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This notebook is given as part of **Data Science for everyone** workshop. (Forwarding this document to others is strictly prohibited.)

Building and Applying a Regression Model

```
In [2]:
```

```
import pandas as pd
import numpy as np
```

Read the data

```
In [3]:
```

```
advt = pd.read_csv( "Advertising.csv" )
```

In [4]:

```
advt.head()
```

Out[4]:

	Unnamed: 0	TV	Radio	Newspaper	Sales
0	1	230.1	37.8	69.2	22.1
1	2	44.5	39.3	45.1	10.4
2	3	17.2	45.9	69.3	9.3
3	4	151.5	41.3	58.5	18.5
4	5	180.8	10.8	58.4	12.9

In [5]:

```
advt.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Int64Index: 200 entries, 0 to 199
Data columns (total 5 columns):
Unnamed: 0 200 non-null int64
TV 200 non-null float64
Radio 200 non-null float64
Newspaper 200 non-null float64
Sales 200 non-null float64
```

dtypes: float64(4), int64(1)

memory usage: 9.4 KB

Remove the first column

```
In [6]:
```

```
advt = advt[["TV", "Radio", "Newspaper", "Sales"]]
```

In [7]:

advt.head()

Out[7]:

	TV	Radio	Newspaper	Sales
0	230.1	37.8	69.2	22.1
1	44.5	39.3	45.1	10.4
2	17.2	45.9	69.3	9.3
3	151.5	41.3	58.5	18.5
4	180.8	10.8	58.4	12.9

Let plot the distribution of variables

In [8]:

import seaborn as sns
import matplotlib.pyplot as plt
%matplotlib inline

In [9]:

sns.distplot(advt.Sales)

Out[9]:

<matplotlib.axes._subplots.AxesSubplot at 0x917e978>

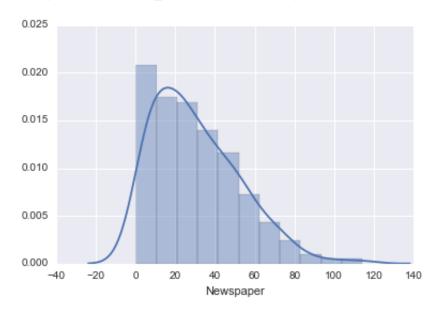


In [10]:

sns.distplot(advt.Newspaper)

Out[10]:

<matplotlib.axes._subplots.AxesSubplot at 0x991b4a8>

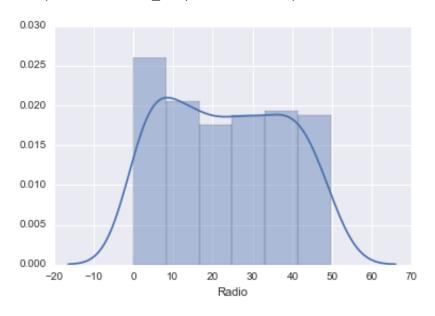


In [11]:

sns.distplot(advt.Radio)

Out[11]:

<matplotlib.axes._subplots.AxesSubplot at 0xa9714a8>

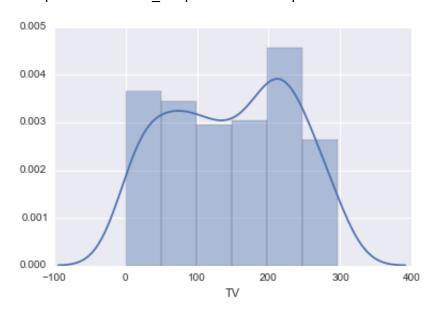


In [12]:

sns.distplot(advt.TV)

Out[12]:

<matplotlib.axes._subplots.AxesSubplot at 0xaa00080>



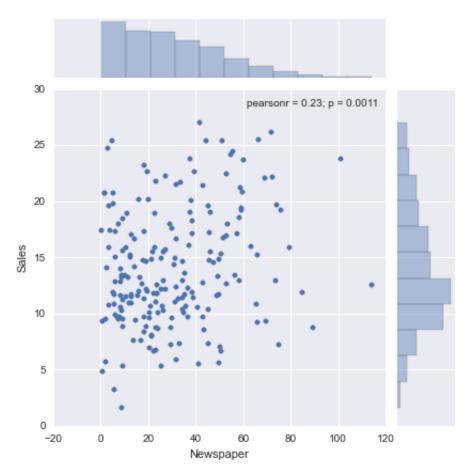
Is there a relation ship between sales and spend on various advertisements

In [13]:

sns.jointplot(advt.Newspaper, advt.Sales)

Out[13]:

