# 2535. Difference Between Element Sum and Digit Sum of an Array

`Easy`  `Array`  `Math`

## Problem Description

In this problem, we are provided with an array of positive integers named `nums`. We need to perform two types of summations:

1. **Element Sum**: This is the sum of all the elements of the array itself. For example, if our array is `[1, 2, 3]`, the element sum would be `1 + 2 + 3 = 6`.
2. **Digit Sum**: This is the sum of all digits present in the elements of the array. Continuing the above example, the digit sum would be `1 + 2 + 3 = 6` as well (since each element is comprised of only one digit).

Our goal is to calculate the absolute difference between these two sums. The absolute difference between two numbers `x` and `y` is the non-negative value of `x - y` (denoted as `|x - y|`).

## Intuition

To solve this problem, we need to calculate both the element sum and the digit sum. The element sum is straightforward—we simply sum all the numbers in the given array. The digit sum requires a bit more work; for each number in the array, we need to extract each digit and sum them together.

### Element Sum Calculation:

- Initialize a variable (let's call it `elementSum`) to 0.
- Iterate through each number in the array and add it to `elementSum`.
- After the loop, `elementSum` holds the total sum of the array elements.

### Digit Sum Calculation:

- Initialize a variable (let's call it `digitSum`) to 0.
- Loop through each number in the array.
  - For each number, use a nested loop or division and modulo operations to extract each digit.
  - Add each extracted digit to `digitSum`.
- After all numbers are processed, `digitSum` holds the total sum of all digits present in the array elements.

Finally, we calculate the absolute difference between `elementSum` and `digitSum` using the `abs` function, which returns the absolute value of the passed argument.

The solution code achieves this with the use of simple, efficient loops without any need for complex data structures or algorithms. By iterating through the array only once and handling each element's digits during that iteration, we keep the time complexity linear relative to the number of digits across all elements in the array.

## Solution Approach

The implementation of the solution is pretty straightforward without involving complex algorithms or data structures. Here's what happens in the provided reference solution:

- The `Solution` class defines the method `differenceOfSum` which accepts an integer array `nums`.
- Two variables, `a` and `b`, are initialized at the start of this method.
  - The variable `a` stores the result of calling the Python `sum` function on the `nums` list. This computes the **Element Sum** efficiently, as the `sum` function is a Python built-in that iterates through the list and calculates the total sum of its contents.
  - The variable `b` is initialized to `0`. It will be used to store the **Digit Sum** as we process each integer in `nums`.
- A `for` loop iterates over each integer `x` in `nums`. For each integer:
  - A `while` loop runs as long as `x` is non-zero (that is, until all digits of `x` have been processed).
    - Inside the while loop, `b` (the Digit Sum) is incremented by `x % 10`, which gives the last digit of `x`.
    - `x` is then floor-divided by `10` using `x //= 10`, which effectively removes the last digit of `x` already added to `b`.
- Once all digits of all numbers in `nums` are processed and added to `b`, we calculate the absolute difference between the Element Sum (`a`) and the Digit Sum (`b`) using the `abs` function: `abs(a - b)`.
- The `abs(a - b)` expression calculates the non-negative difference between `a` and `b` and the resulting integer is returned as the final answer.

No additional data structures are used in this approach; we only use variables to store the sums and iterate over the list of integers. The algorithm is efficient because it only involves one pass over the input array and a straightforward digit extraction for each integer element, resulting in an overall time complexity of O(N * K), where N is the number of elements in the `nums` array, and K is the average number of digits per element.

## Example Walkthrough

Let's take a small example to illustrate the solution approach using the array `nums = [23, 59, 2]`.

**Step 1: Calculate Element Sum**

We initialize `elementSum` to `0` and iterate over `nums` to compute the element sum.

`elementSum = 0 + 23 + 59 + 2 = 84`.

Thus, the element sum is `84`.

**Step 2: Calculate Digit Sum**

We initialize `digitSum` to `0` and start processing each integer to extract digits and compute the digit sum.

- For the first integer `23`:
  - `23 % 10` gives `3`, so we add `3` to `digitSum`.
  - We then do integer division `23 // 10` which gives `2`.
  - `2 % 10` gives `2`, add `2` to `digitSum`.
  - Now `2 // 10` is `0`, we stop processing this number.
- For the second integer `59`:
  - `59 % 10` gives `9`, add `9` to `digitSum`.
  - `59 // 10` gives `5`.
  - `5 % 10` gives `5`, add `5` to `digitSum`.
  - `5 // 10` is `0`, we stop processing this number.
- For the third integer `2` (single-digit):
  - `2 % 10` gives `2`, and we add `2` to `digitSum`.
  - `2 // 10` is `0`, so we stop.

Adding all digits together: `digitSum = 0 + 3 + 2 + 9 + 5 + 2 = 21`.

