2160. Minimum Sum of Four Digit Number After Splitting Digits

Greedy Math Sorting Easy

Problem Description

In this problem, we are given a four-digit positive integer num. Our task is to split this integer into exactly two new integers, new1 and new2. To create these two new integers, we have to distribute the digits of num between them. Some important points to note about this task are:

Leading zeros are allowed in new1 and new2.

A digit can be placed in new1 or new2 without restriction, except that all digits from num must be used.

- We want to minimize the sum of new1 and new2.
- As an example, consider num = 2932. We can create several pairs from these digits, such as [22, 93], [23, 92], [223, 9], and

[2, 329]. However, our goal is to find the pair where the sum of new1 and new2 is the smallest. This requires a strategic approach to pairing the digits into two numbers where their combined value is minimized.

The intuition behind solving this problem lies in understanding that to minimize the sum of two numbers created from the digits of

num, we need to consider digit positions carefully. The smallest sum is obtained when the least significant digits (the ones and tens place) are as small as possible in both new numbers.

One effective strategy is to: 1. Sort the digits of the original number in ascending order so that the smallest digits are placed in positions that contribute the least to the sum. 2. Assign digits to new1 and new2 strategically to ensure that the least significant digits of both numbers are as small as possible. This is because

adding a smaller digit in the tens place will reduce the sum more significantly than adding it in the ones place due to the positional value in

• After sorting the digits, the smallest digits will be at the front of the array. Manage these small digits so that they contribute to tens place of

both the numbers.

Here's how we can do it:

decimal notation.

- Specifically, we take the two smallest digits and place them into the tens places of new1 and new2. This is done by multiplying the sum of these two smallest digits by 10. Then we add the remaining two digits to the ones places.
- Thus, the approach to arriving at the solution relies on sorting the four digits and then constructing two new numbers such that

is the step-by-step approach taken in the provided code:

their sum is minimized by careful placement of the least significant digits.

Solution Approach The solution is implemented in Python and uses fundamental programming constructs such as a list and sorting algorithm. Below

First, we initialize an empty list, nums, which will hold the individual digits of the given num.

while num:

to get the least significant digit and append it to the list nums. Then, we use floor division // by 10 to remove the least significant digit from num.

We then extract each digit from num using a while loop that continues until num becomes zero. We use the modulus operator %

nums.append(num % 10) num //= 10

Sorting is crucial to place the smallest digits in the tens places of new1 and new2 to minimize the sum.

The sorted nums list now has the smallest digit at index 0 and the second smallest at index 1. By adding the smallest two digits and multiplying by 10, we achieve two numbers with the smallest digits in the tens place: return 10 * (nums[0] + nums[1]) + nums[2] + nums[3]

The resulting nums list contains the individual digits in reverse order. We sort this list to arrange the digits in ascending order.

(which will occupy the ones places). The final result returned is the minimum possible sum of new1 and new2 constructed from the digits of the original number, num.

The algorithm used is simple yet effective because it directly leverages the property of positional notation in decimal numbers.

The choice of the list as the data structure enables easy manipulation of digits and the use of Python's built-in sort method

To complete the numbers new1 and new2, we add the third smallest digit (nums [2]) and the largest digit (nums [3]) to the sum

Example Walkthrough

Following the approach described, we perform these steps: We start by initializing an empty list to store the digits. We call this list nums. We then extract each digit from num and append it to nums. Processing the number 4723 gives us:

Once the list is sorted, we identify the two smallest digits, which now are at indices 0 and 1. In our case, they are 2 and 3.

According to our strategy, they will go into the tens places of new1 and new2. So, by adding them together and multiplying by

Now, we take the remaining digits, which are 4 and 7, to fill in the ones places. Adding them to our tens place sum will give us

Therefore, the smallest possible summed pair of numbers created from 4723 is \$new1 = 23 and \$new2 = 47, with a sum of 61.

This example demonstrates that by sorting the digits first and then strategically placing the smaller digits in the more significant

Next, we sort the nums list in ascending order:

streamlines digit organization.

nums.sort() # After sorting, nums = [2, 3, 4, 7]

Let's walk through the solution approach with a small example. Suppose the given number is num = 4723.

10, we obtain the tens place for both: Tens place sum = 10 * (2 + 3) = 50

tens positions across new1 and new2, we achieve the minimum sum as per the problem's requirement.

Get the last digit of the number and append it to the digits list.

Remove the last digit from the number by integer division by 10.

// Function to find the minimum sum of two numbers formed from digits of the input.