<seaborn.axisgrid.JointGrid at 0xaa3b8d0>

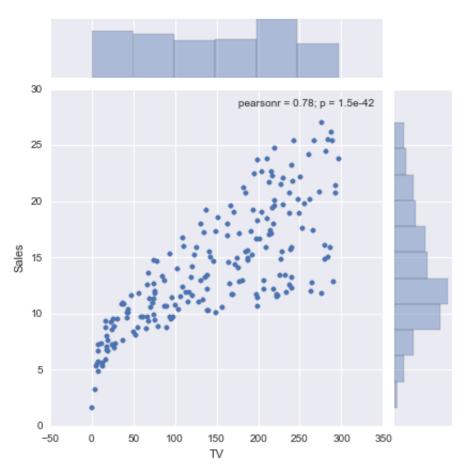


In [14]:

sns.jointplot(advt.TV, advt.Sales)

Out[14]:

<seaborn.axisgrid.JointGrid at 0xac00f60>

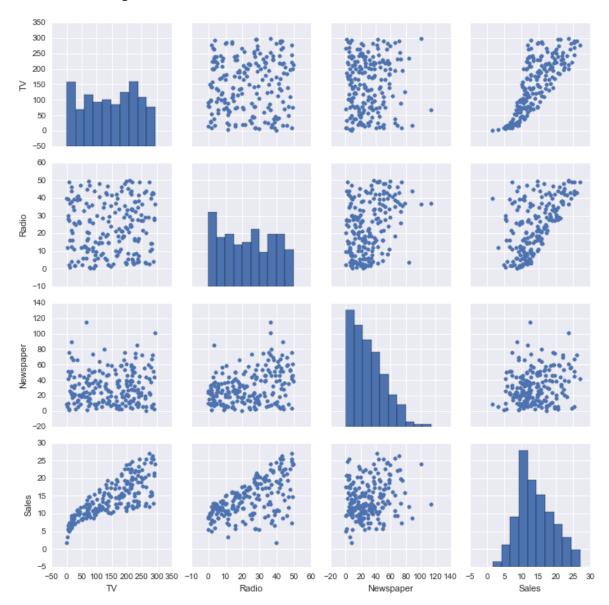


In [15]:

sns.pairplot(advt)

Out[15]:

<seaborn.axisgrid.PairGrid at 0xab40400>



Calculating correlations

In [16]:

advt.TV.corr(advt.Sales)

Out[16]:

0.7822244248616067

In [17]:

advt.corr()

Out[17]:

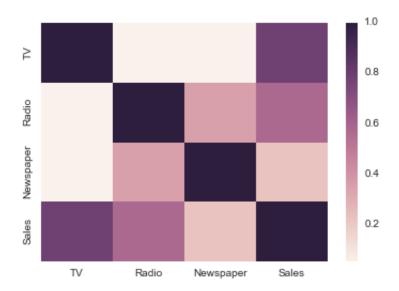
	TV	Radio	Newspaper	Sales
TV	1.000000	0.054809	0.056648	0.782224
Radio	0.054809	1.000000	0.354104	0.576223
Newspaper	0.056648	0.354104	1.000000	0.228299
Sales	0.782224	0.576223	0.228299	1.000000

In [18]:

sns.heatmap(advt.corr())

Out[18]:

<matplotlib.axes._subplots.AxesSubplot at 0xb25d4e0>



Building the model using Statsmodels APIs

In [19]:

import statsmodels.formula.api as smf

In [20]:

lm = smf.ols('Sales ~ TV', advt).fit()

Getting model parameters

```
In [21]:
```

lm.params

Out[21]:

Intercept 7.032594 TV 0.047537

dtype: float64

In [22]:

```
# Default Confidence interval is 95%
lm.conf_int()
```

Out[22]:

	0	1
Intercept	6.129719	7.935468
TV	0.042231	0.052843

Evaluating the model

In [23]:

lm.pvalues

Out[23]:

Intercept 1.406300e-35 TV 1.467390e-42

dtype: float64

In [24]:

lm.rsquared

Out[24]:

0.61187505085007099

In [25]:

lm.rsquared_adj

Out[25]:

0.60991482383416229

Making Predictions

```
In [26]:
lmpredict = lm.predict( {'TV': advt.TV } )
In [27]:
lmpredict[0:10]
Out[27]:
                      9.14797405,
                                   7.85022376, 14.23439457,
array([ 17.97077451,
       15.62721814, 7.44616232,
                                   9.76595037, 12.74649773,
        7.44140866, 16.53041431])
In [28]:
from sklearn import metrics
Calculating mean square error ... RMSE
In [29]:
mse = metrics.mean squared error( advt.Sales, lmpredict )
In [30]:
rmse = np.sqrt( mse )
In [31]:
rmse
Out[31]:
```

Get the residues and plot them

3.2423221486546883

```
In [32]:
```

lm.resid[1:10]

Out[32]:

