

**Problem Description** 

The problem provides us with an array of integers called nums, which uses 0-based indexing. We are tasked with finding the minimum number of operations needed to make this array strictly increasing. An operation consists of selecting any element in the array and incrementing it by 1.

A strictly increasing array is defined as one in which every element is less than the element immediately following it (nums[i] < nums [i+1]). A single-element array is considered strictly increasing by default since there are no adjacent elements to compare.

nums [i+1] holds true, by performing the least number of increment operations.

The ultimate goal here is to ensure that for every pair of adjacent elements (nums[i], nums[i+1]), the condition nums[i] <

## The intuition behind the solution involves ensuring that for each element nums [i] in the array, if it's not already greater than the

Intuition

To achieve this, we track the maximum value (mx) needed so far as we iterate through the array. For each value v in the array, if v

previous element nums [i-1], we increment it enough times such that it becomes 1 more than the previous element.

is smaller or equal to mx, we know we need to increment v to at least mx + 1 to maintain the strictly increasing property.

value v. This gap represents the number of increments needed for the current element v. We add this gap to our running total of operations (ans). After considering v, we update mx to be the maximum of mx + 1 (to ensure strict increasing order) and v (in case the current value is already large enough and doesn't need increments).

We calculate any gap that might exist between mx + 1 (which v needs to be to keep the array strictly increasing) and the current

Here's the flow: We initialize the ans (answer) variable to track the total number of operations performed and mx (maximum needed so far)

We iterate through each value v in nums.

with the value 0.

- If v is less than or equal to mx, we calculate the difference mx + 1 v (the number of operations needed to make the current element strictly larger than the previous one) and add it to ans. If v is already greater than mx, no operations are needed, so
- we would add 0.

proves to be efficient for this problem.

We update mx to be the greater value between mx + 1 and v to ensure that we're always setting mx to be at least one greater than the last value (to maintain the strictly increasing order) or to account for the current value if it doesn't need to be incremented.

After going through all elements in nums, the value of ans will be the minimum number of operations required to make nums

- strictly increasing. Solution Approach
- The solution uses a simple, yet efficient algorithm to resolve the challenge. It does not require complex data structures or patterns. The straightforward use of a for-loop and basic arithmetic operations in combination with simple variable tracking

## Here's a detailed walkthrough of the implementation based on the reference solution:

determine if an increment operation is necessary and if so, how many: for v in nums: ans += max(0, mx + 1 - v)

mx will hold the current maximum value needed to maintain a strictly increasing sequence.

We start by initializing two variables, ans and mx, to 0. ans will keep track of the total number of operations performed, while

The core part of our solution is a for-loop that iterates through each number v in the input array nums. This loop is where we

Let's break down the loop operations: ans += max(0, mx + 1 - v): We calculate the difference between mx + 1 and v, which gives us the number of operations

v is already larger than mx, we do not need to perform any operations, hence we add zero to ans.

needed to make the current number v comply with the strictly increasing criterion. We use max(0, mx + 1 - v) because if

larger than mx + 1, we set mx to v. Otherwise, we ensure mx becomes mx + 1, which is the minimum value the next number

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mx = max(mx + 1, v): We update mx to be the larger of mx + 1 and v. This operation is crucial because it ensures that we
will always compare subsequent numbers to a value that keeps the sequence strictly increasing. If v is already equal to or
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mx = max(mx + 1, v)

- in the sequence must exceed. Once the loop completes, the variable ans will contain the sum of all the increments performed, which is the total number of operations needed to make the array nums strictly increasing. This value is then returned as the solution.
- The simplicity of the algorithm comes from the realization that we can keep the problem state using only two variables and do not need to modify the original array. Essentially, it's the concept of dynamic programming without the need for memoization or auxiliary data structures, as we only care about the relationship between adjacent elements. The time complexity of the algorithm is O(n), where n is the number of elements in nums, because we only need to iterate through the array once. The space complexity is O(1) because we use a constant amount of extra space.

Let's walk through a small example to illustrate the solution approach. Suppose we have the following array:

Start the for-loop with the first element v = 3. Since mx is 0, mx + 1 - v is -2. We don't need to perform any increments

# Initialize ans and mx to 0. These will keep track of the total number of operations and the maximum value needed respectively.

Let's apply our algorithm:

finally mx = max(6 + 1, 1) = 7.

to transform it into a strictly increasing array.

def minOperations(self, nums: List[int]) -> int:

# Loop through each value in the given list

operations\_count += max(0, max\_value + 1 - value)

Solution Implementation

**Python** 

Java

class Solution {

class Solution:

**Example Walkthrough** 

nums = [3, 4, 2, 6, 1]

Now, v = 2. Since 2 is not greater than mx, we need to increment v by mx + 1 - v = 4 + 1 - 2 = 3 times. Update ans = 0 + 3 = 3 and now mx = max(4 + 1, 2) = 5.

