

**Problem Description** 

The task is to implement a generator function in TypeScript that produces a generator object capable of yielding values from the Fibonacci sequence indefinitely. The Fibonacci sequence is a series of numbers where each number is the sum of the two preceding ones, typically starting with 0 and 1. That is to say,  $X_n = X_{n-1} + X_{n-2}$  for n greater than 1, with  $X_0$  being 0 and  $X_1$  being 1. The function we create should be able to produce each Fibonacci number when requested.

### Intuition

To solve this problem, we have to understand what a generator is and how it works. A generator in TypeScript is a function that can be paused and resumed, and it produces a sequence of results instead of a single value. This fits perfectly with the requirement to yield an indefinite sequence, like the Fibonacci series, since we don't want to compute all the numbers at once, which would be inefficient and impractical for a potentially infinite series.

The intuition behind the Fibonacci sequence generator is relatively straightforward. We start with two variables, a and b, which

represent the two latest numbers in the sequence. We initialize a to 0 and b to 1, which are the first two numbers in the Fibonacci sequence. In each iteration of our generator function, we yield the current value of a, which is part of the sequence, and then update a and b to the next two numbers.

This update is done by setting a to b and b to a + b, effectively shifting the sequence by one. The array destructuring syntax [a, b] = [b, a + b] in TypeScript makes this step concise and clear. Because our generator is designed to run indefinitely and the Fibonacci sequence has no end, we enclose our logic in an infinite while loop. This allows consumers of the generator to keep

requesting the next number in the sequence for as long as they need without ever running out of values to yield. **Solution Approach** 

## The implementation of the Fibonacci sequence generator is elegantly simple, leaning heavily on the capabilities of TypeScript's

yield statement.

generator functions. The generator pattern is ideal for this kind of problem since it allows for the creation of a potentially infinite sequence where each element is produced on demand. Here's a breakdown of the algorithm step by step:

1. We first declare a generator function fibGenerator by using the function\* syntax. This indicates that the function will be a generator.

decides to stop requesting values.

- 2. Inside the function, we initialize two variables a and b to start the Fibonacci sequence. a starts at 0, and b starts at 1.
- 3. We then enter an infinite while loop with the condition true. This loop will run indefinitely until the consumer of the generator
- 4. Inside the loop, we yield a. The yield keyword is what makes this function a generator. It pauses the function execution and sends the value of a to the consumer. When the consumer asks for the next value, the function resumes execution right after the
- 5. After yielding a, we perform the Fibonacci update step using array destructuring: [a, b] = [b, a + b]. This step calculates the next Fibonacci number by summing the two most recent numbers in the sequence. a is updated to the current value of b, and b is updated to the sum of the old a and b.
- By using a generator function, we can maintain the state of our sequence (the last two numbers) across multiple calls to .next(). We avoid having to store the entire sequence in memory, which allows the function to produce Fibonacci numbers as far into the

6. The loop then iterates, and the process repeats, yielding the next number in the Fibonacci sequence.

The fibGenerator generator function can be used by creating a generator object, say gen, and repeatedly calling gen.next().value to get the next number in the Fibonacci sequence. This process can go on as long as needed to generate Fibonacci numbers on the fly.

There are no complex data structures needed: the algorithm only ever keeps track of the two most recent values. This is an excellent example of how a generator can manage state internally without the need for external data structures or class properties.

Example Walkthrough To illustrate the solution approach, let's manually walk through the initial part of running our generator function fibGenerator.

2. We call gen.next().value for the first time:

b. It enters the infinite while loop.

c. It hits the yield a statement. At this point, a is 0, so it yields 0.

a. The generator function starts executing and initializes a to 0 and b to 1.

1. A generator object gen is created by calling the fibGenerator() function.

sequence as the consumer requires without any predetermined limits.

- - d. The gen.next().value call returns 0, which is the first number in the Fibonacci sequence.
  - a. The generator function resumes execution right after the yield statement.

a. The function resumes and updates a and b again. Now a = 1 (previous b) and b = 2 (previous a + b).

b. The Fibonacci update happens: [a, b] = [b, a + b] results in a = 1 and b = 1. c. The next iteration of the loop starts, and yield a yields 1.

