## **Football Dataset of Countries**

## **Team Members**

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#### **Abstract**

The aim of our project is to forecast the football performance of different countries based on their performance over the past twenty seven years. We will be assessing individual players and the summation of players from each country will be taken to conclude a country's standards. The graph will extend to the next year and the country with the highest rankings will likely be on top of the FIFA.

#### Introduction

The database is obtained from the official FIFA website which is a reliable source. The datasets contain multiple columns of which we will select only nine columns which our team believes affects a players performance. The top three most explanatory ones are Country, Age and Ball-Control. Age is the key factor when it comes to sports because as a person is beyond a certain age they are prone to injuries and their performance is likely to decrease. The final dataset which is used for the time series analysis has two columns (year, country name). The first column consists of the year from 1993-2019 and the second one has their respective rankings.

## Import the data

The below procedure imports the required python libraries to plot the data. We use the pandas library to read the rankings of the top eight countries which is in csv.

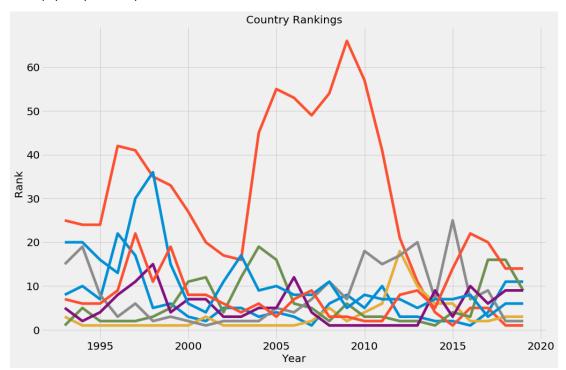
```
In [196]: from pandas import Series
   import warnings
   warnings.filterwarnings("ignore")
   import matplotlib.pyplot as plt
   plt.style.use('fivethirtyeight')
   from statsmodels.tsa.seasonal import seasonal_decompose
   from statsmodels.tsa.arima_model import ARIMA
   from statsmodels.tsa.seasonal import seasonal_decompose
   from sklearn.metrics import mean_squared_error
```

```
In [197]: series=[]
    series.append(Series.from_csv("Argentina.csv",header=0))
    series.append(Series.from_csv("Belgium.csv",header=0))
    series.append(Series.from_csv("Brazil.csv",header=0))
    series.append(Series.from_csv("Germany.csv",header=0))
    series.append(Series.from_csv("France.csv",header=0))
    series.append(Series.from_csv("Spain.csv",header=0))
    series.append(Series.from_csv("Portugal.csv",header=0))
    series.append(Series.from_csv("Netherlands.csv",header=0))
```

### Plot the data

All the countries rankings are ploted in the for loop.

Out[202]: Text(0,0.5,'Rank')



## **Decompose the data**

We use a library called seasonal\_decompose to find out the trend, seasonal component, and residual error of the datasets.

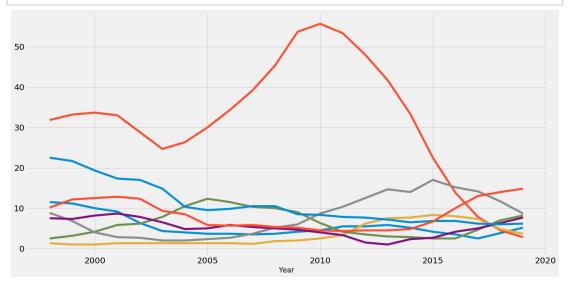
```
In [70]: result=[]
    trend=[]
    residuals=[]
    observed=[]
    seasonality=[]

for country_data in series:
    result.append(seasonal_decompose(country_data,model='additive'))

n=len(result)
for i in range(0,8):
    trend.append(result[i].trend)
    seasonality.append(result[i].seasonal)
    residuals.append(result[i].resid)
    observed.append(result[i].observed)
```

