

# Inorganic:

Read shriver & Atkins.

read pre-requisites:- (pdf)

(I)

## Hard Acid-Soft Acid:-

- large positive charge.  
(hence; less  $e^-$ )
- Small size
- Polarization is difficult.
- d-electrons or orbitals are not present; for  $\pi$ -bonding.

## Hard base:-

- most electronegative atom ( $F^-$ )
- small size.
- difficult to polarize.
- $\pi$ -bonding is weaker or no  $\pi$ -bonding.

i feel.  
less  
-ve  
charge.

\* AgF

AgCl

AgBr

AgI  $\rightarrow$  very less soluble.

Soft acid-Soft base-covalent.  
hard-hard - ionic.

(Ag<sup>+</sup>) Big size

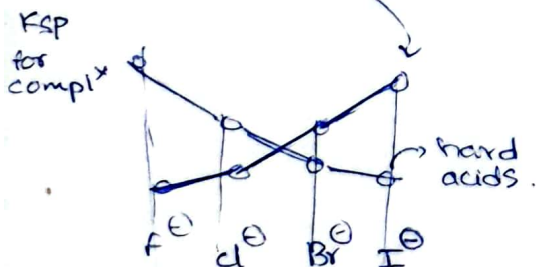
less change.

$\therefore$  soft acid

& Soft base.

\*

Soft metals.



read examples of hard-soft acids/bases.

## Soft acids:-

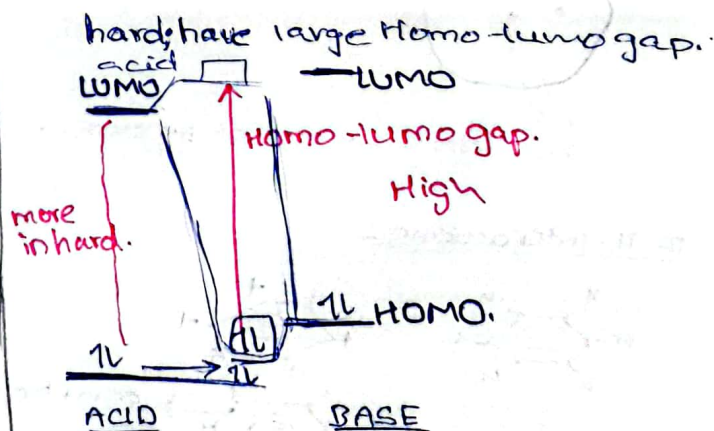
$Cu^+$ ,  $Ag^+$ ,  $Hg^{+2}$ ,  $Hg_2^{+2}$ ,  $Pt^{+2}$ ,  $Pd^{+2}$ ,  $Cd^{+2}$ ,  $Tl^+$

$Cu^{+2}$ ,  $Al^{+3}$ ,  $BH_3$ .

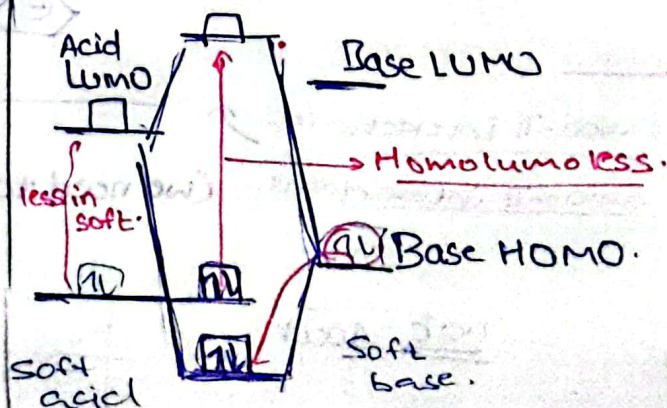
borderline.

\*  $CO$ ,  $CN^-$ ,  $SCN^-$  are soft bases.  
As they give covalent bondings.

why hard likes ~~hard~~ acid  
hard base



## soft acid-base:



\* Hard-hard is more energetic.  
(side-example).

