

Decision Variables: Let us represent them as x1, x2,... xi where i represents number of products, or number of projects in a portfolio or number of stocks in investment portfolio. x represents the number of each products to be produced, or number of stocks to be bought, or expenditure on each project. Constraints: These are some functions of decision variables that must be either greater than or less than or equal to some specific value. Remember that we operate under constraints These set of constraints can be of time, money, resources, etc. These can be mathematically encoded into a matrix. represented as: f(x1, x2,... xi) <= b, f(x1, x2 ... xi ) >= b, f(x1, x2 ... xi ) =b f(x1, x2, ... xi) <= b1 MAX(f (k1 x1 + k2 x2 + .... + ki xi))f(x1, x2 ... xi ) <= b2 where we solve for x to x subject to Objective Function: The function comprising of decision variables f(x1, x2 ... xi ) <= bm that the decision maker want to either maximize or minimize given the constraints. While MAX function applies to problems where outcome can be ROI, Revenue, or other upward metrics, the function can be MIN(f (k1 x1 + k2 x2 +.... + ki xi )) for problems with costs or other similar metrics as possible outcome to measure.

There are three

components in the

mathematical

representation of Linear

Programming.

LP