2799. Count Complete Subarrays in an Array **Sliding Window** Hash Table Medium Array

Problem Description

"complete" subarrays within this array. A subarray is considered "complete" if it contains exactly the same distinct elements as are present in the entire array. To clarify, a subarray is a contiguous sequence of elements within the array. The main goal is to find the number of such unique complete subarrays.

In this problem, you are provided with an array called nums, which contains positive integers. Your task is to count what's known as

elements in the current window using a counter.

Intuition The intuition behind solving this problem lies in recognizing that a complete subarray must end at some point where all distinct elements in nums are included up to that point. The idea is to move through the array with a sliding window, tracking the frequency of

we can say each subarray starting from the current beginning of the window (i) to the current end of the window (j) is a complete subarray. This is because the end, j, includes all unique elements, so any subarray from i to j will also include these elements.

Additionally, we know that for a fixed endpoint j, if a window is complete, extending that window to the right will also result in

Once a window contains all distinct elements (i.e., the length of the counter is equal to the total number of distinct elements in nums),

complete subarrays (as they'll also contain all distinct elements). Therefore, the number of complete subarrays ending at j can be determined by counting all possible starting points from the current start of the window i to j, which will be n - j (where n is the length of nums).

As we slide the window to the right incrementally, once a window no longer remains complete (an element's count drops to 0), we exit the inner loop, and proceed with expanding the end of the window (j) again to find a new complete subarray. By moving the start of the window (i) appropriately and using this approach, we ensure that we consider all complete subarrays exactly once.

The solution follows a two-pointer technique, commonly used for problems involving contiguous subarrays or sequences. Here's a step-by-step explanation of how the algorithm is implemented: 1. First, we need to determine the total number of distinct elements in the entire array nums. We use a set to find distinct elements

1 cnt = len(set(nums))

and store the count in the variable cnt.

Solution Approach

2. A counter d from the collections module is used to keep track of the frequency of elements within the current window as we scan through the array. 1 d = Counter()

- 3. Two pointers are used: i for the start of the window and j for the end of the window. The variable ans is used to store the total number of complete subarrays found so far, and n represents the length of the array nums.
- 1 ans, n = 0, len(nums)
- 1 for j, x in enumerate(nums): 5. Inside the loop, the counter d is updated with the current element x.

6. A while loop is used to check whether the current window is complete (i.e., the length of d equals cnt). If it is complete, we add n

7. To move the window forward, we decrease the count of the element at the start of the window and, if its count reaches zero,

By using the two-pointer technique with the counter, we can efficiently check for complete subarrays and count them. The algorithm

1 d[x] += 1

1 while len(d) == cnt:

remove it from the counter.

d.pop(nums[i])

ans += n - j

j to ans, because all subarrays starting from i to j are complete subarrays.

8. After updating the counter, we increment i to shrink the window from the left.

Step 1: Determine the number of distinct elements. For nums, this is cnt = $3(\{1, 2, 3\})$.

Step 2: Initialize the counter d and other variables ans = 0, n = 5, and i = 0.

4. The algorithm iterates over the elements of nums using a for loop, with j acting as the window's end.

1 i += 1

Example Walkthrough

1 return ans

1 d[nums[i]] -= 1

2 if d[nums[i]] == 0:

Consider the array nums = [1, 2, 1, 3, 2]. We want to find all "complete" subarrays where a "complete" subarray contains exactly

the distinct elements present in the entire array nums. In this example, the distinct elements are {1, 2, 3}, so every complete

guarantees that no complete subarrays are missed and none are counted more than once, ensuring the correct result.

Finally, the value of ans reflects the total count of complete subarrays within nums, which is what we are asked to return.

Step 3 & 4: Start iterating over the elements with two pointers i and j.

Step 5 & 6: Continue iterating.

For j = 0, nums[j] = 1. Update d with this element d[1] = 1.

• For j = 1, nums[j] = 2. Update d with this element d[2] = 1.

• For j = 2, nums[j] = 1. Update d with this element d[1] = 2.

Up until now, len(d) != cnt, so no complete subarray here.

• For j = 3, nums[j] = 3. Update d with this element d[3] = 1.

