1775. Equal Sum Arrays With Minimum Number of Operations Medium Greedy Hash Table Counting Array Leetcode Link

Problem Description

array or decreasing some in the larger-summed array.

step and to calculate the difference between the two.

integer between 1 and 6, inclusive. Your task is to equalize the sum of both arrays using the minimum number of operations. An operation consists of changing any element's value in either array to any integer between 1 and 6 (also inclusive). You need to determine the least number of such operations needed to make the sums of both arrays equal, or return -1 if equalizing the sums is impossible. Intuition

You are given two arrays of integers, nums1 and nums2, which may not be of equal length. Each element in both arrays will be an

To solve this problem intuitively, one should start by comparing the sums of both arrays. If they are already equal, no operations are needed, so the answer is 0. If the sums are not equal, operations will entail either increasing some numbers in the smaller-summed

There are limit cases where it's impossible to make the sums equal. One occurs when the smaller array is so small and full of sixes, and the larger array is so large and full of ones that even maxing out the values in the smaller one won't help. Another occurs when the larger array is full of sixes, and the smaller is full of ones, and decreasing values in the larger array is equally futile.

Approaching the array with the smaller sum, we look at how much we can increase each of its elements (up to a maximum of 6). For the larger sum array, we calculate how much we can decrease each element (down to a minimum of 1). The resulting potential changes are combined into a single list, sorted by the magnitude of potential change in descending order.

We then iterate through each potential change from largest to smallest. With every iteration, we subtract the value of the potential change from the sum difference between the arrays. If at any point the sum difference drops to 0 or below, we know that we've made enough changes to equalize the arrays, and we return the number of operations taken thus far. If we exhaust the list of potential changes and the sum difference remains positive, we conclude that equalizing the sums is impossible and return -1.

Solution Approach The implementation groups a clear algorithmic approach with efficient use of data structures, mainly lists and the sum function.

1. First, calculate the sums of both input arrays, nums1 and nums2, using the sum function. We need these sums to decide our next

2. If the sums of both arrays are already equal (s1 == s2), return 0 as no operations are required.

changes to be considered first.

to equalize the sums.

1. Calculate the sums of nums1 and nums2:

 \circ sum(nums1) = 1+2+5 = 8

4. Calculate the potential changes:

Let's consider the following example to illustrate the solution approach:

goal is to increase the sum of nums1 or decrease the sum of nums2.

The potential changes list is [5, 4, 2, 5].

7. Iterate over the sorted list of potential changes:

Calculate the sum of both lists

sum1, sum2 = sum(nums1), sum(nums2)

If sums are equal, no operations are needed

return self.min_operations(nums2, nums1)

sorted_changes = sorted(possible_changes, reverse=True)

for i, value in enumerate(sorted_changes, start=1):

Apply the changes one by one and count the number of operations

difference -= value # Apply the change to the difference

Calculate the difference between the sums

6. Initialize d with the difference between sums: d = 11 - 8 = 3.

Example Walkthrough

Here's the breakdown:

3. Verify if the sum of nums1 is greater than that of nums2. If this is true, call the function recursively with the arrays flipped because it's more practical to begin with the array that currently has the smaller sum.

increase possible for each element. For the larger-summed array (nums2), subtract 1 from each value to see the maximum decrease possible. Combine these two lists.

5. Sort this combined list in reverse order (from the largest to the smallest potential change) because you want the most significant

4. To generate the list of potential changes, subtract each value in the smaller-summed array (nums1) from 6 to see the maximum

- 6. Initialize a variable d with the value of the difference between \$2 and \$1 (the sum of nums2 and nums1).
- 7. Iterate over the sorted list of potential changes. During each iteration: Subtract the current potential change from d. Increment a counter to keep track of how many changes we've used.

If d is less or equal to 0 after the subtraction, return the number of operations (the current counter value) as you've managed

8. If you complete the iteration without d dropping to or below 0, return -1 as it confirms that equalizing the sums is not possible with the given constraints.

