

1632. Rank Transform of a Matrix

Description

Given an `m x n` `matrix`, return *a new matrix* `answer` *where* `answer[row][col]` *is the rank of* `matrix[row][col]`.

The **rank** is an **integer** that represents how large an element is compared to other elements. It is calculated using the following rules:

- The rank is an integer starting from `1`.
- If two elements `p` and `q` are in the **same row or column**, then:
 - If `p < q` then `rank(p) < rank(q)`
 - If `p == q` then `rank(p) == rank(q)`
 - If `p > q` then `rank(p) > rank(q)`
- The **rank** should be as **small** as possible.

The test cases are generated so that `answer` is unique under the given rules.

Example 1:

1	2	➡	1	2
3	4		2	3

Input: `matrix = [[1,2],[3,4]]`
Output: `[[1,2],[2,3]]`
Explanation:
The rank of `matrix[0][0]` is 1 because it is the smallest integer in its row and column.
The rank of `matrix[0][1]` is 2 because `matrix[0][1] > matrix[0][0]` and `matrix[0][0]` is rank 1.
The rank of `matrix[1][0]` is 2 because `matrix[1][0] > matrix[0][0]` and `matrix[0][0]` is rank 1.
The rank of `matrix[1][1]` is 3 because `matrix[1][1] > matrix[0][1]`, `matrix[1][1] > matrix[1][0]`, and both `matrix[0][1]` and `matrix[1][0]` are rank 2.

Example 2:

7	7	➡	1	1
7	7		1	1

Input: `matrix = [[7,7],[7,7]]`
Output: `[[1,1],[1,1]]`

Example 3:

20	-21	14	➡	4	2	3
-19	4	19		1	3	4
22	-47	24		5	1	6
-19	4	19		1	3	4

Input: `matrix = [[20,-21,14],[-19,4,19],[22,-47,24],[-19,4,19]]`
Output: `[[4,2,3],[1,3,4],[5,1,6],[1,3,4]]`

Constraints:

- `m == matrix.length`
- `n == matrix[i].length`
- `1 <= m, n <= 500`
- `-109 <= matrix[row][col] <= 109`

