246. Strobogrammatic Number Two Pointers String **Easy** Hash Table

Problem Description

down, they still read as valid numbers. Notably, '6' becomes '9', '9' becomes '6', '8' remains '8', '1' remains '1', and '0' remains '0'. Numbers like '2', '3', '4', '5', and '7' do not form valid numbers when flipped, so they cannot be part of a strobogrammatic number. The goal is to return true if the number represented by the string num is strobogrammatic and false otherwise. It is important to consider how the number looks when each of its digits is rotated, and the entire string needs to be a valid number after the

The problem requires us to determine if a given string num represents a strobogrammatic number. A strobogrammatic number is

one that appears the same when flipped 180 degrees. Imagine looking at certain numbers on a digital clock; when rotated upside

rotation. Intuition

To determine if a number is strobogrammatic, we can map each digit to its corresponding digit when flipped 180 degrees. We initialize a list, d, where the index corresponds to a digit and the value at that index corresponds to what the digit would look like after being flipped 180 degrees. In the list d, a value of -1 means the digit does not form a valid number when flipped (these are the numbers that cannot contribute to a strobogrammatic number).

A strobogrammatic number should be symmetrical around its center. Therefore, we only need to compare the first half of the

string to the second half. We set up two pointers, i starting at the beginning of the string and j at the end, and move them

towards the center. At each step we: 1. Convert the digits at indices i and j to integers a and b. 2. Check whether the strobogrammatic counterpart of a is equal to b. If it's not, we immediately return false since the number is not strobogrammatic.

If we successfully traverse the string without mismatches, then the number is strobogrammatic and we return true.

3. Move the pointers inward, i going up and j going down.

- The solution is elegant because it only requires a single pass, giving us an efficient way to solve the problem with O(n)
- complexity, where n is the length of the string num.

Solution Approach

The provided Python implementation uses a simple approach leveraging a list to check for strobogrammatic pairs and two-pointer technique to validate symmetry.

Data Structure: We use a list called d where each index i corresponds to the digit i in integer form, and the value at d[i]

represents what the digit would look like if flipped 180 degrees. For digits that are invalid upon flipping (2, 3, 4, 5, 7), we assign a value of -1.

the beginning of the string num (index 0), and j starts at the end of the string (index len(num) - 1).

Converts characters at current indices i and j to integers a and b, respectively.

∘ If d[a] does not equal b, then num cannot be strobogrammatic, hence the function returns false.

Two-Pointer Technique: To validate that the num is strobogrammatic, we use two pointers, i and j. The pointer i starts at

Iteration and Validation: The algorithm iterates over the string by moving i from the start toward the end, and j from the

Uses d[a] to obtain the flipped counterpart of a.

end toward the start. At each iteration, it:

d = [-1, 1, -1, -1, -1, -1, 9, -1, 8, 6]

■ We convert the character at index i to an integer a (a = 6).

• We then move the pointers inward: i goes up to 1 and j goes down to 0.

• The pointers i and j have met, indicating we've checked all necessary digits.

rotated_numerals = [0, 1, -1, -1, -1, -1, 9, -1, 8, 6]

then the number is not strobogrammatic.

Move the pointers closer to the center.

* @param num the string representing the number to check

int digitLeft = num.charAt(left) - '0';

* @return true if the number is strobogrammatic, false otherwise

// have a valid rotation (2.3.4.5.7), we set the value to -1.

int[] digitMapping = new int[] $\{0, 1, -1, -1, -1, -1, 9, -1, 8, 6\}$;

Loop to check the strobogrammatic property of the number.

if rotated numerals[left_numeral] != right_numeral:

The entire number has been checked and is strobogrammatic.

* A number is strobogrammatic if it looks the same when rotated 180 degrees.

// An array to represent the 180-degree rotation mapping. For digits that don't

// Two pointers approach — starting from the first and last digit of the string.

// Convert the characters at the pointers to their corresponding integer values.

for (int left = 0, right = num.length() - 1; left <= right; ++left, --right) {</pre>

the function returns true.

Below is a step-by-step explanation of the algorithm:

- **Termination Condition**: The iteration stops when the pointers \mathbf{i} and \mathbf{j} meet or cross each other ($\mathbf{i} > \mathbf{j}$), indicating the entire string has been checked. **Returning the Result**: If the function hasn't returned false by the end of the iteration, it means num is strobogrammatic and
- The space complexity is constant O(1), only requiring storage for the list d, which has a fixed length of 10, and the two index variables i and j.

This algorithm employs an array to emulate a direct mapping, which offers an efficient lookup time of O(1) for each digit's

strobogrammatic counterpart, and it runs in linear time relative to the length of the string num, resulting in O(n) time complexity.

Let's illustrate the solution approach using a small example where num is "69". We want to determine if this string represents a strobogrammatic number. Data Structure Initialization: According to the algorithm, we set up a list d mapping digits to their flipped counterparts:

Initializing Pointers: We have two pointers i and j. In our case, i starts at index 0 and j starts at index 1 (since the string

Iteration and Validation: For the first iteration (i = 0, j = 1):

"69" has a length of 2).

Example Walkthrough

■ We convert the character at index j to an integer b (b = 9). ■ We then use d[a] to find the flipped counterpart of a (d[6] = 9).

■ We check if d[a] equals b. In this case, d[6] (which is 9) is equal to b (which is also 9), so we proceed.

Since there were no mismatches during the iteration, we conclude that the string "69" is strobogrammatic.

