## 272. Closest Binary Search Tree Value II **Binary Search Tree Two Pointers** Hard Stack Tree **Depth-First Search**

The problem provides us with a binary search tree (BST) and a target value target. Our goal is to find k values in the BST that are closest to the target value. The values can be returned in any order. The problem guarantees that there is a unique set of k values in the tree that are closest to the target.

**Binary Tree** 

Heap (Priority Queue) Leetcode Link

how close they are to the target.

**Problem Description** 

Intuition To resolve this problem, we use an in-order traversal of the BST. The reason for this choice is that an in-order traversal of a BST

yields the values in sorted order. As we traverse the tree, we compare the values of the nodes with the target value to determine

 Perform an in-order traversal (left-root-right) because the BST's property guarantees sorted values. Use a deque of size k to maintain the closest values to the target. We start by adding values to the deque until it is full.

• Once the deque has k elements, we compare the current value (as we continue in-order traversal) with the first element in the

We use a deque (double-ended queue) to keep track of the closest values found so far. The deque maintains the k closest values in

- first element and add the current value to the deque.
- deque (the element that is the farthest from the target among those in the deque). If the current value is closer, we remove the

sorted order due to the nature of in-order traversal. Here's a step-by-step outline of the intuition:

- If we find a value that is not closer than the first element in the deque, we can stop the traversal. Since the values are sorted, all subsequent values will be even farther from the target. After completing the traversal, we return the contents of the deque as our result. This approach efficiently finds the k closest values by leveraging the sorted nature of the BST and by keeping our list of candidates
- to a fixed size (k). **Solution Approach**
- The solution uses a Depth-First Search (DFS) in-order traversal strategy to explore the BST and a deque data structure to keep track

argument and explores it in an in-order fashion (left-root-right).

of the k closest values. Let's look at how the provided code implements this: 1. A helper function dfs(root) is defined for traversal purposes. It's a recursive function that takes the current node as its

Example Walkthrough

2. When the dfs function is called with the BST root, it first checks if the current node is None, meaning it's reached the end of a path in the tree, and in that case, it returns without doing anything further.

 If q is not full, it appends the current node's value to q. If q is full, the function compares the absolute difference between the target and the current value (abs(root.val -

4. After exploring the left sub-tree, the function checks if the deque named q is already full (i.e., if it already contains k elements):

- target)) with the absolute difference between the target and the value at the front of the deque (abs(q[0] target)): • If the current value is closer to the target than the value at the front of q, we popleft from q to remove the farthest
- value, and append the current value (q.append(root.val)). If the current value is not closer, the traversal is halted as further right nodes will be even farther from the target.

3. The function then proceeds to recursively call itself to explore the left subtree: dfs(root.left).

early if a value is farther from the target than the first value in q).

6. A deque object q is created outside of the dfs function and is passed by reference into it. A deque is used because it allows

5. The DFS continues to the right subtree: dfs(root.right), as long as the closest k values are not yet finalized (meaning it returns

efficient addition and removal of elements from the start of the queue (popleft), which is required when we find a closer value and we need to remove the least close value in it.

the solution efficiently finds the k values in the BST that are closest to the target value.

- 7. After the DFS traversal is complete, the function closestKValues returns the current content of the deque q converted to a list with list(q), which contains the k values closest to the target. By utilizing a modified in-order traversal that stops early when appropriate, and a deque to keep a running set of the closest values,
- Let's walk through a small example using the solution approach outlined above to demonstrate how we can find the k values closest to a target within a Binary Search Tree (BST):

■ Since abs(7 - 5) > abs(2 - 5), we do not need to visit any more nodes because all subsequent nodes will be farther

# 1. Begin with an empty deque q and start the in-order DFS traversal from the root (4).

2. Visit the left child, 2.

-q = [1, 3]

**Example BST** 

- q = [1]Return to 2, visit right child (3), and call dfs(3). Since 3 has no children, append 3 to deque.

With q still not full, append 2's value to q.

Our goal is to find the 3 values closest to 5.

