2348. Number of Zero-Filled Subarrays



Problem Description

The problem requires us to find the total number of subarrays in a given integer array where every element is 0. A subarray is defined as a contiguous sequence of elements within the array. This means that we are looking for all the continuous sequences of zeroes in the array and want to count them. It is important to realize that this includes subarrays of different lengths, starting and ending at any indices where zeros are contiguous.

Intuition

The intuition behind the solution approach is fairly straightforward. We want to iterate through the array and keep track of contiguous sequences of zeros. To achieve this, we can maintain a count (cnt) that keeps track of the length of the current sequence of zeros we are in.

Starting from the beginning of the array, for each element, we check whether it is a zero:

- If it is, we increment our current zero sequence length count (cnt) by 1, since we've found an additional zero in our current subarray of zeros. • If it isn't, we reset our count to 0 as we're no longer in a sequence of zeros.

length of all subarrays ending at the previous zero by 1. Therefore, at each step, we can add the current count of zeros to our answer (ans). For each new zero found, we do not need to recount all the subarrays it could create with all preceding zeros. We just realize that

Now, the key insight is that each new zero we encounter not only forms a subarray of length 1 by itself but also extends the

it extends them all by one. Thus, the current running cnt can be added directly to ans to account for all new subarrays ending at this zero.

solution.

This way, we effectively count all zero-filled subarrays without having to explicitly enumerate them all, leading to an efficient

The implemented solution relies on a simple linear scan of the input array, which implicitly tracks the size of contiguous zero-filled

and efficiency of the approach.

Solution Approach

Let's delve deeper into the steps: Initialize ans and cnt to 0. ans will keep the running total of all zero-filled subarray counts, while cnt will track the current

subarrays. Two main variables are introduced: ans and cnt. No additional data structures are needed, highlighting the simplicity

Iterate through each value v in the nums array:

number of zeros in a contiguous sequence.

- a. If v is not 0, reset cnt to 0. This step is important as it signifies that the current sequence of zeros has ended and any new sequence found later will be independent of any zeros previously encountered.
- b. If v is 0, increment cnt by 1, since we've found an additional zero that extends the current zero-filled subarray.
- sequence of zeros) not only represents a subarray of one element (itself) but also extends the length of any zero-filled subarray ending at the previous zero by one. Therefore, cnt also represents the number of new zero-filled subarrays that the current o contributes to. Continue this process until the end of the array.

After each iteration, add the value of cnt to ans. This is because every new zero found (or every zero in a contiguous

- Once the iteration is complete, ans will contain the total number of zero-filled subarrays in the array.
- through the array. The space complexity is O(1), as the solution uses a constant amount of extra space.

Example Walkthrough

The time complexity of this approach is O(n), where n is the number of elements in the array, since it requires a single pass

To illustrate the solution approach, let's use a small example with the array nums = [1, 0, 0, 2, 0].

Start iterating through the **nums** array:

Therefore, the total number of zero-filled subarrays in this example is 4.

count consecutive sequences of zeros efficiently without unnecessary enumeration.

- At the first element 1, cnt remains 0 as it is not a zero.
- At the second element 0, increment cnt to 1. This zero forms a new subarray [0]. Add cnt to ans, so ans becomes 1. • At the third element 0, increment cnt to 2. This zero extends the previous subarray to form a new one [0, 0] and also makes an
 - individual subarray [0]. Add cnt to ans, so ans becomes 1 + 2 = 3.

Initialize ans and cnt to 0. There are no zero-filled subarrays counted yet, and no current sequence of zeros.

- At the fourth element 2, reset cnt to 0 as the sequence of zeros has been broken. • At the fifth element 0, increment cnt to 1. This zero forms a new subarray [0]. Add cnt to ans, so ans becomes 3 + 1 = 4. By the end of the array, we've counted all zero-filled subarrays: [0], [0, 0], and two separate [0] subarrays after the 2.
- Thus, ans holds the correct total, and the process demonstrates both the resetting of cnt when non-zero elements are

encountered and the accumulation of the number of subarrays in ans as zero elements are processed. The approach ensures we

Solution Implementation **Python**

class Solution: def zero filled subarray(self, nums: List[int]) -> int: # Initialize the counter for current zero sequence and the answer accumulator

current zero count = total subarrays = 0

// Otherwise, increment zeroCount

long long zeroFilledSubarray(vector<int>& nums) {

for (int value : nums) {

// Iterate through the numbers in the vector.

// all subarravs ending with the current element

total_subarrays += current_zero_count

use a fixed amount of space regardless of the input size.

totalCount += zeroCount;

zeroCount = (value != 0) ? 0 : zeroCount + 1;

// Function to calculate the number of zero-filled subarrays.

long long answer = 0; // Variable to store the final answer.

int zeroCount = 0; // Counter to keep track of consecutive zeros.

// Reset the counter if the current value is not zero, otherwise increase it.

// Add the currentZerosCount to the total subarrays count which also includes

// Add the current zeroCount to the total count

return totalCount; // Return the total count of zero-filled subarrays

Iterate over each number in the input list

from typing import List

```
for num in nums:
            if num == 0:
                # If the current number is zero, increment the current zero sequence counter
                current_zero_count += 1
            else:
                # If the current number is not zero, reset the counter
                current_zero_count = 0
            # Add the current zero sequence length to the total number of subarrays
            # This works because for each new zero, there are `current_zero_count` new subarrays ending with that zero
            total subarrays += current zero count
        # Return the total count of zero-filled subarrays
        return total_subarrays
Java
class Solution {
    // Method to calculate the number of zero-filled contiguous subarrays
    public long zeroFilledSubarray(int[] nums) {
        long totalCount = 0: // Initialize total count of zero-filled subarrays
        int zeroCount = 0; // Initialize count of consecutive zeros
        // Iterate through the array elements
        for (int value : nums) {
            // Reset zeroCount to 0 if the current element is not zero
```

C++

public:

class Solution {

```
zeroCount = (value != 0) ? 0 : zeroCount + 1;
            // Add the number of new zero-filled subarrays ending with the current value.
            answer += zeroCount;
        // Return the total number of zero-filled subarrays found.
        return answer;
};
TypeScript
function zeroFilledSubarray(nums: number[]): number {
    let totalSubarrays = 0; // This variable will hold the total count of zero-filled subarrays
    let currentZerosCount = 0; // This variable tracks the current consecutive zeros count
    // Loop through each number in the nums array
    for (const value of nums) {
        if (value === 0) {
            // If the current value is zero, increment the current consecutive zeros count
            currentZerosCount++;
        } else {
            // If it's not zero, reset the count to 0
            currentZerosCount = 0;
```

```
totalSubarrays += currentZerosCount;
   // Return the total number of zero-filled subarrays found in the nums array
   return totalSubarrays;
from typing import List
class Solution:
   def zero filled subarray(self, nums: List[int]) -> int:
       # Initialize the counter for current zero sequence and the answer accumulator
       current_zero_count = total_subarrays = 0
       # Iterate over each number in the input list
        for num in nums:
           if num == 0:
                # If the current number is zero, increment the current zero sequence counter
                current_zero_count += 1
           else:
                # If the current number is not zero, reset the counter
                current_zero_count = 0
           # Add the current zero sequence length to the total number of subarrays
```

Return the total count of zero-filled subarrays return total subarrays

Time and Space Complexity The provided code snippet has a time complexity of O(n), where n is the length of the input list nums. This is because the code

This works because for each new zero, there are `current_zero_count` new subarrays ending with that zero

iterates through the list once, performing a constant number of operations for each element. The space complexity of this code is 0(1). No additional space proportional to the input size is used; the variables ans and cnt