

Mobile

Name = Mobile

Company = Apple

Price = 40000

Ram = 8 GB

Rom : = 64 GB

OS = iOS

Launching Date = 7th June 2020

Data :



Data are simply values or set of values.

Data Item : is a single unit of values.

1. Group Items : Data items those can divided into sub items.

Ex. Full Name : First Name , Middle Name, Last Name

Address : place, city, district, state, country

Date of Birth : Day, Month, Year

2. Elementry Items : Data items those can not be divided into sub items.

Ex. Age : 17

Mobile : 989xxxxxxxx

Pin code : 442907

An entity :

An entity is something, that has certain attributes or properties which assigned values.



Name : Vinit Sharma

Age : 17

Gender : Male

Class: 12th

City : Warora

Date of Birth : 1st August 2003

Values can be
numeric,
non numeric, or
alpha numeric



Every attribute has certain value.

The collection of all entities form an entity set.

16

Age = 16

The term "information" is also used for data with given attributes.

Information means meaningful data.

Age = -45



Entity : Student

Name : Samiksha

Age : 18

Date of Birth : 14/09/2002

more attributes

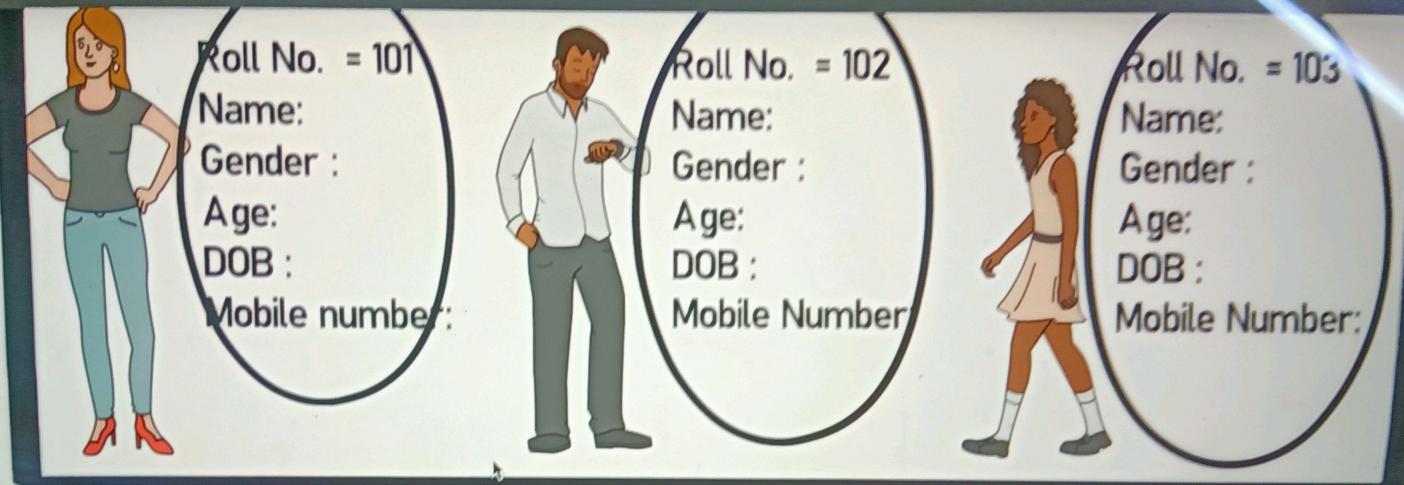
Class :

City :

Gender :

Mobile No.

Field : 'Field' is single elementary unit of information representing an attribute of entity.
Ex. Name, Gender, pincode, city etc.



Record : A record is a collection of field values of a given entity

File : A file is a collection of records of the entities.

A record in a file may contain several fields.

There are certain fields having unique value. Such a field is called primary key.

In above file...

"Roll No". is a primary key

So data can be stored in fields, records and files..

Apart from fields, records and files, the data can also be organised into more complex types of structures.

Data can be organised in different ways.

" The logical or mathematical model of a particular organisation is called a Data structure."

