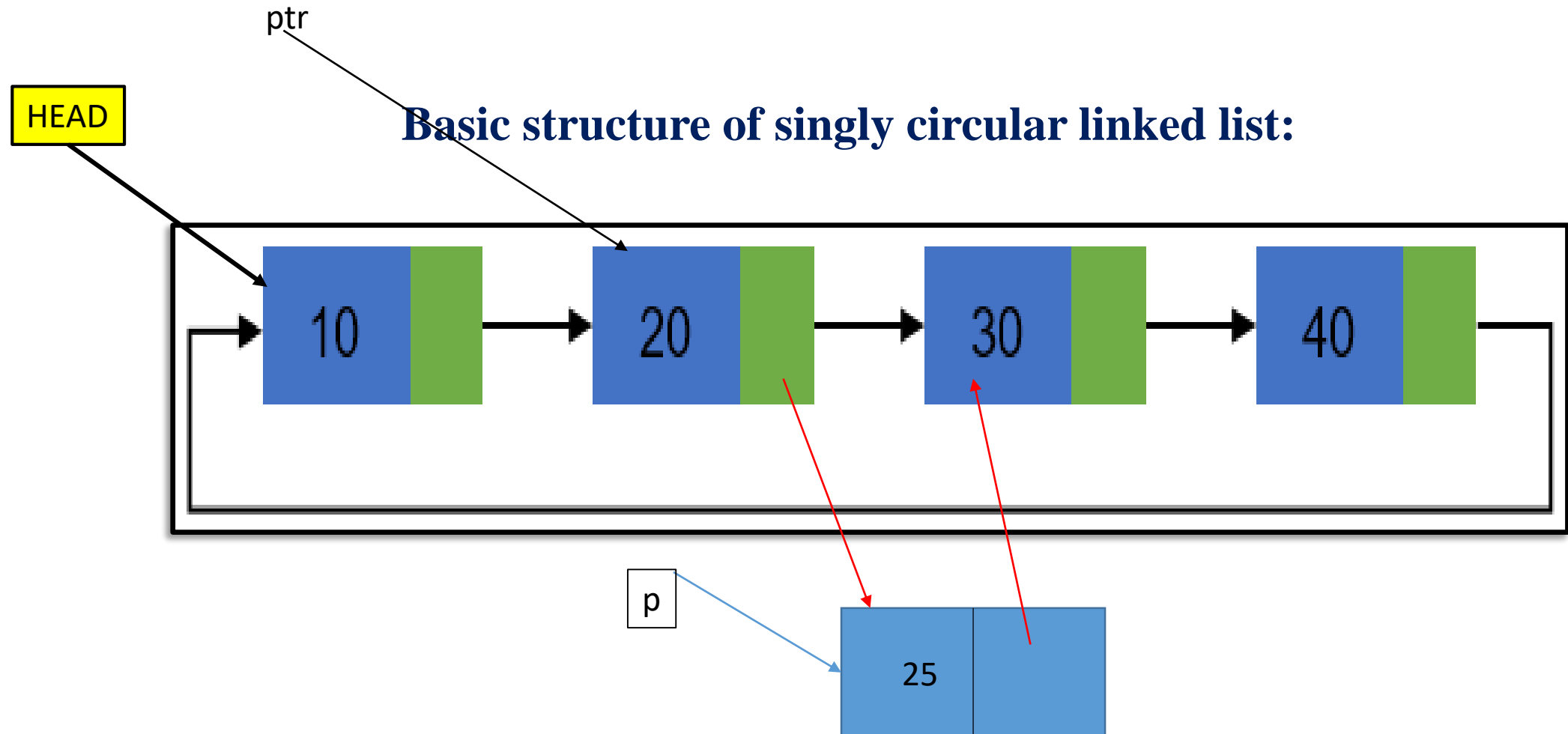


Circular linked list

Circular linked list:



Circular Linked Lists

- Circular linked lists are the most complex type of linked list to implement, but they can be very efficient for certain operations, such as traversal and queueing.
- In a circular linked list, the last node in the list points back to the first node in the list, forming a loop.
- Example: Circular buffer, circular queue, circular linked list implementation of a hash table.

Circular linked list:

Advantages of a Circular linked list

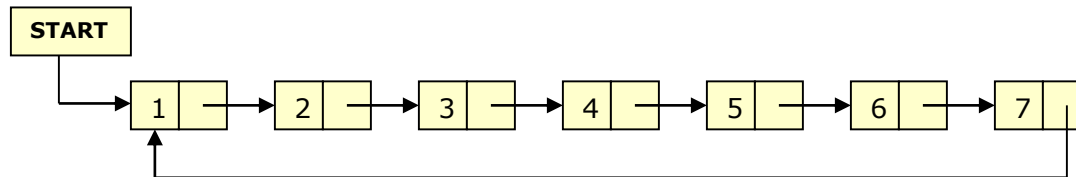
- Entire list can be traversed from any node.
- Circular lists are the required data structure when we want a list to be accessed in a circle or loop.
- Despite of being singly circular linked list we can easily traverse to its previous node, which is not possible in singly linked list.

Disadvantages of Circular linked list

- Circular list are complex as compared to singly linked lists.
- Reversing of circular list is a complex as compared to singly or doubly lists.
- If not traversed carefully, then we could end up in an infinite loop.
- Like singly and doubly lists circular linked lists also doesn't supports direct accessing of elements.

Circular Linked List

- In a circular linked list, the last node contains a pointer to the first node of the list. We can have a circular singly linked list as well as circular doubly linked list. While traversing a circular linked list, we can begin at any node and traverse the list in any direction forward or backward until we reach the same node where we had started. Thus, a circular linked list has no beginning and no ending.



