### Step 1: Gather your data

To start with a simple example, let's say that your goal is to build a logistic regression model in Python in order to determine whether candidates would get admitted to a prestigious university.

Here, there are two possible outcomes: Admitted (represented by the value of '1') vs. Rejected (represented by the value of '0').

You can build a logistic regression in Python, where:

The dependent variable represents whether a person gets admitted; and

The 3 independent variables are the GMAT score, GPA and Years of work experience

# Step 2: Import the needed Python packages

```
import pandas as pd
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LogisticRegression
from sklearn import metrics
import seaborn as sn
import matplotlib.pyplot as plt
```

### Step 3: Build a dataframe

```
gmat gpa work_experience admitted
0
     780
         4.0
1
     750 3.9
                             4
                                       1
2
     690 3.3
                             3
                                       0
3
    710 3.7
                             5
                                       1
4
     680 3.9
                             4
5
    730 3.7
                             6
                                       1
6
     690 2.3
                             1
                                       0
     720 3.3
7
                             4
                                       1
     740 3.3
8
                             5
                                       1
9
     690
         1.7
                             1
                                       0
10
     610 2.7
                             3
                                       0
     690 3.7
11
                             5
                                       1
12
     710 3.7
                             6
                                       1
13
     680
         3.3
                             4
14
     770
         3.3
                             3
                                       1
15
     610
         3.0
                             1
16
     580
         2.7
                             4
                                       0
17
     650
         3.7
                             6
                                       1
18
     540
          2.7
                             2
                                       0
                             3
19
     590
          2.3
                                       0
                             2
20
     620
                                       1
     600
```

```
4
22
     550 2.3
23
     550 2.7
                              1
                                         0
24
     570 3.0
                              2
                                         0
25
     670 3.3
                                         1
                              6
                              4
26
     660 3.7
                                         1
27
     580 2.3
                              2
                                         0
28
     650 3.7
                                         1
                              6
29
     660 3.3
                              5
                                         1
30
     640 3.0
                              1
                                         0
31
     620 2.7
                              2
                                         0
                              4
                                         1
32
     660 4.0
33
     660 3.3
                              6
                                         1
     680 3.3
                              5
34
                                         1
35
     650 2.3
                              1
                                         0
     670 2.7
                              2
                                         0
36
                              1
                                         0
37
     580 3.3
     590 1.7
                              4
                                         0
38
39
     690 3.7
                                         1
```

```
In [3]: df.describe()
```

```
gpa work_experience
Out[3]:
                      gmat
                                                           admitted
                  40.000000
                             40.000000
                                               40.000000
                                                          40.000000
          count
                                                3.425000
                654.000000
                              3.095000
                                                           0.475000
          mean
                  61.427464
                              0.631218
                                                1.737778
                                                           0.505736
            std
                 540.000000
                              1.700000
                                                1.000000
                                                           0.000000
           min
           25%
                607.500000
                              2.700000
                                                2.000000
                                                           0.000000
           50%
                660.000000
                                                           0.000000
                              3.300000
                                                4.000000
                690.000000
                              3.700000
                                                5.000000
                                                           1.000000
           max 780.000000
                                                6.000000
                                                           1.000000
                              4.000000
```

```
In [5]: print(df.shape)

(40, 4)
```

# Step 4: Create the dependent & independent variables for logistic regression

```
In [6]: X = df[['gmat', 'gpa','work_experience']]
y = df['admitted']
```

Apply 'train\_test\_split'. For example, you can set the test size to 0.25, and therefore the model testing will be based on 25% of the dataset, while the model training will be based on 75% of the dataset

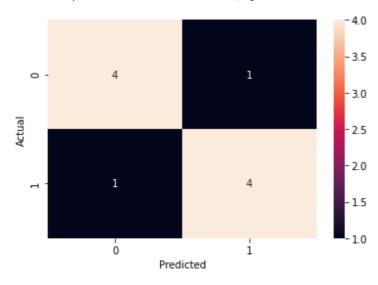
# Apply the logistic regression

```
In [9]:
    logistic_regression= LogisticRegression()
    logistic_regression.fit(X_train,y_train)
    y_pred=logistic_regression.predict(X_test)
```

Creating the Confusion Matrix

```
confusion_matrix = pd.crosstab(y_test, y_pred, rownames=['Actual'], colnames=['Predisn.heatmap(confusion_matrix, annot=True)
```

```
Out[10]: <AxesSubplot:xlabel='Predicted', ylabel='Actual'>
```



print the Accuracy and plot the Confusion Matrix

```
In [11]: print('Accuracy: ',metrics.accuracy_score(y_test, y_pred))
    plt.show()
```

Accuracy: 0.8

As can be observed from the matrix:

TP = True Positives = 4 TN = True Negatives = 4 FP = False Positives = 1 FN = False Negatives = 1