Linear Data structure

- 1. Array
- 2. Pointer array
- 3. Record
- 4. Linked list

Non-Linear Data structure

- 1. Tree
- 2. Binary Tree

Data Structure operations :

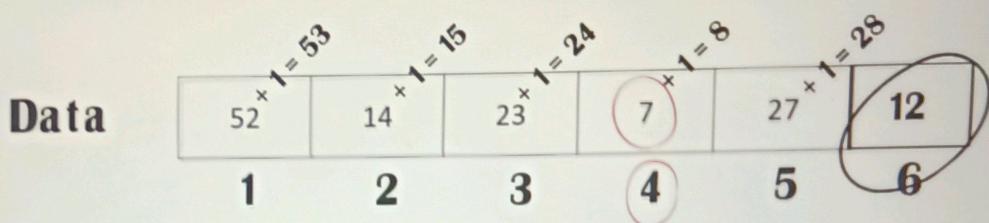
Array: Collection of homogenous(same type) elements is called as Array.

{ 8, 10, 5, 36, 7, 32, 4 } without decimal point (**Integer Numbers**)

{ 1.2, 6.3, 0.5, 9.5, 8.9 } with decimal point (**Real Numbers**)

Eg.

| <u>Data</u> | 52 | 14 | 23 | 7 | 27 |
|---------------------|--------------|----|----|---|----|
| <u>Index Number</u> | 0 | 1 | 2 | 3 | 4 |
| | 0 | 1 | 2 | 3 | 4 |
| | 1 | 2 | 3 | 4 | 5 |
| | Data[1] = 52 | | | | |
| | Data[2] = 14 | | | | |
| | Data[3] = 23 | | | | |
| | Data[4] = 7 | | | | |
| | Data[5] = 27 | | | | |



Data Structure Operations : there are total six data structure operations.

1. **Traversing** : Accessing each element of Array(Structure) once so that it can be processed.
2. **Inserting** : Adding new element into the structure
3. **Deleting** : Removing element from the structure
4. **Searching** : Finding the location of element
5. **Sorting** : Arranging elements in some logical order { 7, 12, 14, 23, 27, 52 }
6. **Merging** : Combining two files into single file. { 4, 8, 3, 10 }

{ 7, 12, 14, 23, 27, 52, 4, 8, 3, 10 }

Algorithmic notation

An algorithm is a finite step by step list of well defined instructions for solving a particular problem,

Eg. Addition of two int numbers

Let A and B are two int numbers.

This algorithm will calculate SUM of these two numbers.

Step 1. Start



Second Part

2. Read A and B

A = 10 B = 20

List of steps

3. Calculate SUM = A + B SUM = 10 + 20

Steps are executed one after

4. Display SUM 30

the other

5. Stop

Data /values may assigned to variables
by using read statement

Stop statement complete the algorithm

Display statements displayed result or
value of the variable

First Part

Name of the Algorithm

List of the variables

Purpose of the Algorithm

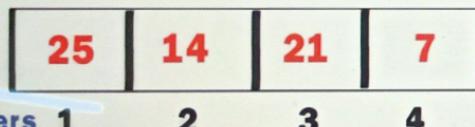
Arrays

- 1) It's the one of the linear data structure.
- 2) It is also called as Linear Array
- 3) It is a collection of finite n numbers of homogeneous data elements.
- 4) Data elements are of same type.
- 5) The elements of array are referenced by respectively by an index numbers.
- 6) The elements of array are stored respectively in successive memory locations.

Eg.

Marks

index numbers



LB

Lower Bound

Smallest Index Number

UB

Upper Bound

Highest Index Number

Elements of array can be denoted by subscript notation

$\text{Marks}_1, \text{Marks}_2, \text{Marks}_3, \text{Marks}_4$

OR

$\text{Marks}[1], \text{Marks}[2], \text{Marks}[3], \text{Marks}[4]$

$\text{Marks}[1] = 25$

$\text{Marks}[2] = 14$

$\text{Marks}[3] = 21$

$\text{Marks}[4] = 7$

Representation of linear arrays in memory

- 1) Elements of linear array are stored in successive memory cells / blocks
- 2) The number of cells required depends on type of data elements.

Eg.

| | | | | | |
|----------------|----|----|----|----|----|
| LA | 45 | 12 | 37 | 26 | 32 |
| Memory Address | 1 | 2 | 3 | 4 | 5 |

| | |
|------|----|
| 1000 | 45 |
| 1001 | 12 |
| 1002 | 37 |
| 1003 | 26 |
| 1004 | 32 |
| 1005 | |
| 1006 | |

Memory Location

- 3) Computer keep track of address of the first element of array.
- 4) Here LA is linear array and address of first element is denoted by Base (LA) and called as base address of LA.
- 5) Using Base address computer calculates the address of any elements of LA by using formula -

$$LOC (LA [K]) = \text{Base}(LA) + W (K - LB)$$

$$\begin{aligned}LOC (LA [3]) &= 1000 + 1 (3 - 1) \\&= 1000 + 2 \\&= 1002\end{aligned}$$

W = number of words (bytes)
per memory cell

Fig. Memory representation of array

Traversing Linear Arrays :

Accessing each element of array only once so that it can be processed.