 Since i now meets j, our loop terminates. **Termination Condition:**

By following this procedure with the given example, we demonstrate how the algorithm successfully identifies that the string "69" is a strobogrammatic number using the two-pointer technique and a fixed mapping list for valid strobogrammatic pairs.

Python

class Solution:

Solution Implementation

while left <= right:</pre>

return False

* Checks if a number is strobogrammatic.

public boolean isStrobogrammatic(String num) {

Returning the Result:

The function would return true.

def isStrobogrammatic(self, num: str) -> bool: # Mapping of strobogrammatic numerals where the key is the numeral as int # and the value is its 180-degree rotated equivalent (also as an int). # Any numeral that doesn't have a strobogrammatic equivalent is mapped to -1.

left, right = 0, len(num) - 1 # Pointers to traverse from both ends of the string.

or if the numeral at the current position doesn't have a valid rotation,

Convert the left and right pointed numerals in the string to integers. left_numeral, right_numeral = int(num[left]), int(num[right]) # If the rotated numeral of left doesn't match the right numeral,

```
return True
Java
```

++left:

return true;

let left: number = 0:

while (left <= right) {</pre>

return false;

left++;

right--;

return true;

};

TypeScript

--right;

// All checks passed, the number is strobogrammatic

// Define an array from digit to its strobogrammatic counterpart

// Initialize two pointers, one starting from the beginning (left) and the other

// Loop through the string with both pointers moving towards the center

// Check if the current digit has a strobogrammatic counterpart

// and whether it matches the counterpart of its mirror position

// Convert characters to their corresponding integer values

const leftDigit: number = parseInt(num[left], 10);

if (digitMap[leftDigit] !== rightDigit) {

// Move the pointers towards the center

// All checks passed, the number is strobogrammatic

const rightDigit: number = parseInt(num[right], 10);

// If not, the number isn't strobogrammatic

const digitMap: number[] = [0, 1, -1, -1, -1, -1, 9, -1, 8, 6];

// Function checks if a given number is strobogrammatic

function isStrobogrammatic(num: string): boolean {

// from the end (right) of the string

let right: number = num.length - 1;

class Solution {

/**

*/

left += 1

right -= 1

```
int digitRight = num.charAt(right) - '0';
            // Check if the rotation of digitLeft is equal to digitRight. If not, return false.
            if (digitMapping[digitLeft] != digitRight) {
                return false;
       // If all pair of digits satisfy the strobogrammatic condition, return true.
        return true;
C++
class Solution {
public:
    // Function checks if a given number is strobogrammatic
    bool isStrobogrammatic(string num) {
        // Define a map from digit to its strobogrammatic counterpart
        vector<int> digit_map = \{0, 1, -1, -1, -1, -1, 9, -1, 8, 6\};
        // Initialize two pointers, one starting from the beginning (left) and the other from the end (right) of the string
        int left = 0, right = num.size() - 1;
        // Loop through the string with both pointers moving towards the center
       while (left <= right) {</pre>
            // Convert characters to their corresponding integer values
            int left digit = num[left] - '0';
            int right_digit = num[right] - '0';
            // Check if the current digit has a valid strobogrammatic counterpart
           // and whether it matches the counterpart of its mirror position
            if (digit map[left digit] != right digit) {
                // If not, then the number isn't strobogrammatic
                return false;
            // Move the pointers towards the center
```

class Solution:

def isStrobogrammatic(self, num: str) -> bool: # Mapping of strobogrammatic numerals where the key is the numeral as int # and the value is its 180-degree rotated equivalent (also as an int). # Any numeral that doesn't have a strobogrammatic equivalent is mapped to -1. rotated_numerals = [0, 1, -1, -1, -1, -1, 9, -1, 8, 6]left, right = 0, len(num) - 1 # Pointers to traverse from both ends of the string. # Loop to check the strobogrammatic property of the number. while left <= right:</pre> # Convert the left and right pointed numerals in the string to integers. left_numeral, right_numeral = int(num[left]), int(num[right]) # If the rotated numeral of left doesn't match the right numeral, # or if the numeral at the current position doesn't have a valid rotation, # then the number is not strobogrammatic. if rotated numerals[left_numeral] != right_numeral: return False # Move the pointers closer to the center. left += 1 right -= 1 # The entire number has been checked and is strobogrammatic. return True Time and Space Complexity

The given Python function isStrobogrammatic checks if a number is strobogrammatic, which means the number looks the same

To analyze the time complexity, we consider the number of times the while loop runs with respect to the length of the string num.

The loop runs until the pointers i (starting from the beginning) and j (starting from the end) meet or cross each other. For a

string of length n, this loop will run approximately n/2 times, since each iteration checks two digits (one at the beginning, one at the end).

Time Complexity

when rotated 180 degrees.

Therefore, the time complexity of the code is 0(n/2), which simplifies to 0(n), where n is the length of the input string num. **Space Complexity**

- the space used includes: A list d of length 10, containing the strobogrammatic equivalents. • Two integer variables i and j.
- Two temporary integer variables a and b in the loop.

The space taken by the list d is constant, regardless of the length of the input string. Therefore, it doesn't scale with n. Similarly,

The space complexity involves analyzing the additional space used by the algorithm, excluding the input itself. In this function,

Thus, the space complexity of the function is 0(1), which denotes constant space complexity.

the variables i, j, a, and b are a fixed number of additional space used, regardless of the size of the input.