1028. Recover a Tree From Preorder Traversal String Tree **Depth-First Search** Hard **Binary Tree** 

### **Leetcode Link**

## **Problem Description**

The task is to reconstruct a binary tree given the preorder traversal string where each node in the string is represented by a number of dashes equivalent to the node's depth in the tree followed immediately by the node's value. In the provided string, the depth of the root node is 0, meaning it starts with no dashes, and successive nodes have increasing numbers of dashes depending on their depth. Importantly, if a node has only one child, that child is always the left child.

Intuition

In the solution, a stack data structure is used to keep track of the nodes and their respective depths, leveraging the Last In, First Out (LIFO) property to manage the tree's structure as we iterate through the input string. We parse the string character by character, counting dashes to determine the depth of the next node and concatenating numbers to form the value of each node. Whenever we reach the end of a number (indicated by the next character being a dash or end of string), a new tree node is created.

The node's position in the tree is determined by comparing its depth with the size of the stack (which represents the current path

down the tree). If the current depth is less than the size of the stack, we pop from the stack until the top of the stack is the parent of

the new node, ensuring proper node placement according to the preorder sequence. If the stack is not empty, we link the new node as either the left or right child of the current top node on the stack, depending on the left child's presence. Then, we push the new node onto the stack, which allows us to pop back to it when its children are processed, ensuring the tree structure is correctly maintained. Finally, after processing the entire string, the stack's top holds the root of the rebuilt binary tree, which is returned. **Solution Approach** The solution approach uses a stack to retrace the steps of the preorder depth-first traversal that created the given string. Here's a

#### on the depth-first nature of the traversal. Additionally, define the variables depth and num to store the current depth and the value of the node being processed, respectively.

step-by-step walk-through of the algorithm:

Create a new tree node newNode with the value num.

through the tree and ensures proper parent-child relationships.

Let's use a small example to illustrate the solution approach.

2. Iterate through each character i in the given string S. If the current character is a dash '-', increment the depth counter depth. If the current character is a digit, update the node value num by shifting the existing digits to the left (multiplying by 10) and adding

1. Initialize an empty stack st to keep track of the nodes as they are created, representing the current path through the tree based

- the current digit's value. 3. If the end of the node's value string is reached (either the end of 5 is reached or the next character is a dash), a node needs to be created with the accumulated num value. This is done as follows:
- that the top of the stack is the parent node of newNode. If the stack is not empty, attach newNode as a left child if the top node's left child is nullptr, otherwise as a right child. This aligns with the rule that singly childed nodes are left children.

Modify the stack to correspond to the proper depth by popping nodes until st.size() equals the current depth. This ensures

• Push newNode onto the stack. This node will become a parent to subsequent nodes in the traversal or will be popped if we backtrack to a lesser depth.

4. After processing all characters, pop all remaining nodes from the stack until it's empty. The last node popped is the root node of

the tree (res), which is the correct return for a successful reconstruction of the tree according to the preorder traversal string.

5. Return the root node res. This algorithm relies on understanding how preorder traversal works and simulating this process in reverse. This stack-based

approach correctly aligns with the preorder traversal's property that parents are visited before their children, and it handles single-

child subtrees by design, as the left child rule is directly enforced by the algorithm. The use of the stack allows us to track the path

**Example Walkthrough** 

Suppose we are given the following preorder traversal string of a binary tree: "1-2--3--4-5--6--7". We need to reconstruct the

corresponding binary tree from this string.

node 2 (since the left child is already present). Push node 4 onto the stack.

pushing node 7 onto the stack, we finish processing the string.

stack. Attach node 2 as a left child of node 1 and push node 2 onto the stack. 4. The following four characters indicate a node with value 3 and a depth of 2. We pop node 2 off the stack since its depth is more than 1, and add node 3 as the left child of the new top of the stack, which is node 2. Push node 3 onto the stack. 5. Similarly, for the next node with a depth of 2 and value 4, we pop node 3 off the stack and attach node 4 as the right child of

2. Begin with the first character in the string, which has no dashes in front, so it represents the root node with the value 1. Create

3. Move on to the next character. We encounter a single dash and then the value 2. Since the depth indicated by dashes is 1, we

create the node with the value 2, and since the stack's current depth is also 1, this node is a left child of the top node on the

#### 6. Proceed with characters '-5--6--7'. We encounter node 5 with a depth of 1, pop nodes until the stack depth matches 1, and then attach node 5 as the right child of the root node 1. Push node 5 onto the stack.

