non-decreasing if the rest of it adheres to the rule.



Problem Description

This problem requires us to assess whether a given array nums containing n integers can be converted into a non-decreasing array by altering no more than one element. An array is regarded as non-decreasing if for every index i, where i ranges from 0 to n - 2, the following condition is satisfied: nums[i] <= nums[i + 1]. The challenge lies in determining whether we can achieve such a state with a single modification or if the array's current state is already non-decreasing.

Intuition

the second (nums[i] > nums[i + 1]). This condition indicates that the array is not non-decreasing at that point. When we find such a pair, we have two possible actions to try: 1. Lower the first element (nums[i]) to match the second one (nums[i + 1]), which can help maintain a non-decreasing order if the

To solve this problem, we must iterate through the array and identify any pair of consecutive elements where the first is greater than

- rest of the array is non-decreasing. 2. Alternatively, raise the second element (nums[i + 1]) to match the first one (nums[i]), which again can make the entire array
- For both scenarios, after making the change, we need to check if the entire array is non-decreasing. If it is, then we can achieve the goal with a single modification. If we make it through the entire array without needing more than one change, the array is either

already non-decreasing or can be made so with one modification. The key here is recognizing that if there are two places where nums[i] > nums[i + 1], we can't make the array non-decreasing with just a single change. The given solution iterates through the array, checks for the condition that violates the non-decreasing order, and performs only one

of the two modifications mentioned above. It then verifies if the whole array is non-decreasing following that modification. If this

check is passed, it returns True. If the loop is exhausted without having to make any changes, the array is already non-decreasing, and so, the function also returns True. Solution Approach

to it is non-decreasing. This is done using the pairwise utility to traverse the array in adjacent pairs and ensuring each element is

less than or equal to the next. Here's a step-by-step breakdown of the algorithm:

1. The function checkPossibility begins by iterating over the array nums using a loop that runs from the starting index to the

The solution employs a straightforward iterative approach along with a helper function is_sorted, which checks if the array passed

second-to-last index of the array.

- 2. In each iteration, it compares the current element nums [i] with the next element nums [i + 1]. If it finds these elements are ordered correctly (nums[i] <= nums[i + 1]), it continues to the next pair; otherwise, it indicates a potential spot for correction.
- 3. When a pair is found where nums[i] > nums[i + 1], the solution has two possibilities for correction: • Lower the first element: It sets nums[i] = nums[i + 1] to match the second element and uses the is_sorted function to check if this change makes the entire array non-decreasing. If so, it returns True.
- Raise the second element: If the previous step does not yield a non-decreasing array, the solution resets nums [i] to its original value and sets nums[i + 1] = nums[i]. Then it checks with the is_sorted function once more. If the array is nondecreasing after this change, it returns True.
- 4. Throughout the iteration, if no change is needed or if the change leads to a non-decreasing array, the function moves to the next pair of elements. 5. In a scenario where no pairs violate the non-decreasing order, the function will complete the loop and return True, as no
- alteration is required or a maximum of one was sufficient. In this algorithm, the data structure used is the original input array nums. The pattern employed here revolves around validating an

array's non-decreasing property and the ability to stop as soon as the requirement is violated twice since that indicates more than

one change would be necessary. The elegance of this solution lies in its O(n) time complexity, as it requires only a single pass through the array to determine its non-decreasing property with at most one modification. In summary, the provided solution correctly handles both the detection of a non-decreasing sequence violation and the decision-

making for adjusting the array, efficiently reaching a verdict with minimal changes and checks.

Example Walkthrough Let's consider a small example to illustrate the solution approach:

Suppose we have an array nums = [4, 2, 3]. According to the problem, we are allowed to make at most one modification to make

1. We start by checking the array from left to right. We compare the first and second elements: 4 and 2. Since 4 is greater than 2,

the array non-decreasing. Let's process this array according to the algorithm described above.

this violates the non-decreasing order.

2. Now, we have two possibilities to correct the array: We can lower the first element 4 to 2, making the array [2, 2, 3].

- We can raise the second element 2 to 4, making the array [4, 4, 3]. 3. Let's try the first possibility. We lower 4 to 2. Now we need to check if after this modification, the array is non-decreasing. By
- 4. Since the array [2, 2, 3] is non-decreasing, we return True, indicating that the original array [4, 2, 3] can be made non-

def is_sorted(arr: List[int]) -> bool:

for i in range(len(arr) - 1):

if arr[i] > arr[i+1]:

return False

int next = nums[i + 1];

if (current > next) {

nums[i] = next;

if (isSorted(nums)) {

return true;

decreasing with a single modification.

simple inspection, we see [2, 2, 3] is indeed a non-decreasing array.