Operations on circular linked list

- Creation of list
- Traversal of list
- Insertion of node
 - At the beginning of the list
 - At the end of the list
 - At any position in the list
- Deletion of node
 - Deletion of first node
 - Deletion of node from middle of the list
 - Deletion of last node
- Counting total number of nodes
- Reversing of list

Circular Linked List

Algorithm to insert a new node in the beginning of **circular** the linked list

Step 1:SET New_Node = CREATE NEW NODE

Step 2:SET New_Node->DATA = VAL

Step 3:SET PTR = START

Step 4:Repeat Step 5 while PTR->NEXT != START

Step 5: PTR = PTR->NEXT

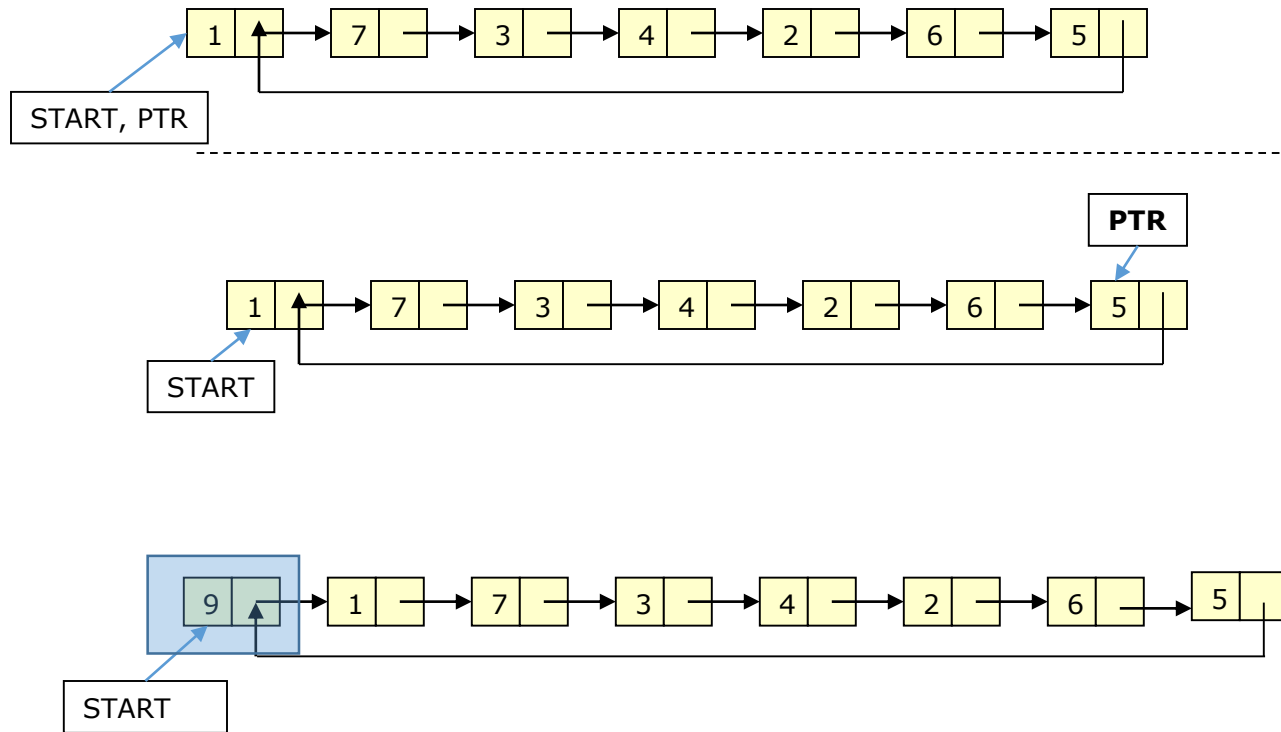
Step 6:SET New_Node->Next = START

Step 7:SET PTR->NEXT = New_Node

Step 8:SET START = New_Node

Step 9:EXIT

Circular Linked List

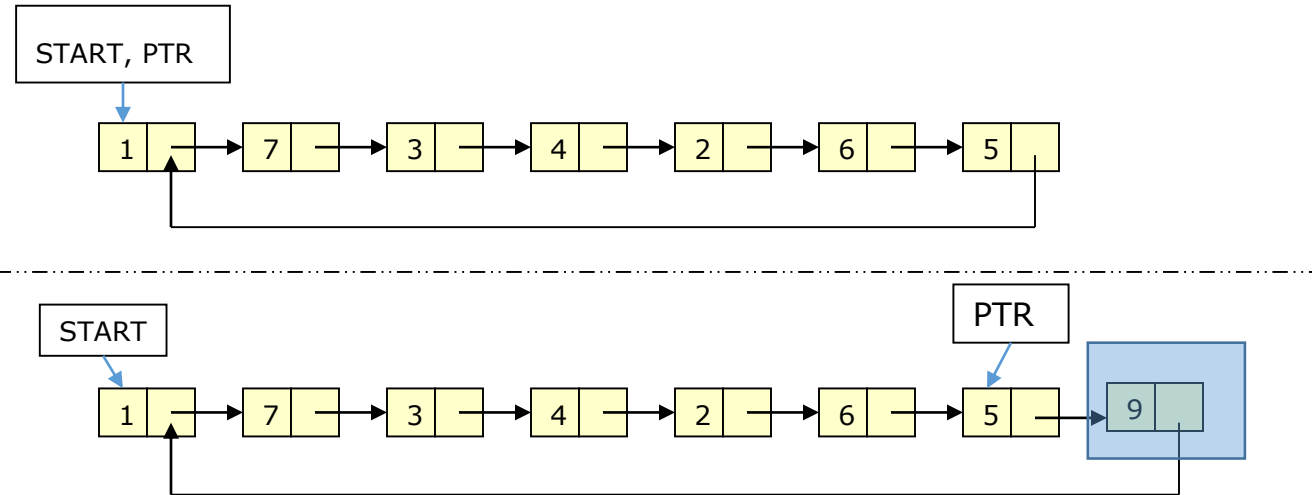


Circular Linked List

Algorithm to insert a new node at the end of the **circular** linked list

```
Step 1: SET New_Node = CREATE NEW NODE
Step 2: SET New_Node->DATA = VAL
Step 3: SET New_Node->Next = START
Step 4: SET PTR = START
Step 5: Repeat Step 6 while PTR->NEXT != START