Algorithm : Traversing Linear Array.

Let LA is a linear array with lower bound LB and upper bound UB.

This algorithm will apply PROCESS to each element of LA.

Steps : 1) Start

2) Initialize counter

 set K = LB

3) Repeat Steps 4th and 5th While ($K \leq UB$)

4) Visit Element

 Apply PROCESS to LA[K]

5) Increment Counter

$K = K + 1$

6) Stop



| | | | | | | | | | | |
|------------------|---|-------|----|---------------|----|---|---|---|---|----|
| LA | <table border="1"><tr><td>12</td><td>42</td><td>34</td><td>25</td></tr></table> | 12 | 42 | 34 | 25 | 1 | 2 | 3 | 4 | UB |
| 12 | 42 | 34 | 25 | | | | | | | |
| $K = LB$ | | LA[1] | 12 | Display LA[1] | | | | | | |
| $K = 1$ | | LA[2] | 42 | | | | | | | |
| $K = 2$ | | LA[3] | 34 | | | | | | | |
| $K = 3$ | | LA[4] | 25 | | | | | | | |
| $K = 4$ | | | | | | | | | | |
| $K = 5$ | | | | | | | | | | |
| 1 \leq 4 ? yes | | | | | | | | | | |
| 2 \leq 4 ? yes | | | | | | | | | | |
| 3 \leq 4 ? yes | | | | | | | | | | |
| 4 \leq 4 ? yes | | | | | | | | | | |
| 5 \leq 4 ? No | | | | | | | | | | |

Sum of all the elements of the array

Let LA is a linear array of size N with lower bound LB and upper bound UB, this algorithm will find SUM of all the elements of the array.

Steps : 1) Start

2) Initialize SUM = 0

3) Initialize Counter

set K = LB

4) Repeat steps 5th & 6th while ($K \leq UB$)

5) calculate SUM = SUM + LA[K]

6) Increment Counter

$K = K + 1$

7) Display SUM

8) Stop

| | | | | | |
|----|--------|----|----|--------|-------|
| LA | 70 | 50 | 80 | 10 | N = 4 |
| | LB = 1 | 2 | 3 | UB = 4 | |

K = 1

($K \leq UB$)

($1 \leq 4$) ? YES

K = 2

($2 \leq 4$) ? YES

K = 3

($3 \leq 4$) ? YES

K = 4

($4 \leq 4$) ? YES

K = 5

($5 \leq 4$) ? NO

SUM = 0

SUM = SUM + LA[K]

SUM = 0 + LA[1]

SUM = 0 + 70

SUM = 70

SUM = SUM + LA[K]

SUM = 70 + LA[2]

SUM = 70 + 50

SUM = 120 + LA[3]

SUM = 120 + 80

SUM = 200 + LA[4]

SUM = 200 + 10

SUM = 210

Average of all the elements of the array

Let LA is a linear array of size N with lower bound LB and upper bound UB, this algorithm will find

AVG all the elements of the array.

Steps : 1) Start

2) Initialize SUM = 0

3) Initialize Counter
set K = LB

4) Repeat steps 5th & 6th while ($K \leq UB$)

5) calculate $SUM = SUM + LA[K]$

6) Increment Counter
 $K = K + 1$

7) Display SUM

8) Calculate
 $AVG = SUM / N$

9) Display AVG
10) Stop

$$AVG = \frac{SUM}{N}$$

$$AVG = 210 / 4$$

$$AVG = 52.5$$

| | | | | | |
|----|--------|----|----|----|--------|
| LA | 70 | 50 | 80 | 10 | N = 4 |
| | LB = 1 | 2 | 3 | 4 | UB = 4 |

SUM = 0

SUM = SUM + LA[K]

SUM = 0 + LA[1]

SUM = 0 + 70

SUM = 70

SUM = SUM + LA[K]

SUM = 70 + LA[2]

SUM = 70 + 50

SUM = 120 + LA[3]