This algorithm effectively utilizes greedy strategy by sorting and consuming potential changes from greatest to least effect. It

assures the minimum number of operations as each step makes the largest possible contribution to equalizing the array sums.

nums1 = [1, 2, 5] and nums2 = [3, 1, 6, 1] Now, let's walk through the solution steps:

 \circ sum(nums2) = 3+1+6+1 = 11 2. The sums are not equal (8 != 11), so we proceed with the next steps.

3. Since the sum of nums2 is greater than that of nums1, we recursively call the function with nums2 and nums1 swapped. Now our

For nums1, we can increase 1 to 6 (gaining 5), 2 to 6 (gaining 4), and we cannot increase 5 any further.

from typing import List

if sum1 == sum2:

return 0

difference = sum2 - sum1

if difference <= 0:

class Solution:

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C++ Solution

#include <vector>

2 #include <numeric>

class Solution {

public:

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#include <algorithm>

int operations = 0;

for (int i = 5; i > 0; --i) {

difference -= i;

--count[i];

++operations;

while (count[i] > 0 && difference > 0) {

return difference <= 0 ? operations : -1;

// Sum the elements of nums1 and nums2

if (sum1 == sum2) return 0;

int difference = sum2 - sum1;

std::vector<int> changes;

 \circ Using 5 from the first array brings d to -2 (3 - 5 = -2). Since d is now less than 0, we know that we have equalized the arrays. It took us 1 operation to achieve this.

Therefore, in this example, the smallest number of operations needed to equalize the sums of both arrays is 1.

∘ For nums2, we can decrease 3 to 1 (gaining 2), 6 to 1 (gaining 5), and we do not gain from 1s.

5. Sort the potential changes list into [5, 5, 4, 2], favoring the biggest changing numbers.

- Python Solution
- 11 12 # If sum1 is greater than sum2, swap the lists and re-run the function 13 if sum1 > sum2:

Create a list of possible changes (increments for nums1, decrements for nums2)

// Iterate through the potential operations from the highest (i=5, six-crement)

// keep reducing the difference and incrementing the operations count

// to the lowest (i=1, double-crement) to minimize the number of operations needed

// If the difference is now zero or less, we were successful in equalling the sums

// Calculates the minimum number of operations to make the sum of nums1 equal to the sum of nums2

// Calculate potential changes if we increase nums1's values (each number can go as high as 6)

// Calculate potential changes if we decrease nums2's values (each number can go as low as 1)

// Sort the array of changes in decreasing order to maximize the effect of each operation

// Apply the changes in order, and count the operations, until the difference is eliminated

if (difference <= 0) return i + 1; // Return the number of operations taken so far

// If we applied all changes and the difference still wasn't eliminated, return -1

// using a minimum number of operations; otherwise, it's not possible (-1)

int minOperations(std::vector<int>& nums1, std::vector<int>& nums2) {

int sum1 = std::accumulate(nums1.begin(), nums1.end(), 0);

int sum2 = std::accumulate(nums2.begin(), nums2.end(), 0);

// If the sums are already equal, no operations are needed

// Ensure suml is the smaller sum, for consistent processing

// Create an array to store the maximum possible increments from nums1

if (sum1 > sum2) return minOperations(nums2, nums1);

// Calculate the difference that needs to be overcome

// and the maximum possible decrements from nums2

for (int value : nums1) changes.push_back(6 - value);

for (int value : nums2) changes.push_back(value - 1);

std::sort(changes.begin(), changes.end(), std::greater<>());

changes.reserve(nums1.size() + nums2.size());

for (size_t i = 0; i < changes.size(); ++i) {</pre>

difference -= changes[i];

// As long as there are operations left that can be performed and the difference is positive,

possible_changes = [6 - num for num in nums1] + [num - 1 for num in nums2]

Sort the changes in descending order to optimize the number of operations

def min_operations(self, nums1: List[int], nums2: List[int]) -> int:

29 return i # Return the number of operations if the new sum is equal or higher 30 31 # If it's not possible to make sums equal, return -1 32 return -1

