2009. Minimum Number of Operations to Make Array Continuous

Problem Description

Binary Search

Array

Hard

operation. The operation consists of replacing any element in nums with any integer. An array is defined as continuous if it satisfies the following two conditions: 1. All elements in the array are unique.

The problem presents an integer array nums. The goal is to make the given array nums continuous by performing a certain

2. The difference between the maximum element and the minimum element in the array is equal to the length of the array minus one.

array to a set and then back to a sorted list.

involved in the implementation are as follows:

for i, v in enumerate(nums):

Sorting and Deduplication:

a. When i = 0 (nums [i] = 2):

 $nums[i] - nums[i] \ll n - 1$

Solution Implementation

list_length = len(nums)

nums = sorted(set(nums))

min_ops = list_length

window_start = 0

from typing import List

Python

class Solution:

nums = sorted(set(nums)) // nums = [2, 3, 4, 5, 6, 7]

 $nums[0] - 2 \ll 6 // 0 - 2 \ll 6$, condition is true, try next

 $nums[1] - 2 \ll 6 // 3 - 2 \ll 6$, condition is true, try next

nums[2] $-2 \ll 6$ // $4-2 \ll 6$, condition is true, try next

value a continuous array can have also decreases.

def minOperations(self, nums: List[int]) -> int:

Get the length of the original nums list

Initialize a pointer for the sliding window

is less than the length of the original list

// Step through the sorted array and remove duplicates

// Use a sliding window to count the number of operations

for (int i = 0, j = 0; $i < uniqueNumbers; ++i) {$

for (int i = 1; i < nums.length; ++i) {

if (nums[i] != nums[i - 1]) {

int minOperations = nums.length;

// Sort the array in non-decreasing order

const totalCount: number = nums.length;

let minOps: number = totalCount;

++right;

return minOps;

from typing import List

list_length = len(nums)

nums = sorted(set(nums))

min_ops = list_length

window_start = 0

return min_ops

log k will dominate for larger k.

The space complexity is determined by:

class Solution:

const uniqueElements: number[] = Array.from(new Set(nums));

// Use two pointers to find the least number of operations needed

// is less than or equal to the length of the array minus 1

minOps = Math.min(minOps, totalCount - (right - left));

// Return the minimum number of operations required

def minOperations(self, nums: List[int]) -> int:

Get the length of the original nums list

Initialize a pointer for the sliding window

is less than the length of the original list

for window end, value in enumerate(nums):

window_start += 1

for (let left = 0, right = 0; left < uniqueCount; ++left) {</pre>

const uniqueCount: number = uniqueElements.length;

// Store the total number of elements in the array

// Remove duplicate elements from the array and get the count of unique elements

// Initialize the answer to the max possible value, i.e., the total number of elements

// Calculate the minimum operations needed by subtracting the length of the current

// consecutive sequence of unique elements from the total number of elements

Use a set to eliminate duplicates, then convert back to a sorted list

Initialize the minimum number of operations as the length of the list

min_ops = min(min_ops, list_length - (window_start - window_end))

Iterate through the list using the enumerate function, which provides both index and value

while window start < len(nums) and nums[window_start] - value <= list_length - 1:</pre>

Update the minimum number of operations required by finding the minimum between

the current min ops and the operations calculated using the size of the window.

Return the minimum number of operations needed to have all integers in nums consecutively

Expand the window while the difference between the current value and the window's start value

The size of the window is the total number of elements that can be made consecutive by some operations.

// Move the right pointer as long as the difference between the unique elements at 'right' and 'left'

while (right < uniqueCount && uniqueElements[right] - uniqueElements[left] <= totalCount - 1) {</pre>

nums.sort((a, b) => a - b);

for window end, value in enumerate(nums):

window_start += 1

public int minOperations(int[] nums) {

Use a set to eliminate duplicates, then convert back to a sorted list

Initialize the minimum number of operations as the length of the list

min_ops = min(min_ops, list_length - (window_start - window_end))

Iterate through the list using the enumerate function, which provides both index and value

while window start < len(nums) and nums[window_start] - value <= list_length - 1:</pre>

Update the minimum number of operations required by finding the minimum between

the current min ops and the operations calculated using the size of the window.

