3067. Count Pairs of Connectable Servers in a Weighted Tree Network

Description

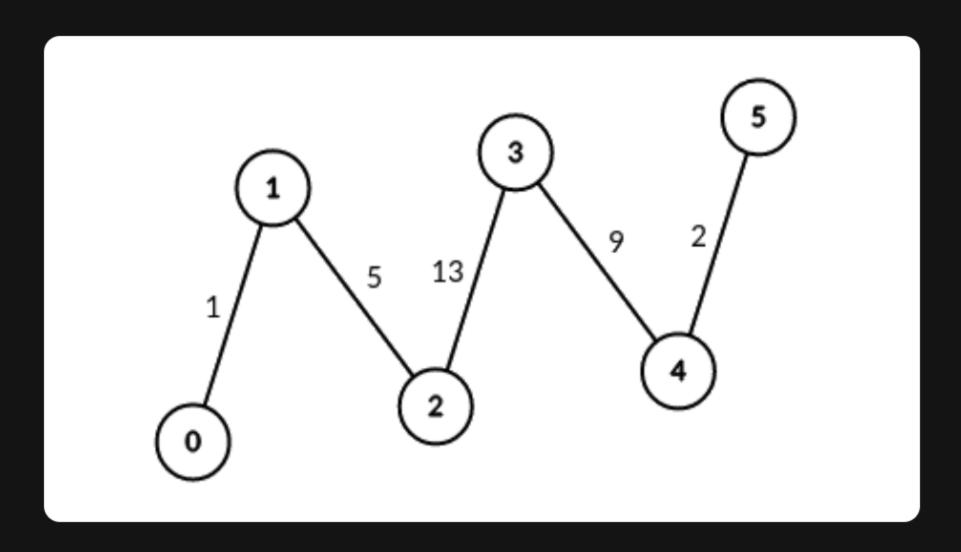
You are given an unrooted weighted tree with <code>n</code> vertices representing servers numbered from <code>0</code> to <code>n - 1</code>, an array <code>edges</code> where <code>edges[i] = [a i, b i, weight i]</code> represents a bidirectional edge between vertices <code>a i</code> and <code>b i</code> of weight <code>weight i</code>. You are also given an integer <code>signalSpeed</code>.

Two servers a and b are connectable through a server c if:

- a < b, a != c and b != c.
- The distance from c to a is divisible by signalSpeed.
- The distance from c to b is divisible by signalSpeed.
- The path from c to b and the path from c to a do not share any edges.

Return an integer array count of length n where count[i] is the number of server pairs that are connectable through the server i.

Example 1:



