

$$3^{51} \text{ mod } 5 = \left[ (3^4)^{12} \times 3^3 \right] \text{ mod } 5$$

$$= 3^{48} \times 3^3 \text{ mod } 5$$

$$= 3 \text{ Ans}$$

Two no. chosen independently & uniformly at random from the set  $\{1, 2, \dots, 13\}$   
 probability > 7 bit binary representation have same most significant bit

Sol<sup>n</sup>  

$$P(\text{MSB is 0}) + P(\text{MSB is 1})$$

$$= (7 \times 7) / (13 \times 13) + (6 \times 6) / (13 \times 13)$$

$$= \frac{85}{169}$$

$$= 0.502 \text{ Ans}$$

23  
 48

$P_1$	$P_2$	$P_3$
$D = D + 20$	$D = D - 50$	$D = D + 10$

min & max value of  $D$  after 3 process have completed execution use  $X \times Y$ ,  $X - Y = ?$

Sol<sup>n</sup>

$D = 100$ $D = 100 + 20 = 120$ $D = 120 + 1 = 130$ $D = 130 - 50 = 80$	$D = 100$ $D = 100 - 50 = 50$ $D = 100 + 20 = 120$ $D = 120 + 10 = 130$
---	--

$130 - 50 = 80 \text{ Ans}$



29 ~~28~~ #include <stdio.h>

int main() {

int arr[] = {1, 2, 3, 4, 5, 6, 7, 8, 9, 0, 1, 2, 3}; \*ip = arr;

printf("%d", arr[6]);

return 0;

}

Output = 6

Ans

25 ~~24~~ A = [-5, -10, 6, 3, -1, -2, 13, 9, -9, -1, 4, 12, -3, 0]

Sum(i, j) =  $\sum_{k=i}^j A[k]$

$0 \leq i, j \leq 13$

29

Sol<sup>n</sup>

max S(i, j) =

$$= S(2, 11) = 6 + 3 + (-1) + (-2) + 13 + 9 + (-9) + (-1) + 4 + 12 + (-3) + 0$$

= 29 Ans

26 ~~25~~ void convert (int n)

{ if (n < 0)

printf("%d", n);

else {

convert (n/2);

printf("%d", n%2);

}

↗  
↘  
not print any & not terminate



27-8

#include <stdio.h>

int n() {

B

static int num = 7;

return num --;

}

int main()

{ for (n(); n(); n())

printf("r.d " n());

return 0;

}

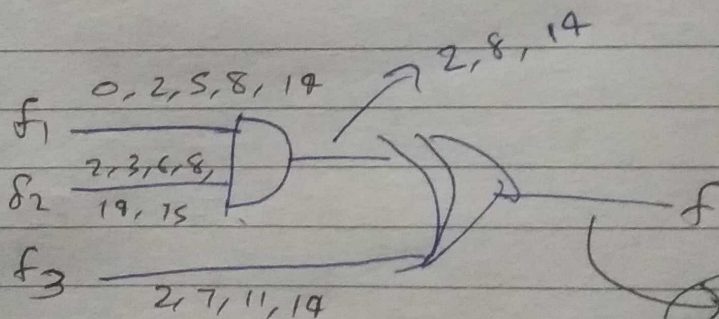
Output - 52

28-8

29-8

30-8

A



$\Sigma(7, 8, 11)$

one

31-8

$\Sigma = \{a, b\}$

not context free?

C

$\{wa^nwb^n \mid w \in \{a, b\}^*, n \geq 0\}$

32  $\rightarrow F = \{ Q \rightarrow R, R \rightarrow S, S \rightarrow Q \}$   
 $X = \{ P, Q, R, S \}$ ,  $X$  is not in BCNF  
 $Y = \{ P, R \}$ ,  $Z = \{ Q, R, S \}$

I — Both  $X$  &  $Z$  are in BCNF

II — Decomposition of  $X$  into  $Y$  &  $Z$  is dependency preserving & lossless.

True —

$Y \{ P, R \}$ $R \rightarrow P$	$Z \{ Q, R, S \}$ $Q \rightarrow R, R \rightarrow S, S \rightarrow Q$
-------------------------------------	--

Only II true