



Problem Description

In this LeetCode challenge, we are dealing with a theoretical bag full of items, each marked with a number: 1, 0, or -1. We're given specific counts for each type of number, which are:

- numOnes: the count of items with 1 written.
- numZeros: the count of items with 0 written.
- numNegOnes: the count of items with -1 written.

asks us to find out what that maximum sum could be.

Our goal is to choose exactly k items from the bag such that the sum of numbers on those chosen items is maximized. The problem

It's worth noting that because 0s do not contribute to the sum, they only affect our ability to reach the exact count of k items without altering the sum. Also, adding -1s would decrease the sum, and so we would only want to add -1s if we have to reach k items and have no other options.

Intuition

For the given solution approach, here's the intuition:

- 1. If we have enough 1s to fill our quota of k items, then we can simply take k items all of which are 1s. This gives us the highest possible sum, which is k (since each item adds 1 to the sum).
- many of them as possible. 3. Once we've exhausted the 1s and 0s, if we still haven't reached the k items, we have no choice but to include -1 items. Each -1

2. If we don't have enough 1s, we must use 0s and possibly -1s to reach k total items. The 0s don't affect the sum, so we'll pick as

item we include will decrease our sum by 1.

In code:

maximum sum possible. • When numOnes is not enough, we add in 0s to reach k. If numZeros >= k - numOnes, we can fill the rest with 0s. Hence, the sum

• We first check if num0nes >= k. If yes, we just return k because we can fill our selection with just 1s and that would give us the

- will be just num0nes. If we still haven't reached k items after using all the 1s and 0s, we must use -1s. Here, we subtract the deficit from num0nes,
- which represents having to use (k num0nes numZeros) negative ones. Therefore, the trick to solving this problem lies in understanding that 1s add to the sum, ∅s don't affect the sum, and −1s subtract

Solution Approach

from the sum—and you always want to minimize the number of -1s you're forced to choose.

spots up to k, the sum remains num0nes. This is because 0 has no effect on the cumulative sum.

The solution provided uses a simple conditional logic, which involves no complex algorithms or data structures. It is a straightforward

iterative approach based on the business rules outlined by the problem statement. Let's break down the solution approach provided: • When numOnes >= k: This is the simplest case. If we have equal or more than k items with 1 written on them, we take k of them.

can obtain, which is simply the value k because taking k ones will give us a sum of k. • When numOnes is not enough, numZeros >= k - numOnes: The second condition kicks in if we don't have enough ones to reach k. We'll then use zeros to fill the remaining spots as they do not detract from the sum. If we have enough zeros to fill the remaining

This is because 1 contributes to the highest possible individual value for an item in the bag. The sum here is the maximum we

- When we need to use -1s, numZeros + numOnes < k: In the case where even our zeros are exhausted, and we haven't reached the count of k, we are forced to use items with -1. The count of -1s used is (k - num0nes - numZeros), and as each -1 subtracts 1 from the sum, we deduct this number from num0nes. This scenario gives us a sum of num0nes - (k - num0nes - numZeros)
- which would be less than num0nes by exactly as many -1s as we had to include. The patterns used in the solution are: • Greedy approach: By always taking 1s where possible, the solution aligns with greedy algorithms' principle of making the locally

optimal choice at each stage with the hope of finding a global optimum.

- Conditional branching: Using simple if-else logic helps navigate through the decisions based on the business rules defined. The solution is efficient and effective due to the simplicity of the problem—it's a problem that doesn't require optimization
- techniques or complex data structures, as it boils down to elementary arithmetic operations driven by a few if-else statements. The

time complexity here is O(1), meaning it requires a constant time to run, regardless of the values of num0nes, numZeros, numNeg0nes, or k. This is because there are no loops or recursive calls in the code. Example Walkthrough

num0nes = 4 (items with 1)

items:

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22 }

• numZeros = 3 (items with 0) numNeg0nes = 2 (items with −1)

Let's suppose we have the following counts of items marked with 1, ∅, and −1, and we want to maximize the sum by choosing k

We want to choose k=6 items to maximize the sum. Let's apply the solution approach:

• k = 6 (number of items to choose)

- **1s.** 2. Since we don't have enough 1s, we look at 0s. We have numZeros = 3, which is more than we need to top up to k because k -
- num0nes = 6 4 = 2 and numZeros >= 2. Hence, we can fill up to k using all 1s and some 0s without needing to use any -1s. Thus, we can ignore -1s, given they will decrease our sum.

3. The sum is determined by the 1s we can use because 0s do not contribute to the sum. We have num0nes = 4 1s, and we are

using 4 1s and 2 0s (since we need 6 items and we take as many 1s as available and the rest are 0s).

considering there are 'num_positives' +1s, 'num_zeros' 0s, and 'num_negatives' -1s.

If we run out of +1s and 0s, we will have to include -1s to reach the target count.

// If there aren't enough 1s and 0s to reach k, then we have to include some -1s.

