EXPERIMENT 6

AIM

Convert NFA to DFA

ALGORITHM

- 1. Start
- 2. Input the required array ie, set of alphabets, set of states, initial state, set of final states, transitions.
- 3. Initially Q' = ϕ
- 4. Add q0 of NFA to Q'. Then find the transitions from this start state.
- 5. In Q', find the possible set of states for each input symbol. If this set of states is not in Q', then add it to Q'.
- 6. In DFA, the final state will be all the states which contain F(final states of NFA)
- 7. Stop

OUTPUT

```
gcc 11anaghasethu-p6.c
./a.out

Enter the number of alphabets?
```

NOTE:- [use letter e as epsilon]
NOTE:- [e must be last character ,if it is present]

Enter No of alphabets and alphabets?

2

а

b

Enter the number of states?

4

Enter the start state?

1

Enter the number of final states?

2

Enter the final states?

3

4

Enter the number of transitions?

8

```
NOTE:- [Transition is in the form—> qno alphabet qno] NOTE:- [States number must be greater than zero]
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```
Enter transition?
1 a 1
1 b 1
1 a 2
2 b 2
2 a 3
3 a 4
3 b 4
4 b 3
Equivalent DFA.....
Transitions of DFA
\{q1,\} a \{q1,q2,\}
{q1,} b {q1,}
\{q1,q2,\} a \{q1,q2,q3,\}
\{q1,q2,\} b \{q1,q2,\}
\{q1,q2,q3,\} a \{q1,q2,q3,q4,\}
\{q1,q2,q3,\} b \{q1,q2,q4,\}
\{q1,q2,q3,q4,\} a \{q1,q2,q3,q4,\}
\{q1,q2,q3,q4,\} b \{q1,q2,q3,q4,\}
\{q1,q2,q4,\} a \{q1,q2,q3,\}
{q1,q2,q4,} b {q1,q2,q3,}
States of DFA:
\{q1,\} \{q1,q2,\} \{q1,q2,q3,\} \{q1,q2,q3,q4,\} \{q1,q2,q4,\}
Alphabets:
a b
Start State:
q1
Final states:
\{q1,q2,q3,\} \{q1,q2,q3,q4,\} \{q1,q2,q4,\}
```

SCREENSHOT