→ Quantitative measure of hardness ( $\eta$ ):- → can be measured; using photoelectron spectroscopy.

$$\eta = \frac{IE_{\text{Base}} - EA_{\text{Acid}}}{2} \quad ; \text{ by Mulliken;}$$

$$\chi = \frac{IE + EA}{2}$$

IE = ionization energy of the ion. → measures HOMO of base

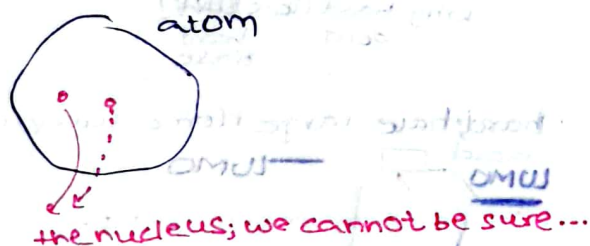
EA = electr. aff. of -ve ion ; ~~verify~~ → measures LUMO of acid.

\*  $\text{CN}^-$  → soft base.

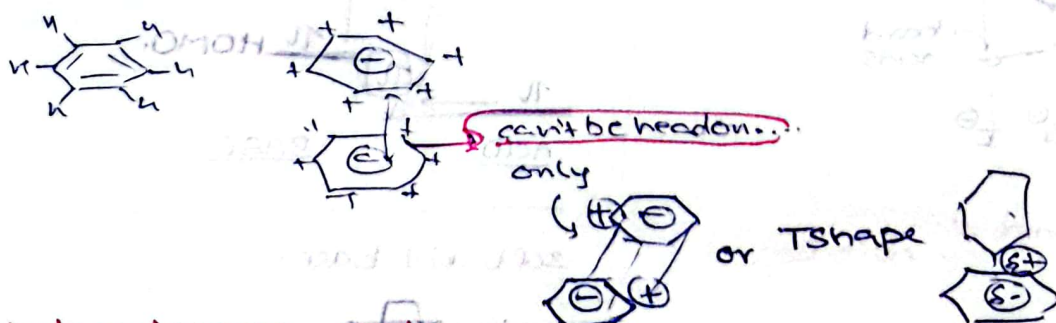
∴ less IE.

→ Intermolecular weak interactions:-

forming instantaneous dipole: \* more dispersion forces; when more electrons.



\*  $\pi$ - $\pi$  interactions:-



\*  $\pi$  clouds on benzene; binds cations  
Stronger than water. (data.)

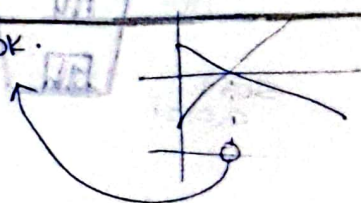
• cation- $\pi$  interactions:-

anion- $\pi$  interactions:- (we need to make



II

710°C 1000K.



292ed



\* Ellingham diagram for metal sulphides:

Slater rules:

\*  $\text{Co}_3\text{O}_4$   $\Delta_t = \frac{4}{9} \Delta_o$

Pairing energy =  $0.9 \Delta_o$

Intervalecular; we always see high spins....

Since  $\Delta_t$  is always low & Pairing energy  $> \Delta_t$ .

Jahn-Teller:

\* even organic compounds have Jahn-Teller distortion.

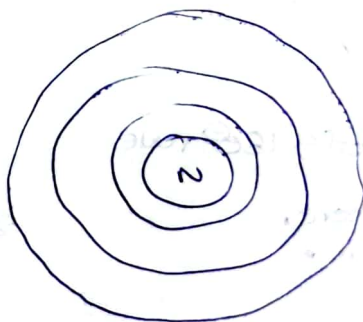
(Both sunglasses & inarg said).

\*  $\text{Co}^{+3}$  Oxide; strong field.

$\text{Co}^{+4}$  Oxide; strong field.

$\text{Ni}^{+3}$   
 $\text{Ni}^{+4}$  oxides } strong field

\*  $\begin{array}{|c|c|c|} \hline \uparrow & \uparrow & \uparrow \\ \hline \end{array}$   $\begin{array}{|c|c|} \hline \uparrow\downarrow & \uparrow \\ \hline \end{array}$   
repulsions move here.



