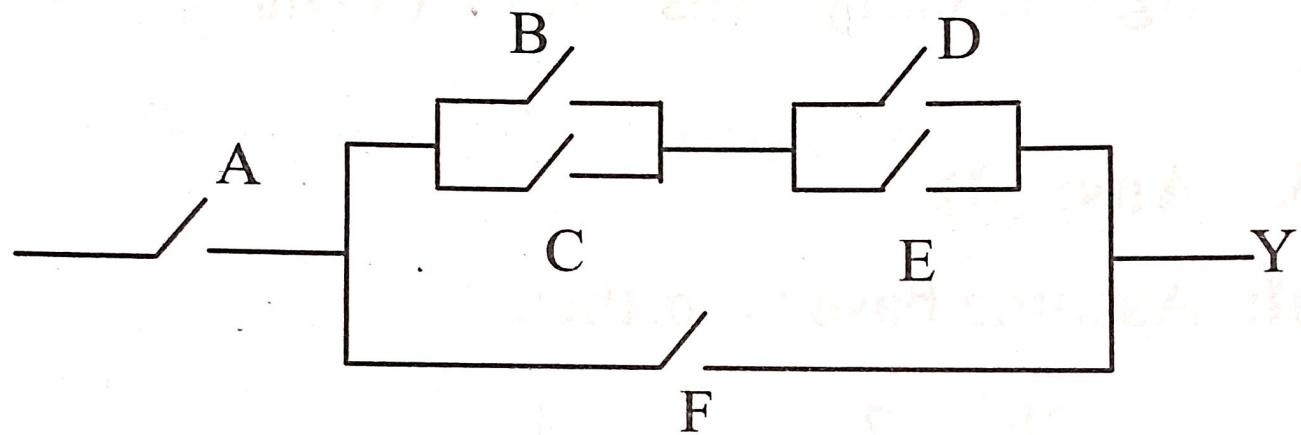


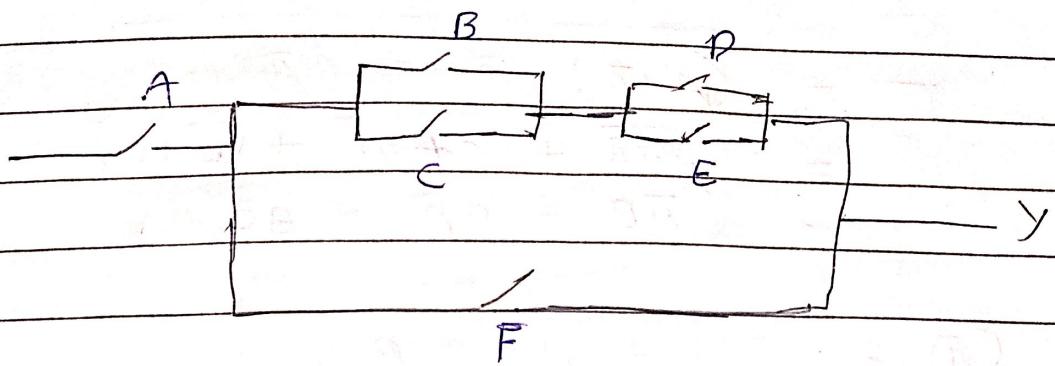
01. What Boolean function does the following circuit represent?



- (a) $A[F + (B + C)(D + E)]$
- (b) $A + BC + DE + F$
- (c) $A(B + C) + A(D + E) + F$
- (d) None of these

