Problem Description

becomes the new root of the tree. The transformation needs to follow certain steps, and they must be applied starting from the leaf node in question towards the original root (but not including it). The steps are: 1. If the current node (cur) has a left child, that child should now become the right child of cur.

In this problem, we are given the root of a binary tree and a leaf node. Our task is to reroot the binary tree so that this leaf node

- 2. The previous parent of cur now becomes the left child of cur. It's important to ensure here that the old connection between cur and its parent is severed, resulting in the parent having at most one child.
- The final requirement is to return the new root of the rerooted tree, which is the leaf node we started with. Throughout this process,

Intuition

we must make sure that the parent pointers in the tree's nodes are updated correctly, or the solution will be incorrect.

The solution follows a simple yet effective approach. Beginning with the leaf node that's supposed to become the new root, we move upwards towards the original root, performing the required transformation at each step:

current node.

 We flip the current node's left and right children (if the left child exists). We then make the current node's parent the new left child of the current node, ensuring that we cut off the parent's link to the

With each step, the parent pointer of the nodes is updated to reflect the rerooting process. This ensures that once we reach the original root, our leaf node has successfully become the new root with the entire binary tree rerooted accordingly. Notably, the final

• We proceed to update the current node to be the former parent, and repeat the process until we reach the original root.

step is to sever the parent connection of the leaf node, as it is now the root of the tree and should not have a parent.

Solution Approach To implement the solution, we follow a specific set of steps that involve traversing from the leaf node up to the original root and rearranging the pointers in such a way that the leaf node becomes the new root.

needed to reroot the tree:

• We start by initializing cur as the leaf node, which is our target for the new root. We will move cur up the tree, so we also initialize p to be the parent of cur. • We then enter a loop that will continue until cur becomes equal to the original root. Inside this loop, we perform the steps

• We store the parent of the parent (gp) for a later step, as it will become the parent of p in the next iteration.

o If cur.left exists, we make it the right child of cur by doing cur.right = cur.left.

both child and parent pointers, as per the rerooting steps.

Here's a walkthrough of the implementation using the solution code given:

- We then set cur.left to p, making the original parent (p) the new left child of cur. After changing the child pointers, we update the parent pointer by setting p.parent to cur.
- We need to ensure that p will no longer have cur as a child, hence we check whether cur was a left or right child and then set the respective child pointer in p to None. We move up the tree by setting cur to p and p to gp.
- After the loop, the original leaf node is now at the position of the new root, but the parent pointer for this new root is still set. We must set leaf.parent to None to finalize the rerooting process.

• The last step is to return leaf, which is now the new root following the rerooting algorithm described above.

- The main algorithmic concept here is the traversal and pointer manipulation in a binary tree. The traversal is not recursive but iterative, using a while loop to go node by node upwards towards the original root. The pointers manipulations involve changes to
- hierarchy in the transformed tree structure. **Example Walkthrough**

Remember that while the mechanism may appear simple, it is crucial to handle the pointers correctly to avoid any cycles or incorrect

Goal: Reroot the tree so the leaf node f becomes the new root.

Starting Point: Node f.

Original Binary Tree:

Using our approach:

Make d the left child of f by setting cur. left to p, so now f points to d on the left.

Now cur.left exists (e), so set cur.right to cur.left (make d.right point to e).

1. Initialize cur as node f. Since f has no left child, we do not modify its right child.

Set gp (grandparent) as the parent of d, which is node b.

• Since cur. left does not exist, we move to the next step.

Move up the tree: cur now becomes d, and p becomes b.

Let's consider a small binary tree and the steps required to reroot it using the solution described.

 Set the parent pointer of d (p.parent) to f. Determine if f was a left or right child of d. In this case, f is the left child, so set d. left to None.

5. Final loop iteration:

3. In the loop:

- 4. Next loop iteration: Set gp as the parent of b, which is node a.
 - The parent pointer of b (p.parent) is set to d. Determine if d was a left or right child of b. d is the left child, so set b.left to None.

Move up: cur now is b, and p is a.

Make b the left child of d by setting cur.left to p.

2. Set p as the parent of f, which is node d.

• gp would be the parent of a, which does not exist since a is the original root. cur.left does not exist (tree doesn't have b.left anymore), so no changes to cur.right.

• Determine if b was a left or right child of a. b is the left child, so set a.left to None.

Since a has no parent (gp), exit the loop.

Make a the left child of b by setting cur.left to p.

The parent pointer of a (p.parent) is now set to b.

Resulting Rerooted Binary Tree:

Final Step: Set the parent of the new root (f) to None as it should not have a parent.

Now, f is the new root, and the tree is correctly rerooted, preserving the left and right subtrees' hierarchy where applicable.

Initialize current node as the leaf node.

parent_node.left = None

parent_node.right = None

public Node flipBinaryTree(Node root, Node leaf) {

Node parentNode = currentNode.parent;

if (currentNode.left != null) {

elif parent_node.right == current_node:

Traverse up the tree until we reach the root.

Keep reference to the grandparent node.

current_node.right = current_node.left

The original leaf node is now the new root of the flipped tree.

// Initialize parent node as the parent of the current node.

