

## Minimum Moves to Equal Array Elements

Given a **non-empty** integer array of size  $n$ , find the minimum number of moves required to make all array elements equal, where a move is incrementing  $n - 1$  elements by 1.

### Example:

**Input:**

[1,2,3]

**Output:**

3

**Explanation:**

Only three moves are needed (remember each move increments two elements):

[1,2,3] => [2,3,3] => [3,4,3] => [4,4,4]

## Solution 1

Add **1** to  **$n - 1$**  elements is the same as subtracting **1** from one element, w.r.t goal of making the elements in the array equal.

So, best way to do this is make all the elements in the array equal to the **min** element.

**$\text{sum}(\text{array}) - n * \text{minimum}$**

```
public class Solution {
    public int minMoves(int[] nums) {
        if (nums.length == 0) return 0;
        int min = nums[0];
        for (int n : nums) min = Math.min(min, n);
        int res = 0;
        for (int n : nums) res += n - min;
        return res;
    }
}
```

written by [kdtree](#) original link [here](#)

## Solution 2

Incrementing all but one is equivalent to decrementing that one. So let's do that instead. How many single-element decrements to make all equal? No point to decrementing below the current minimum, so how many single-element decrements to make all equal to the current minimum? Just take the difference from what's currently there (the sum) to what we want (n times the minimum).

Python:

```
def minMoves(self, nums):  
    return sum(nums) - len(nums) * min(nums)
```

Ruby:

```
def min_moves(nums)  
  nums.inject(:+) - nums.size * nums.min  
end
```

Java (ugh :-):

```
public int minMoves(int[] nums) {  
    return IntStream.of(nums).sum() - nums.length * IntStream.of(nums).min().getAsInt();  
}
```

C++ (more ugh):

```
int minMoves(vector<int>& nums) {  
    return accumulate(begin(nums), end(nums), 0) - nums.size() * *min_element(begin(nums), end(nums));  
}
```

written by [StefanPochmann](#) original link [here](#)

### Solution 3

let's define sum as the sum of all the numbers, before any moves; minNum as the min number in the list; n is the length of the list;

After, say m moves, we get all the numbers as x , and we will get the following equation

$$\text{sum} + m * (n - 1) = x * n$$

and actually,

$$x = \text{minNum} + m$$

and finally, we will get

$$\text{sum} - \text{minNum} * n = m$$

So, it is clear and easy now.

written by [wang.senyuan](#) original link [here](#)

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