(a) \rightarrow

Boolean $f^n = ?$



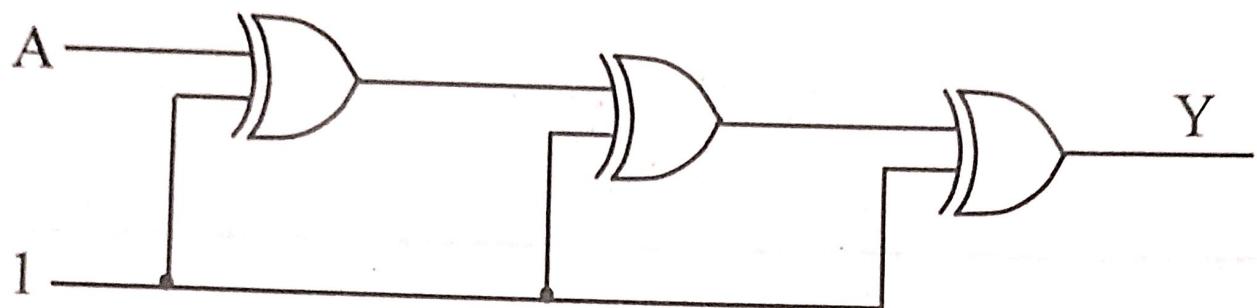
Parallel circuit (wires) are equivalent to OR
Serial AND

Set

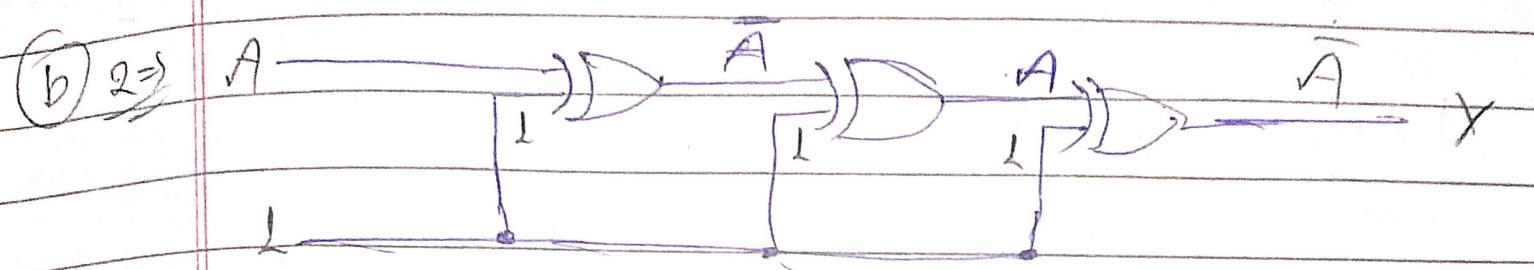
$$\text{Output} = A [(B+C)(D+E) + F]$$

(a) $A [F + (B+C)(D+E)]$

02. The initial output of the following circuit is 1. If we apply 010101 at input A (first bit is zero) then what is the bit pattern generated at the output Y?



- (a) 010101
- (b) 101010
- (c) remains at 0
- (d) remains at 1



$$A \oplus 1 = \bar{A}, \quad \bar{A} \oplus 1 = \bar{\bar{A}}$$

~~$F = , \bar{A}$~~

i/p \rightarrow 010101

b) l/o/p \rightarrow $\bar{A} = 101010$

03. The complement of the function

$$F = (A + \overline{B})(\overline{C} + D)(\overline{B} + C) \text{ is } \underline{\hspace{1cm}}$$

