### Problem Description In this problem, we're asked to transform a given binary tree into a "flattened" linked list. The conditions for the flattened linked list

are as follows:
 We need to use the existing TreeNode class to represent the list nodes.

Each right child pointer of the TreeNode should point to the next node in the linked list.
The left child pointer of each TreeNode should be set to null, effectively removing the left children from all nodes.

then traverse left, then traverse right) of the binary tree.

- The order of the nodes in the linked list must reflect the order of nodes visited in a pre-order traversal (visit the current node,
- The problem constraints are such that the tree needs to be modified in place, meaning no additional data structures should be created and the transformation has to use the existing tree nodes.

Intuition

To solve the problem, we need to understand that a pre-order traversal follows the root-left-right order. This guides us to the

#### original right subtree is not lost but appended after the moved left subtree.

Here's the intuition behind the solution step by step:

1. We start at the root of the binary tree and check if there's a left child.

2. If a left child is present, we find the right-most node of the left subtree (this will be the pre node mentioned in the code). This is

solution where we can repeatedly move the left subtree of a node so that it becomes the right subtree, while also ensuring that the

We then attach the current right subtree to the right-most node of the left subtree.
 Now, we can safely move the left subtree to replace the right subtree (since we've already preserved the original right subtree).

5. We set the left child of the current node to null, effectively flattening this part of the tree.

more nodes to process, which is when root becomes None.

gradually transformed into a "linked list" that satisfies all given requirements.

- We then move on to the next right child and repeat this process.
   We continue this operation until we have visited all nodes and flattened the entire tree.
- This in-place transformation is accomplished without the use of additional space (i.e., no extra list or tree is created), which is a requirement of this problem.

where we will link the existing right subtree after we've moved the left subtree.

- requirement of this problem.
- Solution Approach

process:

1. **Loop Structure**: The solution utilizes a while loop to iterate through the nodes of the tree. This loop continues until there are no

structure without the need for additional data structures. Here are the key elements of the implementation, expanded to clarify the

The solution implementation provided is an excellent example of in-place tree manipulation, which cleverly modifies the tree

### 2. Left Subtree Processing: Inside the loop, the first step is to check if the current node (root) has a left child. If not, the tree is already flat from the current node, so the algorithm simply moves to the root.right.

None).

described above.

3. **Finding Right-Most Node**: When a left child exists, we then need to find the right-most node of the left subtree. This part of the solution uses another while loop to traverse down to the bottom right of the subtree (while pre.right:). The right-most node is where the original right subtree will be appended after the left subtree is moved to the right.

root.right, which preserves the original right subtree (pre.right = root.right).
5. Flattening: Now that the right subtree has been saved, the entire left subtree is moved to the right side (root.right = root.left). This move aligns with the requirement that the right child pointer points to the next node in the list.

6. Eliminating Left Children: To comply with the flattened structure, the left child of the current node is set to None (root.left =

4. Re-linking Subtrees: After finding the right-most node, the next step in the algorithm is to set its right child to the current

7. **Advancing to the Next Node**: Finally, with the left child processed and moved, the algorithm progresses to the next node by moving root to root.right.

By iteratively applying these steps to each node in the tree, starting from the root and advancing rightward, the binary tree is

tree.

Example Walkthrough

Let's consider a simple binary tree and walk through the process of flattening it into a linked list using the solution approach

The algorithm's foundation relies on tree traversal and careful reassignment of pointers, and the procedure harnesses the feature of

the pre-order traversal pattern. Due to its in-place nature, the algorithm avoids using additional memory beyond a few pointers, and

the entire tree is flattened with a space complexity of O(1) and time complexity of O(n), where n is the number of nodes in the binary

Suppose we have the following binary tree:

1. Start at Root: We begin with the root node 1. It has a left child, which means we will need to find the right-most node of the left

#### 2. Find Right-most Node of Left Subtree: The left child of 1 is 2, and it has a right child 4. We traverse to the right-most node of this left subtree, which is 4.

subtree.

Now, let's flatten this tree step-by-step:

right pointer points to node 5.

5. Eliminate Left Children: We set the left child of node 1 to null.

4. Flattening: We move the entire left subtree of 1 to the right. Now, the right child of 1 is 2, and the tree looks like this:

3. Re-linking Subtrees: We attach the right subtree of 1 (which starts with node 5) to the right pointer of node 4. Now node 4's

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6. Advancing to Next Node: We now move to the right child of the root, which is 2. We repeat the process. Node 2 has a left child 3,

child 6, which is already in the right place.

The tree is now a linked list:

We've completed the in-place transformation. Each step of the process either involved relinking or moving to the right child, and at

no point did we use additional space. The original tree structure is efficiently re-purposed into a linked list following the pre-order

7. Continue Flattening: Moving to node 4, we find no left child, so we continue to node 5. Node 5 has no left child but has a right

but since 3 has no right child, it is already in the right place. We set the left child of node 2 to null.

