Informed search

Classes of Search Blind Depth-First Systematic exploration of whole tree (uninformed) Breadth-First until the goal is found. Iterative-Deepening Hill-Climbing Heuristic Uses heuristic measure of goodness (informed) Best-First of a node,e.g. estimated distance to goal. Branch&Bound Optimal Uses path "length" measure. Finds (informed) "shortest" path. A* also uses heuristic

INFORMED SEARCH STRATEGIES

- One that uses problem specific knowledge beyond the definition of the problem itself.
- Find solutions more efficiently than an uninformed strategy.

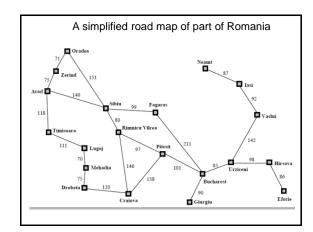
Best-first search

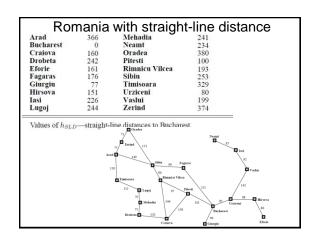
- Uses an evaluation function f(n) for each node
 - f(n) provides an estimate for the total cost.
 - → Expand the node n with smallest f(n).
- Implementation:

Order the nodes in increasing order of cost.

- Special cases:
 - Greedy best-first search
 - A* search

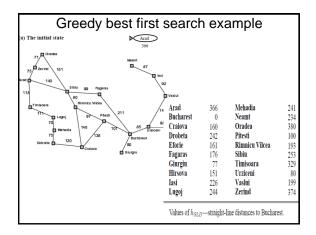
- Most best-first algorithms include as a component of f a heuristic function denoted by h(n)
- h(n) = estimated cost of the cheapest path from the state
 at node n to a goal state

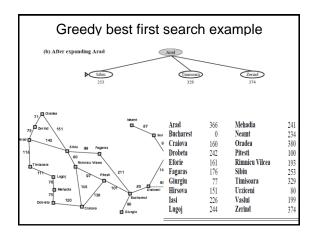


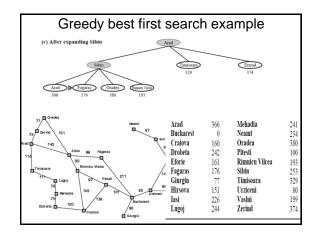


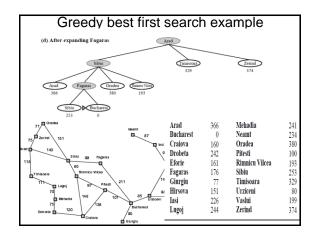
Greedy Best first search

- f(n) = estimate of cost from n to goal
- f(n) = straight-line distance from n to Bucharest
- Greedy best-first search expands the node that appears to be closest to goal.



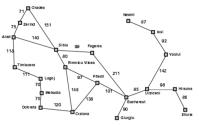






Properties of greedy best-first search

- Can stuck in loops.
- Optimal? No
- e.g. Arad→Sibiu→Rimnicu Virea→Pitesti→Bucharest is shorter

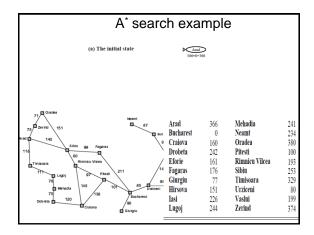


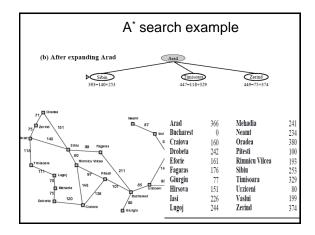
A* search

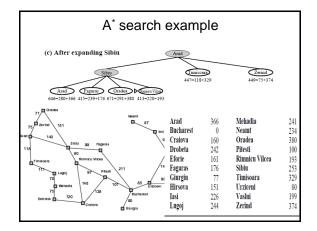
- Idea: avoid expanding paths that are already expensive
- Evaluation function f(n) = g(n) + h(n)
- g(n) = cost so far to reach n
- h(n) = estimated cost from n to goal
- f(n) = estimated total cost of path through n to goal
- Best First search has f(n)=h(n)

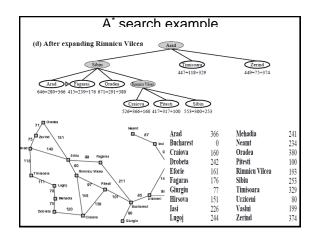
Admissible heuristics

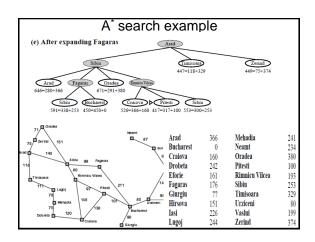
- A heuristic h(n) is admissible if for every node n, h(n) ≤ h*(n), where h*(n) is the true cost to reach the goal state from n.
- An admissible heuristic never overestimates the cost to reach the goal, i.e., it is optimistic
- Example: h_{SLD}(n) (never overestimates the actual road distance)

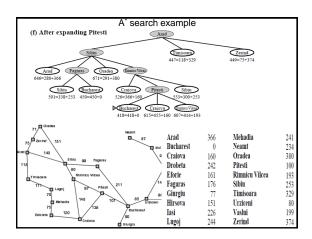










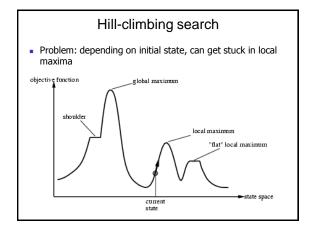


Hill-climbing search

- If there exists a successor state s for the current state n such that
 - \bullet h(s) < h(n)
 - $h(s) \le h(t)$ for all the successors t of n,

then move from n to s. Otherwise, halt at n.

- Looks one step ahead to determine if any successor is better than the current state; if there is, move to the best successor.
- Similar to Greedy search, it uses h but does not allow backtracking or jumping to an alternative path since it doesn't "remember" where it has been.
- Not complete since the search will terminate at "local minima", "plateaus", and "ridges".



Hill-climbing search

"Like climbing Everest in thick fog with amnesia (memory loss)

function HILL-CLIMBING(problem) returns a state that is a local maximum inputs: problem, a problem

local variables: current, a node

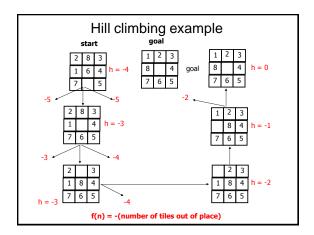
neighbor, a node

 $current \leftarrow \texttt{Make-Node}(\texttt{Initial-State}[problem])$

loop do

 $neighbor \leftarrow$ a highest-valued successor of current

 $\label{eq:current} \textbf{if Value[neighbor]} \leq \text{Value[current]} \ \textbf{then return State} [\textit{current}] \\ \textit{current} \leftarrow \textit{neighbor}$



Drawbacks of hill climbing

- Problems:
 - Local Maxima: peaks that aren't the highest point in the space
 - Plateaus: the space has a broad flat region that gives the search algorithm no direction
 - Ridges: flat like a plateau, but with dropoffs to the sides; steps to the North, East, South and West may go down, but a step to the NW may go up.
- Remedy:
 - Random restart.
- Some problem spaces are great for hill climbing and others are terrible.