



Problem Description

array of update operations called updates. Each update operation is described as a tuple or list with three integers: [startIdx, endIdx, inc]. For each update operation, we are supposed to add the value inc to each element of the array starting at index startIdx up to and including the index endIdx.

In this problem, we are given an integer length which refers to the length of an array initially filled with zeros. We are also given an

For instance, if length = 5 and an update action specifies [1, 3, 2], then after this update, the array will have 2 added to its 1st,

The goal is to apply all the update operations to the array and then return the modified array.

2nd, and 3rd positions (keeping zero-based indexing in mind), resulting in the array [0, 2, 2, 0] after this single operation. After applying all updates, we need to return the final state of the array.

Intuition

for every update in updates. However, this would be time-consuming, especially for a large number of updates or a large range within the updates. This is where the prefix sum technique comes into play. It is a very efficient way for handling operations that involve adding some

value to a range of elements in an array. The main intuition behind prefix sums is that we can record changes at the borders – at the

The intuitive brute force approach would be to go through each update and add inc to all elements ranging from startIdx to endIdx

start index, we begin to add the increment, and just after the end index, we cancel it out. In more detail, for each update [startIdx, endIdx, inc], we add inc to the position startIdx and subtract inc from endIdx + 1. This marks the range where the increment is valid. When we compute the prefix sum of this array, it will apply the increment to

all elements since startIdx, and the subtraction at endIdx + 1 will counterbalance it, returning the array to its original state beyond endIdx. The accumulation step goes through the array and adds each element to the sum of all previous elements, effectively applying the increments and decrements outlined in the updates.

In the presented solution, the Python accumulate function from the itertools module takes care of the accumulation step for us, summing up the differences and giving us the array after all updates have been applied.

Solution Approach

The implementation of this solution is straightforward once we understand the intuition behind using prefix sums. Here's a step-by-

step rundown of the algorithm:

returned as the final result.

for l, r, c in updates:

if r + 1 < length:</pre>

return list(accumulate(d))

d[r + 1] -= c

d[l] += c

1. We initialize an array d with a length of length filled with zeros. This array will serve as our difference array which records the difference of each position compared to the previous one.

2. We then iterate over each update in the updates array. Each update is in the format [startIdx, endIdx, inc].

applied. 4. We then check if endIdx + 1 < length, which is to ensure we do not go out of bounds of the array. If we are still within bounds,

3. For each update, we add inc to d[startIdx]. This signifies that from startIdx onwards, we have an increment of inc to be

- we subtract inc from d[endIdx + 1]. This effectively cancels out the previous increment beyond the endIdx. 5. After processing all updates, d now contains all the changes that are needed to be applied in the form of a difference array.
- through the array adding each element to the sum of all the previous elements and thus applies the increments tracked in d at their respective starting indices and cancels them after their respective ending indices.

7. The returned value from the accumulate function gives us the modified array arr after all updates have been applied, and this is

6. Finally, we use the accumulate function of Python to calculate the prefix sum array from the difference array d. This step goes

range increment, rather than incrementing all elements within the range for each update which could lead to a much higher time complexity.

This approach effectively reduces the time complexity of the problem, as we only need to make a constant-time update for each

1 from itertools import accumulate class Solution: def getModifiedArray(self, length: int, updates: List[List[int]]) -> List[int]: d = [0] * length

In this code example, accumulate is an in-built Python function from the itertools module that computes the cumulative sum of the elements. This effectively does the last step of our prefix sum implementation for us.

Here's the mentioned code for the described solution approach that uses these steps:

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Consider an array of length = 5 which is initially [0, 0, 0, 0]. Suppose we have the following updates = [[1, 3, 2], [2, 4,
3]] which includes two update operations.
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operations.

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class Solution:

21 # Example usage:

22 # sol = Solution()

Example Walkthrough

2. Apply the first update [1, 3, 2]: Add the increment 2 to d[startIdx] which is d[1], so now d = [0, 2, 0, 0, 0].

hence no subtraction is done.

list(accumulate(d)) = [0, 2, 5, 5, 5]

result = [0] * length

if end + 1 < length:</pre>

return list(accumulate(result))

Let's illustrate the solution approach with a small example.

 Subtract the increment 2 from d[endIdx + 1] which is d[4], but d[4] is out of bounds for the first update's end index, so d remains unchanged here. 3. Apply the second update [2, 4, 3]:

Subtract the increment 3 from d[endIdx + 1] which is not applicable here as endIdx + 1 equals 5 which is out of bounds,

5. Now use the accumulate function to calculate the prefix sum array from the difference array d: Final array =

from itertools import accumulate # Import the accumulate function from itertools

Initialize the result array with zeros of given length

def getModifiedArray(self, length: int, updates: List[List[int]]) -> List[int]:

Iterate through each update operation described by [start, end, increment]

If the end index + 1 is within bounds, apply the negative increment

This is done to cancel the previous addition beyond the end index

Use accumulate to compute the running total, which applies the updates

// Convert the 'difference' array into the actual array 'result'

// Define TypeScript Function with specified input types and return type.

* @param {number} arrayLength - The length of the array to be modified.

// Create an array filled with zeros of the specified length.

const differenceArray = new Array<number>(arrayLength).fill(0);

* @param {number[][]} updates - Array containing the updates to be applied.

function getModifiedArray(arrayLength: number, updates: number[][]): number[] {

// Apply the increment to the start index of the difference array.

// If the end index + 1 is within the bounds of the array, decrement the value.

* Get the modified array after applying a series of updates.

* @returns {number[]} - The modified array after all updates.

for (const [startIdx, endIdx, increment] of updates) {

differenceArray[endIdx + 1] -= increment;

differenceArray[i] += differenceArray[i - 1];

// Return the modified array with all updates applied.

// Iterate over each update operation provided.

differenceArray[startIdx] += increment;

if (endIdx + 1 < arrayLength)</pre>

for (int i = 1; i < length; i++) {</pre>

return difference;

// Return the resultant modified array

difference[i] += difference[i - 1];

// where each element is the cumulative sum from start to that index

4. With all updates applied, the difference array d is: d = [0, 2, 3, 0, 0]

Add the increment 3 to d[startIdx] which is d[2], now d = [0, 2, 3, 0, 0].

1. Initialize the difference array d which is the same size as our initial array: d = [0, 0, 0, 0, 0]

Python Solution

This example confirms that the prefix sum technique updates the initial zero-filled array efficiently with the given range update

for start, end, increment in updates: 9 # Apply the increment to the start index result[start] += increment 11 12

result[end + 1] -= increment

print(sol.getModifiedArray(5, [[1,3,2],[2,4,3],[0,2,-2]]))

The final array after applying all updates will be [0, 2, 5, 5, 5].

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Java Solution
   class Solution {
       // Method to compute the modified array after a sequence of updates
       public int[] getModifiedArray(int length, int[][] updates) {
           // Create an array 'difference' initialized to zero, with the given length
           int[] difference = new int[length];
           // Apply each update in the updates array
           for (int[] update : updates) -
               int startIndex = update[0]; // Start index for the update
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               int endIndex = update[1]; // End index for the update
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               int increment = update[2]; // Value to add to the subarray
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               // Apply increment to the start index
               difference[startIndex] += increment;
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               // If the end index is not the last element,
               // apply the negation of increment to the element after the end index
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               if (endIndex + 1 < length) {</pre>
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                   difference[endIndex + 1] -= increment;
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C++ Solution

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#include <vector>
   class Solution {
   public:
       // Function to calculate the modified array based on intervals of updates
       std::vector<int> getModifiedArray(int length, std::vector<std::vector<int>>& updates) {
           // Initialize the difference array with zeros
            std::vector<int> diff_array(length, 0);
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           // Iterate through each update operation represented by a triplet [startIdx, endIdx, inc]
            for (auto& update : updates) {
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                int start_idx = update[0]; // Starting index for the update
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                int end_idx = update[1]; // Ending index for the update
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                int increment = update[2]; // Increment value to be added
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               // Apply the increment to the start index in the difference array
                diff_array[start_idx] += increment;
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               // Apply the negative increment to the position after the end index if in bounds
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               // This marks the end of the increment segment
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               if (end_idx + 1 < length) {</pre>
                    diff_array[end_idx + 1] -= increment;
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           // Iterate through the difference array to compute the final values
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           // by adding the current value to the cumulative sum
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           for (int i = 1; i < length; ++i) {</pre>
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                diff_array[i] += diff_array[i - 1];
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           // Return the result — the final array after all updates have been applied
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            return diff_array;
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35 };
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Typescript Solution
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21 22 23 // Iterate over the array, adding the previous element's value to each current element, 24 // effectively applying the range updates. for (let i = 1; i < arrayLength; ++i) {</pre> 25

return differenceArray;

complexity of O(k).

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Time and Space Complexity
The given Python code utilizes the prefix sum (accumulation) strategy to compute the results of multiple range updates on an array.
The analysis of the time and space complexity is as follows:

    Time Complexity:
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• The algorithm iterates over the updates list once. If there are k updates given, this part of the algorithm has a time

- index and the end index (or one past the end index). After applying all updates, the algorithm uses accumulate from the itertools module to compute the prefix sums over the entire d array. Computing the prefix sum of an array of length n is an O(n) operation.
- Space Complexity:
 - The space complexity of the algorithm is primarily determined by the d array, which holds the prefix sum and has a length equal to the input length. Therefore, it is O(n), where n is the length of the result array. • The updates list does not count towards the extra space since it is part of the input.

Therefore, the space complexity is O(n).

Combining the two parts, the overall time complexity of the algorithm is 0(k + n).

• Each update operation itself is constant time (i.e., 0(1)), since it only involves updating two elements in the d array: the start

- All other operations use constant space, meaning they do not depend on the size of the input, hence do not significantly contribute to the space complexity.
- In conclusion, the given algorithm has a time complexity of 0(k + n) and a space complexity of 0(n).