

Problem Description

given certain constraints. Each child has a greed factor, g[i], which indicates the minimum size of a cookie that will make them content. Similarly, each cookie has a size, s[j]. A cookie can only make a child content if the size of the cookie is greater than or equal to the child's greed factor. The objective is to assign cookies to children in such a manner that the maximum number of children are content. A child can receive at most one cookie, and a cookie can only be assigned to one child. The task is to calculate the maximum number of content children based on the distribution of cookies according to the children's greed factors.

The problem describes a scenario where a parent wants to distribute cookies to their children in a way that maximizes happiness,

The intuition behind the solution is to prioritize giving cookies to children with the smallest greed factor first. We can sort both the

Intuition

children's greed factors (g) and the cookie sizes (s) in non-decreasing order. We then iterate through the sorted greed factors, trying to find the smallest cookie that meets or exceeds that greed factor. If such a cookie is found, we assign it to the child, making them content, and move on to the next child. Once a cookie has been assigned, it can no longer be given to any other child, so we move to the next available cookie. The reason for sorting is to use the smallest cookies for children with the lowest greed factor, which ensures we don't waste a large

cookie on a child who would be content with a smaller one. By efficiently matching cookies to children starting with the least greedy ones, we aim to maximize the total number of content children. As we iterate through the greed factors, if we reach a point where there are no more cookies left to satisfy a child, we return the

number of children that have been made content so far. If all children have been assigned a cookie, we return the total number of

children. **Solution Approach**

The solution approach uses a greedy algorithm which is an algorithmic paradigm that builds up a solution piece by piece, always

choosing the next piece that offers the most immediate benefit. In this case, the immediate benefit is making a child content with the

smallest cookie possible. The algorithm works as follows: 1. Sort the greed factors array g and the cookie sizes array s in ascending order. This sorting is crucial as it allows us to efficiently

cookie.

- 2. Initialize a pointer j to 0, which will track the current index in the cookie sizes array s. 3. Loop through each child's greed factor in g, with the index i iterating through g.
- 4. For the current child's greed factor (g[i]), iterate through the cookies starting from the current index j in the array s until you find a cookie large enough to satisfy this child. This inner while loop continues as long as j < len(s) and the current cookie is
- smaller than the current child's greed factor (s[j] < g[i]). If the current cookie is too small, increment j to check the next

assign the smallest available cookie that will make each child content.

- 5. If j is equal to or greater than the length of s, meaning there are no more cookies left to distribute, return the index i as the total number of content children. 6. If a suitable cookie is found (one that is equal to or larger than g[i]), increment j to move to the next cookie and continue with the next child by proceeding to the next iteration of the for loop.
- 7. If all children have been considered, return the length of g as all children have been made content.
- operations are linear, making the total time complexity O(n log n) primarily due to sorting, where n is the number of elements in the larger of the two arrays g or s. Space complexity is O(1) since the solution sorts and iterates over the input arrays in place without using extra space for auxiliary data structures.

The performance of this algorithm hinges on the sorting process (which typically runs in O(n log n) time). The following loop

Example Walkthrough Let's consider the following example to illustrate the solution approach. Imagine a scenario where we have three children with greed

1. First, sort the arrays g and s. Since g is already sorted, we only need to sort s, which becomes s = [1, 1, 3, 4]. Both arrays are now sorted in ascending order.

Following the steps outlined in the solution approach:

greed factor to the current cookie size:

to the next child.

3. Loop through each child's greed factor in g. We start with the first child g[0], which is 1. 4. For the current child's greed factor (g[i]), loop through the cookies starting from the current j index. We compare the child's

 For the first child (g[0] = 1), the first cookie (s[0] = 1) is of size 1, which satisfies the child's greed factor. We increment j to 1 and move to the next child.

us to efficiently match the smallest possible cookie to each child according to their greed factor.

2. Initialize a pointer j to 0 to track the current index in the sorted cookie sizes array s.

factors g = [1, 2, 3] and an assortment of four cookies with sizes s = [1, 1, 3, 4].

- 5. We now check for the second child (g[1] = 2). Since we have incremented j, the cookie we are looking at is now s[1] which is of size 1. However, 1 is smaller than the greed factor 2. So, we increment j to 2.
- 6. For the third child (g[2] = 3), the next cookie is s[3] = 4, which is also sufficient. We increment j to 4 (which now is outside the boundary of array s).

7. Since all the children's greed factors have been considered and satisfied, we return the length of g, which is 3. This indicates

Now looking at cookie s[2] which is of size 3, it satisfies the second child's need (g[1] = 2). We increment j to 3 and move

- that all children have been made content. By following the algorithm, we have maximized the number of content children with the available cookies. The sorted arrays allowed
- class Solution: def findContentChildren(self, greed_factors: List[int], cookie_sizes: List[int]) -> int: # Sort the greed factors of the children and the sizes of the cookies greed factors.sort()

Move through the cookie sizes until we find a cookie that satisfies the current greed factor

while cookie_index < len(cookie_sizes) and cookie_sizes[cookie_index] < greed:</pre> 13 cookie_index += 1 14 15 # If there are no more cookies left, return the number of content children so far 16

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Python Solution

cookie_sizes.sort()

cookie_index = 0

Initialize the cookie index

Iterate through each greed factor

return child_index

int greedFactorIndex = 0;

// Loop through each child's greed factor

while (greedFactorIndex < numberOfChildren) {</pre>

if (cookieSizeIndex < numberOfCookies) {</pre>

contentChildrenCount++;

// Move to the next cookie

// The number of children who can be content with the cookies we have

++cookieIndex;

} else {

break;

return contentChildren;

cookieSizeIndex++;

int cookieSizeIndex = 0;

for child_index, greed in enumerate(greed_factors):