(a) $\overline{A}B + C\overline{D} + B\overline{C}$

(b) $A\overline{B} + \overline{C}D + \overline{B}C$

(c) $A\overline{B} + C\overline{D} + BC$

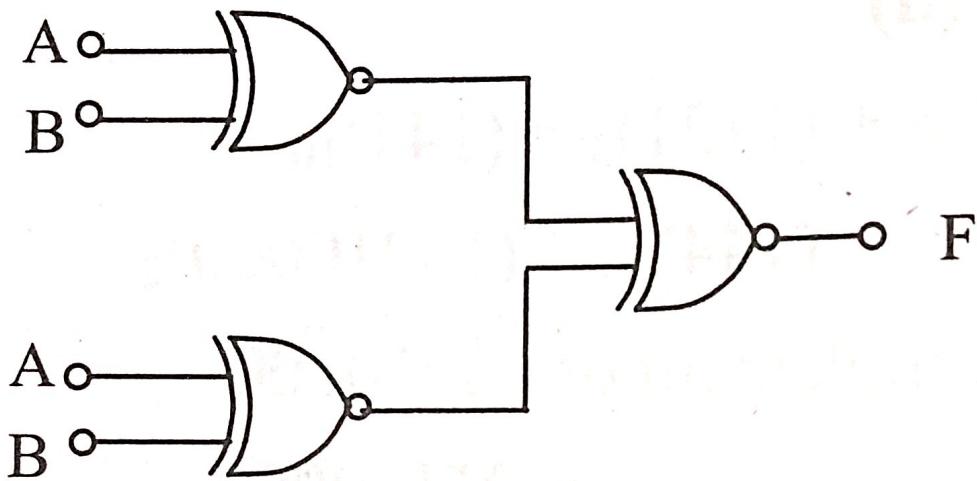
(d) $AB + BC + CD$

$$\textcircled{4} \quad 3 \Rightarrow F = (\underline{A + \bar{B}}) (\bar{C} + D) (\bar{B} + C)$$

$$\begin{aligned}\bar{F} &= (\underline{A + \bar{B}}) (\bar{C} + D) (\bar{B} + C) \\ &= \underline{\bar{A + \bar{B}}} + \underline{(\bar{C} + D)} + \underline{(\bar{B} + C)} \\ &= \bar{A}\bar{B} + \bar{C}D + \bar{B}\bar{C}\end{aligned}$$

$$\textcircled{a} = \bar{A}\bar{B} + \bar{C}D + \bar{B}\bar{C}$$

04. The output of the circuit shown in fig. is equal to



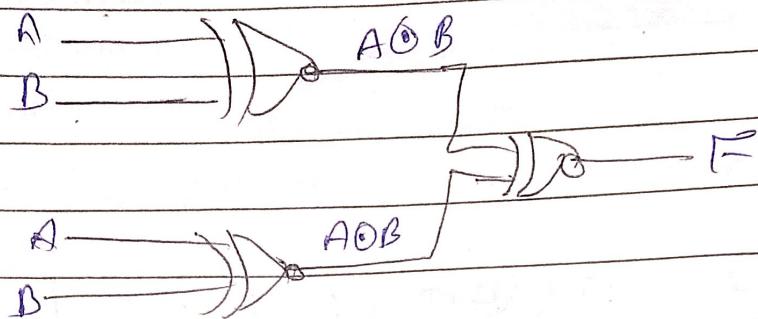
(a) 0

(b) 1

(c) $\overline{A}B + A\overline{B}$

(d) $\overline{(A * B)} * \overline{(A * B)}$

④



$$F = (AOB) \odot (AOB)$$

$$= \textcircled{L}$$

$$A \oplus A = 0$$

$$A \odot A = 1$$

⑤

L

05. If $F(A, B, C) = AB + AC + BC$ then

$$F(\bar{A}, \bar{B}, C) \cdot F(\bar{A}, B, \bar{C}) \cdot F(A\bar{B}\bar{C}) = ?$$

(a) $\bar{A}\bar{B}\bar{C}$

(b) $\bar{A} \oplus \bar{B} \oplus \bar{C}$

(c) $\bar{A} \oplus \bar{B} \odot \bar{C}$

(d) $\bar{A} + \bar{B} + \bar{C}$

④ 53 $F(A, B, C) = AB + AC + BC$

$$\begin{aligned} F(\bar{A}, \bar{B}, C) \cdot F(\bar{A}, B, \bar{C}) \cdot F(A, \bar{B}, \bar{C}) &= (\bar{A}\bar{B} + \bar{A}C + \bar{B}C) \cdot (\bar{A}B + \bar{A}\bar{C} + B\bar{C}) \\ &\quad \cdot (A\bar{B} + A\bar{C} + \bar{B}\bar{C}) \\ &= (0 + \bar{A}\bar{B}\bar{C} + 0 + \bar{A}BC + 0 + 0 + 0 + 0) (A\bar{B} + A\bar{C} + \bar{B}\bar{C}) \\ &= (0 + 0 + \bar{A}\bar{B}\bar{C} + 0 + 0 + 0) \\ &= \bar{A}\bar{B}\bar{C} \end{aligned}$$

