



**Problem Description** 

String



The problem involves determining if there is a permutation of one string (s1) that can "break" a permutation of another string (s2), or vice-versa. The concept of one string breaking another is defined such that, for each index i from 0 to n-1, where n is the size of the strings, the character from the first string at index i is greater than or equal to the character from the second string at the same index when both strings are arranged in alphabetical order. For example, if s1 is "abc" and s2 is "xya", one valid permutation of s1 that can break s2 is "cba" (since "cba" ≥ "axy"), and hence the

output would be True.

Intuition

To solve this problem, we need to determine if such permutations exist for \$1 and \$2.

### A logical approach to solving this problem is to first sort both strings alphabetically. Once we sort them, we would have the smallest

be greater than or equal to the corresponding character in \$2 at each index. Similarly, if \$2 can break \$1, then every character in \$2 should be greater than or equal to the corresponding character in s1 at each index. The intuition behind sorting is that we are aligning characters in the order of their ranks (based on their alphabetical order), and we are doing a one-to-one comparison between the characters of both strings at corresponding positions. If all characters in \$1 are

greater than or equal to all corresponding characters in \$2, then we conclude \$1 can break \$2. Otherwise, if all characters in \$2 are

characters located at the start and the largest at the end in each string. If \$1 can break \$2, after sorting, every character in \$1 should

greater than or equal to all corresponding characters in s1, we conclude that s2 can break s1. If neither of these conditions hold, then no permutation can break the other. The reason we can use sorting and then linear comparison in this problem is because of the transitive property of the "can break" relationship, which states that if a >= b and b >= c, then a >= c. Thus, we can get away with just sorting the strings and comparing them once rather than looking at every possible permutation of both strings, which would be very inefficient.

Solution Approach The implementation of the solution follows a simple yet efficient approach, utilizing the Python language's native libraries and

#### 1. Sort Both Strings: The sorted() function is used to sort \$1 and \$2 alphabetically. This is a critical step that gets the strings ready for comparison. Sorting is done using an efficient sorting algorithm, typically Timsort in Python, which has a complexity of

cs2 = sorted(s2)

features. Here's a step-by-step breakdown:

all indexed pairs, then s1 can indeed break s2.

can break s1, it returns True; otherwise, it returns False.

1 return all(a >= b for a, b in zip(cs1, cs2)) or all(

We sort both strings using Python's sorted() function.

o cs1 after sorting s1: "abe" becomes "abe".

cs2 after sorting s2: "acd" becomes "acd".

3. Use List Comprehension with all() Function:

a, b in zip(cs1, cs2)).

a, b in zip(cs1, cs2)).

O(n log n), where n is the number of elements in the string. 1 cs1 = sorted(s1)

- 2. Compare Sorted Strings: The zip() function is used to aggregate elements from both sorted lists into pairs, which makes it convenient to compare corresponding characters of cs1 and cs2.
- 3. Use List Comprehension with all() Function: This approach uses a list comprehension paired with the all() function to check the break condition. The all() function returns True if all elements in an iterable are True. There are two conditions checked
- here: o s1 can break s2: This is checked by all(a >= b for a, b in zip(cs1, cs2)). It compares each corresponding pair of
- o s2 can break s1: Similarly, all(a <= b for a, b in zip(cs1, cs2)) checks if s2 can break s1. For this to be true, every character a from cs1 must be less than or equal to character b from cs2. 4. Return the Result: The final return statement combines the two conditions with an or operator. If either \$1 can break \$2 or \$2

characters between the two sorted strings. If every character a from cs1 is greater than or equal to character b from cs2 for

a <= b for a, b in zip(cs1, cs2) This solution effectively leverages Python's built-in functions and language constructs to produce a concise and readable piece of

