



Problem Description

Sorting

values: a cost and a cashback. The cost is the amount of money that must be paid to perform the transaction, and the cashback is the amount that is returned after the transaction is completed. Our goal is to find the minimum amount of money (money) required before any transaction is made so that it's possible to complete all transactions in any order. The key condition is that at any point, money must be greater than or equal to the cost of the transaction being performed, and after each transaction, money updates to

In this problem, we're given an array transactions that represents a series of transactions. Each transaction is described by two

money - cost + cashback.

Intuition

money. Specifically, transactions where cost is greater than cashback are risky because they deplete the pool of money more than any other transaction types. Therefore, one needs to ensure they have enough money to handle the worst-case scenario for these transactions. Here's the intuition to solve the problem:

Coming up with a solution involves understanding that there are certain transactions that are riskier in terms of running out of

1. Calculate the minimum amount of money needed to ensure that you always have enough to cover the cost for the riskier transactions. This is done by finding the sum of the differences between cost and cashback for these transactions (sum(max(0, a

minimize the amount of money needed upfront.

1 s = sum(max(0, a - b)) for a, b in transactions)

iterates through the transactions, comparing each cost and cashback:

cashbacks (or cost, whichever is lower for each of the less risky transactions).

- b) for a, b in transactions). 2. Keep track of the maximum additional money required on top of this sum, which comes from the cashback (or cost if cashback is greater) of the transactions. This step includes the consideration for the transaction with the highest cashback that would
- The solution iterates through each transaction to calculate these values. The initial sum represents the minimum starting money required to perform all riskier transactions one after another, without the cashback from any transaction dichotomizing the sum. The 'ans' being the maximum helps to keep a running maximum of what that minimum starting money might be considering the

By the end of the iteration, if a transaction's cost is greater than its cashback, the maximum of the sum plus cashback becomes a potential answer. Otherwise, the maximum of the sum plus cost is considered for the less risky transactions. The final ans value is the minimum amount of money required to start with to complete all transactions in any order.

Solution Approach The solution uses a simple linear scan algorithm, which is efficient since it only needs to iterate through the transactions once. It

1. It first calculates the sum of all the positive differences between cost and cashback for each transaction. This is because, for

1 ans = 0

performs two key calculations:

transactions where cost is greater than cashback, you will lose some money, and you need to have enough in reserve to cover these losses. The calculation is done with a generator expression in Python:

Here, max(0, a - b) ensures that we only sum positive differences, as we do not need extra money upfront for transactions where cashback is greater or equal to cost.

2. The code then determines the maximum additional money required to ensure that transactions can be completed in any order. It

ans = max(ans, s + b)else: ans = max(ans, s + a)

For riskier transactions (a > b), the code considers the possibility of doing this transaction first when the reserve s is at its full.

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After paying a (cost), you receive b (cashback), so you need at least s + b to start with to do this transaction without going
broke.
For transactions that are not riskier (a <= b), because they refund equal or more than their cost, doing them first would only
require enough money to cover the cost, which is a. Thus, for each transaction, you check if s + a (cost) is a new maximum
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requirement to start with.

2 for a, b in transactions:

if a > b:

The final result in ans is the minimum money required before any transaction that allows you to complete all of them regardless of order. The solution is efficient because it has a time complexity of O(n), where n is the number of transactions, and does not require any additional complex data structures, making use of only iteration and comparison to arrive at the solution.

Let's walk through a small example to better understand the solution approach. Suppose we have the following transactions: • Transaction 1: cost = 5, cashback = 2 • Transaction 2: cost = 3, cashback = 3

We need to find the minimum amount of money (money) required to complete all these transactions in any order. First, we calculate the sum of all the positive differences between cost and cashback. In our example:

current ans (0).

current ans (10).

class Solution:

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Transaction 3: cost = 6, cashback = 1

We sum these up to get the total sum s:

For Transaction 1: cost - cashback = 5 - 2 = 3 (positive difference)

For Transaction 3: cost - cashback = 6 - 1 = 5 (positive difference)

def minimumMoney(self, transactions: List[List[int]]) -> int:

if cost > cashback:

the current transaction

public long minimumMoney(int[][] transactions) {

for (int[] transaction : transactions) {

for (auto& transaction : transactions) {

for (auto& transaction : transactions) {

} else {

return minInitialMoney;

let minInitialMoney: number = 0;

if (transaction[0] > transaction[1]) {

costSum += max(0, transaction[0] - transaction[1]);

// Determine the minimum initial money needed before any of the transactions

minInitialMoney = max(minInitialMoney, costSum + transaction[1]);

minInitialMoney = max(minInitialMoney, costSum + transaction[0]);

// Return the calculated minimum initial money required to complete all transactions

// without considering cashback.

