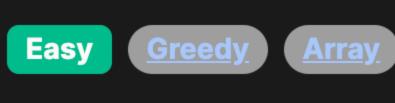
# 860. Lemonade Change



## **Problem Description**

In this problem, you are operating a lemonade stand where each glass of lemonade is sold for \$5. You start without any change in hand. Customers come in a queue, and you should sell them lemonade in the order they come, with each customer buying exactly one glass. Customers pay with a \$5, \$10, or \$20 bill. Your task is to determine whether you can provide the correct change to each customer using the bills you have at your disposal. You need to give back the net difference such that each customer effectively pays exactly \$5 for their lemonade. For instance, if a customer pays with \$20, and you have enough change, you will hand back \$15 in change. If it is possible to provide the correct change for all customers, the function should return true, otherwise it should return false.

# Intuition

intuitive approach: 1. Keep track of the number of \$5 and \$10 bills (we don't need to track \$20 bills as they don't help in making change).

The main issue is to always have enough \$5 bills to make change, since they are the cornerstone of all transactions. Here's the

- 2. Process each customer in the queue one by one and handle the payment. • If a customer pays with a \$5 bill, no change is needed, and you just increase your count of \$5 bills.
- - ∘ If a customer pays with a \$10 bill, you need to give back a \$5 as change, so you decrement the \$5 bill count and increment the \$10 bill count.
  - \$5 bills for future transactions (which are more crucial). If you can't give change in this combination, you attempt to give three \$5 bills as change.

o If a customer pays with a \$20 bill, you prefer to give back one \$10 and one \$5 as change because this uses up larger bills and keeps more

- 3. After handling a transaction, if the count of \$5 bills is negative, that means you didn't have enough change for a customer, and hence you should return false. 4. If you finish processing all customers and never ran out of \$5 bills, then you return true.
- Solution Approach

### The solution is straightforward and follows a greedy algorithmic approach, which operates on the simplest of principles: give out the minimal amount of change necessary.

In terms of data structures, we only need two variables to keep track of the number of \$5 and \$10 bills as these are the only denominations we can give out for change.

The algorithm goes as follows:

1. Initialize two variables: five and ten to track the count of \$5 and \$10 bills we have. We do not need to keep track of \$20 bills as they cannot

- be given as change. 2. Iterate through each bill in the bills list. If the bill is \$5, increment the five counter, since we now have an additional \$5 bill.
- o If the bill is \$10, we need to give a \$5 bill as change, so we decrement the five counter and increment the ten counter.
  - If the bill is \$20, firstly, we check if we have any \$10 bills: ■ If we have a \$10 bill, we use it along with a \$5 bill to make \$15 in change (decrement both ten and five).
  - If we don't have a \$10 bill, we need to give out three \$5 bills (decrement five by three). After handling the bill, we check if the five counter has gone negative. If it has, it means we can't make change for the current transaction,
  - and we return false. 3. After the loop, if we've successfully given change to every customer, our five counter should never be negative, and we can return true.
  - The algorithm effectively balances between preserving \$5 bills, which are necessary for giving change to customers who pay with \$10 and \$20, and using up \$10 bills when possible to avoid depleting the \$5 bills too quickly. This greedy strategy works

than, breaking down \$5 bills. **Example Walkthrough** Let's walk through a small example to illustrate the solution approach. Suppose we have a queue of customers with the following

for any sequence of bills because making change with larger bills when possible is always at least as good as, and often better

### 1. Initialize five = 0 and ten = 0. 2. Customer 1 pays with \$5:

bills: 5,10, 20,5, \$10.

• five is incremented by 1 (five = 1, ten = 0). 3. Customer 2 pays with \$10:

4. Customer 3 pays with \$20:  $\circ$  To give change, we'd prefer a 10 and a5 bill. We have one \$10 bill: ■ ten is decremented by 1 and five is decremented by 1 to provide \$15 in change (five = -1, ten = 0). Since we don't have any \$5 bills left to give as change, we cannot fulfill this transaction - we return false.

def lemonadeChange(self, bills: List[int]) -> bool:

# Iterate over each bill received

// Iterate over each bill in the array

fiveDollarBills++;

++fiveDollarBills;

} else if (bill == 10) {

++tenDollarBills:

if (fiveDollarBills < 0) {</pre>

function lemonadeChange(bills: number[]): boolean {

// Initialize the count of \$5 and \$10 bills

return false;

if (tenDollarBills > 0) {

--tenDollarBills:

fiveDollarBills -= 3;

} else {

return true;

let fiveDollarBills = 0;

let tenDollarBills = 0;

} else {

// Use switch-case to handle different bill values

// If it's a \$5 bill, no change is needed, increase count of \$5 bills

// If the bill is \$5, no change is needed, simply increment \$5 bill counter.

--fiveDollarBills; // Giving change of one \$5 bill.

// If we were able to provide change for all customers, return true.

// If the bill is \$10, give one \$5 bill as change and increment \$10 bill counter.

// For a \$20 bill, prefer to give one \$10 and one \$5 bill as change if possible.

--fiveDollarBills; // Giving change of one \$10 and one \$5 bill.

// If no \$10 bills are available, give three \$5 bills as change.

// If at any point we do not have enough \$5 bills to give change, return false.

for (int bill : bills) {

switch (bill) {

case 5:

# Initialize counters for five and ten dollar bills

- We stop the process as we've been unable to provide change for the third customer. Thus, the function will return false in this example.
- Solution Implementation

We give one \$5 bill as change: five is decremented by 1, ten is incremented by 1 (five = 0, ten = 1).