$\text{Co}_3\text{O}_4$ :

Spinel

$\text{Co}^{+2} \text{Co}^{+3}$

tetrah

octah

Inverse  
Spinel

$\text{Co}^{+3}$

tetrah

$\text{Co}^{+2}$

octah

$\text{Co}^{+1}$ :  $4s^0 3d^7$

$\text{Co}^{+3}$ :  $4s^0 3d^6$

$\begin{array}{|c|c|c|} \hline \uparrow & \uparrow & \uparrow \\ \hline \end{array}$

$\begin{array}{|c|c|} \hline \uparrow\downarrow & \uparrow \\ \hline \end{array}$

$6 \times 2 \Delta_t$

$\begin{array}{|c|c|c|} \hline \uparrow & \uparrow & \uparrow \\ \hline \end{array}$   
 $\begin{array}{|c|c|c|} \hline \uparrow\downarrow & \uparrow & \uparrow\downarrow \\ \hline \end{array}$

$6.4 \times 6 \Delta_o$   
 $- 2(0.9 \Delta_o)$   
pairing



$- d_{xy}^2$

$- d_{z^2}$

$- d_{xy}$

$- d_{xz}$

$- d_{yz}$

$2.4 \Delta_o$   $\uparrow$   $\uparrow$   $\uparrow$   
pairing energy  $2 \times 0.9 \Delta_o$   
crystal field  $2.4 \Delta_o$



$2.4 \Delta_o$   $\uparrow$   $\uparrow$   $\uparrow$

pairing energy  $2 \times 0.9 \Delta_o$

crystal field  $2.4 \Delta_o$

$2.4 \Delta_o$   $\uparrow$   $\uparrow$   $\uparrow$

pairing energy  $2 \times 0.9 \Delta_o$

crystal field  $2.4 \Delta_o$

$2.4 \Delta_o$   $\uparrow$   $\uparrow$   $\uparrow$

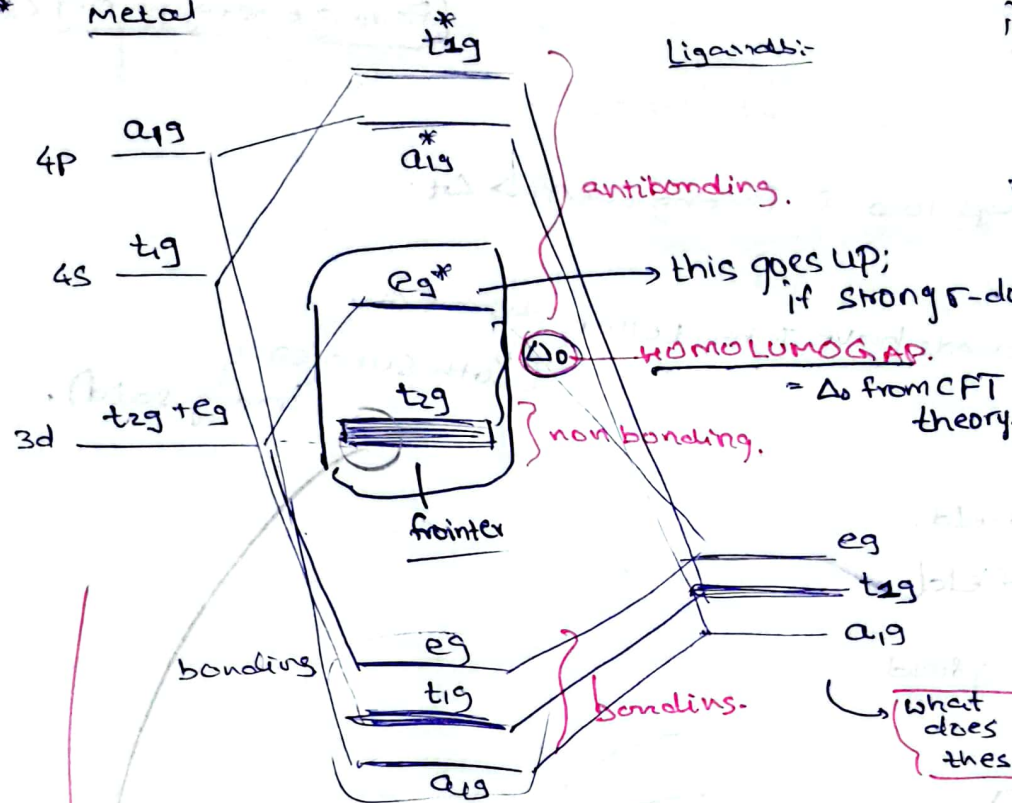
pairing energy  $2 \times 0.9 \Delta_o$

crystal field  $2.4 \Delta_o$

Ligand field theory to take covalent character; we draw MO.

covalent bond is directional: for  $\sigma$ -bond, take axial orbitals  
 $t_{2g}$  won't involve in bonding.