Accuracy = (TP+TN)/Total = (4+4)/10 = 0.8

# **Diving Deeper into the Results**

```
In [14]:
          print (X_test)
          ##Recall that our original dataset (from step 1) had 40 observations. Since we set t
              gmat
                        work experience
                  gpa
         22
              550 2.3
                                       2
              620 3.3
         25
              670 3.3
                                       3
         10
               610
                   2.7
         15
               610
                   3.0
```

```
      11
      690
      3.7
      5

      18
      540
      2.7
      2

      29
      660
      3.3
      5
```

```
In [15]: #The prediction was also made for those 10 records (where 1 = admitted, while 0 = re
    print (y_pred)
```

```
[0 0 1 1 0 0 1 1 0 1]
```

In the actual dataset (from step-1), you'll see that for the test data, we got the correct results 8 out of 10 times

Index	gmat	gpa	work_experience	admitted - actual results	admitted - predicted results	Matching
22	550	2.3	4	0	0	TRUE
20	620	3.3	2	1	0	FALSE
25	670	3.3	6	1	1	TRUE
4	680	3.9	4	0	1	FALSE
10	610	2.7	3	0	0	TRUE
15	610	3	1	0	0	TRUE
28	650	3.7	6	1	1	TRUE
11	690	3.7	5	1	1	TRUE
18	540	2.7	2	0	0	TRUE
29	660	3.3	5	1	1	TRUE

# Checking the Prediction for a New Set of Data

Let's say that you have a new set of data, with 5 new candidates

Goal is to use the existing logistic regression model to predict whether the new candidates will get admitted

Out[17]: gmat work\_experience gpa count 5.000000 5.00000 5.000000 666.000000 2.86000 3.800000 mean std 64.265076 0.70214 1.923538 min 590.000000 2.00000 1.000000 25% 610.000000 2.30000 3.000000

680.000000 3.00000

**50%** 

4.000000

			gmat	gpa	work_experience			
	75%	<b>6</b> 7	10.000000	3.30000	5.000000			
	ma	<b>x</b> 74	40.000000	3.70000	6.000000			
In [18]:	у_р	red=	logistic	_regress	sion.predict(df2			
In [19]:	print (df2)							
	g	mat	gpa wo	rk_expe	rience			
		590	2.0		3			
		740 680	3.7 3.3		4 6			
		610	2.3		1			
	4	710	3.0		5			
In [20]:	pri	nt (	y_pred)					
	[0 1	1 0	1]					

The first and fourth candidates are not expected to be admitted, while the other candidates are expected to be admitted

### **Calculating ROC Curve**

```
import sklearn.metrics as metrics

# calculate the fpr and tpr for all thresholds of the classification
probs = logistic_regression.predict_proba(X_test)
preds = probs[:,1]
fpr, tpr, threshold = metrics.roc_curve(y_test, preds)
roc_auc = metrics.auc(fpr, tpr)
```

# Difference between "The predict() method" and "The predict\_proba() method"

The predict() method

All supervised estimators in scikit-learn implement the predict() method that can be executed on a trained model in order to predict the actual label (or class) over a new set of data.

The method accepts a single argument that corresponds to the data over which the predictions will be made and it returns an array containing the predicted label for each data point.

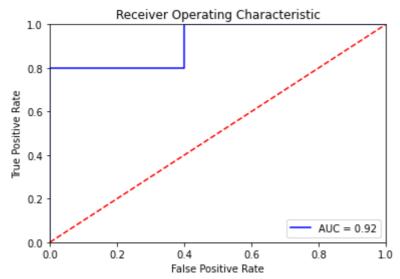
The predict\_proba() method

In the context of classification tasks, some sklearn estimators also implement the predict\_proba

method that returns the class probabilities for each data point.

The method accepts a single argument that corresponds to the data over which the probabilities will be computed and returns an array of lists containing the class probabilities for the input data points.

```
In [27]:
          predictions = logistic_regression.predict_proba(X_test)
          print(predictions)
         [[9.91609541e-01 8.39045850e-03]
          [9.82686248e-01 1.73137518e-02]
          [4.82945926e-02 9.51705407e-01]
          [2.31228082e-01 7.68771918e-01]
          [9.72097119e-01 2.79028812e-02]
          [9.97314934e-01 2.68506615e-03]
          [7.39280072e-02 9.26071993e-01]
          [6.18376418e-02 9.38162358e-01]
          [9.99411602e-01 5.88398313e-04]
          [2.11035600e-01 7.88964400e-01]]
In [28]:
          # method using: plt
          import matplotlib.pyplot as plt
          plt.title('Receiver Operating Characteristic')
          plt.plot(fpr, tpr, 'b', label = 'AUC = %0.2f' % roc_auc)
          plt.legend(loc = 'lower right')
          plt.plot([0, 1], [0, 1], 'r--')
          plt.xlim([0, 1])
          plt.ylim([0, 1])
          plt.ylabel('True Positive Rate')
          plt.xlabel('False Positive Rate')
          plt.show()
```



```
y_pred_proba = logistic_regression.predict_proba(X_test)[::,1]
fpr, tpr, _ = metrics.roc_curve(y_test, y_pred_proba)
auc = metrics.roc_auc_score(y_test, y_pred_proba)
plt.plot(fpr,tpr,label="data 1, auc="+str(auc))
plt.legend(loc=4)
plt.show()
```