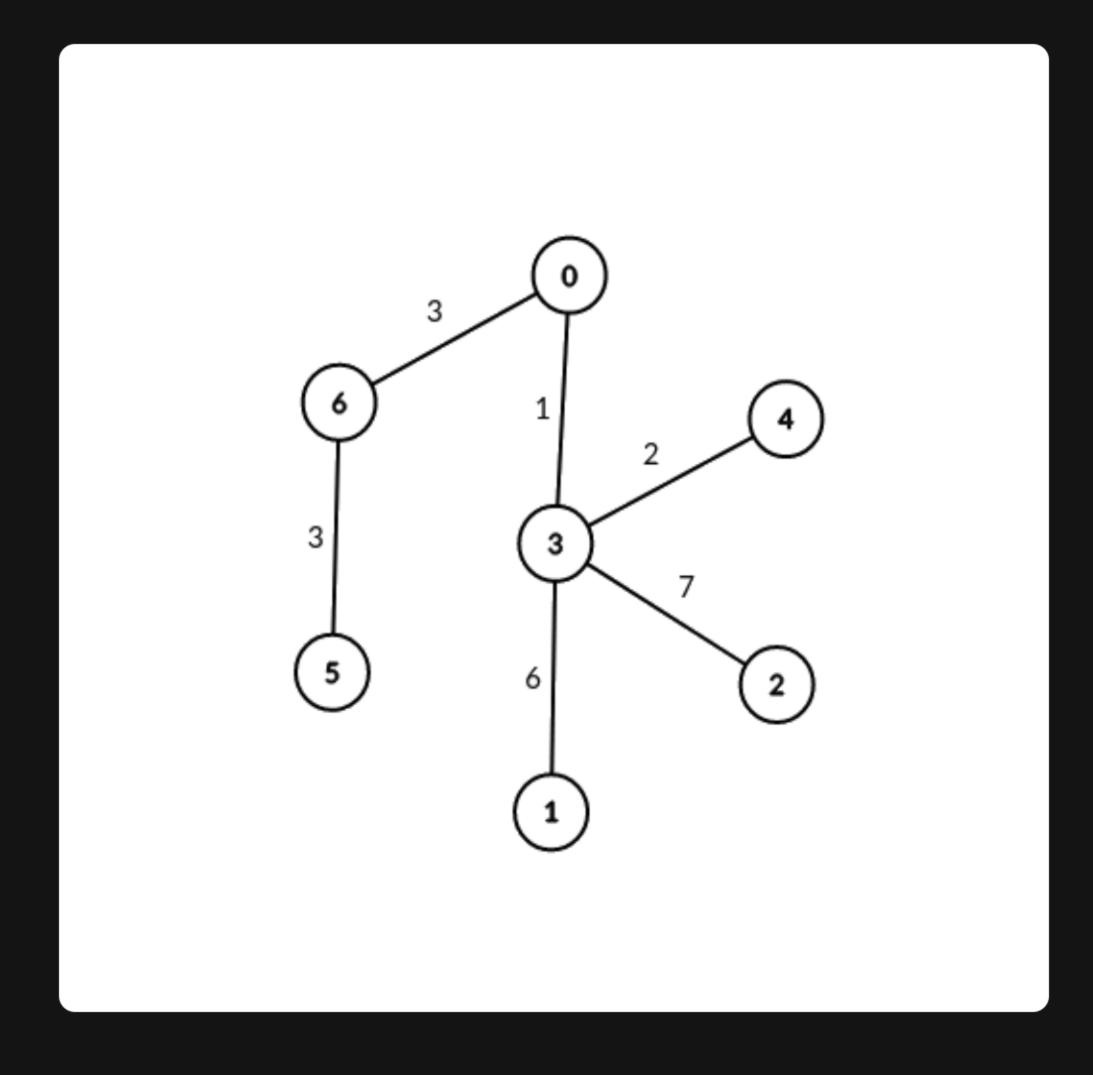
Input: edges = [[0,1,1],[1,2,5],[2,3,13],[3,4,9],[4,5,2]], signalSpeed = 1

Output: [0,4,6,6,4,0]

Explanation: Since signalSpeed is 1, count[c] is equal to the number of pairs of paths that start at c and do not share any edges.

In the case of the given path graph, count[c] is equal to the number of servers to the left of c multiplied by the servers to the right of c.

Example 2:



Input: edges = [[0,6,3],[6,5,3],[0,3,1],[3,2,7],[3,1,6],[3,4,2]], signalSpeed = 3
Output: [2,0,0,0,0,0,2]

Explanation: Through server 0, there are 2 pairs of connectable servers: (4, 5) and (4, 6).

Through server 6, there are 2 pairs of connectable servers: (4, 5) and (0, 5).

It can be shown that no two servers are connectable through servers other than 0 and 6.

Constraints:

- 2 <= n <= 1000
- edges.length == n 1
- edges[i].length == 3
- $0 \ll a_i, b_i \ll n$
- edges[i] = [a_i, b_i, weight_i]
- 1 <= weight $_{i}$ <= 10 6
- 1 <= signalSpeed <= 10 ⁶
- The input is generated such that edges represents a valid tree.