Step 6:     SET PTR = PTR ->NEXT
          [END OF LOOP]
Step 7: SET PTR ->NEXT = New_Node
Step 8: EXIT
```

Circular Linked List



Circular Linked List

Algorithm to insert a new node after a node that has value NUM

Step 1: SET New_Node = CREATE NEW NODE

Step 2: SET New_Node->DATA = VAL

Step 3: SET PTR = START

Step 4: SET PREPTR = PTR

[START OF LOOP]

Step 5: SET PREPTR = PTR

Step 6: SET PTR = PTR->NEXT

Step 7: Repeat Step 5 and 6 while PTR->DATA != NUM AND PTR!=START

[END OF LOOP]

Step 8: IF PTR != START

Step 9: PREPTR->NEXT = New_Node

Step 9: SET New_Node->NEXT = PTR

[END OF IF]

Step 10: EXIT

Circular Linked List

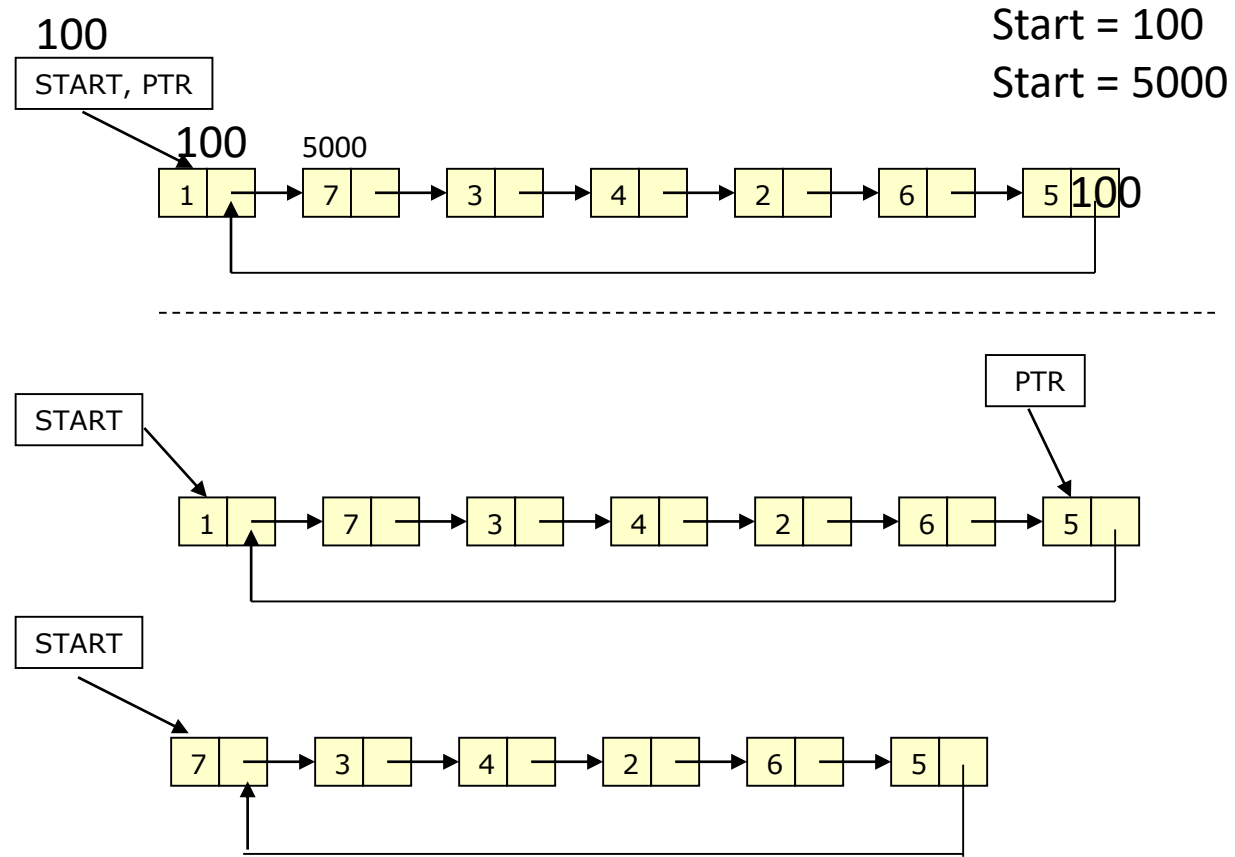
Algorithm to delete the first node from the circular linked list

Step 1: IF $START = NULL$, then
 Write UNDERFLOW
 Go to Step 8
 [END OF IF]
Step 2: SET $PTR = START$
Step 3: Repeat Step 4 while $PTR \rightarrow NEXT \neq START$
Step 4: SET $PTR = PTR \rightarrow NEXT$
 [END OF IF]
Step 5: SET $PTR \rightarrow NEXT = START \rightarrow NEXT$
Step 6: FREE START
Step 7: SET $START = PTR \rightarrow NEXT$
Step 8: EXIT