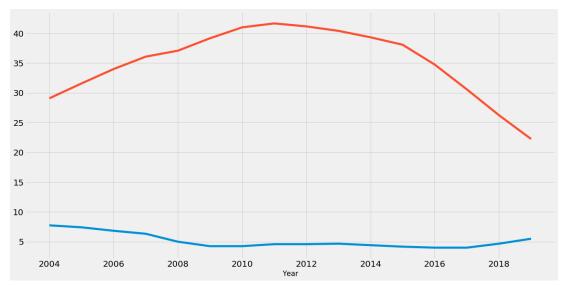
# Country's trend

The trend shows how inconsistent a team's performance is. So from the plot we can see Belgium has the most variation while Brazil is the most constant performing country.



In [204]: series[0].rolling(12).mean().plot(figsize=(20,10), linewidth=5, fontsize=20
) series[1].rolling(12).mean().plot(figsize=(20,10), linewidth=5, fontsize=20
)

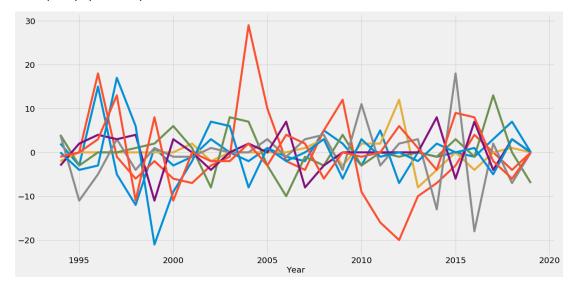
Out[204]: <matplotlib.axes.\_subplots.AxesSubplot at 0x7f739186e470>



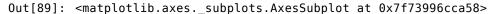
# **Country's Seasonality**

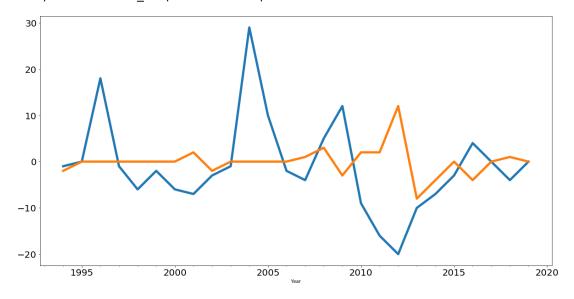
We can see that the seasonal performance of some countries is a lot more than the other. Therefore the prediction will be affected based on an increase in seasonal performance.

Out[187]: Text(0.5,0,'Year')



In [89]:  $series[1].diff().plot(figsize=(20,10), linewidth=5, fontsize=20) #seasonalit y_Belgium series[2].diff().plot(figsize=(20,10), linewidth=5, fontsize=20) #seasonalit y_Brazil$ 





## **Find ARIMA parameters**

The below python function calculates multiple values for the ARIMA parameters(p,d,q). It returns the ones with the least root mean

square error which is calculated using libraries from scikit-learn.

```
In [114]: def evaluate_arima_model(X, arima_order):
              # prepare training dataset
              train_size = int(len(X) * 0.66)
              train, test = X[0:train_size], X[train_size:]
              history = [x for x in train]
              # make predictions
              predictions = list()
              for t in range(len(test)):
                  model = ARIMA(history, order=arima_order)
                  model_fit = model.fit(disp=0)
                  yhat = model_fit.forecast()[0]
                  predictions.append(yhat)
                  history.append(test[t])
              # calculate out of sample error
              error = mean_squared_error(test, predictions)
              return error
In [205]:
          p=1
          min=evaluate_arima_model(series[0],(1,0,0))
          for i in range(1,5):
              if(min>evaluate_arima_model(series[0],(i,0,0))):
                  break
          print(p)
          1
In [152]: | evaluate arima model(series[0],(1,1,0))
Out[152]: 14.431384640078036
In [206]: model=[]
          model_fit=[]
          model_fit2=[]
          residuals=[]
          forecast=[]
          forecast2=[]
          for i in range(0,8):
              model.append(ARIMA(series[i],order=(1,1,0)))#best-parameters
          for i in range(0,8):
              model_fit.append(model[i].fit(disp=0))
          for i in range(0,8):
               residuals.append(model_fit[i].resid)
          for i in range(0,8):
              forecast.append(model_fit[i].forecast()[0])
```