SUM = 120 + 80

SUM = 200 + LA[4]

SUM = 200 + 10

SUM = 210

Inserting a new element into Array

INSERT (LA, N, ITEM, K)

Let LA is a linear array of size N, this algorithm will insert ITEM at the Kth position of LA, Where $K \leq N + 1$

Steps : 1) Start

2) Initialize Counter

Set $J = N$

3) Repeat 4th & 5th While ($J \geq K$)

4) Move Jth element downward

$LA[J+1] = LA[J]$

5) Decrement Counter

$J = J - 1$

6) Insert ITEM

$LA[K] = ITEM$

7) Reset $N = N + 1$

8) Stop

| | | | | | | |
|----|--------|----|-------|---------------------------|------------------------------|-----|
| LA | 80 | 10 | 40 | 50 | 70 | |
| | 1 | 2 | 3 | $J = 4$ | | 5 |
| | ITEM = | | K = 3 | $\checkmark LA[K] = ITEM$ | (40) | |
| | | | | $LA[5] = 70$ | $N = N + 1$ | (5) |
| | | | | $LA[5] = LA[4]$ | $\checkmark LA[J+1] = LA[J]$ | |
| | | | | $LA[4] = 50$ | $\checkmark J = J - 1$ | |
| | | | | $= LA[3]$ | $\checkmark J = 3 = K$ | |

N = 3

DELETE(LA, N, ITEM, K)

Let LA is a linear array of size N, this algorithm will delete element ITEM from Kth position.

where K is any positive integer such that $K \leq N$

| | | | |
|----|----|----|----|
| LA | 80 | 50 | 70 |
| | 1 | 2 | 3 |

Steps : 1) Start

2) set ITEM = LA[K]

3) Initialize counter
set J = K

4) Repeat 5th & 6th step while $J \leq N - 1$

5) Move J+1 th element upword

$LA[J] = LA[J+1]$

6) Increment Counter

$J = J + 1$

7) Reset $N = N - 1$

8) Stop

K = 2 ITEM = 10

J = K

J = 2 J <= N - 1 2 <= 3 YES

$LA[J] = LA[J+1]$

$LA[2] = LA[2+1]$

$LA[2] = LA[3]$

$LA[2] = 50$

J = 3 J <= N - 1 3 <= 3 YES

$LA[J] = LA[J+1]$

$LA[3] = LA[4]$

$LA[3] = 70$

J = 4 J <= N - 1 4 <= 3 NO

LINEAR(DATA, N, ITEM, LOC)

Let DATA is a linear array of size N.

this algorithm will find the LOC of ITEM in DATA and
if search is unsuccessful it will set LOC = NULL

Steps : 1) Start

2) Initialize LOC

 Set LOC = 1

3) Repeat steps 4th & 5th **while LOC <= N**

4) Compare ITEM

 IF (ITEM == DATA [LOC]), then

 i) Display ITEM is found at LOC ✓

 ii) go to step 7th

5) Increment LOC ↗

 LOC = LOC + 1

6) IF (LOC > N), then

 Display ITEM is not found

7) Stop

N = 5

DATA

| | | | | |
|----|----|----|----|----|
| 12 | 39 | 15 | 26 | 35 |
| ✓ | 2 | 3 | 4 | 5 |

✓ LOC = 1

ITEM = 85 LOC = ?

LOC = 1 85 == 12 ? NO

INCREMENT LOC = LOC + 1

LOC = 2 85 == 39 NO

LOC = 3 85 == 15 NO

LOC = 4 85 == 26 NO

LOC = 5 85 == 35 NO

✓ LOC = 6

6 <= 5 ? NO

BINARY(DATA, N, ITEM, LOC)

Let DATA is sorted linear array with size N, with lower bound LB and upper bound UB.

BEG denotes begining and END denotes ending and MID denotes middle segment of the array.
This algorithm will find LOC of ITEM in DATA and if search is unsuccesfull
then it will set LOC = NULL

Steps : 1) start ✓

2) Initialize BEG = LB and END = UB ✓

✓ 3) Repeat step 4th & 5th while BEG <= END ✓

4) Calculate MID = (INT) (BEG + END) / 2 ✓

5) Compare ITEM ✓

✓ IF(ITEM == DATA [MID]) ✗

✓ i) Display ITEM is found at LOC = MID ✓

✓ ii) go to step 7th

✓ ELSE IF(ITEM < DATA[MID]) ✗

Set END = MID - 1

ELSE Set BEG = MID + 1

6) IF (BEG > END)

i) Display ITEM is NOT found, Set LOC = NULL

7) stop

| | | | |
|------|----|----|----|
| DATA | 10 | 20 | 30 |
| | 1 | 2 | 3 |

ITEM = 30 LOC = ?