Circular Linked List

```
delnode_beg()
{
    struct Node *ptr=head;
    if(head==NULL)
    { printf("UNDERFLOW");
      return;
    }
    if(head->next == head)
    {
        printf("%d DELETED",head->data);
        free(head);
        head=NULL;
        return;
    }
    while(ptr->next !=head)
    { ptr=ptr->next;
      }
    ptr->next=head->next;
    printf("%d DELETED",head->data);
    free(head);
    head=ptr->next;
}
```

Circular Linked List

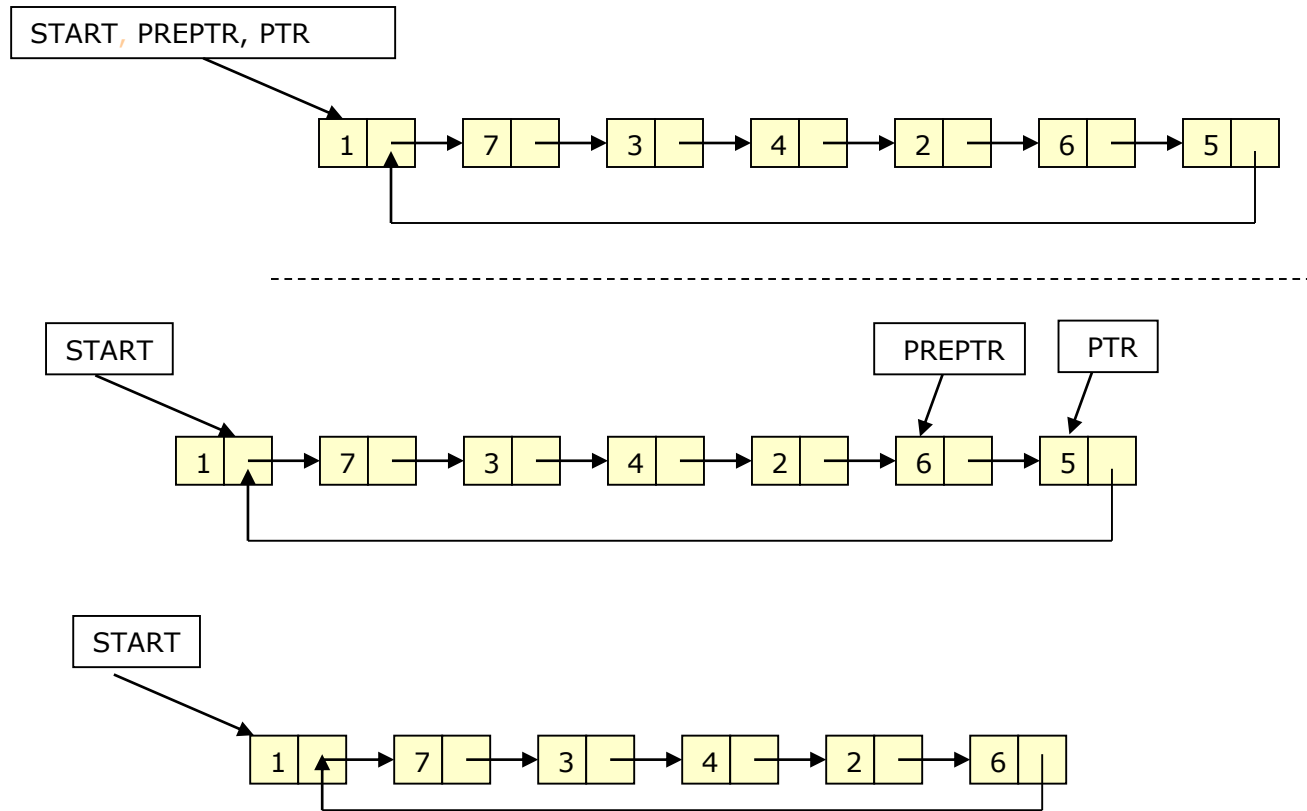


Circular Linked List

Algorithm to delete the last node of the **circular** linked list

```
Step 1: IF START = NULL, then
        Write UNDERFLOW
        Go to Step 8
    [END OF IF]
Step 2: SET PTR = START
Step 3: Repeat Step 4 and 5 while PTR->NEXT != START
Step 4:         SET PREPTR = PTR
Step 5:         SET PTR = PTR->NEXT
    [END OF LOOP]
Step 6: SET PREPTR->NEXT = START
Step 7: FREE PTR
Step 8: EXIT
```

Circular Linked List



Circular Linked List

Algorithm to delete the node after a given node from the circular linked list

Step 1: IF START = NULL, then

Write UNDERFLOW

Go to Step 9

[END OF IF]