Let's illustrate the solution approach with a small example.

subarray must contain each of these numbers at least once.

• while len(d) == cnt, we decrease the count of nums[i] which is nums[0] = 1. Since d[1] becomes 1 (not zero), we don't remove it.

• The window is no longer complete (len(d) != cnt), so break the while loop.

the complete subarrays would be [1, 2, 1, 3], [2, 1, 3], [1, 3, 2], [3, 2].

j = 5 - 3 = 2, there are two subarrays [1, 2, 1, 3] and [2, 1, 3].

Continue this process: • Move i to 2, d[nums[1]] which is d[2] is decremented, the count is now zero, and we remove 2 from d.

By continuously moving i and j and checking the completeness of the window, we can find all complete subarrays. In this example,

Step 4: Increment j to 4, and continue the process by filling up the counter again until we find new complete subarrays.

• Increment i to 1. The window is now from i = 1 to j = 3 and len(d) == cnt still holds, so we add n - j = 2 more subarrays [2,

Now len(d) == cnt, we have a complete window from i = 0 to j = 3. Each subarray starting from i to j is complete. Since n -

The count ans is incremented each time we find a new complete subarray. After iterating through nums, we return the value of ans as

Python Solution

class Solution:

14

15

16

17

27

28

29

30

32

9

the total count of complete subarrays.

from collections import Counter

def countCompleteSubarrays(self, nums):

unique_count = len(set(nums))

elem_freq[value] += 1

start_index += 1

return total_subarrays

for (int num : nums) {

frequencyMap.put(num, 1);

elem_freq = Counter()

Count the number of unique elements in nums

for end_index, value in enumerate(nums):

while len(elem_freq) == unique_count:

Move the start pointer to the right

// Initialize the map with the unique numbers in the array

Return the total number of complete subarrays

Initialize a counter to keep track of the frequency of elements

Iterate over nums with an end pointer for the sliding window

Shrink the window from the left if all unique elements are included

Update the frequency count of the current element

Step 7 & 8: To move the window:

1, 3], [1, 3].

- # Initialize the answer and get the length of the nums array total_subarrays, length = 0, len(nums) 10 # Start pointer for the sliding window start_index = 0 13
- 20 # Current number of complete subarrays is (length-end_index) 21 total_subarrays += length - end_index # Decrease the freq count of the element at the start of the window 22 23 elem_freq[nums[start_index]] -= 1 # Remove the element from the counter if its count drops to zero 24 25 if elem_freq[nums[start_index]] == 0: 26 elem_freq.pop(nums[start_index])

class Solution { public int countCompleteSubarrays(int[] nums) { // A map to count the unique numbers in the array Map<Integer, Integer> frequencyMap = new HashMap<>();

Java Solution

```
10
11
           // Store the size of the unique elements in the array
12
           int uniqueCount = frequencyMap.size();
13
           // Variable to hold the final result
14
           int answer = 0;
           // Length of the nums array
16
            int arrayLength = nums.length;
17
18
           // Clear the map for reuse
19
            frequencyMap.clear();
20
           // Sliding window approach
            for (int left = 0, right = 0; right < arrayLength; ++right) {</pre>
23
                // Add or update the count of the current element
                frequencyMap.merge(nums[right], 1, Integer::sum);
24
25
               // If the window contains all unique elements
               while (frequencyMap.size() == uniqueCount) {
26
27
                    // Update the answer with the number of subarrays ending with nums[right]
28
                    answer += arrayLength - right;
29
                    // Move the left pointer, decrementing the frequency of the left-most element
30
                    if (frequencyMap.merge(nums[left], -1, Integer::sum) == 0) {
                        // If the count goes to zero, remove the element from the map
31
32
                       frequencyMap.remove(nums[left]);
                    ++left;
34
35
36
37
38
           // Return the total count of complete subarrays
39
           return answer;
40
41 }
42
C++ Solution
 1 #include <vector>
   #include <unordered_map>
   using namespace std;
```

43

class Solution {

// Method to count the number of complete subarrays

// Create a map to store the unique elements and their counts

// Store the size of the map, which is the count of unique elements

// Increase the count of the current end element in the map

// When the map size equals the count of unique elements, we found a complete subarray