\* Metal



∴ we can justify 18e<sup>-</sup> rule.

now,  $\pi$ -donors interact here.  
 $\pi$ -acceptors " " "

doubt:-

1) for antibonding; overlap - integral  $S = ?$

2) for strong  $\pi$ -acceptors;

do I know?

What is their energy level in MO diagram.

What does these mean?

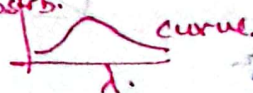
Strong  $\pi$ -acceptor:-  
 matching energy levels.

Here; don't initially consider crystal field splitting.

- that is one theory by ionic rep.

- this is another theory by MO formation.

- But we can always try to justify  $\Delta_o$  orbital.



\*  $\pi$  Donors:-

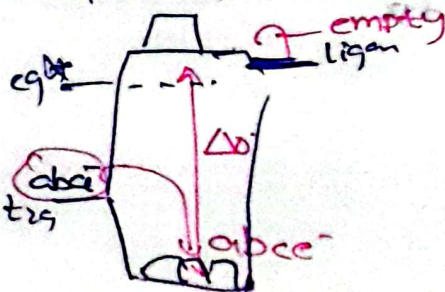
HOMO Always less in energy

equally acceptors LUMO



\*  $\pi$  acceptors:-

donors - lower energy  
 acceptors - higher energy





## Topic-10:-

magnetism; transition & lanthanoid ions & their complexes.

1 — — —

↳ this  $e^-$  can rotate around nucleus.

2. contribution due to orbital ang. momentum + intrinsic spin.

1 1 1

↳ Here

orbital ang. momentum  $\rightarrow$  zero contribut<sup>n</sup>.  
only spin contrib<sup>n</sup>.

### Zeeman effect:-

splitting leads to  $(2S+1)m_s$  levels in presence of external magnetic field.

\*

also

1  
 $x^2-y^2$   $z^2$   
1 1 1

here, no orbital contribution to  $\mu$ .

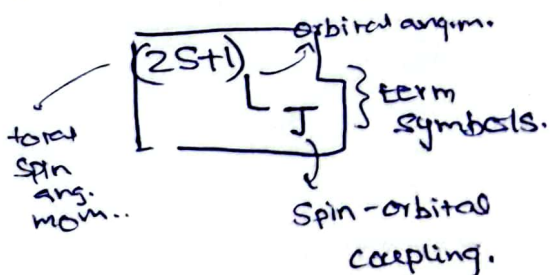
as  $x^2-y^2$  to  $z^2$  is NA

by symmetry operations.

1 — —

↳ No orbital movement contribution.

\* spin multiplicity  $= 2S+1$ .



Eg:  $1s^2 2p^2$

$[ \uparrow \uparrow \uparrow \uparrow ]$   
 $[ \uparrow \downarrow \uparrow \downarrow ]$

$S_{max} = 1$

$L_{max} = 1+2 = 3$

these are possible places to which  $e^-$  jump.

$J = |S-L|$  to  $S+L$ .

2 to 4

$J = 2, 3, 4$

### Rules for least energy:-

1)  $S_{max} \rightarrow$  least energy.

2)  $L_{max} \rightarrow$  least energy.

3) a) if  $\bar{e} <$  half filled;  $J_{min} \rightarrow$  least energy.

b) if  $\bar{e} >$  half filled;  $J_{max} \rightarrow$  least energy.

14 Sept.

Feb-10!

Q2)  $\mu_{s.o} = \sqrt{n(n+2)} = \sqrt{4.5(5.5)}$

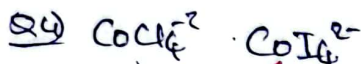
$\mu_{L+S} = \sqrt{4s(s+1) + l(l+1)}$

good for transition.

$\mu_{eff} = 9 \cdot \sqrt{J(J+1)}$

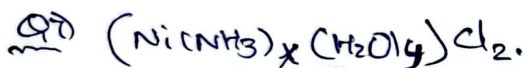
$g = \frac{3}{2} + \frac{S(S+1) - L(L+1)}{2J(J+1)}$

for Lanthanoids.