3. We call gen.next().value for the second time:

- d. The call returns 1, which is the second number in the Fibonacci sequence.
- 4. We call gen.next().value for the third time:
  - b. It yields a, which is 1.
- 5. This process can continue indefinitely, with gen.next().value being called to get the next Fibonacci number each time. The next

A generator function that yields Fibonacci numbers indefinitely.

current, next\_num = next\_num, current + next\_num

# Update the current and the next number with the next Fibonacci numbers.

c. The call returns 1, which is the third Fibonacci number.

few calls would return 2, 3, 5, 8, 13, and so on.

yield — respecting the definition of an infinite series. **Python Solution** 

Each call to next() incrementally advances the generator function's internal state, computes the next Fibonacci number, and yields

it until the next call. By following these steps, we don't calculate all the Fibonacci numbers at once, nor do we run out of numbers to

current = 0 # The current number in the sequence, initialized to 0. next\_num = 1 # The next number in the sequence, initialized to 1. while True: # Yield the current number before updating.

#### 13 # Example usage: generator = fib\_generator() # Create a new Fibonacci sequence generator.

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private:

27 int main() {

def fib\_generator():

yield current

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print(next(generator)) # Outputs 0, the first number in the sequence.
   print(next(generator)) # Outputs 1, the second number in the sequence.
19 # To continue obtaining values from the generator, repeatedly call next(generator).
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Java Solution
   import java.util.Iterator;
   // Class that implements an Iterator to generate Fibonacci numbers indefinitely.
   public class FibGenerator implements Iterator<Integer> {
       private int current = 0; // The current number in the sequence, initialized to 0.
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       private int next = 1;  // The next number in the sequence, initialized to 1.
       // hasNext method is always true since Fibonacci sequence is infinite.
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10
       @Override
       public boolean hasNext() {
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           return true; // Fibonacci numbers can be generated indefinitely.
```

### 25 /\* // Example usage:

@Override

public Integer next() {

return temp;

```
27 FibGenerator generator = new FibGenerator(); // Create a new Fibonacci sequence generator.
28 System.out.println(generator.next()); // Outputs 0, the first number in the sequence.
29 System.out.println(generator.next()); // Outputs 1, the second number in the sequence.
30 // To continue obtaining values from the generator, call generator.next().
31 */
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C++ Solution
 1 #include <iostream>
 2 #include <tuple>
   // A generator-like class for Fibonacci numbers.
  class FibGenerator {
  public:
       // Constructor initializes the first two Fibonacci numbers.
       FibGenerator() : current(0), next(1) {}
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       // The function that returns the next Fibonacci number.
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       int getNext() {
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           int returnValue = current;  // The value to be returned.
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           // Update the current and next number to the next pair in the Fibonacci sequence.
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std::tie(current, next) = std::make\_pair(next, current + next);

FibGenerator generator; // Create a new Fibonacci sequence generator.

console.log(generator.next().value); // Outputs 0, the first number in the sequence.

// To continue obtaining values from the generator, call generator.next().value.

console.log(generator.next().value); // Outputs 1, the second number in the sequence.

int current; // The current number in the sequence.

int next; // The next number in the sequence.

// The next method returns the current number in the sequence and advances.

int temp = current; // To store the current number to be returned.

next = next + temp; // Calculate the next number in the sequence and update.

// Return the previous value of current.

// Update current to the next number in sequence.

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// Example usage:

return returnValue;

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       std::cout << generator.getNext() << std::endl; // Outputs 0, the first number in the sequence.
       std::cout << generator.getNext() << std::endl; // Outputs 1, the second number in the sequence.
       // To continue obtaining values from the generator, call generator.getNext().
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       return 0;
36 }
37 */
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Typescript Solution
   // A generator function that yields Fibonacci numbers indefinitely.
   function* fibGenerator(): Generator<number> {
       let current = 0; // The current number in the sequence, initialized to 0.
       let next = 1; // The next number in the sequence, initialized to 1.
       // An infinite loop to continuously yield Fibonacci numbers.
       while (true) {
           yield current; // Yield the current number.
           [current, next] = [next, current + next]; // Update the current and next numbers.
   // Example usage:
   const generator = fibGenerator(); // Create a new Fibonacci sequence generator.
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// Return the current Fibonacci number.

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# 11 }

Time and Space Complexity

**Time Complexity** The time complexity of the fibGenerator function is O(n) for generating the first n Fibonacci numbers. This is because the generator yields one Fibonacci number per iteration, and the computation of the next number is a constant-time operation (simple addition and

# assignment).

**Space Complexity** The space complexity of the generator is 0(1). The function maintains a fixed number of variables (a and b) regardless of the number

of Fibonacci numbers generated, so it does not use additional space that grows with n.