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complexity of O(n log n) due to the sorting step (which is the most time-consuming operation here) and a space complexity of O(n)
due to the storage requirements for the sorted lists cs1 and cs2.
```

code. By using sorting and linear comparison, it avoids unnecessary complexity and delivers an optimal solution with a time

Let's take a small example to illustrate the solution approach described above. Suppose we have two strings s1 = "abe" and s2 = "acd". We want to determine if a permutation of \$1 can break \$2 or if a permutation of \$2 can break \$1. Following the solution steps: 1. Sort Both Strings:

# Since both the strings are already in alphabetical order, the sorted versions remain the same.

2. Compare Sorted Strings:

Example Walkthrough

 We use zip() to pair up characters from cs1 and cs2. This gives us the following pairs: ('a', 'a'), ('b', 'c'), ('e', 'd').

• We check if all characters in cs1 are greater than or equal to cs2 using the first condition of the solution: all(a >= b for

Similarly, we check if all characters in cs2 are greater than or equal to cs1 using the second condition: all(a <= b for</p>

Comparing the pairs: 'a' >= 'a' (True), 'b' >= 'c' (False), 'e' >= 'd' (True).

o s1 can break s2:

o s2 can break s1:

Since both conditions are False, the final result is False.

def checkIfCanBreak(self, s1: str, s2: str) -> bool:

sorted\_s1 = sorted(s1)

sorted\_s2 = sorted(s2)

\* after sorting both strings.

\* @param sl The first input string.

// then array1 cannot break array2.

if (array1[i] < array2[i]) {</pre>

// in array2, array1 can break array2.

const sortedChars1: string[] = Array.from(s1).sort();

const sortedChars2: string[] = Array.from(s2).sort();

for (let i = 0; i < chars1.length; i++) +

if (chars1[i] < chars2[i]) {</pre>

return false;

\* @param chars1 Array of sorted characters from the first string

\* @param chars2 Array of sorted characters from the second string

const canBreak = (chars1: string[], chars2: string[]): boolean => {

\* This helper function checks if characters of the first array can "break" the second array.

\* @returns true if all characters in chars1 are greater than or equal to chars2, false otherwise

return false;

return true;

# Sort both strings to compare them lexicographically

# but in the opposite direction: for every index 'i',

\* Checks if one of the strings can "break" the other by comparing characters

// If any character of arrayl is smaller than its counterpart in array2,

// If all characters in arrayl are greater than or equal to their counterparts

4. Return the Result:

■ Comparing the pairs: 'a' <= 'a' (True), 'b' <= 'c' (True), 'e' <= 'd' (False).

Since not all comparisons are True, the second condition also evaluates to False.

The final result is obtained by combining the two conditions with an or: False or False.

Since not all comparisons are True, the first condition evaluates to False.

- Therefore, for the strings s1 = "abe" and s2 = "acd", no permutation of s1 can break s2 and no permutation of s2 can break s1.
- possible permutation, thus optimizing the time and space complexity of the solution.

16 # Return True if either sorted\_s1 can break sorted\_s2 or sorted\_s2 can break sorted\_s1. 17 return can\_s1\_break\_s2 or can\_s2\_break\_s1 18

# the character in sorted\_s2 at index 'i' is greater than or equal to the character in sorted\_s1.

can\_s2\_break\_s1 = all(char\_s2 >= char\_s1 for char\_s1, char\_s2 in zip(sorted\_s1, sorted\_s2))

In this example, we can see how the solution approach methodically determines whether one string can break another by leveraging

Python's powerful built-in functions and efficient list comprehension. The result is obtained without having to manually check every