④ $\bar{A}\bar{B}\bar{C}$

Teacher's Signature

06. Given $\overline{AB} + \overline{A}B = C$, find $\overline{AC} + \overline{A}C$

(a) $\overline{A} + B$

(b) $A + \overline{B}$

(c) $\overline{A} + \overline{B}$

(d) $A + B$

(d) \Rightarrow

$$\overline{AB} + \overline{AB} = C$$

$$\overline{AC} + \overline{AC} = ?$$

Solⁿ

$$\overline{AB} + \overline{AB} = C$$

$$\overline{A} + \overline{B} + \overline{AB} = C$$

$$\overline{A} + \overline{B} = C$$

$$\overline{\overline{A} + \overline{B}} = \overline{C}$$

$$AB = \overline{C}$$

$$\overline{AC} + \overline{AC} = \overline{A} + \overline{C} + \overline{AC}$$

$$= \overline{A} + \overline{C}$$

$$= \overline{A} + AB$$

$$= (\overline{A} + A)(\overline{A} + B)$$

$$= \overline{A} + B$$

(a)

$$\overline{A} + B$$

07. If $\overline{xy} = 0$ then which one of the following is true ?

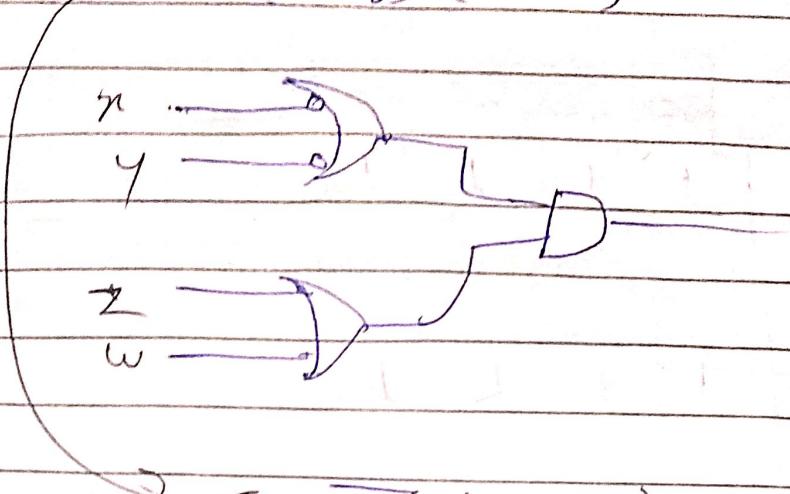
- (a) $\overline{x}\overline{y}\overline{z} + xyz = xy\overline{z} + \overline{x}\overline{y}\overline{z}$
- (b) $\overline{xy} = 1$
- (c) $\overline{xy} + \overline{yx} + xz = x\overline{y} + yz$
- (d) $\overline{xy} + \overline{yx} = xy + \overline{xy}$

- 73 ~~$\bar{w}y = 0 \Rightarrow \bar{x} + \bar{y} = 0 \Rightarrow 0+0=0$~~
 ~~$\Rightarrow x=4=1$~~
- X(a) ~~$\bar{x}\bar{y}\bar{z} + xyz = w\bar{y}\bar{z} + \bar{x}\bar{y}\bar{z} \Rightarrow 0+z=\bar{z}+0$~~
- X(b) ~~$\bar{x}y = 1 \Rightarrow 0=1$~~
- X(c) ~~$wy + \bar{y}x + wz = wy + yz \Rightarrow 0+0+1=0+1$~~
- X(d) ~~$\bar{x}y + \bar{y}x = wy + \bar{w}y \Rightarrow 0+0=1+0$~~
- Teacher's Signature