1 # Definition for a binary tree node.
2 class TreeNode:
3 def \_\_init\_\_(self, val=0, left=None, right=None):

class Solution:

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\*/

class TreeNode {

int val;

TreeNode left;

TreeNode() {}

TreeNode right;

this.val = val;

this.left = left;

this.right = right;

\* Definition for a binary tree node.

self.val = val

while root:

if root.left:

self.left = left

self.right = right

def flatten(self, root: Optional[TreeNode]) -> None:

:param root: The root of the binary tree.

:return: None, the tree is modified in place.

# Iterate through each node of the binary tree

# the "flattened" preorder traversal

predecessor.right = root.right

predecessor = root.left

while predecessor.right:

root.right = root.left

root.left = None

if (root.left != null) {

TreeNode rightmost = root.left;

rightmost.right = root.right;

root.right = root.left;

root.left = null;

root = root.right;

\* Definition for a binary tree node.

TreeNode(int val) { this.val = val; }

while (rightmost.right != null) {

rightmost = rightmost.right;

// Move the left subtree to the right.

// Move on to the right child of the current node.

// Constructor with no arguments initializes an empty node.

TreeNode(int val, TreeNode left, TreeNode right) {

// Constructor with a value initializes a node with the given value.

Flattens a binary tree to a linked list in place using the right child pointers.

# If there is a left child, we need to rewire the connections according to

# Connect the predecessor's right pointer to the current node's right child

# The left child becomes the right child and the left child is set to None

// Make the right of the rightmost node point to the root's right node.

// After moving the left subtree, set the left child to null.

\* This is provided for completeness. Assume the TreeNode class is predefined elsewhere.

// Constructor with a value and two subtrees initializes a node with those values.

# Move to the next right node (this could be the former left child of the current node)

The preorder traversal should be followed to flatten the tree.

# Find the rightmost node of the left subtree

// Find the rightmost node of the left subtree.

predecessor = predecessor.right

Python Solution

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traversal order.

## 5 int val; 6 TreeNode \*left; 7 TreeNode \*right; 8 TreeNode(): val(0), left(nullptr), right(nullptr) {} 9 TreeNode(int x): val(x), left(nullptr), right(nullptr) {} 10 TreeNode(int x, TreeNode \*left, TreeNode \*right): val(x), left(left), right(right) {}

struct TreeNode {

C++ Solution

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   class Solution {
   public:
       // Function to flatten a binary tree into a linked list in-place.
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       void flatten(TreeNode* root) {
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           // Continue flattening the tree until we have processed all nodes.
           while (root) {
               // Check if the current node has a left child.
               if (root->left) {
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                   // Find the rightmost node in the left subtree.
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                   TreeNode* rightMost = root->left;
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                   while (rightMost->right) {
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                        rightMost = rightMost->right;
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                   // Attach the right subtree of the current node to the rightmost node.
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                    rightMost->right = root->right;
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                   // Move the left subtree under the current node to the right.
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                    root->right = root->left;
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                   // Set the left child of the current node to nullptr.
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                    root->left = nullptr;
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               // Move on to the right child of the current node.
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                root = root->right;
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41 };
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Typescript Solution
 1 // Definition for a binary tree node.
   class TreeNode {
       val: number
        left: TreeNode | null
        right: TreeNode | null
        constructor(val?: number, left?: TreeNode | null, right?: TreeNode | null) {
           this.val = (val === undefined ? 0 : val);
           this.left = (left === undefined ? null : left);
            this.right = (right === undefined ? null : right);
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11 }
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   /**
    * Flattens a binary tree to a linked list in-place.
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# let predecessor = root.left; while (predecessor.right !== null) { predecessor = predecessor.right; } // Connect right subtree of the current node to the rightmost node of the left subtree. predecessor.right = root.right;

while (root !== null) {

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\* @param {TreeNode | null} root - The root of the binary tree.

// Find the rightmost node of the left subtree.

// If the current node has a left child...

function flatten(root: TreeNode | null): void {

root.right = root.left;

// Move to the next right node.

root.left = null;

root = root.right;

Time and Space Complexity

if (root.left !== null) {

// Iterate through the binary tree nodes.

The above Python code implements a method to flatten a binary tree in-place along its pre-order traversal.

Time Complexity:

// Move the left subtree to the right side and nullify the left pointer.

## operates on nodes only once throughout the entire run of the algorithm. Each edge in the tree will be traversed at most twice: once when visiting the left child and once when attaching the left subtree to the right.

Space Complexity:

The space complexity of the algorithm is 0(1) if we don't consider the recursive stack space used by the system for managing function calls. This is because no extra data structures are used; the tree is modified in place.

However, if we were to consider the recursive stack space (implicit stack space due to function calls), the space complexity would be O(H), where H is the height of the binary tree because the space used at any time is proportional to the depth of the recursion tree, which, in the worst case, is equal to the height of the binary tree. In a balanced tree, this would be O(log N), but in a skewed tree, it can be as bad as O(N) in the case of a degenerate tree (when the tree is like a linked list).

The time complexity of the algorithm is O(N), where N is the number of nodes in the tree. This is because each node is visited once.

The inner while loop that finds the rightmost node of the left subtree does not add to the overall asymptotic complexity since it