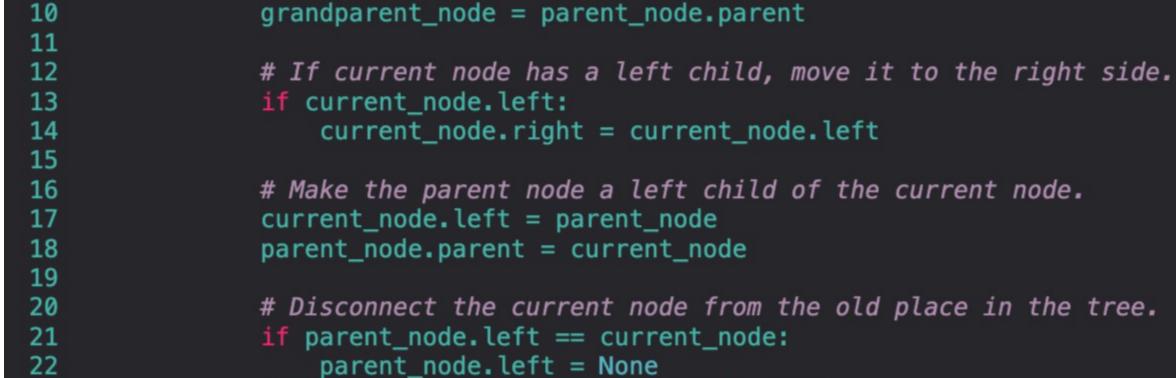
// Iterate until the current node is the original root.

Node grandParentNode = parentNode.parent;

parent_node = current_node.parent

while current_node != root:

def flipBinaryTree(self, root: 'Node', leaf: 'Node') -> 'Node':



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Python Solution

current_node = leaf

leaf.parent = None

Node currentNode = leaf;

while (currentNode != root) {

return leaf

Java Solution

class Solution {

class Solution:

26 # Move one level up the tree 27 current_node = parent_node 28 parent_node = grandparent_node 29 30 # Once the root is reached, we disconnect the leaf from its parent.

// Initialize current node as the leaf node to be flipped up to the new root position.

// Store the grandparent node (parent of the parent node) for later use.

// If the current node has a left child, move it to the right child position.

// Disconnect the current node from its original position in its parent node.

// Move up the tree: Set current node to parent, and parent node to grandparent.

// Flip the link direction between current node and parent node. 18 currentNode.left = parentNode; 19 20 21 // Update the parent's parent to point back to the current node. 22 parentNode.parent = currentNode;

} else if (parentNode.right == currentNode) {

// It must be from the right child position.

if (parentNode.left == currentNode) {

parentNode.left = null;

parentNode.right = null;

currentNode = parentNode;

parentNode = grandParentNode;

currentNode.right = currentNode.left;

35 36 37 // After flipping the tree, the original leaf node has no parent. 38 leaf.parent = null; 39 // Return the new root of the flipped binary tree (which was the original leaf node).

C++ Solution

return leaf;

// Definition for a binary tree node with an additional parent pointer 2 class Node { public: int val; // The value of the node // Pointer to the left child Node* left; // Pointer to the right child Node* right; // Pointer to the parent node Node* parent; 8 }; 9 class Solution { public: Node* flipBinaryTree(Node* root, Node* leaf) { 12 13 Node* current = leaf; // Initialize current node to leaf Node* parent = current->parent; // Parent node of the current node 14 15 // Continue flipping the tree until we reach the root 16 while (current != root) { Node* grandParent = parent->parent; // Grandparent node of the current node 18 19 // If there is a left child, make it the right child for flip operation 20 21 if (current->left) { current->right = current->left; 23 24 25 // Connect the parent to the current node's left for flip operation 26 current->left = parent; 27 28 // Update the parent's new parent to be the current node parent->parent = current; 30 31 // Disconnect the old links from the parent to the current node 32 if (parent->left == current) parent->left = nullptr; // Previous left child } else if (parent->right == current) { 34 parent->right = nullptr; // Previous right child 35 36 37 38 // Move up the tree current = parent; 39 parent = grandParent; 40

// Finally, ensure the new root (originally the leaf) has no parent

* @param {Node} leaf - The leaf node that will become the new root after flipping.

* @return {Node} - The new root of the flipped binary tree (which is the leaf node).

leaf->parent = nullptr;

return leaf;

Typescript Solution

interface Node {

val: number;

left: Node | null;

right: Node | null;

parent: Node | null;

// Return new root of the flipped tree

// Node class definition for a binary tree with a parent reference.

* @param {Node} root - The root node of the binary tree.

var flipBinaryTree = function(root: Node, leaf: Node): Node {

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let currentNode: Node | null = leaf; // Start with the leaf node.
        let parent: Node | null = currentNode.parent; // Get the parent of the current node.
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       // Iterate until we reach the root of the initial tree.
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       while (currentNode !== root) {
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            const grandParent: Node | null = parent ? parent.parent : null; // Save the grandparent node.
23
           if (currentNode.left !== null) {
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                currentNode.right = currentNode.left; // Move the left subtree to the right.
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           currentNode.left = parent; // The parent becomes the left child of the current node.
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           if (parent) {
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                parent.parent = currentNode; // Update the parent's parent to the current node.
31
               // Disconnect the current node from its former parent node.
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               if (parent.left === currentNode) {
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                    parent.left = null;
               } else if (parent.right === currentNode) {
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                    parent.right = null;
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           // Move up the tree.
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           currentNode = parent;
42
           parent = grandParent;
43
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       if (leaf) {
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            leaf.parent = null; // Detach the new root from any parents.
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       // The initial leaf node is now the root of the flipped tree.
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       return leaf;
51 };
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Time and Space Complexity
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* Flips the binary tree so that the path from the specified leaf node to the root becomes the rightmost path in the resulting tree,

Time Complexity The given code processes each node starting from the leaf towards the root, reversing the connections by making each node's

where N is the number of nodes from leaf to root inclusive, which in the worst case can be the height of the tree. **Space Complexity**

The space complexity is 0(1) since the function only uses a fixed amount of additional space for pointers cur, p, and gp regardless of

the input size. The modifications are done in place, so no additional space that depends on the size of the tree is required.

parent its child until it reaches the root. Each node is visited exactly once during this process. Therefore, the time complexity is O(N),