// Add the number of complete subarrays that can be made with this start point

// Variable to store the answer which is the number of complete subarrays

// Initial loop to count the unique elements in the array

// Clear the map to reuse it for counting in subarrays

// Two-pointer approach to find all complete subarrays

for (int start = 0, end = 0; end < arraySize; ++end) {</pre>

while (countsMap.size() == uniqueCount) {

completeSubarrays += arraySize - end;

int countCompleteSubarrays(vector<int>& nums) {

unordered_map<int, int> countsMap;

int uniqueCount = countsMap.size();

for (int num : nums) {

countsMap.clear();

countsMap[num] = 1;

int completeSubarrays = 0;

// Size of the input array

int arraySize = nums.size();

countsMap[nums[end]]++;

6 public:

10

12

15

16

17

18

19

20

21

22

25

26

27

28

29

30

31

33

34

35

36

37

33

34

35

36

37

38

39

40

41

42

44

43 }

is linear.

```
38
                   // Reduce the count of the start element and erase it from the map if its count becomes zero
39
                   if (--countsMap[nums[start]] == 0) {
40
                        countsMap.erase(nums[start]);
                   // Move the start pointer forward
45
                   ++start;
46
47
48
           // Return the total count of complete subarrays
49
           return completeSubarrays;
50
51
52 };
53
Typescript Solution
   function countCompleteSubarrays(nums: number[]): number {
       // Create a map to store the frequency of each unique number in the array
       const frequencyMap: Map<number, number> = new Map();
       // Populate the frequency map with the initial count of each number
       for (const num of nums) {
 6
            frequencyMap.set(num, (frequencyMap.get(num) ?? 0) + 1);
 8
 9
10
       // Count the number of unique elements in the input array
11
       const uniqueElementCount = frequencyMap.size;
12
13
       // Clear the frequency map for reuse
14
       frequencyMap.clear();
15
16
        const totalNums = nums.length; // Total number of elements in nums
17
        let totalCompleteSubarrays = 0; // Initialize complete subarrays counter
        let start = 0; // Initialize start pointer for subarrays
18
19
       // Iterate over the array using 'end' as the end pointer for subarrays
20
21
       for (let end = 0; end < totalNums; ++end) {</pre>
22
           // Increment the count for the current element in the frequency map
23
            frequencyMap.set(nums[end], (frequencyMap.get(nums[end]) ?? 0) + 1);
24
25
           // While the current subarray contains all unique elements,
           // keep updating the total count of complete subarrays and adjust the start pointer.
26
27
           while (frequencyMap.size === uniqueElementCount) {
28
               // Add the total possible subarrays from the current subarray to the result
29
                totalCompleteSubarrays += totalNums - end;
               // Decrement the count of the number at the start pointer
30
31
                frequencyMap.set(nums[start], frequencyMap.get(nums[start])! - 1);
32
               // If the start number count hits zero, remove it from the map
```

Time and Space Complexity The provided Python code calculates the number of complete subarrays in the input list nums. A complete subarray is defined such

++start;

return totalCompleteSubarrays;

if (frequencyMap.get(nums[start]) === 0) {

frequencyMap.delete(nums[start]);

// Move the start pointer to the right

// Return the total count of complete subarrays

Time Complexity: The time complexity of the code is O(n), where n is the number of elements in the input list nums. Although the code contains a

Instead, i picks up where it left off in the previous iteration. Each element is processed once by both i and j, hence the complexity

nested loop, the inner loop with variable i does not start from the beginning for each iteration of the outer loop with variable j.

that all elements of the nums list are included in the subarray at least once. Here is the complexity analysis of the code:

Space Complexity: The space complexity is O(n) as well. The primary data structure contributing to space complexity is the Counter object d, which in the worst case contains as many unique keys as there are unique elements in nums. Additionally, the set of nums, which is created at the beginning of the method, also contributes to the space complexity if all elements are unique. However, since both structures depend on the number of unique elements in nums, and there can't be more unique elements than n, the space complexity remains 0(n).