

Word Break

Given a string s and a dictionary of words $dict$, determine if s can be segmented into a space-separated sequence of one or more dictionary words.

For example, given

$s = \text{"leetcode"}$,

$dict = [\text{"leet"}, \text{"code"}]$.

Return true because "leetcode" can be segmented as "leet code" .

Solution 1

```
public class Solution {
    public boolean wordBreak(String s, Set<String> dict) {

        boolean[] f = new boolean[s.length() + 1];

        f[0] = true;

        /* First DP
        for(int i = 1; i <= s.length(); i++){
            for(String str: dict){
                if(str.length() <= i){
                    if(f[i - str.length()]){
                        if(s.substring(i-str.length(), i).equals(str)){
                            f[i] = true;
                            break;
                        }
                    }
                }
            }
        }
        */

        //Second DP
        for(int i=1; i <= s.length(); i++){
            for(int j=0; j < i; j++){
                if(f[j] && dict.contains(s.substring(j, i))){
                    f[i] = true;
                    break;
                }
            }
        }

        return f[s.length()];
    }
}
```

written by [segfault](#) original link [here](#)

Solution 2

We use a boolean vector `dp[]`. `dp[i]` is set to true if a valid word (word sequence) ends there. The optimization is to look from current position ***i*** back and only substring and do dictionary look up in case the preceding position ***j*** with `dp[j] == true` is found.

```
bool wordBreak(string s, unordered_set<string> &dict) {
    if(dict.size()==0) return false;

    vector<bool> dp(s.size()+1, false);
    dp[0]=true;

    for(int i=1; i<=s.size(); i++)
    {
        for(int j=i-1; j>=0; j--)
        {
            if(dp[j])
            {
                string word = s.substr(j, i-j);
                if(dict.find(word) != dict.end())
                {
                    dp[i]=true;
                    break; //next i
                }
            }
        }
    }

    return dp[s.size()];
}
```

written by [paul7](#) original link [here](#)

Solution 3

People have posted elegant solutions using DP. The solution I post below using BFS is no better than those. Just to share some new thoughts.

We can use a graph to represent the possible solutions. The vertices of the graph are simply the positions of the first characters of the words and each edge actually represents a word. For example, the input string is "nightmare", there are two ways to break it, "night mare" and "nightmare". The graph would be

0-->5-->9

|_____^

The question is simply to check if there is a path from 0 to 9. The most efficient way is traversing the graph using BFS with the help of a queue and a hash set. The hash set is used to keep track of the visited nodes to avoid repeating the same work.

For this problem, the time complexity is $O(n^2)$ and space complexity is $O(n)$, the same with DP. This idea can be used to solve the problem word break II. We can simply construct the graph using BFS, save it into a map and then find all the paths using DFS.

```
bool wordBreak(string s, unordered_set<string> &dict) {
    // BFS
    queue<int> BFS;
    unordered_set<int> visited;

    BFS.push(0);
    while(BFS.size() > 0)
    {
        int start = BFS.front();
        BFS.pop();
        if(visited.find(start) == visited.end())
        {
            visited.insert(start);
            for(int j=start; j<s.size(); j++)
            {
                string word(s, start, j-start+1);
                if(dict.find(word) != dict.end())
                {
                    BFS.push(j+1);
                    if(j+1 == s.size())
                        return true;
                }
            }
        }
    }

    return false;
}
```

written by [GuaGua](#) original link [here](#)