Step 2: SET PTR = START

Step 3: SET PREPTR = PTR

Step 4: Repeat Step 5 and 6 while PTR->DATA != NUM and PTR != START

Step 5: SET PREPTR = PTR

Step 6: SET PTR = PTR->NEXT

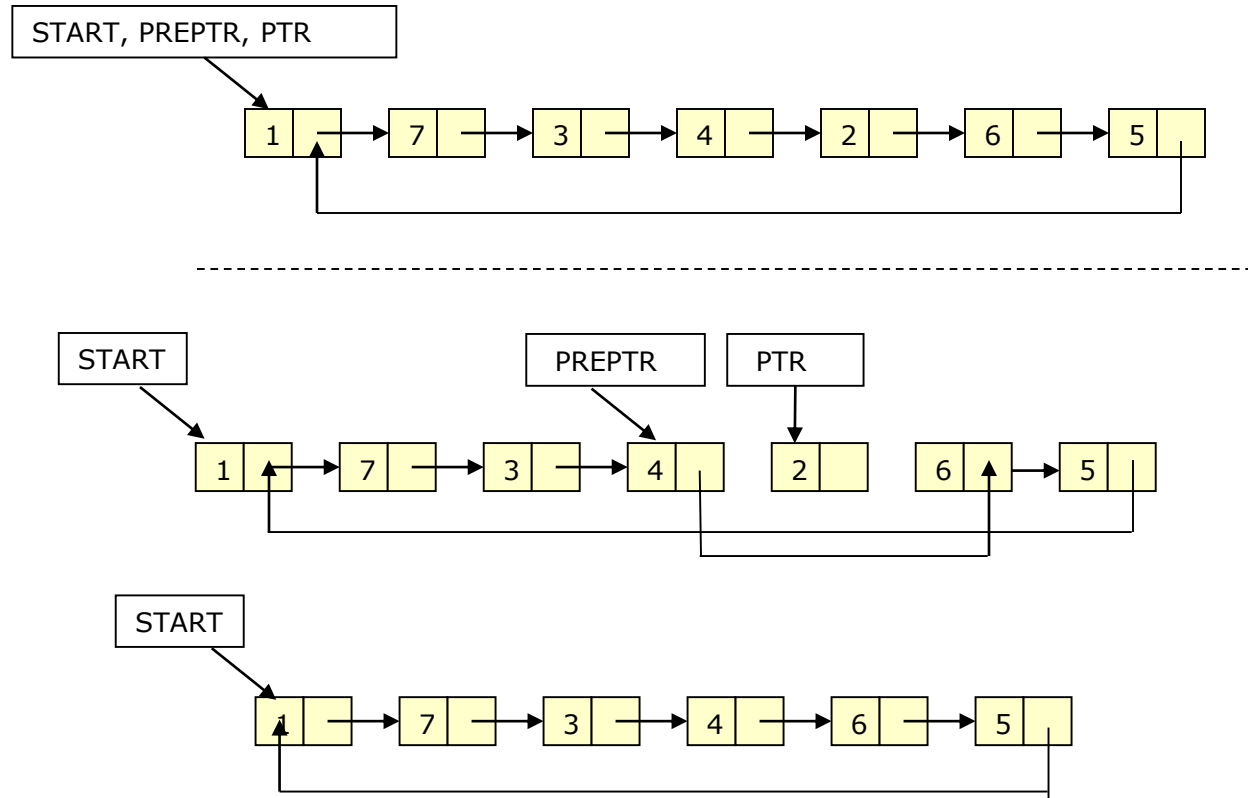
[END OF LOOP]

Step 7: SET PREPTR->NEXT = PTR->NEXT

Step 8: FREE PTR

Step 9: EXIT

Circular Linked List



Circular Linked List

Try

- Counting total number of nodes in Circular Linked List
- Searching an element in the list
- Frequency count of an element in the list
- Finding MAX, MIN, SUM of values in the list
- Reversing of list

Applications of linked lists

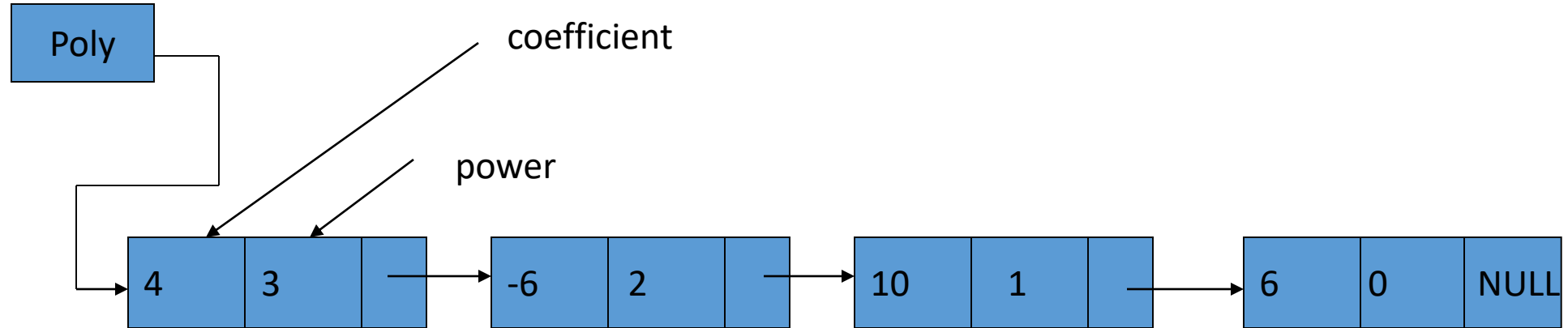
- To implement the other data structures such as stacks, queues, trees and graphs.
- To maintain a directory of names.
- To perform arithmetic operation on long integers.
- To manipulate polynomial.
- To represent sparse matrices.

Polynomial Manipulation

A polynomial of type

$$4x^3 - 6x^2 + 10x + 6$$

can be represented using following linked list



In the above list, each node has the following structure

Coefficient of the term	Power of x	Link to the next node
-------------------------	------------	-----------------------

Polynomial Manipulation

The required memory declarations for the representation of a polynomial with integer coefficients are

```
typedef struct nodetype
```

```
{
```

```
    int coeff;
```

```
    int power;
```

```
    struct nodetype *next;
```

```
}node;
```

```
node *poly;
```