// Sort the array to bring duplicates together and ease the operation count process

// Start uniqueNumbers counter at 1 since the first number is always unique

// Expand the window to the right as long as the condition is met

// Calculate the minimum operations needed and store the result

minOperations = Math.min(minOperations, nums.length - (j - i));

while (j < uniqueNumbers && nums[j] - nums[i] <= nums.length - 1) {</pre>

Expand the window while the difference between the current value and the window's start value

while j < len(nums) and nums[j] - v <= n - 1:

Intuition

To find the minimum number of operations to make the nums array continuous, we use a two-pointer approach. Here's the

The requirement is to return the minimum number of operations needed to make the array nums continuous.

general intuition behind this approach: Removing Duplicates: Since all numbers must be unique in a continuous array, we first remove duplicates by converting the

Finding Subarrays with Potential: We iterate through the sorted and deduplicated nums to look for subarrays that could potentially be continuous with minimal changes. Each subarray is characterized by a fixed starting point (i) and a

- dynamically found endpoint (j), where the difference between the maximum and minimum element (which is the first and last in the sorted subarray) is not greater than the length of the array minus one.
- **Greedy Selection**: For each starting point i, we increment the endpoint j until the next element would break the continuity criterion. The size of the subarray between points i and j represents a potential continuous subarray.
- number of elements in the subarray from the total number of elements in nums. The rationale is that elements not in the subarray would need to be replaced to make the entire array continuous. Finding the Minimum: As we want the minimum number of operations, we track the smallest number of operations needed

Calculating Operations: For each of these subarrays, we calculate the number of operations needed by subtracting the

throughout the iteration by using the min() function, updating the ans variable accordingly. The loop efficiently finds the largest subarray that can be made continuous without adding any additional elements (since adding

elements is not an option as per problem constraints). The remaining elements—those not included in this largest subarray—are

Solution Approach The solution uses a sorted array without duplicates and a sliding window to find the minimum number of operations. The steps

the ones that would need to be replaced. The count of these elements gives us the minimum operations required.

needs to have all unique elements. This set is then converted back into a sorted list to allow for easy identification of subarrays with potential to be continuous. This is important for step 2, the sliding window approach. nums = sorted(set(nums))

Sorting and Deduplication: The input array nums is first converted to a set to remove any duplicates since our final array

Initial Variables: The variable n stores the length of the original array. The variable ans is initialized to n, representing the

Sliding Window: We then use a sliding window to find the largest subarray where the elements can remain unchanged. To do

worst-case scenario where all elements need to be replaced. We also initialize a variable j to 0, which will serve as our sliding window's endpoint.

j += 1

returned.

Inside the loop, j is incremented until the condition nums[j] - v <= n - 1 is no longer valid. This condition checks whether the subarray starting from i up to j can remain continuous if we were to fill in the numbers between nums[i] and nums[j].

this, we iterate over the sorted array with a variable i that represents the starting point of our subarray.

Calculating the Minimum: For each valid subarray, we calculate the number of elements that need to be replaced: ans = min(ans, n - (j - i))This calculates how many elements are not included in the largest potential continuous subarray and takes the minimum of

operations needed to fill in the missing numbers, since we skipped over n - (j - i) numbers to achieve the length n.

By the end of the loop, ans contains the minimum number of operations required to make the array continuous, which is then

This implementation efficiently solves the problem using a sorted set for uniqueness and a sliding window to find the best

subarray. The selected subarray has the most elements that are already part of a hypothetical continuous array, thus minimizing

the current answer and the number of elements outside the subarray. The difference n - (j - i) gives us the number of

the required operations. **Example Walkthrough**

Let's take the array nums = [4, 2, 5, 3, 5, 7, 6] as an example to illustrate the solution approach.

starts at each element i in nums and we try to expand the window by increasing j.