08. The minimum number of 2 input NAND gates required to implement the following Boolean function $f = (\bar{x} + \bar{y})(z + w)$

b) 8 \rightarrow Minimum no. 2 i/p NAND = 3

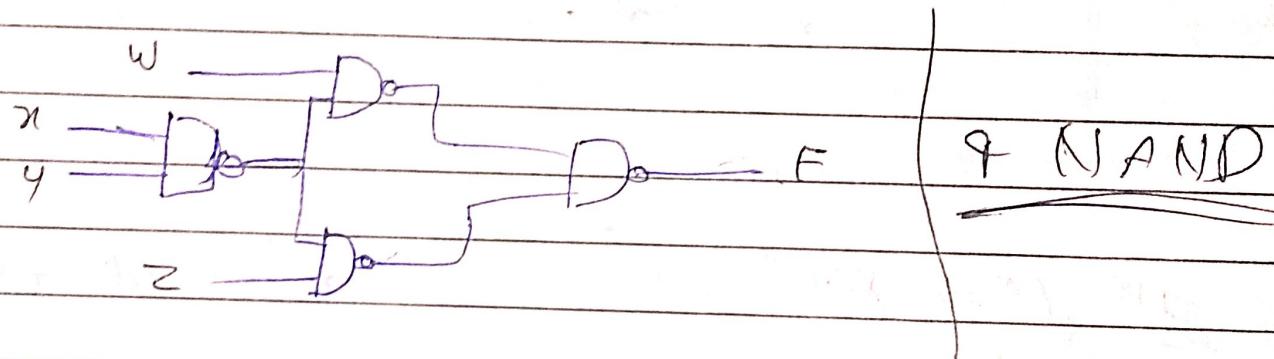
$$F = (\bar{x} + \bar{y})(z + w)$$



$$F = \overline{x\bar{y}}(w+z)$$

$$F = \overline{\bar{x}\bar{y}}w + \overline{\bar{x}\bar{y}}z$$

$$F = \overline{\overline{\bar{x}\bar{y}}w + \overline{\bar{x}\bar{y}}z}$$



09. A circuit which is working as NAND gate with positive level logic system will work as _____ gate with negative level logic system.

(a) NAND

(b) NOR

(c) AND

(d) OR

⑥ 9 ⇒

A	B	$\bar{A}B$ (+ve logic)	$\bar{A}B$ (-ve logic)
0	0	1	0
0	1	1	0
1	0	1	0
1	1	0	1

$\bar{A} + \bar{B}$

~~STANDARD~~

~~NON STANDARD~~

(b) NOR

10. The minimum number of two input NOR gates are required to implement the simplified value of the following equation

$$f(w, x, y, z) = \sum m(0, 1, 2, 3, 8, 9, 10, 11)$$

- (a) One
- (b) Two
- (c) Three
- (d) Four

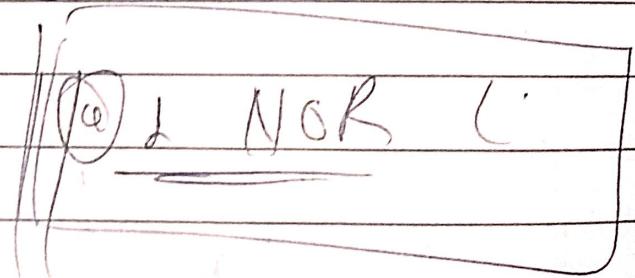
(a) 103 minimum 2 pp NOR gate = ?

$$f(w, n, 4, 2) = \sum m(0, 1, 2, 3, 8, 9, 10, 11)$$

wx^{42}	$\bar{w}\bar{x}^{42}$	$\bar{w}x^{42}$	$w\bar{x}^{42}$	wx^{42}
	1	1	1	1
	4	5	7	6
	12	13	15	14
	8	9	11	10
	1	1	1	1

$\Rightarrow \bar{x}$

$$F = \bar{x} = \overline{(x+x)}$$



11. Assertion (A): XOR gate is not a universal gate.

Reason (R) : It is not possible to realize any Boolean function using only XOR gates.

~~Q3~~ A \rightarrow XOR gate is not a universal gate.

B \rightarrow It is not possible to realize any boolean function using only XOR gate.

XOR gate is not a universal gate because of this reason, it is not possible to realize any Boolean function using only XOR gates.