**Step-by-Step Traversal and Deque Operations** 

Consider the following BST, where k = 3 and target = 5:

- q = [1, 3, 2]3. Return to the root, 4. Now q is full.
  - $\circ$  Compare 4 with the front of q (1). Since abs (4 5) < abs(1 5), pop from the left and append 4. q = [3, 2, 4]

o Call dfs(2), visit left child (1), and call dfs(1). Since 1 has no left child, append 1 to the deque.

Call dfs(6), and compare 6 with the front of q (3).

4. Visit the right child, 6.

■ Since abs(6 - 5) < abs(3 - 5), we remove the front value and add 6.</p> q = [2, 4, 6]

Visit the right child of 6, which is 7, and compare with the front of q (2).

- away. 5. Conversion to a list and return:
- By following this walkthrough, we have efficiently located the k closest values to the target in the BST.

# Definition for a binary tree node.

self.val = val

self.left = left

self.right = right

def in\_order\_dfs(node):

return

if node is None:

# Recurse on the left child.

# Process the current node.

in\_order\_dfs(node.left)

return

# Recurse on the right child.

in\_order\_dfs(node.right)

closest\_values = deque()

def \_\_init\_\_(self, val=0, left=None, right=None):

class TreeNode:

class Solution:

12

13

14

15

16

17

18

19

20

21

26

27

28

34

35

36

37

38

40

41

42

43

44

45

46

47

48

49

50

52

51 }

/\*\*

\*

\*/

11

12

15

16

18

19

20

21

22 23

24

25

26

27

28

29

30

31

31

32

33

34

35

36

37

38

39

40

41

50

} else {

} else {

return;

\* };

public:

class Solution {

int kValues;

C++ Solution

\* struct TreeNode {

int val;

*TreeNode* \*left;

TreeNode \*right;

double targetValue;

this->kValues = k;

traverseInOrder(root);

return closestValues;

this->targetValue = target;

std::vector<int> closestValues;

closeValuesQueue.pop();

while (!closeValuesQueue.empty()) {

**Python Solution** from collections import deque

def closestKValues(self, root: TreeNode, target: float, k: int) -> List[int]:

# If we have fewer than k values, add current node's value.

# This deque will store the closest k values encountered so far.

// Remove the first/oldest element in the list

// Add the current node's value to the list

TreeNode() : val(0), left(nullptr), right(nullptr) {}

TreeNode(int x) : val(x), left(nullptr), right(nullptr) {}

// Function to find k values in the BST closest to the target value

std::vector<int> closestKValues(TreeNode\* root, double target, int k) {

// Extract values from queue and store them in an answer vector

closestValues.push\_back(closeValuesQueue.front());

TreeNode(int x, TreeNode \*left, TreeNode \*right) : val(x), left(left), right(right) {}

// Target value to compare against

// Number of closest values to find

std::queue<int> closeValuesQueue; // Queue to keep track of the k closest values

closestValues.remove(0);

inOrderTraversal(node.right);

\* Definition for a binary tree node.

closestValues.add(node.val);

// Recursive call on the right subtree.

# Perform in-order depth-first search to traverse the tree.

Convert the deque to a list, resulting in the k values closest to the target: [2, 4, 6]

22 if len(closest\_values) < k:</pre> 23 closest\_values.append(node.val) 24 else: 25 # Once we have k values, check if current node is closer to target

if abs(node.val - target) >= abs(closest\_values[0] - target):

# than the first value in the deque. If not, no need to proceed further.

```
29
30
                    # If the current node is closer, pop the first value and append the current value.
                    closest_values.popleft()
31
32
                    closest_values.append(node.val)
33
```

```
39
40
           # Start the in-order traversal of the tree.
41
           in_order_dfs(root)
42
           # Return the k closest values as a list.
43
           return list(closest_values)
44
45
Java Solution
1 class Solution {
       // Define a list to hold the closest k values.
       private List<Integer> closestValues;
       // Define a variable to hold the target value for comparison.
       private double targetValue;
 6
       // Define a variable to hold the number of closest values required.
8
       private int numOfClosestValues;
9
10
       // Public method to call to find the k closest values to a target in a binary search tree.
11
12
       public List<Integer> closestKValues(TreeNode root, double target, int k) {
           closestValues = new LinkedList<>();
13
14
           targetValue = target;
           numOfClosestValues = k;
15
           inOrderTraversal(root);
16
17
           return closestValues;
18
19
20
       // Helper method to perform in-order traversal of the binary tree.
       private void inOrderTraversal(TreeNode node) {
21
           // Base case: if the node is null, return immediately.
23
           if (node == null) {
24
               return;
25
26
27
           // Recursive call on the left subtree.
28
           inOrderTraversal(node.left);
29
30
           // If the current size of the closestValues list is less than k,
           // add the current node's value to the list.
31
           if (closestValues.size() < numOfClosestValues) {</pre>
32
33
               closestValues.add(node.val);
           } else {
34
               // If adding the current node's value to the list does not bring it closer to the target,
35
36
               // stop the traversal since nodes farther to the right will be even less close.
37
               if (Math.abs(node.val - targetValue) >= Math.abs(closestValues.get(0) - targetValue)) {
38
                    return;
39
```