// Iterate over each transaction.

long totalWithoutCashback = 0;

Calculate the initial sum required to cover all negative cash flows,

i.e., where the cost of a transaction is higher than the cashback

Initialize maximum additional money required at the start as zero

Example Walkthrough

For Transaction 2: cost - cashback = 3 - 3 = 0 (no positive difference)

Next, we iterate over each transaction to decide the maximum additional money required. We start with ans = 0:

sum = 3 (from Transaction 1) + 0 (from Transaction 2) + 5 (from Transaction 3) = 8

• Transaction 1: Since cost > cashback, we consider s + cashback which is 8 + 2 = 10. We update ans to 10 as it's greater than the

After considering each transaction, the final answer ans is 11. This is the minimum amount of money we need to have upfront before starting any transactions to be able to complete all of them in any order.

total_negative_cash_flow = sum(max(0, cost - cashback) for cost, cashback in transactions)

If transaction cost is higher than cashback, calculate additional money

required by considering the total negative cash flow and cashback of

Python Solution from typing import List

• Transaction 2: Since cost <= cashback, we consider s + cost which is 8 + 3 = 11. We update ans to 11 as it's greater than the

Transaction 3: Since cost > cashback, we consider s + cashback which is 8 + 1 = 9. ans remains 11 as it's greater than 9.

- max_additional_money_required = 0 10 11 12 # Iterate through all transactions to determine the maximum additional money # required at the start to not end up with a negative balance at any point for cost, cashback in transactions: 14
- max_additional_money_required = max(max_additional_money_required, 19 total_negative_cash_flow + cashback) 20 21 else: # If transaction cost is lower or equal to cashback, 22 23 # calculate by considering total negative cash flow and cost of 24 # the current transaction 25 max_additional_money_required = max(max_additional_money_required, 26 total_negative_cash_flow + cost) 27 28 # Return the maximum additional money that is required at the beginning 29 return max_additional_money_required 30

// Initialize a sum variable to hold the total amount of initial money we need

// To not go negative at the start of a transaction, we need to have enough money

// Hence, we add the net loss of each transaction to the initial money required.

// that even if we don't get the cashback immediately, we won't go bankrupt.

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Java Solution

class Solution {

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totalWithoutCashback += Math.max(0, transaction[0] - transaction[1]);
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           // Initialize a variable to store the answer, which is the final minimum money needed.
            long minMoneyRequired = 0;
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           // Iterate over each transaction again to find the peak money needed at any transaction.
           for (int[] transaction : transactions) {
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               if (transaction[0] > transaction[1]) {
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                   // If the cost is greater than the cashback, the peak money will be the total
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                   // without considering cashback plus the cashback of this transaction.
                   // This ensures we have enough during the transaction and after getting the cashback.
                   minMoneyRequired = Math.max(minMoneyRequired, totalWithoutCashback + transaction[1]);
                } else {
                   // If the cashback is greater than or equal to the cost, we just need the cost of
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                   // this transaction as the peak money, on top of the initially calculated money,
                   // because we'll get back as much or more than we spend.
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                   minMoneyRequired = Math.max(minMoneyRequired, totalWithoutCashback + transaction[0]);
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           // Return the maximum of money we need at any point which will be enough to start all transactions.
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           return minMoneyRequired;
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36 }
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C++ Solution
 1 class Solution {
 2 public:
        long long minimumMoney(vector<vector<int>>& transactions) {
           // Initialize the sum of costs and the answer which will store the minimum initial money required
            long long costSum = 0, minInitialMoney = 0;
           // Calculate the sum of extra costs needed after transactions that cost more than you get back
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// For transactions that cost more than you get back, add back the money obtained from that transaction

// For transactions that cost less or equal to what you get back, take the maximum of the cost

function minimumMoney(transactions: number[][]): number { // Initialize the sum of costs and the answer, which will store the minimum initial money required let costSum: number = 0;

Typescript Solution

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// Calculate the sum of extra costs needed after transactions that cost more than you get back
       for (const transaction of transactions) {
           costSum += Math.max(0, transaction[0] - transaction[1]);
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       // Determine the minimum initial money needed before any of the transactions
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       for (const transaction of transactions) {
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           if (transaction[0] > transaction[1]) {
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               // For transactions that cost more than what you get back, add back the money obtained from that transaction
14
               minInitialMoney = Math.max(minInitialMoney, costSum + transaction[1]);
15
           } else {
16
               // For transactions that cost less than or equal to what you get back, take the maximum of the cost
               minInitialMoney = Math.max(minInitialMoney, costSum + transaction[0]);
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       // Return the calculated minimum initial money required to complete all transactions
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       return minInitialMoney;
24 }
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Time and Space Complexity
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The given code consists of two main parts which contribute to the time complexity: 1. The first part is the sum operation with a generator expression:

Time Complexity

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complexity of O(N), where N is the number of transactions.
2. The second part is a loop that iterates over all transactions again to determine the maximum money required:
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1 s = sum(max(0, a - b)) for a, b in transactions)

1 for a, b in transactions: ans = max(ans, s + b)else:

For each transaction in the list transactions, it calculates the maximum between 0 and a - b. This operation has a time

This loop runs for each transaction, making it also O(N).

ans = max(ans, s + a)

intermediate list, which keeps the space complexity low.

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Since these two parts run sequentially, the overall time complexity is the sum of both parts, which is O(N) + O(N), resulting in a total
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time complexity of O(N).

Space Complexity The space complexity of the code is O(1), disregarding the input size. This is because the space used by the variables s and ans is

constant and does not depend on the size of the input list transactions. The generator expression also does not create an