BEG = 1 END = 3

is(BEG <= END) ?

(1 <= 3) ? YES

MID = (1 + 3) / 2 = 4 / 2 = 2

IF(ITEM == DATA[2])

IF(30 == 20) NO

ELSE IF(30 < 20) NO

ELSE Set BEG = 2 + 1 = 3

BEG = END = MID = 3

IF(30 == DATA[3])

Difference between Linear search and Binary search

| Linear search | Binary search |
|--|--|
| 1) In linear search array (data) may or may not be sorted. i.e. it is not necessary that data should be sorted. | 1) In binary search array (data) should be sorted. |
| 2) Item to be search is compared with every element of array starting from first location. | 2) Item to be search is compared with middle value of array. |
| 3) Its less efficient than binary search | 3) Its more efficient than linear search |
| 4) Time complexity of linear search is $O(n)$ | 4) Time complexity of binary search is $O(\log_2 n)$ |
| 5) Example | 5) Example |

BUBBLE (DATA, N)

Let DATA is a linear array of size N and this algorithm will sort DATA in ascending order.

Steps : 1) Start

2) Repeat steps 3rd and 4th for K = 1 to N - 1 by 1

3) Set PTR = 1

4) Repeat steps 5th and 6th while PTR <= N - k

5) Compare elements

IF(DATA[PTR] > DATA[PTR + 1]) then,

Interchange their values

i) Set TEMP = DATA[PTR]

ii) Set DATA[PTR] = DATA[PTR+1]

iii) Set DATA[PTR+1] = TEMP

6) Increment counter

PTR = PTR + 1

7) Display Sorted DATA

8) Stop

| | DATA | N = 5 | K = 1, 2, 3, 4 | |
|---------|------|-------|----------------|----|
| 1 | 33 | 22 | 22 | 22 |
| 2 | 22 | 33 | 33 | 33 |
| 3 | 44 | 44 | 44 | 44 |
| 4 | 55 | 55 | 55 | 11 |
| PTR = 5 | 11 | 11 | 11 | 55 |

is (PTR <= N - K) ?

is (5 <= 5 - 1) ?

is (5 <= 4) ? NO

TEMP = 33

DATA[1] = 22

DATA[2] = 33

IF(DATA[PTR] > DATA[PTR + 1])

IF(DATA[4] > DATA[5])

IF(55 > 11) YES

Pointer Array :

In array if each elements are pointer then its called as pointer array.

Pointer is a variable which contain the address of the elements.

Pointer points to an element in list.

Let we have four groups.

Each group consist of list of members.

Membership list is to be stored in memory.

The most efficient method is to form two arrays. One is members consisting of all members one after the other.

and another pointer array group containing the starting locatons of different groups.

Observe that the elements of pointer array are starting addresses of each group

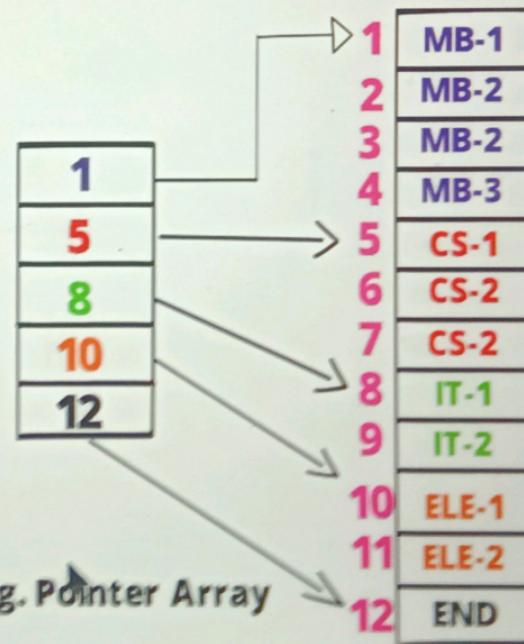


Fig. Pointer Array

XII Class : Students
(Members)

MB = 4

CS = 3

IT = 2

ELE = 2

Linked list : Its a linear collection of data elements, called nodes. linear order is given by means of pointer. each node is divided into two parts, first part contains the information part of the elements and second part contains the address of the next node in the list

