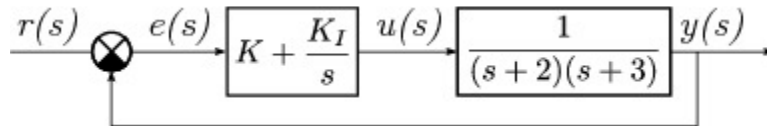


ARI 2015 – Homework 4

Assignment 1 – Routh table

Determine the intervals of the gains K, K_I of the cascade compensator, such that the closed-loop system shown below is stable. Use Routh-Hurwitz criterion.



- Explain the key steps in the calculations and show important intermediate results.
- Draw in the plane K, K_I the region for which the system is stable.

Assignment 2 – rltool

Using the function `hw_4_std` generate a model of the second-order system with two poles and no zero. The form of the system is

$$G(s) = \frac{1}{(s+a)(s+b)}.$$

The syntax of `hw_4_std` is the following

```
G = hw_1_std(dd, mm, yy);
```

Inputs:

dd – day of your birthday, for instance, 03

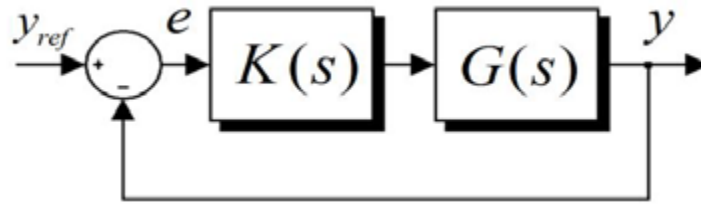
mm – month of your birthday, for instance, 11

yy – last two digits of the year of your birth, for example 89

Outputs:

G – the model of the system

Consider the feedback system



with a controller

$$K(s) = K_p + \frac{K_I}{s}.$$

- For the given system design the constants $K_p > 0, K_I > 0$ of the controller using the root-locus rules. Use `rltool` in Matlab. The goal is to place the poles as far away to the left (far from the imaginary axis) as possible. The damping factor must be kept at $\zeta = 0.7$.
- Explain your approach and show key intermediate steps.
- Plot the step response of the closed-loop.
- What is the steady-state regulation error?