We first remove the duplicate number 5 and then sort the array. The array becomes [2, 3, 4, 5, 6, 7]. **Initial Variables:** n = len(nums) // n = 7 (original array length)ans = n // ans = 7

Sliding Window: We iterate through the sorted and deduplicated array using a sliding window technique. The sliding window

nums[3] $-2 \le 6$ // $5-2 \le 6$, condition is true, try next nums[4] - 2 <= 6 // 6 - 2 <= 6, condition is true, try next $nums[5] - 2 \le 6 // 7 - 2 \le 6$, condition is true

j = 0

We calculate the operations needed for this subarray: ans = min(ans, n - (j - i)) // ans = <math>min(7, 7 - (5 - 0)) = 2

So, we need to replace 2 elements in the original array to make the subarray from 2 to 7 continuous.

At this point, the subarray [2, 3, 4, 5, 6, 7] is the largest we can get starting from i = 0, without needing addition.

nums) to get a continuous range that includes the largest possible number of the original elements. Therefore, the answer for the example array is 2. This demonstrates how the approach uses a sliding window to minimize the number of operations needed to make the array continuous.

By the end of the loop, we find that the minimum number of operations required is 2, which is the case when we consider the

subarray [2, 3, 4, 5, 6, 7]. The two operations would involve replacing the two remaining numbers 4 and 5 (from the original

b. The loop continues for i = 1 to i = 5, with the window size becoming smaller each time because the maximum possible

Return the minimum number of operations needed to have all integers in nums consecutively return min_ops Java

The size of the window is the total number of elements that can be made consecutive by some operations.

nums[uniqueNumbers++] = nums[i]; // Initialize variable to track the minimum number of operations

++j;

Arrays.sort(nums);

int uniqueNumbers = 1;

import java.util.Arrays;

class Solution {

// Return the minimum number of operations found return minOperations; C++ #include <vector> #include <algorithm> // Required for std::sort and std::unique class Solution { public: int minOperations(std::vector<int>& nums) { // Sort the vector in non-decreasing order std::sort(nums.begin(), nums.end()); // Remove duplicate elements from the vector int uniqueCount = std::unique(nums.begin(), nums.end()) - nums.begin(); // Store the total number of elements in the vector int totalCount = nums.size(); // Initialize the answer to the max possible value, i.e., the total number of elements int minOperations = totalCount; // Use two pointers to find the least number of operations needed for (int left = 0, right = 0; left < uniqueCount; ++left) {</pre> // Move the right pointer as long as the difference between nums[right] and nums[left] // is less than or equal to the length of the array minus 1 while (right < uniqueCount && nums[right] - nums[left] <= totalCount - 1) {</pre> ++right; // Calculate the minimum operations needed by subtracting the length of the current // consecutive sequence from the total number of elements minOperations = std::min(minOperations, totalCount - (right - left)); // Return the minimum number of operations required return minOperations; **}**; **TypeScript** function minOperations(nums: number[]): number {

Time and Space Complexity **Time Complexity** The time complexity of the given code snippet involves several operations:

unique elements in the array. The for-loop runs k times, where k is the number of unique elements after removing duplicates. Inside the for-loop, we have a while-loop; but notice that each element is visited at most once by the while-loop because j

Storing the sorted unique elements, which takes O(k) space.

- only increases. This implies the while-loop total times through all for-loop iterations is O(k). Combining these complexities, we have a total time complexity of O(k log k + k), which simplifies to O(k log k) because k
- **Space Complexity**

Sorting the unique elements in the array: This operation has a time complexity of O(k log k), where k is the number of

Miscellaneous variables (ans, j, n), which use constant space 0(1). Hence, the total space complexity is O(k) for storing the unique elements set. Note that k here represents the count of unique elements in the original nums list.