This is a summary of the data for Argentina

```
In [193]: model_fit[0].summary()#Argentina
```

Out[193]:

## ARIMA Model Results

Dep. Variable:	D.Argentina	No. Observations:	26
Model:	ARIMA(1, 1, 0)	Log Likelihood	-77.383
Method:	css-mle	S.D. of innovations	4.743
Date:	Sat, 09 Mar 2019	AIC	160.766
Time:	11:30:33	BIC	164.540
Sample:	01-01-1994	HQIC	161.853
	- 01-01-2019		

	coef	std err	z	P> z	[0.025	0.975]
const	0.1043	0.786	0.133	0.895	-1.436	1.644
ar.L1.D.Argentina	-0.1912	0.189	-1.012	0.322	-0.562	0.179

#### Roots

	Real		Imaginary	Modulus	Frequency
ĺ	AR.1	-5.2303	+0.0000j	5.2303	0.5000

# Country with best ranking

Belgium will have the best ranking in 2020.

```
In [170]: min=forecast[0]
    for i in range(0,8):
        if(min>forecast[i]):
            country=series[i]
            min=forecast[i]
            val=i
```

```
In [166]: country
Out[166]: Year
          1993-01-01
                         25
          1994-01-01
                         24
          1995-01-01
                         24
          1996-01-01
                         42
          1997-01-01
                         41
          1998-01-01
                         35
          1999-01-01
                         33
                         27
          2000-01-01
          2001-01-01
                         20
          2002-01-01
                         17
          2003-01-01
                         16
          2004-01-01
                         45
                         55
          2005-01-01
          2006-01-01
                         53
          2007-01-01
                         49
          2008-01-01
                         54
          2009-01-01
                         66
          2010-01-01
                         57
          2011-01-01
                         41
          2012-01-01
                         21
          2013-01-01
                         11
          2014-01-01
          2015-01-01
                          1
                          5
          2016-01-01
          2017-01-01
                          5
          2018-01-01
                          1
          2019-01-01
                          1
          Name: Belgium, dtype: int64
```

In [194]: model\_fit[val].summary()

#### Out[194]:

### **ARIMA Model Results**

Dep. Variable:	D.Belgium		
Model:	ARIMA(1, 1, 0)		
Method:	css-mle	S.D. of innovations	9.012
Date:	Sat, 09 Mar 2019	AIC	194.263
Time:	11:31:49	BIC	198.037
Sample:	01-01-1994	HQIC	195.350
	- 01-01-2019		

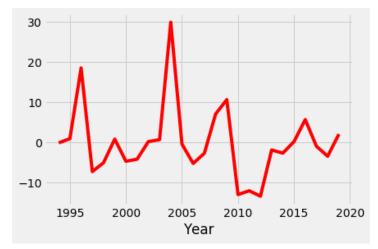
	coef	std err	z	P> z	[0.025	0.975]
const	-0.9041	2.779	-0.325	0.748	-6.351	4.542
ar.L1.D.Belgium	0.3784	0.176	2.149	0.042	0.033	0.723

#### Roots

	Real	Imaginary	Modulus	Frequency
AR.1	2.6428	+0.0000j	2.6428	0.0000

In [195]: residuals[val].plot(color='r')

Out[195]: <matplotlib.axes.\_subplots.AxesSubplot at 0x7f7399117a90>



# Conclusion

Therefore we can conclude that Belgium will have the best FIFA ranking in 2020 according to the ARIMA model(1,1,0).