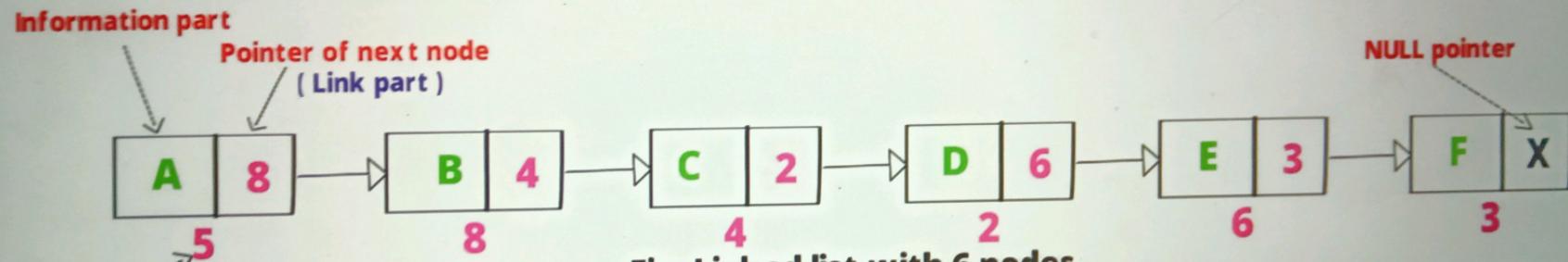


Fig. Linked list with 6 nodes.

The left part represents the information part of node.

The right part represent pointer field of node.

The arrow is drawn from this field to next node.

pointer field of last node conatin null pointer.

The address of first node in list called as start or name.

We need only this address to trace the linked list.

Linked list : Its a linear collection of data elements, called nodes.
 linear order is given by means of pointer.
 each node is divided into two parts, first part contains the information part of the elements and second part contains the address of the next node in the list

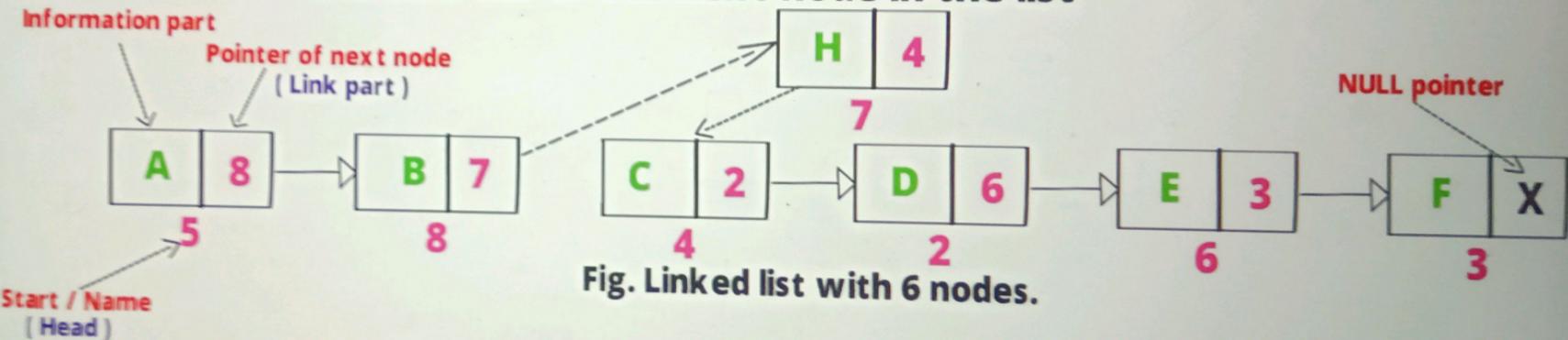


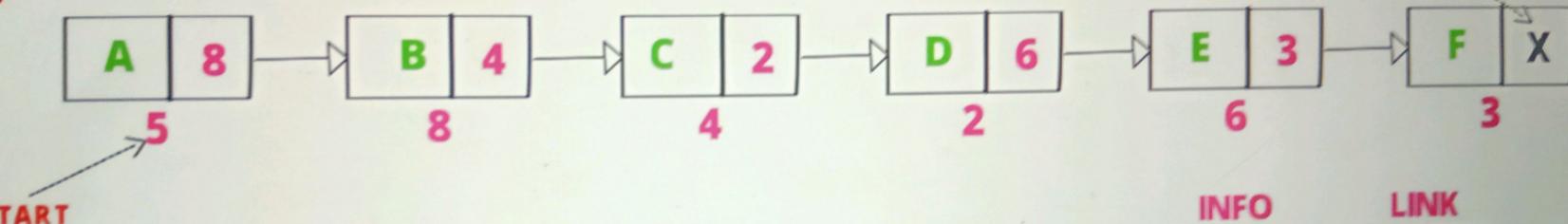
Fig. Linked list with 6 nodes.

