1296. Divide Array in Sets of K Consecutive Numbers

#### Medium Greedy Hash Table Sorting Array

# **Problem Description**

consecutive numbers. To divide the array into sets of k consecutive numbers means to group the elements of the array such that each group contains k numbers and each number in a group follows the one before it with a difference of 1. The function should return true if such division is possible, otherwise, it should return false.

Given an integer array nums and a positive integer k, the task is to determine whether the array can be divided into several sets of k

**Leetcode Link** 

Intuition

a number appears in nums without sorting the entire array.

To solve this problem, the intuition is to use a greedy approach. The steps followed are:

2. Start from the smallest number in the array and try to build a consecutive sequence of length k. If the sequence cannot be formed due to a missing number, return false.

1. Count the occurrences of each number in the array using a hash map or counter. This step helps to quickly find how many times

- 3. If a consecutive sequence of length k starting from a number is successfully formed, reduce the count of the numbers used in the sequence. If the count drops to zero, remove the number from the counter to avoid unnecessary checks in further iterations. 4. Repeat steps 2 and 3 until all numbers are used to form valid sequences or until you find a sequence that cannot be completed.
- Using this approach, the solution checks in a sorted order if there are enough consecutive numbers following the current number to
- form a group of k elements. If at any point there aren't enough consecutive numbers to form a group of k, the function returns false. On the other hand, if all numbers can be grouped successfully, the function returns true.

**Solution Approach** 

1. Counting Elements: The solution uses Python's Counter from the collections module to count the frequency of each integer in

the input nums. This Counter acts like a hash map, and it stores each unique number as a key and its frequency as the

## 1 cnt = Counter(nums)

1 cnt[x] -= 1

2 if cnt[x] == 0:

cnt.pop(x)

**Example Walkthrough** 

Let's illustrate the solution approach with an example:

4 # Counter({3: 2, 4: 2, 1: 1, 2: 1, 5: 1, 6: 1})

For 1, cnt[1] = 1, thus we can use one 1.

 $\circ$  For 4, cnt [4] = 2, we can use one 4.

• For 3, cnt[3] = 1, use one 3.

For 4, cnt [4] = 1, use one 4.

For 5, cnt[5] = 1, use one 5.

• For 6, cnt[6] = 1, use one 6.

corresponding value.

the possibility of dividing the array into sets of k consecutive numbers accurately.

The provided solution implements a greedy algorithm to solve the problem by using the following steps:

2. Sorting and Iterating: After counting, the code sorts the unique numbers and iterates over them. The sorting ensures that we check for consecutive sequences starting with the smallest number. 1 for v in sorted(nums):

3. Forming Consecutive Groups: Inside the loop, we check if the current number's count is non-zero, indicating that it hasn't been

used up in forming a previous group. If the count is non-zero, the nested loop tries to form a group starting from this number v

- up to v + k. 1 if cnt[v]: for x in range(v, v + k):
- x is present in the counter (i.e., its count is not zero). If it is zero, this indicates that a consecutive sequence cannot be formed, and the function returns False. 1 if cnt[x] == 0: return False

5. Updating the Counter: When a number x is found, its count is decremented since it's being used to form the current sequence. If

the count reaches zero after decrementing, the number x is removed from the counter to prevent future unnecessary checks.

4. Validating Consecutive Numbers: For each number in the expected consecutive range [v, v + k), check if the current number

- 6. Completing the Iteration: This process continues until either a missing number is found (in which case False is returned), or all numbers are successfully grouped (in which case True is returned when the loop finishes). Through these steps, the algorithm ensures that all possible consecutive sequences of length k are checked and formed, validating
- sets of k (4) consecutive numbers. Following the solution approach:

Suppose we have an array nums = [1, 2, 3, 3, 4, 4, 5, 6] and k = 4. We want to find out if it's possible to divide this array into

1. Counting Elements: We count the frequency of each number using the Counter. 1 from collections import Counter 2 nums = [1, 2, 3, 3, 4, 4, 5, 6]

2. Sorting and Iterating: We sort the nums and iterate over the distinct values. Here, the sorted unique values would be [1, 2, 3,

### 3. Forming Consecutive Groups: We start from the smallest number and try to form a group of k consecutive numbers. Starting with 1, then 2, 3, and 4.

4, 5, 6].

count.

numbers.

**Python Solution** 

class Solution:

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from collections import Counter

num\_count = Counter(nums)

for num in sorted(nums):

if num\_count[num]:

3 cnt = Counter(nums)

For 2, cnt[2] = 1, we can use one 2.  $\circ$  For 3, cnt[3] = 2, we can use one 3.

5. Updating the Counter: After decrementing, if any count becomes zero, we remove the number from the counter.

4. Validating Consecutive Numbers: We check if each of these consecutive numbers is present in the counter with a non-zero

Counter({3: 1, 4: 1, 5: 1, 6: 1}) 6. Completing the Iteration: We repeat the process for the next smallest number with a non-zero count, which in this updated counter is 3. We try to form the next group starting from 3, and we would need a sequence [3, 4, 5, 6].

After this sequence, our counter is empty, which means we have successfully used all numbers to form groups of k consecutive

Since no step failed and we could form two groups [1, 2, 3, 4] and [3, 4, 5, 6] each with 4 consecutive numbers, the function would return True. Hence, it is possible to divide the given array nums into sets of k (4) consecutive numbers.

# Attempt to create a consecutive sequence starting at this number

# If the count drops to zero, remove it from the dictionary

\* Checks if it is possible to divide the array into consecutive subsequences of length k.

// Iterate over the sorted array to check if division into subsequences is possible.

// Only start a sequence if the current number is still in the frequencyMap.

// Attempt to create a subsequence of length k starting with the current number.