12. What is the minimized expression of

$$F = \overline{X}\overline{Z} + \overline{Y}\overline{Z} + Y\overline{Z} + XYZ?$$

- (a) $\overline{X}Y + Z$
- (b) $XYZ + \overline{Z}$
- (c) $\overline{XY} + Z$
- (d) $\overline{Z} + XY$

(d) 123) $F = \bar{x}\bar{z} + \bar{y}\bar{z} + \bar{y}\bar{z} + nyz$

$$= \bar{x}\bar{z} + \cancel{\bar{y}\bar{z}} + nyz$$
$$= \bar{z} + nyz$$
$$= (\bar{z} + ny)(\bar{z} + z)$$

$\circlearrowleft = \bar{z} + ny$

d

13. Let $f(A, B) = A + B$, simplified expression for function $f(f(x + y, y), z)$ is
- (a) $x + y + z$
 - (b) xyz
 - (c) $xy + z$
 - (d) 1

(a) 13): $F(A, B) = A + B$

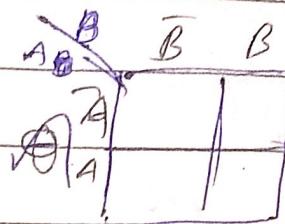
$$f(f(x+y, y), z) = f((x+y+y), z)$$

$$= \overbrace{x+y+z}^a$$

14. The sum of all the min terms of a given Boolean function is equal to _____.

- (a) zero
- (b) one
- (c) two
- (d) complement of the function

~~(b)~~ $\sum m$ = Sum of all minterms



$$\begin{aligned} S &= \bar{A}\bar{B} + \bar{A}B + A\bar{B} + AB \\ &= \bar{A} + A \\ &= 1 \end{aligned}$$

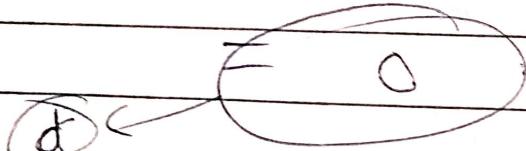
(b)

15. The product of all the max terms of a given Boolean function is always equal to

- (a) Two
- (b) Complement of the function
- (c) One
- (d) Zero

d) 15) Product of all max term

$$\begin{aligned}
 P &= (\bar{A} + \bar{B}) (\bar{A} + B) (A + \bar{B}) (A + B) \\
 &= (\bar{A}A + \bar{A}B + \bar{B}A + \bar{B}B) (\bar{A}A + \bar{A}\bar{B} + BA + B\bar{B}) \\
 &= (\bar{A}B + A\bar{B}) (AB + A\bar{B}) \\
 &= \bar{A}B \cdot AB + \bar{A}B \cdot A\bar{B} + A\bar{B} \cdot AB + A\bar{B} \cdot A\bar{B} \\
 &= 0 + 0 + 0 + 0 = 0
 \end{aligned}$$



16. In a n - variable K-map combining 16 cells containing 1's as a single group will results a term of _____ literals

- (a) 4
- (b) $n - 4$
- (c) $n + 4$
- (d) $4n$

(b) $f_6 \Rightarrow$ n-variable K-map - 16 cells, combines L's as single group.

Solⁿ

If 4-variable K-map \Rightarrow 16 cells.

16 cell combined \rightarrow

L's results \Rightarrow term of 4' literal.

If 5-variable K-map \Rightarrow 32 cells.

16 cell combine \rightarrow

L's result a term of 5' literal

then n-variable \rightarrow $(n-q)$ literal

(b) $n-q$

17. What is the other canonical form of the given equation?

$$F(x,y,z) = \Sigma m (0,1,2,3,4,5,6,7)$$

- (a) $F(x,y,z) = \prod M(0,1,2,3,4,5,6,7)$
- (b) $F(x,y,z) = \prod m (0,1,2,3,4,5,6,7)$
- (c) $F(x,y,z) = \prod M(0,1,2,3,4,5,6,7)$
- (d) Does not exist

(d) 173 $F(x, y, z) = \sum m(0, 1, 2, 3, 4, 5, 6, 7)$

$$F(x, y, z) = TTM(g)$$

nashig

(d)

Do not exist]