### 32 33 34 // In-order traversal of the BST void traverseInOrder(TreeNode\* node) { 35 36 if (!node) return; // Base case: node is null

```
37
38
           // Traverse left subtree
39
           traverseInOrder(node->left);
40
41
           // Check if the number of elements in the queue is less than k
           if (closeValuesQueue.size() < kValues)</pre>
42
43
               closeValuesQueue.push(node->val);
           else {
44
45
               // Check if the current value is closer to the target than the front of the queue
               if (std::abs(node->val - targetValue) >= std::abs(closeValuesQueue.front() - targetValue))
46
                   return; // If not, we don't need to continue as the right subtree will have even larger values
47
               closeValuesQueue.pop(); // Remove the furthest value
48
49
               closeValuesQueue.push(node->val); // Add the current, closer value
50
51
52
           // Traverse right subtree
53
           traverseInOrder(node->right);
54
55 };
56
Typescript Solution
 1 // Tree node structure
   interface TreeNode {
       val: number;
       left: TreeNode | null;
       right: TreeNode | null;
6 }
   let closeValuesQueue: number[] = []; // Queue to keep track of the k closest values
                                    // Target value to compare against
   let targetValue: number = 0;
   let kValues: number = 0;
                                        // Number of closest values to find
11
12 // Function to find k values in the BST closest to the target value
   function closestKValues(root: TreeNode | null, target: number, k: number): number[] {
       targetValue = target;
14
       kValues = k;
15
       closeValuesQueue = []; // initialize the queue to be empty
16
       traverseInOrder(root);
17
18
       // The queue is already a list of closest values when using TypeScript arrays
19
20
       return closeValuesQueue;
21 }
22
   // In-order traversal of the BST
   function traverseInOrder(node: TreeNode | null): void {
       if (!node) return; // Base case: node is null
25
26
27
       // Traverse left subtree
28
       traverseInOrder(node.left);
29
       // Check if the number of elements in the queue is less than k
30
```

## 46 // Traverse right subtree 47 traverseInOrder(node.right); 48 49 }

Time and Space Complexity

if (closeValuesQueue.length < kValues) {</pre>

closeValuesQueue.push(node.val);

42 43 // After processing current node, ensure queue is sorted by closest to the target value 44 closeValuesQueue.sort((a, b) => Math.abs(a - targetValue) - Math.abs(b - targetValue)); 45

// Check if the current value is closer to the target than the first element of the queue

// If not closer, we can break here because the right subtree will not have closer values

if (Math.abs(node.val - targetValue) < Math.abs(closeValuesQueue[0] - targetValue)) {</pre>

closeValuesQueue.shift(); // Remove the furthest value

closeValuesQueue.push(node.val); // Add the current, closer value

function performs an in-order traversal of the entire tree, visiting each node exactly once.

The space complexity is 0(H + k) where H denotes the height of the binary tree, which is the space required for the call stack during the recursive traversal, and k is the space for storing closest values in the queue. In the worst case, the height of the tree can be O(N) when the tree is skewed, leading to the worst-case space complexity of O(N + k). In a balanced tree, however, the height H is  $O(\log N)$ , leading to a more typical space complexity of  $O(\log N + k)$ .

The time complexity of the provided code is O(N) where N denotes the number of nodes in the binary tree. This is because the dfs