Thus, the digit sum is `21`.

**Step 3: Compute Absolute Difference**

Now we calculate the absolute difference between `elementSum` and `digitSum`.

`|elementSum - digitSum| = |84 - 21| = 63`.

So, the absolute difference for the array `nums = [23, 59, 2]` is `63`.

## Python Solution

```python
from typing import List

class Solution:
    def differenceOfSum(self, nums: List[int]) -> int:
        """
        Calculate the difference between the sum of the numbers in the array
        and the sum of the individual digits of each number in the array.

        Args:
        nums (List[int]): List of integers.

        Returns:
        int: The absolute difference between the two calculated sums.
        """
        # Calculate the sum of all numbers in the given list.
        total_sum = sum(nums)

        # Initialize the sum of individual digits to 0.
        digits_sum = 0

        # Iterate over each number in the list to calculate the sum of digits.
        for num in nums:
            while num:
                # Add the last digit of the current number to the digit sum.
                digits_sum += num % 10
                # Remove the last digit from the current number.
                num //= 10

        # Return the absolute difference between total sum and digits sum.
        return abs(total_sum - digits_sum)
```

## Java Solution

```java
class Solution {
    public int differenceOfSum(int[] nums) {
        // Initialize variables to hold the sum of array elements and the sum of digits.
        int sumOfElements = 0;
        int sumOfDigits = 0;

        // Iterate through each element in the input array.
        for (int num : nums) {
            // Add the current element to the sum of elements.
            sumOfElements += num;

            // Make a copy of the current element to manipulate and get the sum of its digits.
            int temp = num;

            // Extract digits of the current element and accumulate the sum.
            while (temp > 0) {
                // Extract the rightmost digit and add to the sum of digits.
                int digit = temp % 10;
                sumOfDigits += digit;

                // Remove the rightmost digit to proceed to the next digit.
                temp /= 10;
            }
        }

        // Return the absolute difference between the sum of elements and the sum of their digits.
        return Math.abs(sumOfElements - sumOfDigits);
    }
}
```

## C++ Solution

```cpp
#include <vector>
#include <cstdlib> // Include required header for std::abs

class Solution {
public:
    // Function that computes the absolute difference between the sum of elements
    // in the vector and the sum of the digits of each element in the vector.
    int differenceOfSum(vector<int>& nums) {
        int sumOfElements = 0;  // Variable to store the sum of the elements
        int sumOfDigits = 0;    // Variable to store the sum of the digits of each element

        // Loop through each number in the vector
        for (int num : nums) {
            sumOfElements += num;   // Add current number to the sum of elements

            // Inner loop to calculate the sum of digits of the current number
            for (int n = num; n > 0; n /= 10) {
                sumOfDigits += n % 10;  // Add the rightmost digit of n to the sum of digits
            }
        }

        // Return the absolute value of the difference between the two sums
        return std::abs(sumOfElements - sumOfDigits);
    }
};
```

## Typescript Solution

```typescript
function differenceOfSum(nums: number[]): number {
    // Initialize the result accumulator.
    let resultAccumulator = 0;

    // Iterate over each value in the input array 'nums'.
    nums.forEach((value) => {
        // Add the current value to the result accumulator.
        resultAccumulator += value;

        // As long as 'value' is not zero, subtract the digits from 'value'.
        while (value !== 0) {
            // Subtract the last digit of 'value' from the result accumulator.
            resultAccumulator -= value % 10;

            // Remove the last digit of 'value'.
            value = Math.floor(value / 10);
        }
    });

    // Return the final result, which is the difference between
    // the sum of the numbers and the sum of their digits.
    return resultAccumulator;
}
```

## Time and Space Complexity

### Time Complexity

The time complexity of the given function `differenceOfSum` involves two parts:

1. The sum of all elements in the list: This is a linear operation with respect to the number of elements, `n`, hence it has a time complexity of $O(n)$.
2. The loop to sum the individual digits of each number: Here, each number in the list is processed to sum its digits. This operation is executed for each number in the list. The while loop for calculating the sum of digits runs as many times as there are digits in the number—which, in the worst case, can be assumed to be proportional to the logarithm of the number to base 10, $O(\log 10(x))$. Assuming that the numbers are bounded by some value `k`, this inner loop operation is $O(\log 10(k))$, which can be considered constant for the purposes of this analysis, since `k` does not depend on `n`. Thus, this part is also $O(n)$ for the entire list.

Combining both parts, the total time complexity remains $O(n)$ since both operations are linear with respect to the length of the list.

### Space Complexity

The space complexity of the function is $O(1)$. This is because the function uses a fixed amount of additional space regardless of the input size `n`. Variables `a`, `b`, and `x` are the only extra variables, and their space requirement does not scale with `n`.