Next, v = 4. No increments needed, as v is greater than mx. Update ans = 0 and mx = max(4, 4) = 4.

Then, v = 6. No increments needed, as v is greater than mx. Update ans = 3 and mx  $= \max(5 + 1, 6) = 6$ .

because v is already greater than mx. Update ans = 0 and mx = max(1, 3) = 3.

We want to perform the minimum number of operations to make this array strictly increasing.

After going through each element, we found the total number of operations required to make nums strictly increasing is ans = 9. In conclusion, the output for the array nums = [3, 4, 2, 6, 1] would be 9, meaning we need to perform 9 increment operations

Lastly, v = 1. v is less than mx, we must increment v by mx + 1 - v = 6 + 1 - 1 = 6 times. Update ans = 3 + 6 = 9 and

# Initialize the answer counter to count the minimum operations required operations\_count = 0 # Initialize the max\_value variable to keep track of the maximum integer seen so far max\_value = 0

# If the current value is less than or equal to the max\_value adjusted by one,

# calculate the operations needed to make it one greater than the max\_value seen so far

# Update max\_value: it should be the maximum of the previous max\_value adjusted by one,

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# or the current value in the list in case it's larger
    max_value = max(max_value + 1, value)
# Return the total number of operations counted
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return operations\_count

public int minOperations(int[] nums) {

// to make the array strictly increasing

for (int& value : nums) {

int minOperations(std::vector<int>& nums) {

// Loop through each element in the vector

for value in nums:

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int operations = 0; // To store the minimum number of operations required
        int maxVal = 0; // To keep track of the maximum value obtained so far
       // Iterate through all elements in the array
        for (int value : nums) {
           // If the current value is less than the maxVal + 1,
           // we need to increment it, which counts as an operation
            operations += Math.max(0, maxVal + 1 - value); // Add necessary operations
            // Update the maxVal to be the maximum of the current value and maxVal + 1,
            // since we want to ensure the next number is at least maxVal + 1
           maxVal = Math.max(maxVal + 1, value); // Update the maxVal
        return operations; // Return the total number of operations
C++
#include <vector>
#include <algorithm>
class Solution {
public:
   // Function to calculate the minimum number of operations needed
```

```
};
TypeScript
/**
* Calculates the minimum number of operations needed to make the array strictly increasing.
* Each operation consists of incrementing a number in the array.
```

\* @returns {number} The minimum number of operations required.

// Initialize the maximum number seen so far to enable comparisons

# or the current value in the list in case it's larger

max\_value = max(max\_value + 1, value)

\* @param {number[]} nums - The input array of numbers.

// Initialize the number of operations (ans) to 0

function minOperations(nums: number[]): number {

let operationsCount = 0;

let currentMax = 0;

maxSoFar = std::max(maxSoFar + 1, value);

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// Iterate through each number in the input array
      for (const value of nums) {
          // Calculate the number of operations needed for the current number, if any,
          // ensuring the number is at least one more than the current maximum
          operationsCount += Math.max(0, currentMax + 1 - value);
          // Update the current maximum to be either the incremented maximum or the current value,
          // whichever is larger, to maintain the strictly increasing property
          currentMax = Math.max(currentMax + 1, value);
      // Return the total number of operations needed
      return operationsCount;
class Solution:
   def minOperations(self, nums: List[int]) -> int:
       # Initialize the answer counter to count the minimum operations required
        operations_count = 0
       # Initialize the max_value variable to keep track of the maximum integer seen so far
       max_value = 0
       # Loop through each value in the given list
        for value in nums:
           # If the current value is less than or equal to the max_value adjusted by one,
            # calculate the operations needed to make it one greater than the max_value seen so far
            operations_count += max(0, max_value + 1 - value)
```

int totalOperations = 0; // Variable to keep track of total operations performed

// Calculate operations needed for current element to be greater

// Update maxSoFar to be either the current value or one more

// no operations are needed; hence, we use max with 0.

totalOperations += std::max(0, maxSoFar + 1 - value);

return totalOperations; // Return the total number of operations

// than the maxSoFar. If the value is already greater than maxSoFar,

int maxSoFar = 0; // Variable to keep track of the maximum value encountered so far

// than maxSoFar, whichever is larger, to maintain strict increasing order.

### **Time Complexity** The time complexity of the given code is O(n), where n is the length of the nums array. This is because there is a single for-loop

# Return the total number of operations counted return operations\_count Time and Space Complexity

# Update max\_value: it should be the maximum of the previous max\_value adjusted by one,

# performed within the loop (calculations and comparisons) are all constant time operations. **Space Complexity**

The space complexity of the given code is 0(1) (constant space). This is because the amount of extra space used does not depend on the input size n. The code only uses a fixed number of variables (ans, mx, and v) that do not expand with the size of the input array.

that iterates over all elements of the array once, performing a constant number of operations for each element. The operations