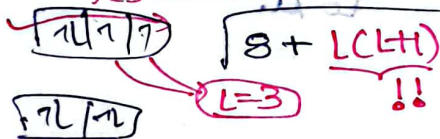
more pt.

Here  $\Delta_0$  is more; Excited State is tough.

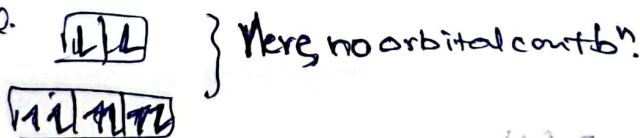


if tetrahedral

Yes orbital cont.



if Octahedral.



No. of micro states is; for  $\begin{bmatrix} 2s+1 \\ L \end{bmatrix}$ .

$(2S+1)(2L+1)$



$L=2$  max.

∴ 10 microstates.

fake year

$m_s = S$  ka 2 component

$m_L = L$  ka 2 component

\*  $m_s$  varies from  $-S$  to  $S$

\*  $m_L$  varies from  $-L$  to  $L$

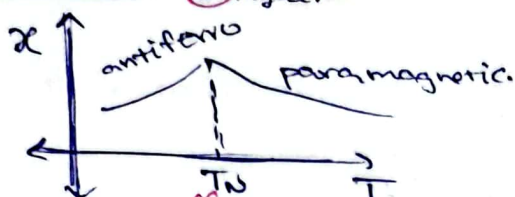


→ spin angular momentum.

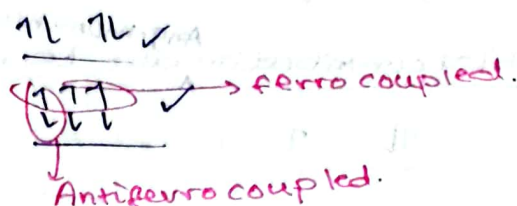
$$(2S+1)_L J$$

\* Paramagnetism: no interaction between spins.

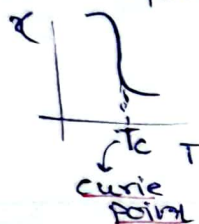
Antiferro:  $\rightarrow$  net ang. momentum.  $\rightarrow$  negative.



in a domain:



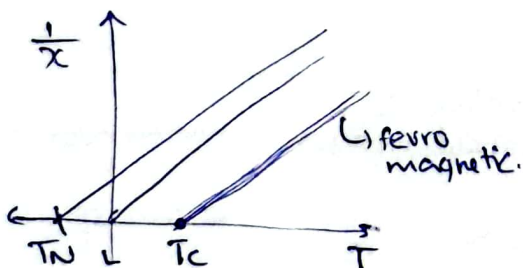
fervor J positive



- Curie-Weiss law:-

$$R = \frac{c}{T - \theta}$$

$$\theta = \frac{2JS(S+1)}{3k} \begin{matrix} \text{+ve for ferro.} \\ \text{-ve for antiferro.} \end{matrix}$$



In transition metals;  
J is absent in  $\mu_{net}$ .

$$U_{S+L} = \sqrt{4 \cdot S(S+1) + L(L+1)} \text{ BM.}$$

transition metals!

magnetic moment

Angular momentum

→ Orbital contribution: <sup>Ang. momentum.</sup> only  $t_{2g}$  me  $\uparrow$  possible.  
not possible among  $e_g$ .

i) degenerated by orbitals can be interconverted by  $90^\circ$  rotations.

Hence, yes orbital contribution.

2) a) degeneracy

b) symmetry operations should be there.  
to convert one into other.

Hence,

1  
S = 42.  
L =  
Yes cont'd

1 1     
yes cont'n

1 1 1  
NO contb.  
as 11 don't exist.

1 2  
H 2 2 \*

**NO**

as  $x^2 - y^2$   
↓  
 $z^2$

no symmetry

\*  $\uparrow\downarrow \uparrow$

$\uparrow\downarrow \uparrow\downarrow \uparrow$

NO orbital contribution!!  
as  $x^2-y^2 \neq z^2$

*Be aware*

\* orbital contribution due to excited states:-

$\uparrow\downarrow \uparrow$   
 $\uparrow\downarrow \uparrow\downarrow \uparrow$

no contribution

$\uparrow\downarrow \uparrow\downarrow$   
 $\uparrow \uparrow\downarrow \uparrow\downarrow$

Yes contribution!