# Definition for a binary tree node.

def \_\_init\_\_(self, x):

self.left = None

nodes\_stack = []

else:

current\_depth = 0

current\_value = 0

current\_depth += 1

# Calculate the node's value.

nodes\_stack.pop()

if nodes\_stack:

# Check for the end of number or end of string.

while len(nodes\_stack) > current\_depth:

if nodes\_stack[-1].left is None:

nodes\_stack[-1].left = new\_node

// Check for the end of the number or the end of the string

TreeNode newNode = new TreeNode(currentValue);

while (nodesStack.size() > currentDepth) {

if (nodesStack.peek().left == null) {

nodesStack.peek().left = newNode;

nodesStack.peek().right = newNode;

// Reset currentDepth and currentValue for the next node

// Result is the root of the binary tree, which is the bottommost node in the nodesStack

nodesStack.pop();

if (!nodesStack.isEmpty()) {

nodesStack.push(newNode);

// Push the newNode onto the stack

} else {

currentDepth = 0;

currentValue = 0;

TreeNode result = null;

new\_node = TreeNode(current value)

# Create a new node with the computed value.

self.right = None

self.val = x

Steps to reconstruct the binary tree:

this node and push it onto the stack.

1. Initialize an empty stack st.

- 7. Node 6 has a depth of 2, so we pop node 5 to match the depth. Since node 5 has no left child, we attach node 6 as the left child.
- Push node 6 onto the stack. 8. Lastly, we handle node 7, which also has a depth of 2. We pop node 6 and attach node 7 as the right child of node 5. After

The final step is to pop all remaining nodes from the stack until it is empty. The last node popped is the root node 1.

- The binary tree that corresponds to the string "1-2--3--4-5--6--7" is now successfully reconstructed and is represented as:
- **Python Solution**

By following this process as outlined in the solution approach, we have moved character by character through the input string,

maintained a current path through the tree with the stack, and updated parent-child relationships, finally arriving at the original

15 # Loop through each character in the traversal string. 16 for i in range(len(traversal)): 17 if traversal[i] == '-': 18 # Increment the depth for every '-' character encountered.

# Create a stack to hold nodes and initialize depth and value variables.

current\_value = 10 \* current\_value + (ord(traversal[i]) - ord('0'))

if i + 1 == len(traversal) or (traversal[i].isdigit() and traversal[i + 1] == '-'):

# If the stack size is greater than the current depth, pop until the sizes match.

# If the stack is not empty, assign the new node to the appropriate child of the top node.

```
class Solution:
        def recoverFromPreorder(self, traversal: str) -> TreeNode:
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binary tree.

2 class TreeNode:

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                         else:
 38
                             nodes_stack[-1].right = new_node
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 40
                     # Push the new node onto the stack.
                     nodes_stack.append(new_node)
 41
 42
                     # Reset current depth and value for the next node.
 43
 44
                     current_depth = 0
                     current_value = 0
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             # The result is the root of the tree. It's the bottommost node in the stack.
 48
             result = None
 49
             while nodes_stack:
                 result = nodes_stack.pop()
 50
 51
             # Return the reconstructed binary tree.
 52
 53
             return result
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Java Solution
   import java.util.Stack;
   // Definition for a binary tree node.
   class TreeNode {
       int val;
       TreeNode left;
       TreeNode right;
       TreeNode(int x) {
           val = x;
            left = null;
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           right = null;
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15
   class Solution {
       public TreeNode recoverFromPreorder(String traversal) {
17
           Stack<TreeNode> nodesStack = new Stack<>();
18
           int currentDepth = 0;
19
20
           int currentValue = 0;
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22
           for (int i = 0; i < traversal.length(); ++i) {</pre>
               if (traversal.charAt(i) == '-') {
23
24
                   // Increment the currentDepth for each '-' character encountered
25
                    currentDepth++;
26
                } else {
27
                    // Calculate the currentValue of the current node
28
                    currentValue = 10 * currentValue + (traversal.charAt(i) - '0');
29
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```

if (i + 1 == traversal.length() || (Character.isDigit(traversal.charAt(i)) && traversal.charAt(i + 1) == '-')) {

// If the nodesStack size is greater than the currentDepth, we pop nodes until they match

// If nodesStack is not empty, we link the newNode as a child to the node at the top of the stack

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while (!nodesStack.isEmpty()) {
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                result = nodesStack.peek();
61
               nodesStack.pop();
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65
           // Return the recovered binary tree
           return result;
C++ Solution
    #include <cctype>
    #include <stack>
     #include <string>
     // Definition for a binary tree node
    struct TreeNode {
         int val;
         TreeNode *left;
         TreeNode *right;
  9
         TreeNode(int x) : val(x), left(nullptr), right(nullptr) {}
 10
 11 };
 12
 13 class Solution {
 14 public:
         TreeNode* recoverFromPreorder(std::string traversal) {
 15
             std::stack<TreeNode*> nodesStack;
 16
 17
             int currentDepth = 0;
             int currentValue = 0;
 18
 19
             for (int i = 0; i < traversal.length(); ++i) {</pre>
 20
                 if (traversal[i] == '-') {
 21
 22
                     // Increment the depth for every '-' character encountered
 23
                     currentDepth++;
 24
                 } else {
 25
                     // Calculate the node's value
 26
                     currentValue = 10 * currentValue + (traversal[i] - '0');
 27
 28
 29
                 // Check for end of number or end of string
                 if (i + 1 == traversal.length() || (isdigit(traversal[i]) && traversal[i + 1] == '-')) {
 30
 31
                     TreeNode* newNode = new TreeNode(currentValue);
 32
 33
                     // If the stack size is greater than the current depth, pop until the sizes match
                     while (nodesStack.size() > currentDepth) {
 34
 35
                         nodesStack.pop();
 36
 37
 38
                     // If stack is not empty, assign the newNode to the appropriate child of the top node
                     if (!nodesStack.empty()) {
 39
 40
                         if (nodesStack.top()->left == nullptr) {
                             nodesStack.top()->left = newNode;
 41
 42
                         } else {
 43
                             nodesStack.top()->right = newNode;
 44
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 46
 47
                     // Push the new node onto the stack
 48
                     nodesStack.push(newNode);
 49
 50
                     // Reset current depth and value for the next node
 51
                     currentDepth = 0;
 52
                     currentValue = 0;
 53
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 56
             // The result is the root of the tree. It's the bottommost node in the stack.
             TreeNode* result = nullptr;
 57
             while (!nodesStack.empty()) -
 58
                 result = nodesStack.top();
 59
 60
                 nodesStack.pop();
 61
 62
 63
             // Return the recovered binary tree
 64
             return result;
 65
 66
    };
 67
```