Java Solution

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class Solution {
       public int minOperations(int[] nums1, int[] nums2) {
           // Calculate the sum of elements in nums1 and nums2
           int sum1 = Arrays.stream(nums1).sum();
           int sum2 = Arrays.stream(nums2).sum();
           // If the sums are equal, no operations are required
           if (sum1 == sum2) {
               return 0;
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           // If sum1 is greater than sum2, we will need to perform operations on nums2 to make
           // both arrays' sums equal. So we recursively call the function with reversed parameters.
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           if (sum1 > sum2) {
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               return minOperations(nums2, nums1);
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           // Calculate the difference that needs to be bridged
           int difference = sum2 - sum1;
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           // Array to count the number of operations needed to increment or decrement
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           // Each index i represents the number of operations to increase sum1 or decrease sum2 by (i+1)
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           // Index 0 represents a single increment/decrement up to index 5 representing six increments/decrements
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           int[] count = new int[6];
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           // Count the potential operations in nums1 (increment operations)
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           for (int value : nums1) {
               ++count[6 - value];
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           // Count the potential operations in nums2 (decrement operations)
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           for (int value : nums2) {
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               ++count[value - 1];
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           // Variable to store the number of operations performed
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```

}; 44 45

return -1;

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Typescript Solution
   function minOperations(nums1: number[], nums2: number[]): number {
       // Sum the elements of nums1 and nums2
       let sum1: number = nums1.reduce((a, b) => a + b, 0);
       let sum2: number = nums2.reduce((a, b) => a + b, 0);
       // If the sums are already equal, no operations are needed
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       if (sum1 === sum2) return 0;
       // Ensure suml is the smaller sum, for consistent processing
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       if (sum1 > sum2) return minOperations(nums2, nums1);
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       // Calculate the difference that needs to be overcome
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       let difference: number = sum2 - sum1;
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       // Create an array to store the maximum possible increments from nums1
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       // and the maximum possible decrements from nums2
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       let changes: number[] = [];
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       // Calculate potential changes if we increase nums1's values (each number can go as high as 6)
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       nums1.forEach(value => changes.push(6 - value));
20
       // Calculate potential changes if we decrease nums2's values (each number can go as low as 1)
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       nums2.forEach(value => changes.push(value - 1));
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       // Sort the array of changes in decreasing order to maximize the effect of each operation
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        changes.sort((a, b) \Rightarrow b - a);
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       // Apply the changes in order, and count the operations, until the difference is eliminated
       for (let i = 0; i < changes.length; ++i) {</pre>
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           difference -= changes[i];
           if (difference <= 0) {</pre>
               // Return the number of operations taken so far
31
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               return i + 1;
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       // If we applied all changes and the difference still wasn't eliminated, return -1
37
       return -1;
38 }
39
40 // Example usage
41 // const ops = minOperations([1, 2, 3], [4, 5, 6]);
42 // console.log(ops); // Should log the number of operations needed
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```

The time complexity of the code can be broken down into the following parts: • Summation of both arrays nums1 and nums2: This has a time complexity of O(N + M), where N is the length of nums1, and M is the

Time and Space Complexity

• The recursive call self.minOperations(nums2, nums1) doesn't change the time complexity since it happens at most once and just swaps the role of nums1 and nums2.

Time Complexity

equal to the sum of lengths of nums1 and nums2.

length of nums2, since each array is iterated over once.

The space complexity of the code can be analyzed as follows:

- Creation of the combined array arr: This involves iterating over both nums1 and nums2 and thus has a complexity of O(N + M). • Sorting the arr: The sorting operation has a complexity of O((N + M) * log(N + M)), because it sorts a list that has a length
- Iterating over the sorted array to find the minimum number of operations: In the worst case, this is O(N + M) when we iterate over the entire combined list.

Therefore, the dominant factor for time complexity here is the sorting operation. The overall time complexity of the function is 0 ((N +

M) * log(N + M)).**Space Complexity**

Extra space for the sum operations is 0(1) since we just accumulate values.

- Extra space for the combined array arr: This takes up O(N + M) space. Space required for the sorting of arr: Sorting typically requires O(N + M) space.
- Given that the combined array arr and its sorting are the steps that require the most space, the overall space complexity is 0(N +

M).