$\lambda_{\text{next}} > \lambda_g$  for Oct.  $Ni^{+2}$

only spin. as no L in  $d^8$ .

Sometimes given.  
Take care.

→ Term symbols:-  $J = \text{total angular momentum quantum number}$

Determination of ground state:-

gotta do some  $J(J+1)$  if magnetic moment is asked.

$J = L+S, L+S-1, \dots, |L-S|$  → except.

$d^5$ :  $J = -$  (not applicable).

$d^8$ :

$\uparrow\downarrow \uparrow\downarrow \uparrow\downarrow \uparrow\downarrow \uparrow$

$L = \text{total orbital ang. mom.}$

$S_{\text{max}} = 1$ .

$L_{\text{max}} = 1+2 = 3$

→ see, which contribute to orbital magnetic moment.

either calculate

electrons

or calculate holes.... means?

int question.

$L: 0, 1, 2, 3, 4, 5, 6$

Symbol: S P D F G H I

Now:  $J$ : from  $|3-1|$  to  $3+1$

2 to 4.

more than half-filled:

so  $J = 4$ .

$3F_4$

→  $2S+1$  value...

Angular momentum pointers

term symbol at the most stable state i.e. ground state.



magnetic p.o. of lanthanoids:-

$\Delta_{\text{transition}} : 30000 \text{ cm}^{-1}$

but  $\Delta_{\text{lanthanoids}} : 100 \text{ cm}^{-1}$ . (not much). } ligands don't much effect f-electrons....

"spin-orbit coupling"

spin-orbit coupling

→ In transition metals;  $\Delta$  is less. so didn't have  $J$  in  $\mu_{\text{net}}$ .

\* but in lanthanoids; we need  $J$  in  $\mu_{\text{net}}$ .

as spin orbit coupling constant is high.

Landé calculation:

$$\mu_{\text{net}} = g_J \cdot \sqrt{J(J+1)} \mu_B.$$

$$g_J = \frac{3}{2} + \frac{S(S+1) - L(L+1)}{2J(J+1)}$$

J value: minimum value  $|L-S|$   
→ upto half filled.

maximum value  $L+S$

→ Above half filled.

\* for  $f^0 f^7 f^{14}$

$L=0$ .

∴  $J=S$  & subsequently

$\mu_{\text{net}} = \mu_S$

down logical!

\* examples for

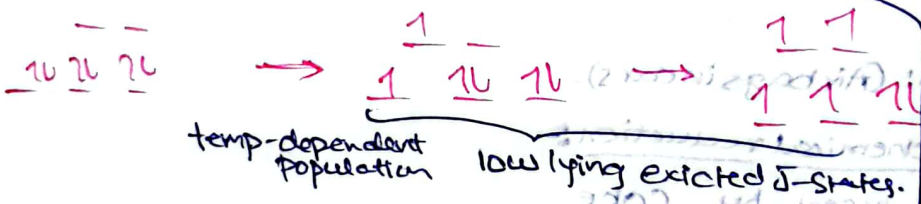
$\text{Ln}^{+3} : [\text{Xe}]f^n$

- works for all  $\text{Ln}^{+3}$

except  $\text{Sm}^{+3}$  &  $\text{Eu}^{+3}$

experimentally, higher value is observed.

When  $\Delta_0$ , Pairing energy are close.



low lying excited J-states.

Term symbols example:-

one low lying energy level of C:  $1s^2 2s^2 2p^2 3p$   
ground state of C:  $1s^2 2s^2 2p^2 3p_0$

Multiplicity: {Wikipedia}

in chem; multiplicity of an energy level is  $(2S+1)$  where  $S$  = total spin angular momentum.  
Hence  $J = L+S$  to  $L-S$  ( $2S+1$ )

\* the multiplicity is often equal to the possible orientations of total spin; relative to total orbital ang. mom. (L).