#### 27 28 29 // Check for end of number or end of string 30 if (i + 1 === traversal.length || (traversal[i] !== '-' && traversal[i + 1] === '-')) { 31 let newNode = new TreeNode(currentValue);

Typescript Solution

val: number;

2 class TreeNode {

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1 // Definition for a binary tree node

left: TreeNode | null;

right: TreeNode | null;

this.val = val;

let currentDepth = 0;

let currentValue = 0;

} else {

this.left = null;

this.right = null;

let nodesStack: TreeNode[] = [];

if (traversal[i] === '-') {

currentDepth++;

for (let i = 0; i < traversal.length; ++i) {</pre>

// Calculate the node's value

nodesStack.pop();

if (nodesStack.length > 0) {

nodesStack.push(newNode);

// Push the new node onto the stack

} else {

// Function to recover a tree from a given preorder traversal string

// Increment the depth for every '-' character encountered

currentValue = 10 \* currentValue + parseInt(traversal[i]);

if (nodesStack[nodesStack.length - 1].left === null) {

nodesStack[nodesStack.length - 1].left = newNode;

nodesStack[nodesStack.length - 1].right = newNode;

// If the stack size is greater than the current depth, pop until the sizes match

// If stack is not empty, assign the newNode to the appropriate child of the top node

function recoverFromPreorder(traversal: string): TreeNode | null {

while (nodesStack.length > currentDepth) {

constructor(val: number) {

```
// Reset current depth and value for the next node
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 51
                currentDepth = 0;
 52
                currentValue = 0;
 53
 54
 55
 56
        // The result is the root of the tree. It's the last node added to the stack.
 57
        while (nodesStack.length > 1) {
 58
            nodesStack.pop();
 59
 60
 61
        // We return the root of the binary tree which the stack should now contain
 62
        return nodesStack.length > 0 ? nodesStack[0] : null;
 63 }
 64
Time and Space Complexity
```

The given code traverses the string 5 once to reconstruct a binary tree from its preorder traversal description. The length of the

• The stack operations (pushing and popping nodes) occur once for each node added to the tree. In the worst case, it's possible

## The time complexity depends on the number of operations performed as the string is being processed: Each character is visited once, which results in O(n) time complexity for the traversal.

for every node to be pushed and then popped, but that is bounded by the number of nodes in the tree, and hence by n. Therefore, stack operations contribute O(n) to time complexity. Overall, the time complexity of the function is O(n).

- The space complexity primarily depends on the stack used to reconstruct the tree: • The maximum size of the stack is determined by the maximum depth of the tree. In the worst case (a skewed tree), the depth can be O(n) if each node except the last has only one child. Therefore, the stack can use O(n) space.
- Considering the stack and the space for the new tree nodes, the overall space complexity of the function is O(n).

# • The space for the tree itself, if considered, would also be O(n) since we are creating a new node for every value in the string S.

**Space Complexity** 

string S is denoted as n.

Time Complexity