// Every -1 included will reduce the sum by 1. Hence, we subtract the number

// of -1s to be included from the count of 1s to get the final sum.

* Function to find maximum sum of 'k' elements from a set of 1s, 0s, and -1s.

* @param {number} negOnesCount - The number of negative ones in the set.

* @param {number} onesCount - The number of ones in the set.

* @param {number} zerosCount - The number of zeros in the set.

therefore, the amount of space used does not scale with the input size.

If we don't have enough +1s, we can include all the +1s and then complement them with 0s.

Since 0s do not contribute to the sum, if the remaining number $(k - number \ of +1s)$ is less than

or equal to the number of 0s, we can fill the rest with 0s. The sum remains equal to the count of +1s.

1. The first check is whether we have enough 1s to fulfill the k items. Here, numones (4) is less than k (6), so we don't have enough

- 4. After choosing 4 1s and 2 0s, the sum of the chosen items is 4 because 0s do not contribute, and we have avoided using any -1s. Therefore, the maximum sum we can achieve by choosing k=6 items from this bag is 4.
- **Python Solution** class Solution:

def kItemsWithMaximumSum(self, num_positives: int, num_zeros: int, num_negatives: int, target_count: int) -> int:

If the number of +1s is greater than or equal to the target count k, # the maximum sum we can get is k (since +1 contributes the maximum to the sum). if num_positives >= target_count: 8 return target_count 9 10

if num_zeros >= target_count - num_positives:

return num_positives

return numOnes;

return numOnes - (k - numOnes - numZeros);

The function calculates the maximum sum of 'target_count' items

```
# Each -1 will reduce the sum by 1. Therefore, we subtract the count of extra -1s needed
19
           # from the total number of +1s we had.
           return num_positives - (target_count - num_positives - num_zeros)
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21
22 # Example usage:
23 # Create a Solution object
24 solution = Solution()
25 # Call the method with a hypothetical case
26 max_sum = solution.kItemsWithMaximumSum(4, 2, 3, 5)
27 print(max_sum) # Expected output: 4
28
Java Solution
   class Solution {
       // Function to find the maximum sum of k items consisting of 1s, 0s, and -1s.
       public int kItemsWithMaximumSum(int numOnes, int numZeros, int numNegOnes, int k) {
           // If the count of 1s is itself greater than or equal to k, then the sum is k
           // since selecting k ls gives you the maximum sum.
           if (numOnes >= k) {
               return k;
10
           // If after selecting all 1s, the count of 0s is enough to reach k,
           // we return the count of 1s because adding 0s does not change the sum.
12
           if (numZeros >= (k - numOnes)) {
13
```

C++ Solution

```
1 class Solution {
2 public:
       // Function to calculate the maximum sum of 'k' elements from a set containing
       // 'num_positives' number of 1's, 'num_zeros' number of 0's, and 'num_negatives' number of -1's
       int kItemsWithMaximumSum(int num_positives, int num_zeros, int num_negatives, int k) {
           // If the count of positive numbers (1's) is greater than or equal to k,
           // we can take all k items as 1's to get the maximum sum which is k.
           if (num_positives >= k) {
               return k;
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           // If the count of zeros and positives combined is enough to fill all k items,
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           // no negatives will be included, so the sum is just the number of positive numbers.
           if (num_zeros >= k - num_positives) {
14
               return num_positives;
15
16
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           // If we don't have enough zeros to fill the gap between the number of positives
           // and k, we will have to include negative numbers which reduce the overall sum.
19
           // The maximum sum in this case is reduced by the number of negatives that are used,
20
21
           // which is the total count minus the count of positives and zeros.
22
           return num_positives - (k - num_positives - num_zeros);
23
24 };
25
Typescript Solution
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onesCount: number, 10 zerosCount: number, 11

1 /**

```
* @param {number} k - The number of elements to sum up for the maximum sum.
    * @returns {number} The maximum sum of 'k' elements.
   function kItemsWithMaximumSum(
       negOnesCount: number,
       k: number,
   ): number {
       // If the number of ones is greater than or equal to k, the maximum sum is k.
       if (onesCount >= k) {
           return k;
       // If the number of zeros is enough to fill the gap after taking all ones, the sum stays the same.
       if (zerosCount >= k - onesCount) {
           return onesCount;
22
       // If there are not enough zeros, then we must include some negative ones.
       // The sum decreases as we take each negative one.
       return onesCount - (k - onesCount - zerosCount);
27
28 }
29
Time and Space Complexity
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Space Complexity

24 25

Time Complexity The time complexity of the given code snippet is 0(1). This is because all operations in the kItemsWithMaximumSum method consist of

simple arithmetic comparisons and subtractions which are performed in constant time, regardless of the input sizes of num0nes, numZeros, numNegOnes, and k.

The space complexity of the code is also 0(1). The function only uses a fixed amount of extra space for a few integer variables to

hold the inputs and perform computations. There are no data structures like arrays or lists that would grow with the size of the input;