

Principles of Distributed and Parallel Database Systems: Part 2

Total Cost of a Query Execution Plan

Objectives



Objective

Explain the reliability & fault tolerance concepts in distributed data processing systems

Total Cost

Total cost= CPU cost + I/O cost + communication cost

CPU cost= unit instruction cost * no. of instructions

I/O cost= unit disk I/O cost * no. of disk I/Os

communication cost = message initiation + transmission

Response Time

Response time= CPU time + I/O time + communication time

CPU time= unit instruction time * no. of sequential instructions

I/O time= unit I/O time*no. of sequential I/Os

communication time= unit msg initiation time*no. of sequential msg

+ unit transmission time*no. of sequential bytes

Optimization Statistics

| Primary cost factor: size of intermediate relations

- Need to estimate their sizes

| Make them precise
⇒ more costly to maintain

| Simplifying assumption: uniform distribution of attribute values in a relation

Statistics

| For each relation $R[A_1, A_2, \dots, A_n]$ fragmented as R_1, \dots, R_r

- length of each attribute: $length(A_i)$
- The number of distinct values for each attribute in each fragment: $card(\Pi_{A_i} R_j)$
- maximum and minimum values in the domain of each attribute: $min(A_i), max(A_i)$
- the cardinalities of each domain: $card(dom[A_i])$

| The cardinalities of each fragment: $card(R_j)$
Selectivity factor (SF) of each operation for relations

- For joins

$$SF_{\bowtie}(R, S) = \frac{card(R \bowtie S)}{card(R) * card(S)}$$

Intermediate Relation Sizes

| Selection

– $size(R) = card(R) \times length(R)$

– $card(\sigma_F(R)) = SF_\sigma(F) \times card(R)$

| $SF_\sigma(A=value) = ?$

| $SF_\sigma(A>value) = ?$

| $SF_\sigma(A<value) =$

| length of each attribute: $length(A_i)$

| number of distinct values for each attribute in each fragment: $card(\Pi_{A_i} R_j)$

| maximum and minimum values in the domain of each attribute: $min(A_i), max(A_i)$

| the cardinalities of each domain: $card(dom[A_i])$

Intermediate Relation Sizes

$$size(R) = card(R) \times length(R)$$

$$card(\sigma_F(R)) = SF_\sigma(F) \times card(R)$$

where

$$SF_\sigma(A = value) = \frac{1}{card(\prod_A(R))} \quad SF_\sigma(A > value) = \frac{max(A) - value}{max(A) - min(A)} \quad SF_\sigma(A < value) = \frac{value - min(A)}{max(A) - min(A)}$$

$$SF_\sigma(p(A_i) \wedge p(A_j)) = SF_\sigma(p(A_i)) \times SF_\sigma(p(A_j))$$

$$SF_\sigma(p(A_i) \vee p(A_j)) = SF_\sigma(p(A_i)) + SF_\sigma(p(A_j)) - (SF_\sigma(p(A_i)) \times SF_\sigma(p(A_j)))$$

Intermediate Relation Sizes



| Projection

- $\text{card}(\Pi_A(R)) = \text{card}(R)$

| Cartesian Product

- $\text{card}(R \times S) = ?$

| Union

- upper bound: $\text{card}(R \cup S) = ?$
- lower bound: $\text{card}(R \cup S) = ?$

| Set Difference

- upper bound: ?
- lower bound: ?

Intermediate Relation Sizes

| Projection

- $\text{card}(\Pi_A(R)) = \text{card}(R)$

| Cartesian Product

- $\text{card}(R \times S) = \text{card}(R) * \text{card}(S)$

| Union

- upper bound: $\text{card}(R \cup S) = \text{card}(R) + \text{card}(S)$
- lower bound: $\text{card}(R \cup S) = \max\{\text{card}(R), \text{card}(S)\}$

| Set Difference

- upper bound: $\text{card}(R - S) = \text{card}(R)$
- lower bound: 0

Intermediate Relation Size: Join

| Special case: A is a key of R and B is a foreign key of S

$$- \text{card}(R \bowtie_{A=B} S) = \text{card}(S)$$

| More general:

$$- \text{card}(R \bowtie S) = SF_{\bowtie}^* \text{card}(R) \times \text{card}(S)$$

IOs May Not be the Best Metric

Work at
site

Work at
site

T1

T2

>>>-----TIME----->
or \$

IOs May Not be the Best Metric

Plan A



100 IOs

Plan B

site 1  50 IOs

site 2  70 IOs

site 3  50 IOs

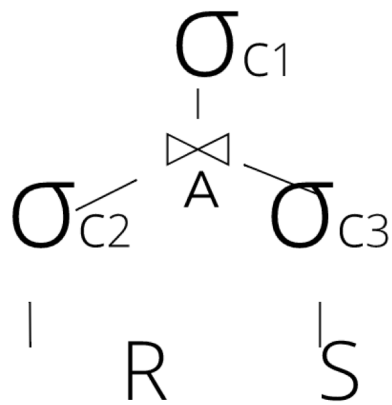
Query Separation



| Separate query into 2 or more steps

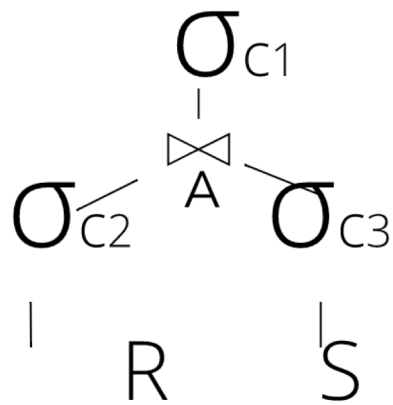
| Optimize each step independently

Example: Simple Queries



1. Compute $R' = \Pi_A[\sigma_{C2}R]$
 $S' = \Pi_A[\sigma_{C3}S]$
2. Compute $J = R' \bowtie S'$
3. Compute $J = R' \bowtie S'$

Example: Simple Queries



1. Compute $R' = \pi_A[\sigma_{c2}R]$

$S' = \pi_A[\sigma_{c3}S]$

2. Compute $J = R' \bowtie S'$

3. Compute

$\text{Ans} = \sigma_{c1}\{[J \bowtie \sigma_{c2}R] \bowtie [J \bowtie \sigma_{c3}S]\}$

Simple Query

- | - Relations have a single attribute
- | - Output has a single attribute

$$J \leftarrow R' \bowtie S'$$

- | Decompose query into
 - Local processing
 - Simple query (or queries)
 - Final processing
- | Optimize simple query

Philosophy



- | Hard part is distributed join
- | Do this part with only keys; get rest of data later
- | Simpler to optimize simple queries