

# Top 30 Bit Manipulation Techniques with Examples

### 1. Removing the Lowest Set Bit

Formula:  $n = n \& (n - 1)$

Example: For  $n = 10110100$  (180),  $n \& (n - 1) = 10110000$  (176)

## 2. Isolating the Lowest Set Bit

Formula:  $n \ \& \ (-n)$

Example: For  $n = 10110100$  (180),  $n \& (-n) = 00000100$  (4)

### 3. Checking if a Number is a Power of Two

Formula:  $(n \& (n - 1)) == 0$

Example: For  $n = 8$  (1000),  $n \& (n - 1) = 0000$

#### 4. Counting Set Bits (Hamming Weight)

Formula: while (n) { n = n & (n - 1); count++; }

Example:  $n = 10110100$  has 4 set bits.

## 5. Swapping Two Numbers Without Temporary Variable

Formula:  $a = a \wedge b$ ;  $b = a \wedge b$ ;  $a = a \wedge b$ ;

Example:  $a = 5, b = 3$  becomes  $a = 3, b = 5$ .

## 6. Reversing the Bits of a Number

Formula:  $rev = (rev \ll 1) | (n \& 1); n \gg= 1;$

[illegible]

## 7. Setting the i-th Bit

Formula:  $n = n | (1 \ll i)$

Example:  $n = 8$  (1000),  $i = 1$  results in  $n = 10$  (1010)

## 8. Clearing the i-th Bit

Formula:  $n = n \& \sim(1 \ll i)$

Example:  $n = 10$  (1010),  $i = 1$  results in  $n = 8$  (1000)

## 9. Toggling the i-th Bit

Formula:  $n = n \wedge (1 \ll i)$

Example:  $n = 8$  (1000),  $i = 2$  results in  $n = 12$  (1100)

## 10. Clearing MSB to i-th Bit

Formula:  $n = n \& ((1 \ll i) - 1)$

Example:  $n = 15$  (1111),  $i = 2$  results in  $n = 3$  (0011)

## 11. Clearing i-th Bit to LSB

Formula:  $n = n \& (\sim((1 \ll (i + 1)) - 1))$

Example:  $n = 15$  (1111),  $i = 1$  results in  $n = 12$  (1100)

## 12. Modulus Power of Two

Formula:  $n \& ((1 \ll k) - 1)$

Example:  $n = 77$ ,  $k = 4$ ,  $n \% 16 = 13$

## 13. Checking if a Bit is Set

Formula:  $(n \& (1 \ll i)) \neq 0$

Example: For  $n = 5$  (101),  $i = 2$  is set.

#### 14. Inserting M into N at Position i to j

Formula:  $\text{mask} = ((1 \ll (j + 1)) - 1) \wedge ((1 \ll i) - 1)$ ;  $N = N \& \sim\text{mask}$ ;  $N = N \mid (M \ll i)$ ;

Example:  $N = 1024$  (10000000000),  $M = 19$  (10011),  $i = 2$ ,  $j = 6$

#### 15. Flip All Bits

Formula:  $\sim n$

Example:  $n = 5$  (101),  $\sim n = -6$

#### 16. Multiply by Power of Two

Formula:  $n \ll k$

Example:  $n = 5$ ,  $k = 2$  results in  $n = 20$

#### 17. Divide by Power of Two

Formula:  $n \gg k$

Example:  $n = 20$ ,  $k = 2$  results in  $n = 5$

#### 18. Checking if n is Odd or Even

Formula:  $n \& 1$

Example:  $n = 7$  (111), result = 1 (Odd)

#### 19. Turn Off Rightmost Set Bit

Formula:  $n = n \& (n - 1)$

Example:  $n = 10$  (1010), becomes  $n = 8$  (1000)

## 20. XOR from 1 to n

Formula: If  $n \% 4 == 0 \rightarrow n$ ;  $n \% 4 == 1 \rightarrow 1$ ;  $n \% 4 == 2 \rightarrow n + 1$ ;  $n \% 4 == 3 \rightarrow 0$

Example: XOR from 1 to 5 = 1

## 21. Parity of a Number

Formula: Use XOR over all bits.

Example:  $n = 1011$  (odd parity)

## 22. Turn On Rightmost Zero

Formula:  $n = n | (n + 1)$

Example:  $n = 1010$ , becomes  $n = 1011$

## 23. Clear All Bits After i-th Bit

Formula:  $n = n \& (-1 \ll (i + 1))$

Example:  $n = 15$  (1111),  $i = 2$  becomes  $n = 8$  (1000)

## 24. Toggle All Bits After i-th Bit

Formula:  $n = n \wedge (-1 \ll (i + 1))$

Example:  $n = 15$  (1111),  $i = 2$  becomes  $n = 7$  (0111)

## 25. Sign Extend

Formula:  $n = n | (\sim((1 \ll i) - 1))$  if bit  $i$  is set

Example:  $n = 5$  (101),  $i = 2$  remains the same.

## 26. Count Leading Zeros

Formula: `__builtin_clz(n)`

Example:  $n = 16$  (10000), leading zeros = 27 (32-bit integer)

## 27. Count Trailing Zeros

Formula: `__builtin_ctz(n)`

Example:  $n = 16$  (10000), trailing zeros = 4

## 28. Population Count (Count Set Bits)

Formula: `__builtin_popcount(n)`

Example:  $n = 15$  (1111), set bits = 4

## 29. Log Base 2 of n

Formula: `__builtin_clz(n)`

Example:  $n = 8$  (1000), log base 2 = 3

## 30. Extract Bits Between i and j

Formula: `mask = ((1 << (j - i + 1)) - 1) << i; n = (n & mask) >> i`

Example:  $n = 29$  (11101),  $i = 1$ ,  $j = 3$  extracts 101 (5)