// The smallest two-digit numbers are formed by taking the two smallest digits

// For example, digits = $\{1, 2, 3, 5\}$ forms 12 and 35 which is the minimum sum possible

// Remove the last digit from 'num'

// Create a vector to store individual digits of the number

// and two largest digits and arranging them as shown below:

return 10 * (digits[0] + digits[1]) + digits[2] + digits[3];

digits.push_back(num % 10); // Get the last digit of 'num'

// Extract the digits and put them into the vector

```
the final value:
Total sum = 50 + 4 + 7 = 61
```

nums = [3, 2, 7, 4] # Note that digits are appended in reverse order

Solution Implementation

Initialize a list to store the digits of the input number. digits = [] # Extract the digits from the input number and append them to the list. while num:

```
# The minimal sum is obtained by adding the two smallest digits after
# placing them in the tens place of two separate numbers, then adding
# the two larger digits in the units place.
min_sum = 10 * (digits[0] + digits[1]) + digits[2] + digits[3]
```

return min_sum

digits.sort()

num //= 10

Python

class Solution:

def minimumSum(self, num: int) -> int:

digits.append(num % 10)

Sort the digits in ascending order.

Return the calculated minimum sum.

Generate the minimum sum by combining the digits.

```
Java
import java.util.Arrays; // Import Arrays class for the sort method
class Solution {
   public int minimumSum(int num) {
       // Initialize an array to store the individual digits of the number
       int[] digits = new int[4];
       // Extract the digits from the number and store them in the array
        for (int i = 0; num != 0; ++i) {
           digits[i] = num % 10; // Get the last digit of the number
           num /= 10; // Remove the last digit from the number
       // Sort the array of digits in ascending order
       Arrays.sort(digits);
       // Reconstruct the two minimum possible numbers by pairing the smallest digits
       // with the next smallest digits (10s place and 1s place respectively)
       return 10 * (digits[0] + digits[1]) + digits[2] + digits[3];
C++
```

```
};
```

#include <vector>

class Solution {

public:

#include <algorithm>

int minimumSum(int num) {

// Sort the digits

while (num) {

std::vector<int> digits;

num /= 10;

std::sort(digits.begin(), digits.end());

```
TypeScript
/**
* Calculate the minimum sum of two numbers formed from digits of the input number.
* @param num - A four-digit number.
* @returns The minimum sum of two new numbers formed by rearranging the digits.
*/
function minimumSum(num: number): number {
   // Create an array to hold the individual digits of the input number
   const digits: number[] = new Array(4).fill(0);
   // Extract the digits from the input number and fill the digits array
   for (let i = 0; i < 4; i++) {
       digits[i] = num % 10; // Get the last digit of the current num
       num = Math.floor(num / 10); // Remove the last digit from num
   // Sort the array of digits in ascending order
   digits.sort((a, b) \Rightarrow a - b);
   // Form two new numbers:
   // The first new number is formed by adding the two smallest digits, then multiplying by 10
   // The second new number is formed from the remaining two digits
   // This ensures the smallest possible sum
   const newNumber1 = 10 * (digits[0] + digits[1]);
   const newNumber2 = digits[2] + digits[3];
   // Return the sum of the two new numbers
   return newNumber1 + newNumber2;
```

```
# Generate the minimum sum by combining the digits.
# The minimal sum is obtained by adding the two smallest digits after
# placing them in the tens place of two separate numbers, then adding
# the two larger digits in the units place.
min_sum = 10 * (digits[0] + digits[1]) + digits[2] + digits[3]
# Return the calculated minimum sum.
return min_sum
```

Initialize a list to store the digits of the input number.

Extract the digits from the input number and append them to the list.

Get the last digit of the number and append it to the digits list.

Remove the last digit from the number by integer division by 10.

number of times equal to the number of digits in num. For a 32-bit integer, the maximum number of digits is 10 (2147483647 is the

Time Complexity:

class Solution:

digits = []

while num:

num //= 10

Time and Space Complexity

digits.sort()

def minimumSum(self, num: int) -> int:

digits.append(num % 10)

Sort the digits in ascending order.

largest 32-bit integer). Therefore, the while loop has a constant runtime with respect to the size of the input and does not depend on the value of num. Sorting the nums list which contains at most 4 digits using a basic sorting algorithm (like Timsort, which is used by Python's sort() method) has a constant time complexity because the number of digits is fixed and small. The final return statement is a constant time operation. Hence, overall, the time complexity is 0(1), a constant time complexity. **Space Complexity:**

The provided function consists of a while loop that iterates through the digits of the input number (num). This loop will run a

Space is allocated for the nums list which will always have at most 4 elements since the maximum number of digits for an integer is 4 in this problem context. Hence, the space complexity of the code is 0(1), a constant space complexity, since it does not grow with the size of the input number.