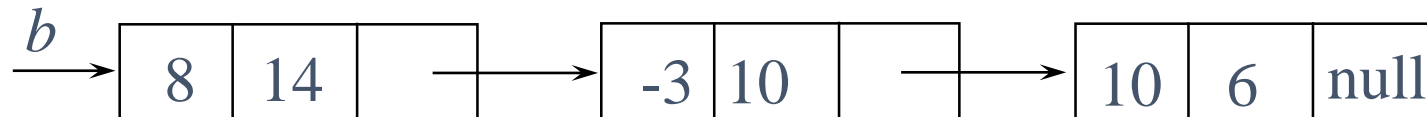
Polynomial Representation: Example

- Examples

$$a = 3x^{14} + 2x^8 + 1$$



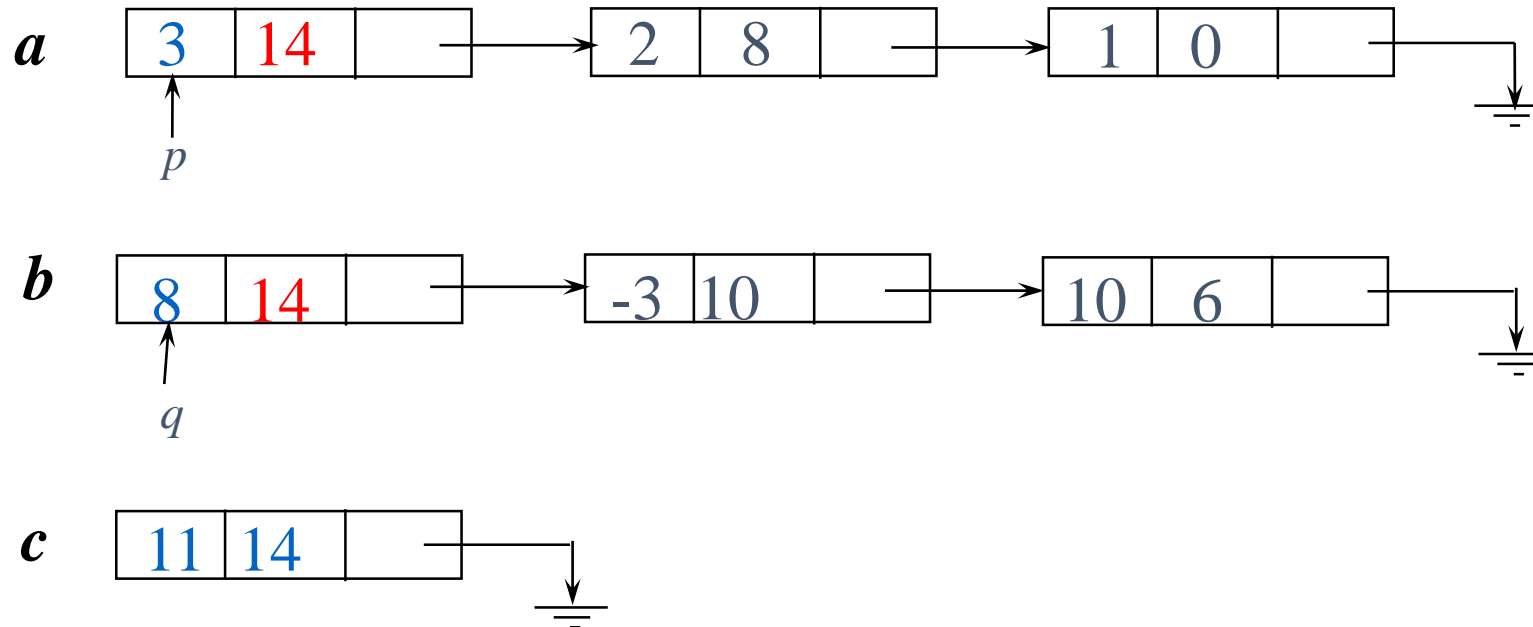
$$b = 8x^{14} - 3x^{10} + 10x^6$$



Adding Polynomials: $c = a + b$

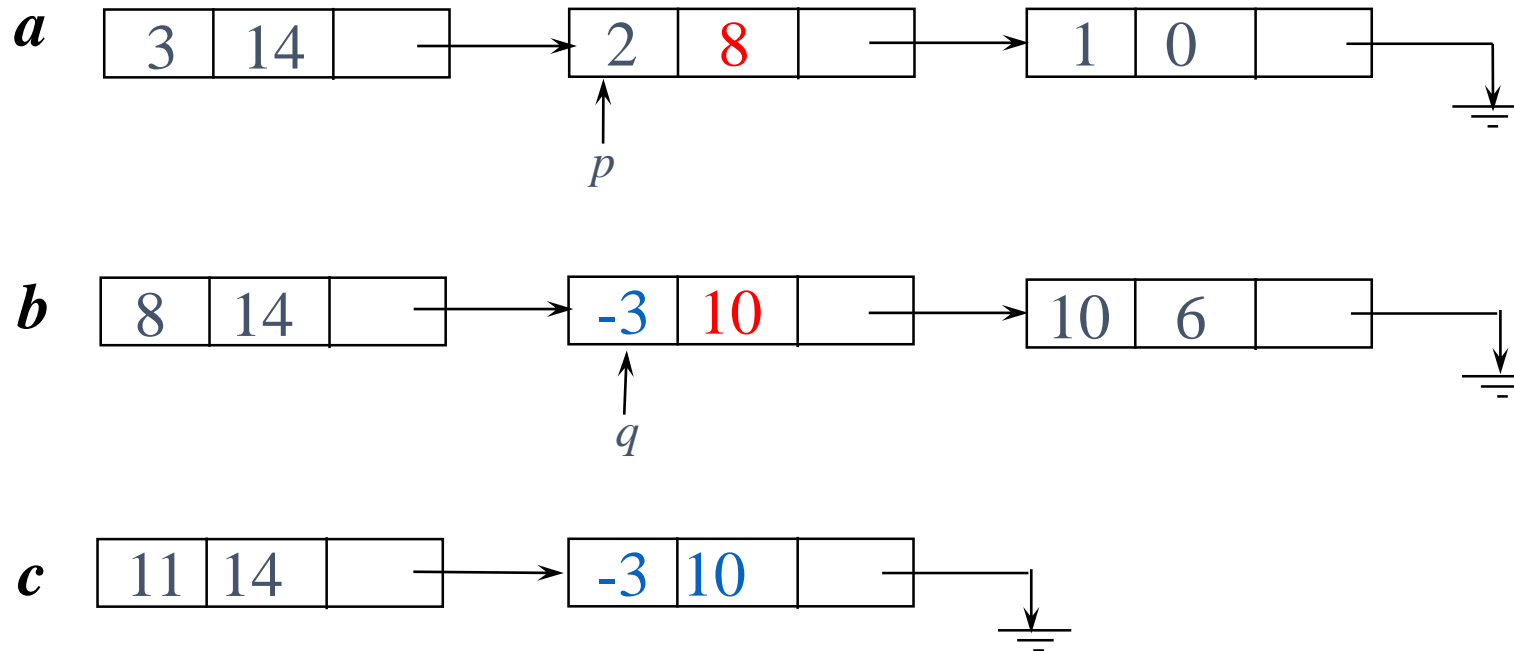
▪ Adding Polynomials: $c = a + b$

Case 1: $p \rightarrow \text{power} == q \rightarrow \text{power}$ then $c \rightarrow \text{coeff} = p \rightarrow \text{coeff} + q \rightarrow \text{coeff}$
 $c \rightarrow \text{power} = p \rightarrow \text{power}$