Linked list
 definition
 linear order is given by means of pointer.
 Insertion and deletion is easy
 not required consecutive memory locations

Array
 definition
 linear order is given by index number.
 Insertion and deletion is expensive
 required consecutive memory locations

Representation of linked list in memory

Eg.



Linked list can be represented by two parallel linear arrays.

One is INFO containing information part
and other is LINK containing next pointer field.

The name of linked list, start, contains beginnings of the list.

START points to 5th element

INFO[5] = A and LINK[5] = 8 so next node address is 8

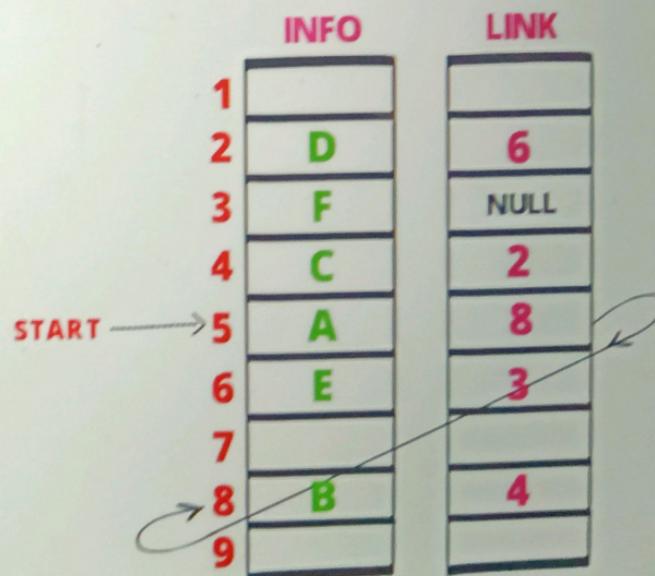
INFO[8] = B and LINK[8] = 4 so next node address is 4

INFO[4] = C and LINK[4] = 2 so next node address is 2

INFO[2] = D and LINK[2] = 6 so next node address is 6

INFO[6] = E and LINK[6] = 3 so next node address is 3

INFO[3] = F and LINK[3] = NULL The list is ended here.



Stack :

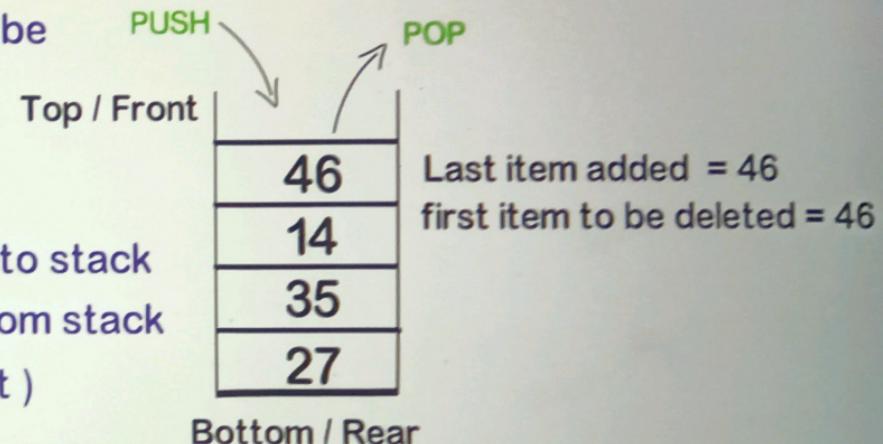
A stack is a data structure in which items may be added or removed only at one end.

the item can removed or added only from the top of the stack.

"PUSH" is the term used to insert an element into stack

"POP" is the term used to delete an element from stack

A stack is also called as LIFO. (Last In First Out)



Queue :

A queue is a linear list in which items may be added only at one end and items may be removed only at other end.

The queue is also called as FIFO. (First In First Out)

