

1111. Maximum Nesting Depth of Two Valid Parentheses Strings

Description

A string is a *valid parentheses string* (denoted VPS) if and only if it consists of "(" and ")" characters only, and:

- It is the empty string, or
- It can be written as AB (A concatenated with B), where A and B are VPS's, or
- It can be written as (A), where A is a VPS.

We can similarly define the *nesting depth* $\text{depth}(S)$ of any VPS S as follows:

- $\text{depth}("") = 0$
- $\text{depth}(A + B) = \max(\text{depth}(A), \text{depth}(B))$, where A and B are VPS's
- $\text{depth}("(" + A + ")") = 1 + \text{depth}(A)$, where A is a VPS.

For example, "", "()", and "()()()" are VPS's (with nesting depths 0, 1, and 2), and ")(" and "((" are not VPS's.

Given a VPS seq, split it into two disjoint subsequences A and B, such that A and B are VPS's (and $A.\text{length} + B.\text{length} = \text{seq.length}$).

Now choose any such A and B such that $\max(\text{depth}(A), \text{depth}(B))$ is the minimum possible value.

Return an answer array (of length seq.length) that encodes such a choice of A and B: $\text{answer}[i] = 0$ if $\text{seq}[i]$ is part of A, else $\text{answer}[i] = 1$. Note that even though multiple answers may exist, you may return any of them.

Example 1:

Input: seq = "()()())"
Output: [0,1,1,1,1,0]

Example 2:

Input: seq = "()()())()
Output: [0,0,0,1,1,0,1,1]

Constraints:

- $1 \leq \text{seq.size} \leq 10000$