```
# Check if sorted_sl can "break" sorted_s2. This is true if for every index 'i',
           # the character in sorted_s1 at index 'i' is greater than or equal to the character in sorted_s2 at the same index.
           can_s1_break_s2 = all(char_s1 >= char_s2 for char_s1, char_s2 in zip(sorted_s1, sorted_s2))
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           # Check if sorted_s2 can "break" sorted_s1. This is similar to the previous check
```

Java Solution

class Solution {

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Python Solution

class Solution:

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* @param s2 The second input string.
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        * @return True if one string can break the other, false otherwise.
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        */
       public boolean checkIfCanBreak(String s1, String s2) {
11
           // Convert the strings to character arrays for sorting.
12
13
           char[] sortedS1 = s1.toCharArray();
            char[] sortedS2 = s2.toCharArray();
14
15
16
           // Sort the character arrays.
           Arrays.sort(sortedS1);
17
           Arrays.sort(sortedS2);
18
19
20
           // Check if sortedS1 can break sortedS2 or if sortedS2 can break sortedS1.
21
           return canBreak(sortedS1, sortedS2) || canBreak(sortedS2, sortedS1);
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24
       /**
25
        * Helper method to check if the first character array can "break" the second.
26
27
        * @param arrayl The first character array.
28
        * @param array2 The second character array.
        * @return True if array1 can break array2, false otherwise.
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30
       private boolean canBreak(char[] array1, char[] array2) {
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32
           // Iterate through the arrays and compare characters.
33
           for (int i = 0; i < array1.length; ++i) {</pre>
```

## 12 private:

C++ Solution

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1 class Solution {
2 public:
       // Function that checks if one string can break another after sorting
       bool checkIfCanBreak(string s1, string s2) {
           // Sort both strings
           sort(s1.begin(), s1.end());
           sort(s2.begin(), s2.end());
           // Check if either string can break the other
          return canBreak(s1, s2) || canBreak(s2, s1);
       // Helper function to check if s1 can break s2
14
       bool canBreak(const string& s1, const string& s2) {
15
           // Iterate through both strings
16
           for (int i = 0; i < s1.size(); ++i) {
17
               // If any character in sl is less than the character in s2 at the same position,
               // s1 cannot break s2
               if (s1[i] < s2[i]) {
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                   return false;
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24
           // If all characters in s1 are greater than or equal to those in s2 at the same positions,
25
           // s1 can break s2
26
           return true;
27
28 };
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Typescript Solution
   /**
    * This function checks if one string can "break" another by comparing their sorted characters.
    * A string s1 can break s2 if in all indices i, the character from s1 is greater than or equal to the character from s2, after both
    * @param s1 First input string
    * @param s2 Second input string
    * @returns true if either s1 can break s2 or s2 can break s1, false otherwise
    */
   function checkIfCanBreak(s1: string, s2: string): boolean {
       // Convert both strings to arrays of characters and sort them alphabetically
```

#### }; 26 27 28 // Return true if either sl can break s2 or s2 can break s1 return canBreak(sortedChars1, sortedChars2) || canBreak(sortedChars2, sortedChars1); 29

return true;

Time and Space Complexity

The function performs the following operations:

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The given Python code defines a method checkIfCanBreak, which takes two strings s1 and s2 as input and checks if one string can "break" the other by comparing the sorted versions of both strings. Here's the complexity analysis of the code:

#### 1. Sorts string s1 - This has a time complexity of $O(n \log n)$ , where n is the length of s1. 2. Sorts string s2 - Similarly, this also has a time complexity of O(n log n), where n is the length of s2 (assuming s1 and s2 are of approximately equal length for simplicity).

Time Complexity:

- 3. Two calls to the all() function with generator expressions containing zip(cs1, cs2) Each call iterates over the zipped lists and compares the elements, which takes O(n) time as there are n pairs to check.
- Assuming n is the length of the longer string, the total time complexity should be  $2 * 0(n \log n) + 2 * 0(n)$ . However, since 0(n) is
- dominated by 0(n log n) in terms of asymptotic complexity, it is ignored in the final complexity expression. Thus, the time

complexity of the function is  $O(n \log n)$ .

# Space Complexity: The function uses extra space for the following:

- 1. Storing the sorted version of s1 This takes 0(n) space. 2. Storing the sorted version of s2 - This also takes O(n) space.
- Therefore, the space complexity of the function is O(n), where n is the length of the longer string.

In the given code, no additional space complexity is incurred apart from storing the sorted strings since the generator expressions used in all() functions don't create an additional list, but rather computes the expressions on the fly.