

**Problem Description** 

The problem provides an integer array called arr. We are asked to count the number of elements, x, in this array such that there exists another element in the array which is exactly one more than x (that is, x + 1). If there are multiple instances of the same value in arr, each occurrence should be considered separately for our count.

An example to illustrate the problem could be if we have the array [1, 2, 3]. Here, the element 1 has a companion 2, and 2 has a companion 3. Thus, we have two elements (1 and 2) that meet the condition, so our result would be 2.

# Intuition

To find an efficient solution to the problem, we realize that checking for the presence of x + 1 for each element x can be made faster by using a set. A set is a data structure that allows for O(1) look-up times on average, meaning we can quickly determine if x + 1 exists in our array.

Here's how we can break down the solution:

- 1. Create a Set: Convert the list arr into a set s. This allows for rapid look-ups and also removes any duplicate values, which we don't need to consider since we're counting duplicates separately anyway.
- 2. Count with a Condition: We go through each element x in the original array arr and check if x + 1 exists in our set s.
- 3. Sum the Counts: By summing the boolean results of the check (since True equates to 1 and False to 0 in Python), we get a count of how many times the condition is met across our array.

in the final count.

The solution's beauty lies in its simplicity and efficiency, transforming the problem into a series of O(1) look-up operations that result

**Solution Approach** 

The Reference Solution Approach uses simple yet effective programming techniques and takes advantage of Python's built-in data structures.

1. Convert to Set: The first step in the countElements method involves creating a set s from the input list arr.

Here's a step-by-step explanation of how the code works:

1 s = set(arr)

operations. 2. Iteration and Element Check: Next, we iterate over the elements in the original array arr. For each element x, we check if x + 1

Sets in Python are implemented as hash tables, which is why we get excellent average-case time complexity for look-up

is present in the set s. 1 sum(x + 1 in s for x in arr)

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The expression x + 1 in s is a boolean check that returns True if the element x + 1 exists in the set s, and False otherwise.
```

3. Summing the True Counts: The sum function in Python adds up all the items in an iterable. Since True is counted as 1 and False

as 0, this line effectively counts all instances where x + 1 is found in the set: 1 return sum(x + 1 in s for x in arr)

```
Each time the check is True, it adds 1 to our running total. When it's False, it adds nothing. The final result is the number of
```

occurrences of certain conditions or items that meet specific criteria.

elements that meet the condition, which the function returns. The algorithm could be classified as a counting algorithm, which is commonly used to solve problems where we are asked to count

In summary, the solution hinges on the constant-time look-up properties of sets in Python and the use of a generator expression within the sum function to iterate and tally our count efficiently.

Example Walkthrough

Let us consider a small example to illustrate the solution approach. Suppose we have an array arr = [3, 1, 2, 3]. We want to count the number of elements in this array for which the element plus one also exists.

def countElements(self, nums: List[int]) -> int:

count = sum(1 for num in nums if num + 1 in unique\_elements)

// Adding each element from the array to the set

// Duplicate elements will not be added to a set, ensuring uniqueness

int count = 0; // Initialize the counter for the elements that match the criteria.

// If the set contains (element+1), increment the counter.

return count; // Return the total count of elements meeting the criteria.

count += uniqueElements.count(element + 1);

// Iterate over the array to count elements such that the element + 1 is also in the array.

1. First, we convert the input list arr into a set s.

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By converting the list into a set, we can check for the existence of x + 1 in constant time.
```

1  $s = set(arr) # Now s is {1, 2, 3}$ 

3: x + 1 is 4, which does not exist in set s. For x = 1: x + 1 is 2, which exists in set s. For x = 2: x + 1 is 3, which exists in set s.

For the second occurrence of x = 3, the result is the same as the first time: x + 1 is 4, which does not exist in set s. 3. We sum the boolean results: 1 return sum(x + 1 in s for x in arr) # Evaluates to sum([False, True, True, False]) which is 0 + 1 + 1 + 0 = 2

2. We now iterate over each element x in the original array arr and use a boolean check to see if x + 1 exists in the set s. For x = 1

Each True result adds 1 to the count. In this case, there are two instances where x + 1 exists in our set; hence, the sum is 2.

```
Given this example, the function countElements would return 2, as 1 and 2 have companions 2 and 3, respectively. Each occurrence is
treated separately, even though 3 appears twice, since 3 + 1 is not in the array, those occurrences do not contribute to our count.
```

**Python Solution** 

## # Create a set from the list for O(1) lookups unique\_elements = set(nums) # Count the elements that have an immediate consecutive successor in the set

class Solution:

```
# Return the total count of such elements
           return count
11
Java Solution
   class Solution {
       public int countElements(int[] arr) {
           // A set to store the unique elements from the array
           Set<Integer> uniqueElementsSet = new HashSet<>();
```

## uniqueElementsSet.add(num); 10 11 12

for (int num : arr) {

```
// Counter to keep track of the number of elements that satisfy the condition
13
           int count = 0;
14
           // Iterating through the array to check if the element's consecutive number is in the set
15
           for (int num : arr) {
16
               if (uniqueElementsSet.contains(num + 1)) {
17
                   // Increment the counter if the set contains the consecutive number
18
19
                   ++count;
20
21
23
           // Returning the count of elements that satisfy the condition
24
           return count;
25
26 }
27
C++ Solution
  #include <vector>
  #include <unordered_set>
   using namespace std;
   class Solution {
   public:
       int countElements(vector<int>& arr) {
           // Create an unordered_set to hold unique elements for fast lookup.
           unordered_set<int> uniqueElements(arr.begin(), arr.end());
```

## 21 }; 22

for (int element : arr) {

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```
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Typescript Solution
   /**
    * Function to count the elements in an array where each element `x` has another element `x+1`.
    * @param arr - An array of number elements.
    * @return The count of elements that satisfy the condition.
    */
   function countElements(arr: number[]): number {
       // Initialize a new Set to store unique elements.
       const uniqueElements = new Set<number>();
       // Add each element of the array to the Set to ensure uniqueness.
       for (const element of arr) {
           uniqueElements.add(element);
13
14
       // Initialize the answer variable to store the final count.
       let count: number = 0;
16
       // Iterate over the array to find elements where `element + 1` exists in the Set.
       for (const element of arr) {
           if (uniqueElements.has(element + 1)) {
               // Increment the count if such an element is found.
               count++;
```

### 26 // Return the final count. return count; 28 } 29

// Example usage in TypeScript:

32 Time and Space Complexity

// const result = countElements([1, 2, 3]); // result should be 2

# Time Complexity

one is also in the array.

The time complexity of the function is O(n). This efficiency is due to two separate operations that each run in linear time relative to

The provided code snippet defines a function countElements that counts the number of elements in an array where the element plus

and inserted into the set.

2. sum(x + 1 in s for x in arr): The sum function iterates over all elements x in arr once, performing a constant-time check x +

1 in s to see if x + 1 exists in the set. Since set lookups are 0(1), and there are n elements, this operation is also 0(n). Therefore, the overall time complexity is the sum of the two operations, which remains O(n).

worst case, if all elements in arr are unique, the set will contain n elements, leading to a space complexity of O(n).

the number of elements, n, in the input array arr: 1. s = set(arr): Transforming the list to a set has a time complexity of O(n) because each of the n elements must be processed

**Space Complexity** The space complexity of the function is O(n). This is determined by the size of the set s that is created from the input array. In the