

2902. Count of Sub-Multisets With Bounded Sum

Description

You are given a **0-indexed** array `nums` of non-negative integers, and two integers `l` and `r`.

Return *the **count of sub-multisets** within `nums` where the sum of elements in each subset falls within the inclusive range of `[l, r]`*.

Since the answer may be large, return it modulo `$10^9 + 7$` .

A **sub-multiset** is an **unordered** collection of elements of the array in which a given value `x` can occur `0, 1, ..., occ[x]` times, where `occ[x]` is the number of occurrences of `x` in the array.

Note that:

- Two **sub-multisets** are the same if sorting both sub-multisets results in identical multisets.
- The sum of an **empty** multiset is `0`.

Example 1:

Input: `nums = [1,2,2,3]`, `l = 6`, `r = 6`

Output: `1`

Explanation: The only subset of `nums` that has a sum of 6 is `{1, 2, 3}`.

Example 2:

Input: `nums = [2,1,4,2,7]`, `l = 1`, `r = 5`

Output: `7`

Explanation: The subsets of `nums` that have a sum within the range `[1, 5]` are `{1}`, `{2}`, `{4}`, `{2, 2}`, `{1, 2}`, `{1, 4}`, and `{1, 2, 2}`.

Example 3:

Input: `nums = [1,2,1,3,5,2]`, `l = 3`, `r = 5`

Output: `9`

Explanation: The subsets of `nums` that have a sum within the range `[3, 5]` are `{3}`, `{5}`, `{1, 2}`, `{1, 3}`, `{2, 2}`, `{2, 3}`, `{1, 1, 2}`, `{1, 1, 3}`, and `{1, 2, 2}`.

Constraints:

- `1 <= nums.length <= 2 * 104`
- `0 <= nums[i] <= 2 * 104`
- Sum of `nums` does not exceed `2 * 104`.
- `0 <= l <= r <= 2 * 104`