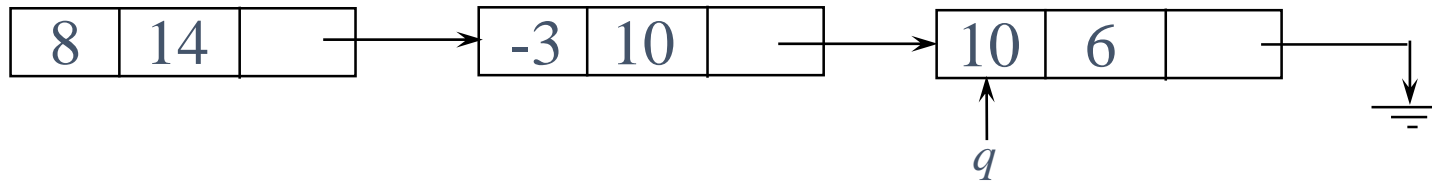
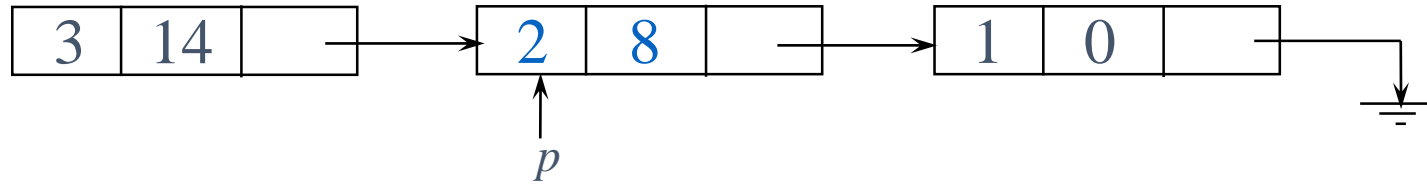
Adding Polynomials : $c = a + b$ (cont.)

Case 2: $p \rightarrow \text{power} < q \rightarrow \text{power}$ then $c \rightarrow \text{coeff} = q \rightarrow \text{coeff}$
 $c \rightarrow \text{power} = q \rightarrow \text{power}$



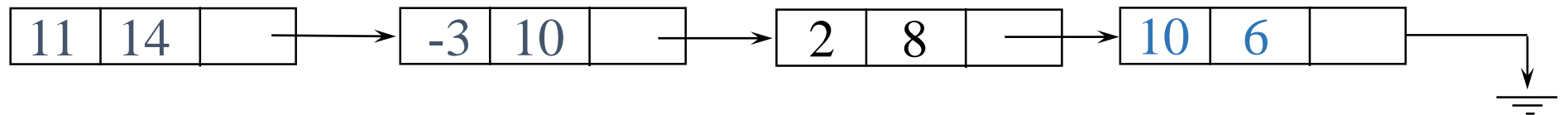
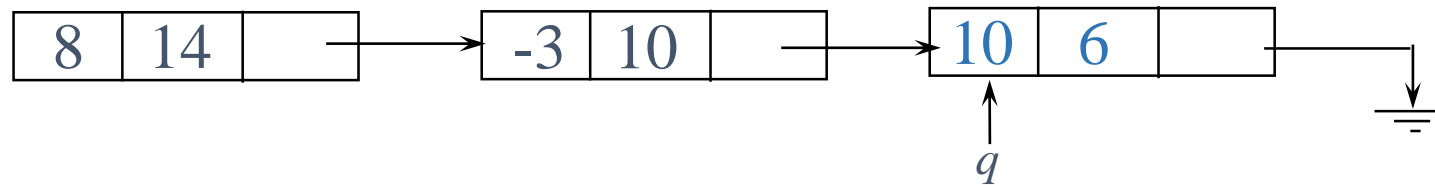
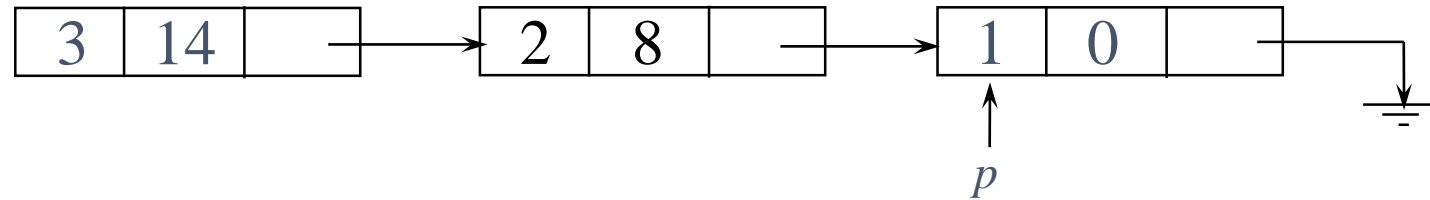
Adding Polynomials: $c = a + b$ (cont.)