1 1.252026

2 1.449776

3 4.265605

4 -2.727218

5 -0.246162

6 2.034050

7 0.453502

8 -2.641409

9 -5.930414

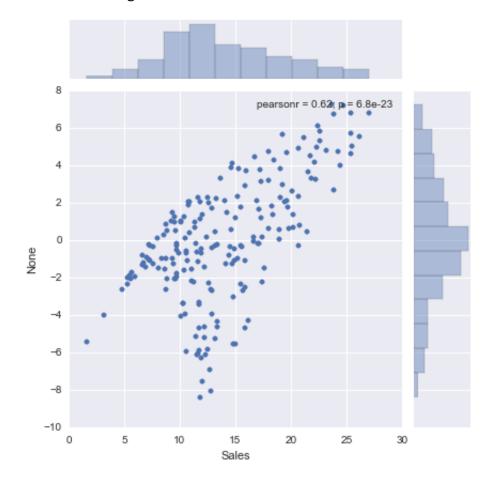
dtype: float64

In [33]:

sns.jointplot(advt.Sales, lm.resid)

Out[33]:

<seaborn.axisgrid.JointGrid at 0xd29e630>



Multiple Linear Regression.. using multiple regressors to build a model

```
In [34]:
lm = smf.ols( 'Sales ~ TV + Radio + Newspaper', advt ).fit()
In [35]:
lm.params
Out[35]:
Intercept
             2.938889
TV
             0.045765
Radio
             0.188530
            -0.001037
Newspaper
dtype: float64
In [36]:
lm.pvalues
Out[36]:
Intercept
             1.267295e-17
TV
             1.509960e-81
Radio
             1.505339e-54
Newspaper
             8.599151e-01
dtype: float64
In [37]:
lm = smf.ols( 'Sales ~ TV + Radio', advt ).fit()
In [38]:
lm.params
Out[38]:
Intercept
             2.921100
\mathsf{TV}
             0.045755
Radio
             0.187994
dtype: float64
In [39]:
lm.pvalues
Out[39]:
Intercept
             4.565557e-19
```

5.436980e-82

9.776972e-59

TV Radio

dtype: float64

```
In [40]:
```

```
lmpredict = lm.predict( {'TV': advt.TV, 'Radio':advt.Radio } )
```

In [41]:

```
mse = metrics.mean_squared_error( advt.Sales, lmpredict )
rmse = np.sqrt( mse )
```

In [42]:

rmse

Out[42]:

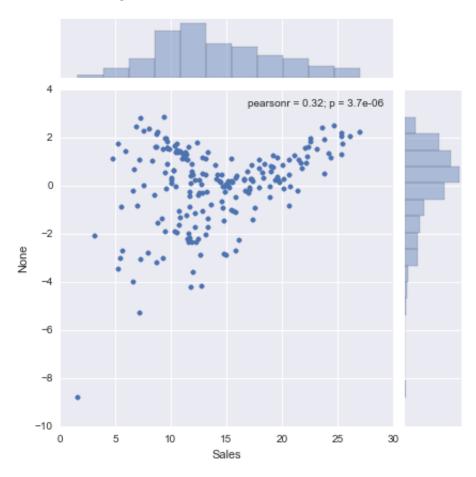
1.6687030593661929

In [43]:

```
sns.jointplot( advt.Sales, lm.resid )
```

Out[43]:

<seaborn.axisgrid.JointGrid at 0xd3806a0>



Using sklearn library to build the model

```
In [44]:
from sklearn.linear_model import LinearRegression
In [45]:
lreg = LinearRegression()
In [46]:
lreg.fit( advt[["TV", "Radio"]], advt.Sales )
Out[46]:
LinearRegression(copy X=True, fit intercept=True, n jobs=1, normalize=F
alse)
In [47]:
lreg.intercept_
Out[47]:
2.9210999124051327
In [48]:
lreg.coef_
Out[48]:
array([ 0.04575482, 0.18799423])
In [49]:
lreg.score
Out[49]:
<bound method LinearRegression.score of LinearRegression(copy_X=True, f</pre>
it intercept=True, n_jobs=1, normalize=False)>
Predicting and evaluating the model
In [50]:
lpredict = lreg.predict( advt[["TV", "Radio"]] )
In [51]:
mse = metrics.mean squared error( advt.Sales, lpredict )
```

```
In [52]:

rmse = np.sqrt( mse )

In [53]:

rmse

Out[53]:
1.6687030593661931

In [54]:

from sklearn.metrics import r2_score

In [55]:

r2_score( advt.Sales, lpredict )

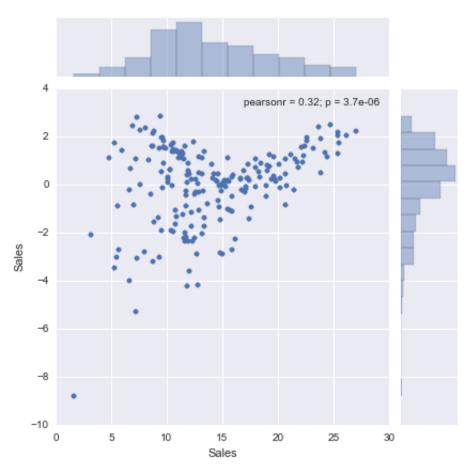
Out[55]:
0.89719426108289557
```