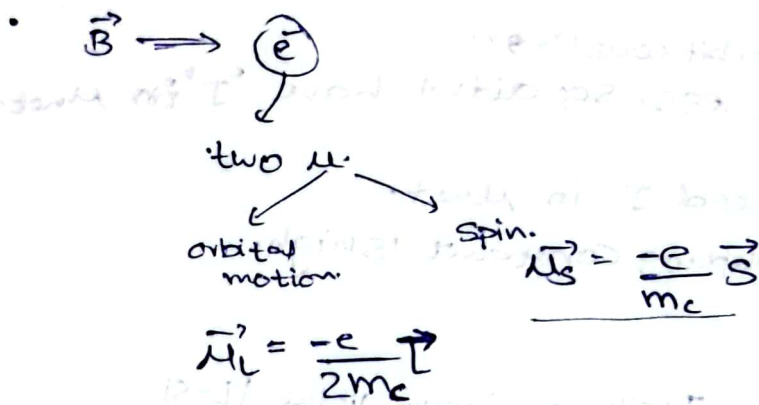
∴ therefore to the no. of near-degenerate

levels; that differ only in their spin-orbit interaction energies.

→ However; when  $S \leq L$ ; only  $2L+1$  states are possible....

## Zemann effect:-

Has to do with an atom in a magnetic field.

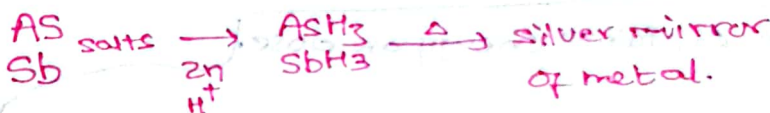


## Topic-II:-

Abundance in earth: oxygen  
Silicon  
Aluminium

### Marsh test:

Separation by decomposition

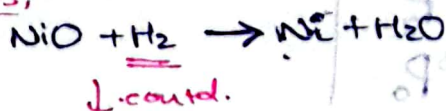


\* Azide decomposition: (Airbags in cars).

### High temperature chemical reduction:-

oxide ores  $\rightarrow$  reduced by Coke  
Al  
Si  
H<sub>2</sub>

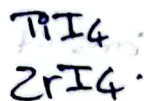
### Monals:



### Kroll's:

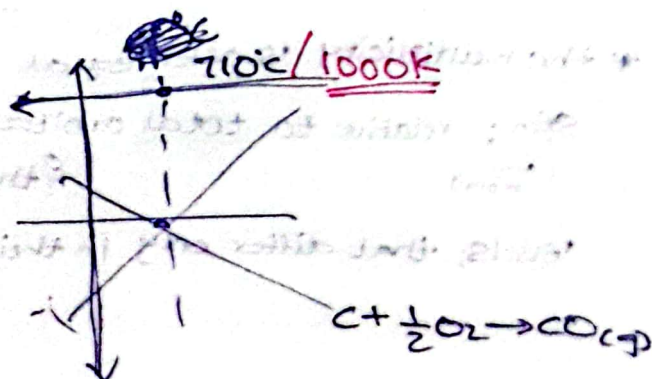


### van-Arkel's



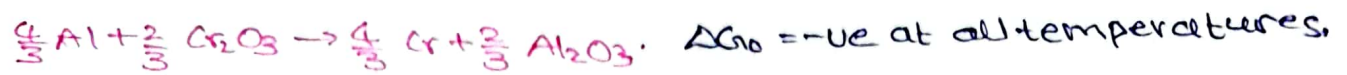
electrolytic redn; expensive.

IIA group halides.

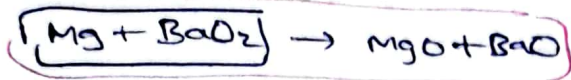




## Thermite process - sacrificial method.



However; Activation energy is high.  
(kinetic)



H<sub>2</sub>: poor reductant. limited uses.

- \* soft metals; occur in sulphides.  $\text{FeS}, \text{ZnS} \rightarrow \text{borderline.}$   
 $\text{Cu}_2\text{S}, \text{HgS} \rightarrow \text{soft metals.}$

## Purification:-

- 1) Fusion, distillation or volatile metal / crystallization.
- ↓

removes adsorbed gases  
( $\text{SO}_2, \text{P}_2\text{O}_5$ )

↓

fractional crystallization  
of  $\text{PtCl}_2$   
 $(\text{NH}_4)_2\text{MCl}_6$ .

## 2) Oxidative refining:-

impurities have more affinity to oxygen than metal.

\* pig iron's C, Si, P, Mn removed like this.



## 3) thermal decomp:-

marble test  $\text{AsH}_3, \text{SbH}_3 \rightarrow \text{silver mirror.}$