^2 == nums2[j] * nums2[k] \end{bmatrix} where \begin{bmatrix} 0 <= i < nums1.length \end{bmatrix} and \begin{bmatrix} 0 <= j < k < nums2.length \end{bmatrix}.
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• Type 2: Triplet (i, j, k) if $[nums2[i]^2 == nums1[j] * nums1[k]$ where [0 <= i < nums2.length] and [0 <= j < k < nums1.length] .

Example 1:

```
Input: nums1 = [7,4], nums2 = [5,2,8,9]
Output: 1
Explanation: Type 1: (1, 1, 2), nums1[1]^2 = nums2[1] * nums2[2]. (4^2 = 2 * 8).
```

Example 2:

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Input: nums1 = [1,1], nums2 = [1,1,1]
Output: 9
Explanation: All Triplets are valid, because 1^2 = 1 * 1.
Type 1: (0,0,1), (0,0,2), (0,1,2), (1,0,1), (1,0,2), (1,1,2). nums1[i] ^2 = nums2[j] * nums2[k].
Type 2: (0,0,1), (1,0,1), (2,0,1). nums2[i] ^2 = nums1[j] * nums1[k].
```

Example 3:

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Input: nums1 = [7,7,8,3], nums2 = [1,2,9,7]
Output: 2
Explanation: There are 2 valid triplets.
Type 1: (3,0,2). nums1[3] <sup>2</sup> = nums2[0] * nums2[2].
Type 2: (3,0,1). nums2[3] <sup>2</sup> = nums1[0] * nums1[1].
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Constraints:

- 1 <= nums1.length, nums2.length <= 1000
- 1 <= nums1[i], nums2[i] <= 10 ⁵