In [56]:

```
sns.jointplot( advt.Sales, advt.Sales - lpredict )
```

Out[56]:

<seaborn.axisgrid.JointGrid at 0xe6579b0>



In [57]:

```
from sklearn.feature_selection import f_regression
```

In [58]:

```
f_regression( advt[["TV", "Radio", "Newspaper"]], advt.Sales )
```

Out[58]:

```
(array([ 312.14499437, 98.42158757, 10.88729908]), array([ 1.46738970e-42, 4.35496600e-19, 1.14819587e-03]))
```

Splitting into Train and test data sets..

In [59]:

```
from sklearn.cross_validation import train_test_split
```

```
In [60]:
X_train, X_test, y_train, y_test = train_test_split(
    advt[["TV", "Radio", "Newspaper"]],
    advt.Sales,
    test_size=0.3,
   random_state = 42 )
In [61]:
len( X train )
Out[61]:
140
In [62]:
len( X_test )
Out[62]:
60
Building the model with train set and make predictions on
test set
In [63]:
linreg = LinearRegression()
linreg.fit( X_train, y_train )
y_pred = linreg.predict( X_test )
In [64]:
rmse = np.sqrt( metrics.mean_squared_error( y_test, y_pred ) )
In [65]:
rmse
Out[65]:
1.9485372043446385
In [66]:
metrics.r2_score( y_test, y_pred )
Out[66]:
0.86094665082303679
```

In [72]:

```
list( zip( ["TV", "Radio", "Newspaper"], list( linreg.coef_ ) ) )
```

Out[72]:

```
[('TV', 0.044059280957465183),
('Radio', 0.19928749689893943),
('Newspaper', 0.006882452222275473)]
```

In [79]:

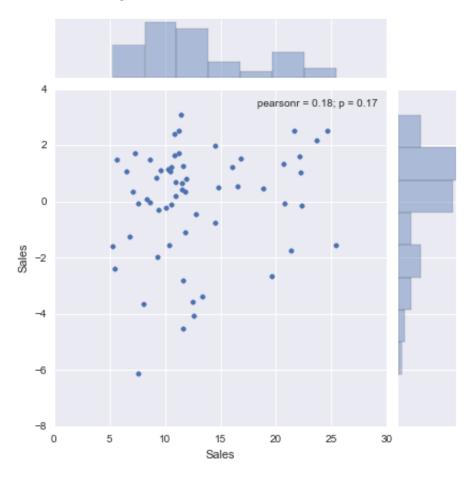
```
residuals = y_test - y_pred
```

In [95]:

```
sns.jointplot( advt.Sales, residuals )
```

Out[95]:

<seaborn.axisgrid.JointGrid at 0x5be2320>



In [97]:

sns.distplot(residuals)

Out[97]:

<matplotlib.axes._subplots.AxesSubplot at 0x5ded2e8>



In [98]:

from scipy import stats

In [100]:

stats.shapiro(residuals)

Out[100]:

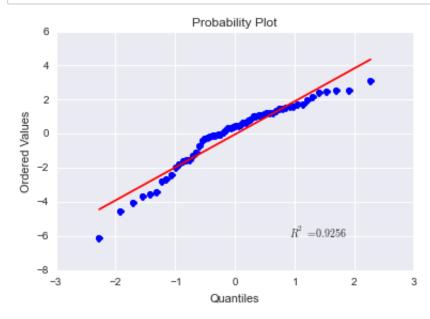
(0.925661027431488, 0.0013061452191323042)

In [101]:

import pylab

```
In [102]:
```

```
stats.probplot( residuals, dist="norm", plot=pylab )
pylab.show()
```



The residuals are randomly distributed. There are no visible relationship. The model can be assumed to be correct.

```
In [84]:
```

```
from sklearn.feature_selection import f_regression
```

```
In [86]:
```

```
F_values, p_values = f_regression( X_train, y_train )
```

In [88]:

```
F_values
```

Out[88]:

```
array([ 185.64138393, 88.09887658, 8.83792204])
```

In [93]:

```
['%.3f' % p for p in p_values]
```

Out[93]:

```
['0.000', '0.000', '0.003']
```

As p - values are less than 5% - the variables are siginificant in the regression equation. And the model can be accepted.

Make note of lessons learnt in this exercise			