Case 3: $p \rightarrow \text{power} > q \rightarrow \text{power}$ then $c \rightarrow \text{coeff} = p \rightarrow \text{coeff}$
 $c \rightarrow \text{power} = p \rightarrow \text{power}$



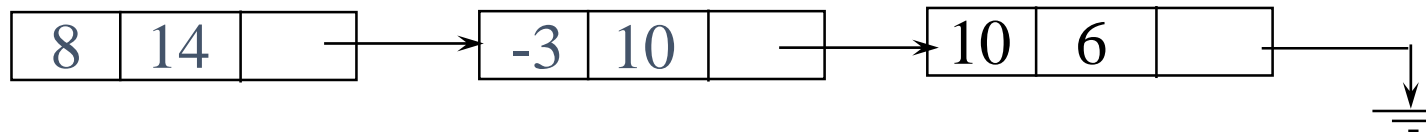
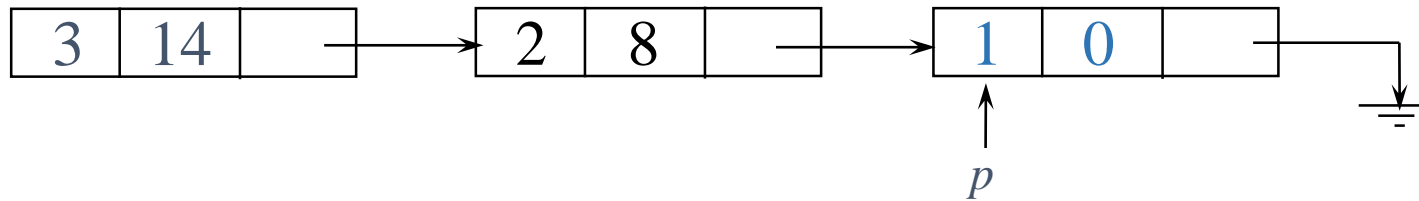
Adding Polynomials: $c = a + b$ (cont.)

Case 2: $p \rightarrow \text{exp} < q \rightarrow \text{exp}$

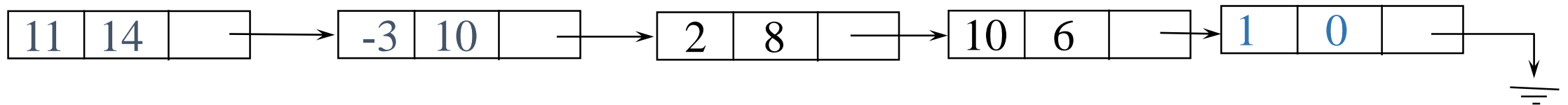


Adding Polynomials: $c = a + b$ (cont.)

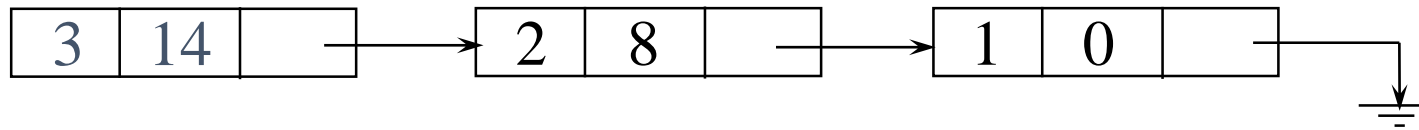
Case 4: $q == NULL$ then while $p \neq NULL$ insert all nodes of p at the end of c



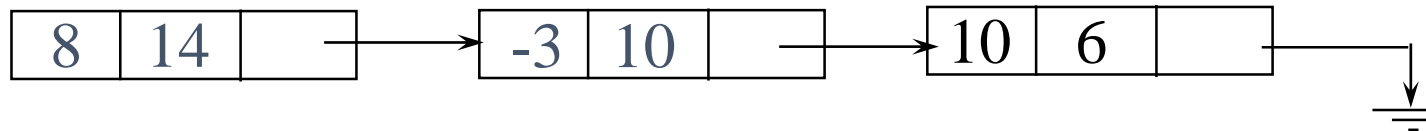
$q = NULL$



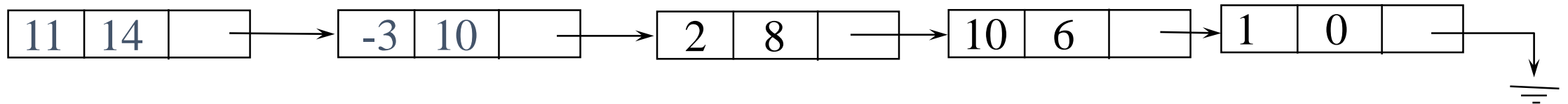
Adding Polynomials: $c = a + b$ (cont.)



$p = NULL$



$q = NULL$



Lab Assignment 2:

Implement addition of Two polynomials using
Linked Lists

Next Topic:

Doubly Linked List

Header Linked List