// If the frequency of a number becomes 0, remove it from the map.

// If the current number is not in the frequencyMap, division is not possible.

// Create a map to store the frequency of each number in the input array.

frequencyMap.put(num, frequencyMap.getOrDefault(num, 0) + 1);

// Sort the input array to ensure the numbers are in ascending order.

// Decrease the frequency of the current number.

frequencyMap.put(i, frequencyMap.get(i) - 1);

# If the entire loop completes without returning False, it means all sequences can be formed

def isPossibleDivide(self, nums: List[int], k: int) -> bool:

# Loop over each number after sorting nums

for x in range(num, num + k):

if num\_count[x] == 0:

\* @param nums Input array of integers.

for (int num : nums) {

Arrays.sort(nums);

for (int num : nums) {

\* @param k Length of the consecutive subsequences.

public boolean isPossibleDivide(int[] nums, int k) {

if (frequencyMap.containsKey(num)) {

return false;

for (int i = num; i < num + k; ++i) {</pre>

if (!frequencyMap.containsKey(i)) {

\* @return true if division is possible, false otherwise.

Map<Integer, Integer> frequencyMap = new HashMap<>();

num\_count.pop(x)

# Create a frequency count for all the numbers in nums

# If this number is still in the count dictionary

After using the numbers for the first group [1, 2, 3, 4], our counter updates to:

# If any number required for the sequence does not exist, return False if num\_count[x] == 0: 15 return False 16 17 # Decrease the count for this number since it's used in the sequence num\_count[x] -= 1 18

## import java.util.Arrays; import java.util.HashMap; import java.util.Map;

class Solution {

/\*\*

Java Solution

return True

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                        if (frequencyMap.get(i) == 0) {
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                            frequencyMap.remove(i);
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           // If the loop completes, then division into subsequences of length k is possible.
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           return true;
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47 }
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C++ Solution
 1 #include <vector>
2 #include <unordered_map>
   #include <algorithm>
   class Solution {
   public:
       // Function to determine if it is possible to divide the vector of integers into groups of size 'k'
       // with consecutive numbers.
       bool isPossibleDivide(std::vector<int>& nums, int k) {
           // Creating a frequency map to count occurrences of each number
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           std::unordered_map<int, int> frequencyMap;
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           for (int num : nums) {
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               ++frequencyMap[num];
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           // Sort the input vector to process numbers in ascending order
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           std::sort(nums.begin(), nums.end());
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           // Process each number in the sorted vector
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           for (int num : nums) {
               // If there is still a count for this number, we need to form a group starting with this number
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               if (frequencyMap.find(num) != frequencyMap.end()) {
                   // Attempt to create a group of 'k' consecutive numbers
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                   for (int i = num; i < num + k; ++i) {</pre>
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                        // If any number required to form the group is missing, return false
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                        if (!frequencyMap.count(i)) {
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                            return false;
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                        // Decrement the count for the current number in the group
                        if (--frequencyMap[i] == 0) {
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                            // If the count reaches zero, remove the number from the frequency map
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                            frequencyMap.erase(i);
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           // If the function hasn't returned false, it's possible to divide the numbers as required
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           return true;
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41 };
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```

#### 25 26 27 28 29 30 // If the function hasn't returned false, it's possible to divide the numbers as required

return true;

**Time Complexity** 

Typescript Solution

for (const num of nums) {

nums.sort( $(a, b) \Rightarrow a - b);$ 

for (const num of nums) {

if (num in frequencyMap) {

return false;

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32 }

function isPossibleDivide(nums: number[], k: number): boolean {

const frequencyMap: Record<number, number> = {};

// Process each number in the sorted array

for (let i = num; i < num + k; i++) {</pre>

if (!(i in frequencyMap)) {

if (--frequencyMap[i] === 0) {

delete frequencyMap[i];

Time and Space Complexity

frequencyMap[num] = (frequencyMap[num] || 0) + 1;

// Create a frequency map to count occurrences of each number

// Sort the input array to process numbers in ascending order

// Attempt to create a group of 'k' consecutive numbers

// Decrement the count for the current number in the group

// If there is still a count for this number, we need to form a group starting with it

// If any number required to form the group is missing, return false

// If the count reaches zero, remove the number from the frequency map

counter cnt, and the nested loop where we check and decrement the count for each element over the range from v to v + k. 1. Sorting nums: The sort operation on the list nums has a time complexity of O(N log N), where N is the number of elements in nums.

2. Counter Construction: Constructing the counter cnt is O(N) because we go through the list nums once.

The time complexity of the given code is determined by a few factors: the sorting of the input list nums, the construction of the

times for each unique number that has a non-zero count. • It may seem like this gives us 0(Nk), but this is not entirely correct because each element is decremented once, and once it hits

3. Nested Loop: The nested loop involves iterating over each number in the sorted nums and then an inner loop that iterates up to k

- zero, it is popped from the counter and never considered again. Therefore, each element contributes at most O(k) before it's removed.
- nums), and since we have that outer loop that potentially could visit all N elements, we would multiply this by k giving us O(Nk). So, combining these together, the total time complexity is  $0(N \log N + N + Nk) = 0(N \log N + Nk)$ . Since for large N, N log N

• The total number of decrements across all elements cannot exceed N (since each decrement corresponds to one element of

dominates N, and Nk may either dominate or be dominated by N log N depending on the values of N and k, the final time complexity is often written with both terms.

# The space complexity is mostly determined by the counter cnt which stores a count of each unique number in nums.

**Space Complexity** 

• The counter can have at most M entries where M is the number of unique numbers in nums. In the worst case, if all numbers are unique, M is equal to N, giving us a space complexity of O(N).

Therefore, the overall space complexity of the code is O(N).