// Initialize pointers for greedFactors and cookieSizes arrays

// Find the first cookie that satisfies the current child's greed factor

cookieSizeIndex++; // Increment cookie index until a big enough cookie is found

// Move to the next cookie

if cookie_index >= len(cookie_sizes):

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               # Move to the next cookie index assuming the current cookie has been used
               cookie_index += 1
21
22
23
           # All children have been content, return the total number of children
24
           return len(greed_factors)
25
Java Solution
   class Solution {
       // Method to find the maximum number of content children given the greed factors of children and the sizes of cookies
       public int findContentChildren(int[] greedFactors, int[] cookieSizes) {
           // Sort the arrays to make the greedy assignment possible
           Arrays.sort(greedFactors);
           Arrays.sort(cookieSizes);
           int numberOfChildren = greedFactors.length;
                                                        // Total number of children
                                                         // Total number of cookies available
           int numberOfCookies = cookieSizes.length;
9
10
           // Initialize the count for content children
11
12
           int contentChildrenCount = 0;
13
```

while (cookieSizeIndex < numberOfCookies && cookieSizes[cookieSizeIndex] < greedFactors[greedFactorIndex]) {</pre>

// Increment the count of content children

// If a cookie that satisfies the current child's greed factor is found, consider the child content

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} else {
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                    // If no more cookies are available to satisfy any more children, break out of the loop
31
32
                    break;
33
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35
               // Move to the next child
36
                greedFactorIndex++;
37
38
39
           // Return the final count of content children
           return contentChildrenCount;
40
41
42 }
43
C++ Solution
 1 #include <vector>
 2 #include <algorithm>
   class Solution {
   public:
       int findContentChildren(std::vector<int>& children, std::vector<int>& cookies) {
           // Sort the greed factors of the children
            std::sort(children.begin(), children.end());
           // Sort the sizes of the cookies
 9
            std::sort(cookies.begin(), cookies.end());
11
12
           int numChildren = children.size(); // Number of children
13
            int numCookies = cookies.size(); // Number of cookies
            int contentChildren = 0;
                                               // Counter for content children
14
15
           // Iterate through each child
16
            for (int childIndex = 0, cookieIndex = 0; childIndex < numChildren; ++childIndex) {</pre>
               // Find the first cookie that can satisfy the current child's greed factor
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               while (cookieIndex < numCookies && cookies[cookieIndex] < children[childIndex]) {</pre>
19
                    ++cookieIndex;
20
21
22
23
               // If we found a cookie that can satisfy the child
               if (cookieIndex < numCookies) {</pre>
24
25
                    // Give the cookie to the child
26
                    ++contentChildren;
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// If no more cookies are available that can satisfy any child, break out of the loop

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Typescript Solution
 1 /**
    * Finds the maximum number of content children given the children's greed factors and the sizes of cookies.
    * A child will be content if they receive a cookie that is equal to or larger than their greed factor.
    * @param {number[]} greedFactors - An array representing the greed factors of each child.
    * @param {number[]} cookieSizes - An array representing the sizes of cookies available.
    * @returns {number} The maximum number of content children.
    */
    function findContentChildren(greedFactors: number[], cookieSizes: number[]): number {
       // Sort greed factors and cookie sizes in non-decreasing order.
       greedFactors.sort((a, b) => a - b);
10
       cookieSizes.sort((a, b) => a - b);
11
12
       // Initialize counters for children and cookies.
13
14
       const totalChildren = greedFactors.length;
15
       const totalCookies = cookieSizes.length;
16
17
       // Initialize the index for greed factors and cookie sizes.
       let childIndex = 0;
18
        let cookieIndex = 0;
19
20
21
       // Loop through the greed factors of each child.
22
       while (childIndex < totalChildren) {</pre>
23
           // Find a cookie that is equal to or larger than the greed factor of the current child.
           while (cookieIndex < totalCookies && cookieSizes[cookieIndex] < greedFactors[childIndex]) {</pre>
24
25
                cookieIndex++;
26
27
28
           // If a suitable cookie is found, move on to the next child and cookie.
29
           if (cookieIndex < totalCookies) {</pre>
30
                childIndex++;
31
                cookieIndex++;
           } else {
33
               // No more cookies available, return the number of content children.
               return childIndex;
34
35
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38
       // All children have been matched with cookies, return the total number of children.
       return totalChildren;
39
40 }
41
```

Time and Space Complexity

The time complexity of the provided code can be analyzed based on two main operations: sorting the lists g and s and then iterating through them to find content children.

Time Complexity

of O(n log n) for an average sorting algorithm like Timsort (used in Python's sort() method), where n is the number of elements in the list. If g has N elements and s has M elements, the total time for sorting would be $0(N \log N + M \log M)$.

1. Sorting: Both the lists g and s are sorted at the beginning of the function. The sorting operation typically has a time complexity

scenario, every element of g would be compared with every element of s, which gives us a time complexity of O(N+M), as each list is traversed at most once.

2. Iterating through Lists: After sorting, the code uses a while loop within a for loop to find matches for g[i]. In the worst-case

the iteration part. Therefore, the total time complexity is: $O(N \log N + M \log M)$.

Combining both steps, the overall time complexity is 0(N log N + M log M) for the sorting part, which is dominant, plus 0(N+M) for

Space Complexity

The space complexity is the amount of extra space or temporary space used by an algorithm. The provided code only uses a fixed

number of variables (i, x, j) and does not create any auxiliary data structures proportional to the size of the input. The space taken up by the input lists themselves is not counted towards the space complexity, as they are part of the input.

0(1).

Therefore, the space complexity is: