

# 2398. Maximum Number of Robots Within Budget

## Description

You have  $n$  robots. You are given two **0-indexed** integer arrays, `chargeTimes` and `runningCosts`, both of length  $n$ . The  $i^{\text{th}}$  robot costs `chargeTimes[i]` units to charge and costs `runningCosts[i]` units to run. You are also given an integer `budget`.

The **total cost** of running  $k$  chosen robots is equal to  $\max(\text{chargeTimes}) + k * \text{sum}(\text{runningCosts})$ , where  $\max(\text{chargeTimes})$  is the largest charge cost among the  $k$  robots and  $\text{sum}(\text{runningCosts})$  is the sum of running costs among the  $k$  robots.

Return *the maximum number of consecutive robots you can run such that the total cost does not exceed* `budget`.

### Example 1:

**Input:** `chargeTimes = [3,6,1,3,4]`, `runningCosts = [2,1,3,4,5]`, `budget = 25`

**Output:** 3

**Explanation:**

It is possible to run all individual and consecutive pairs of robots within budget.

To obtain answer 3, consider the first 3 robots. The total cost will be  $\max(3,6,1) + 3 * \text{sum}(2,1,3) = 6 + 3 * 6 = 24$  which is less than 25.

It can be shown that it is not possible to run more than 3 consecutive robots within budget, so we return 3.

### Example 2:

**Input:** `chargeTimes = [11,12,19]`, `runningCosts = [10,8,7]`, `budget = 19`

**Output:** 0

**Explanation:** No robot can be run that does not exceed the budget, so we return 0.

### Constraints:

- $\text{chargeTimes.length} == \text{runningCosts.length} == n$
- $1 \leq n \leq 5 * 10^4$
- $1 \leq \text{chargeTimes}[i], \text{runningCosts}[i] \leq 10^5$
- $1 \leq \text{budget} \leq 10^{15}$