- The algorithm successfully finds the correct modification on the first try, and further evaluation is not necessary. The solution is efficient and adheres to O(n) time complexity, as it processes each element of the array only once.
- **Python Solution** from typing import List

class Solution: def check_possibility(self, nums: List[int]) -> bool: # Helper function to check if the list is non-decreasing.

return True 12

```
13
           n = len(nums)
14
           # Go through each pair in the list.
           for i in range(n - 1):
15
               # If the current element is greater than the next element, a modification is needed.
16
               if nums[i] > nums[i + 1]:
                   # Temporarily change the current element to the next one and check if sorted.
                    temp = nums[i]
19
                   nums[i] = nums[i + 1]
20
21
                   if is_sorted(nums):
                       return True
                   # If not sorted, revert the change and modify the next element instead.
                   nums[i] = temp
24
25
                    nums[i + 1] = temp
26
                   return is_sorted(nums)
27
           # If no modification needed, then it is already non-decreasing.
28
           return True
29
30
31 # Example usage:
32 # sol = Solution()
33 # print(sol.check_possibility([4,2,3])) # True
  # print(sol.check_possibility([4,2,1])) # False
35
Java Solution
   class Solution {
       // Main method to check if the array can be made non-decreasing by modifying at most one element
       public boolean checkPossibility(int[] nums) {
           // Iterate through the array elements
            for (int i = 0; i < nums.length - 1; ++i) {</pre>
               // Compare current element with the next one
               int current = nums[i];
```

// If the current element is greater than the next, we need to consider modifying one of them

// Temporarily modify the current element to the next element's value

// Check if the array is sorted after this modification

17 18 19 // Revert the change to the current element 20

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```
nums[i] = current;
                   // Permanently modify the next element to the current element's value
21
                   nums[i + 1] = current;
                   // Return whether the array is sorted after this second modification
24
                   return isSorted(nums);
25
26
27
           // If no modifications were needed, the array is already non-decreasing
28
           return true;
29
30
31
       // Helper method to check if the array is sorted in non-decreasing order
       private boolean isSorted(int[] nums) {
32
33
           // Iterate through the array elements
           for (int i = 0; i < nums.length - 1; ++i) {</pre>
34
               // If the current element is greater than the next, the array is not sorted
35
36
               if (nums[i] > nums[i + 1]) {
37
                   return false;
38
39
           // If no such pair is found, the array is sorted
40
           return true;
42
43 }
44
C++ Solution
1 #include <vector>
2 #include <algorithm>
   class Solution {
  public:
       // Function to check if it's possible to make the array non-decreasing
       // by modifying at most one element.
       bool checkPossibility(std::vector<int>& nums) {
           int n = nums.size(); // Get the size of the input array
9
10
           // Iterate over the array to find a pair where the current element
11
12
           // is greater than the next element.
           for (int i = 0; i < n - 1; ++i) {
13
               int current = nums[i], next = nums[i + 1];
14
15
               // If a pair is found where the current element is greater than the next,
16
17
               // we have two choices to fix the array:
               // Either modify the current element to be equal to the next element,
18
               // Or modify the next element to be equal to the current element.
19
```

29 // Undo the modification of the current element nums[i] = current; 30 31 32

if (current > next) {

nums[i] = next;

// Temporarily modify the current element

if (std::is_sorted(nums.begin(), nums.end())) {

return true; // If sorted, return true

// Check if the array is sorted after this modification

20

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```
// Permanently modify the next element to match the current element
33
                   nums[i + 1] = current;
34
35
                   // Return whether the array is sorted after modifying the next element
                   return std::is_sorted(nums.begin(), nums.end());
37
39
40
           // If we never found a pair that needed fixing, the array is already
           // non-decreasing, so we return true.
           return true;
   };
45
Typescript Solution
   // This function checks if the array can be made non-decreasing by modifying at most one element.
   function checkPossibility(nums: number[]): boolean {
       // Helper function to determine whether the array is sorted in non-decreasing order.
       const isNonDecreasing = (arr: number[]): boolean => {
            for (let i = 0; i < arr.length - 1; ++i) {</pre>
               if (arr[i] > arr[i + 1]) {
                   return false;
 9
           return true;
       };
11
12
       // Main loop to check each pair of elements in the array.
13
       for (let i = 0; i < nums.length - 1; ++i) {
14
           const current = nums[i],
               next = nums[i + 1];
16
17
           // If the current element is greater than the next element,
18
           // we try to make an adjustment and check if it resolves the non-decreasing order issue.
19
           if (current > next) {
20
                const temp = nums[i]; // Keep the original value to restore later if needed.
22
23
               nums[i] = next; // Try lowering the current value to the next one's value.
24
               if (isNonDecreasing(nums)) {
25
                   return true;
26
28
               nums[i] = temp; // Restore the original value as the lowering approach did not work.
               nums[i + 1] = current; // Try raising the next value to the current one's value.
29
30
```

return isNonDecreasing(nums); 32 33 34 35 36 // If no adjustments were needed, the array is already non-decreasing.

return true;

Time and Space Complexity

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38 }

Time Complexity

The time complexity of the checkPossibility function consists of a for loop that iterates through the elements of nums once, and a potential two calls to the is_sorted helper function within the loop if a disorder is found. The is_sorted function iterates through the elements of nums once to compare adjacent pairs.

Let's break it down:

• The for loop runs in O(n) where n is the number of elements in nums. The is_sorted function is O(n), as it evaluates all adjacent pairs in nums. • In the worst-case scenario, is_sorted is called twice, maintaining O(n) for each call.

// Return whether this adjustment resulted in a non-decreasing array.

Thus, the time complexity is O(n) for the single loop plus O(n) for each of the two possible calls to is_sorted, which yields a worst-

case time complexity of O(n + 2n), simplified to O(n).

Space Complexity

The space complexity of the function is primarily 0(1) since the function only uses a constant extra space for the variables a, b, and i, and modifies the input list nums in-place.

However, considering the creation of the iterator over the pairwise comparison, if it is not optimized away by the interpreter, may in some cases add a small overhead, but this does not depend on the size of the input and hence remains 0(1).