**Python** 

## five\_dollar\_count = ten\_dollar\_count = 0

for bill in bills:

class Solution:

```
if bill == 5:
                # If it's a $5 bill, simply increase the count of $5 bills
                five dollar count += 1
            elif bill == 10:
                # If it's a $10 bill, give one $5 bill as change
                ten dollar count += 1
                five_dollar_count -= 1
            else:
                # If it's a $20 bill, trv to give one $10 and one $5 as change if possible
                # Otherwise, give three $5 bills as change
                if ten dollar count:
                    ten dollar count -= 1
                    five_dollar_count -= 1
                else:
                    five dollar count -= 3
            # If at any point the count of $5 bills drops below zero, it's impossible to give change
            if five dollar count < 0:</pre>
                return False
        # If we got to the end without running out of $5 bills, we can give change for all transactions
        return True
Java
class Solution {
    public boolean lemonadeChange(int[] bills) {
        // Initialize counters for five and ten dollar bills
        int fiveDollarBills = 0;
        int tenDollarBills = 0;
```

```
break;
                case 10:
                    // For a $10 bill, we need to give one $5 bill as change
                    tenDollarBills++:
                                         // Increase $10 bills
                    fiveDollarBills--; // Reduce $5 bills as we give it as change
                    break;
                case 20:
                    // For a $20 bill, prefer to give one $10 and one $5 as change if possible
                    if (tenDollarBills > 0) {
                        tenDollarBills--;
                                            // Use a $10 bill for change
                        fiveDollarBills--; // Use a $5 bill for change
                    } else {
                        // If no $10 bills, we need to give three $5 bills as change
                        fiveDollarBills -= 3;
                    break;
            // If at any point we do not have enough $5 bills to give as change, return false
            if (fiveDollarBills < 0) {</pre>
                return false;
        // If we can make change for all customers, return true
        return true;
C++
#include <vector> // Include the vector header for using the vector container.
class Solution {
public:
    // Method to determine if we can provide every customer with correct change.
    bool lemonadeChange(vector<int>& bills) {
        // Initialize counters for $5 and $10 bills.
        int fiveDollarBills = 0, tenDollarBills = 0;
        // Iterate over each bill in the vector 'bills'.
        for (int bill : bills) {
            if (bill == 5) {
```

**}**;

**TypeScript** 

```
// Iterate through each bill received
   for (let bill of bills) {
        switch (bill) {
           case 5: // When the bill is $5, no change is needed, simply increase the count of $5 bills
                fiveDollarBills++;
               break:
           case 10: // For a $10 bill, give back one $5 bill as change and increase $10 bill count
                fiveDollarBills--: // Giving change
               tenDollarBills++; // Receiving $10
               break:
           case 20: // For a $20 bill, try to give one $10 and one $5 as change if possible
               if (tenDollarBills > 0) {
                    tenDollarBills -= 1; // Giving one $10 bill as change
                                          // $10 change has been given, need $10 more
                   bill -= 10;
               fiveDollarBills -= bill / 5 - 1; // Give the rest of the change in $5 bills
               break;
           // Note: Though the use of the 'bill' variable here is a bit unconventional,
                    since we've subtracted $10 if we've used a $10 bill for change,
                    dividing 'bill' by 5 now effectively gives us how many more $5 bills
                    we need to give as change (either one $5 bill if we gave a $10, or
                    three $5 bills if we didn't).
       // If we don't have enough $5 bills to give change, return false
       if (fiveDollarBills < 0) {</pre>
           return false;
   // If we've iterated through all bills and always had enough to give change, return true
   return true;
class Solution:
   def lemonadeChange(self, bills: List[int]) -> bool:
       # Initialize counters for five and ten dollar bills
       five_dollar_count = ten_dollar_count = 0
       # Iterate over each bill received
       for bill in bills:
           if bill == 5:
               # If it's a $5 bill, simply increase the count of $5 bills
               five dollar count += 1
```

## # If we got to the end without running out of \$5 bills, we can give change for all transactions return True

**Time and Space Complexity** 

else:

elif bill == 10:

else:

ten dollar count += 1

five\_dollar\_count -= 1

if ten dollar count:

if five dollar count < 0:</pre>

return False

ten dollar count -= 1

five\_dollar\_count -= 1

five dollar count -= 3

# If it's a \$10 bill, give one \$5 bill as change

# Otherwise, give three \$5 bills as change

# If it's a \$20 bill, try to give one \$10 and one \$5 as change if possible

# If at any point the count of \$5 bills drops below zero, it's impossible to give change

# The given algorithm iterates through the list of bills once. During each iteration, it performs a constant number of operations such

**Time Complexity:** 

as comparison, increment, and decrement on integer variables. These operations do not depend on the size of the input and hence take constant time. Therefore, the time complexity of the algorithm is determined by the number of iterations, which is directly proportional to the

length of the list of bills, n. Hence, the time complexity is O(n), where n is the length of the bills list.

# **Space Complexity:**

The algorithm uses a fixed number of integer variables (five and ten) to keep track of the count of 5and10 bills. The space used does not grow with the size of the input list. These two integer variables use a constant amount of space.

Consequently, the space complexity of the algorithm is 0(1), which means it uses constant additional space regardless of the input size.