

(Select ~~up~~ ~~account~~ ~~sex~~ ~~name~~ = (S \* ~~balance~~) / 100  
 balance where balance > (select avg(balance) from account))

Ques. Delete the records of all a/c with balance below the avg of the bank  
 Delete from account where balance < (select avg(balance) from account)

Ques. Pay 5% interest on account where bal > avg (above)  
 5/09/17

### \* Tuple Relational Calculus:

- It is non-procedural query language where each query is of the form  $\{t \mid P(t)\}$
- It represents the set of all tuple 't' such that the predicate P is true for all 't'.  
 (cond<sup>n</sup> like in SQL)
- 't' is a tuple variable,  $t[A]$  denotes the value of tuple t on attribute A
- $t \in r$  denotes that 't' is in rel<sup>n</sup> 'r'.
- P is a formula similar to that of the predicate calculus.

### \* Predicate Calculus Formula:

- (i) Set of attributes & constants
- (ii) Set of comparison operators ( $<, \leq, =, \neq, >, \geq$ )
- (iii) Set of connectives and ( $\wedge$ ), or ( $\vee$ ), not ( $\neg$ )
- (iv) Implication ( $\Rightarrow$ )  $x \Rightarrow y$ , if x is true then y is true  
 $x \Rightarrow y \equiv \neg x \vee y$

### (v) Set of quantifiers

$\exists t \in r(Q(t)) \equiv$  "there exist" a tuple in rel<sup>n</sup> r such that predicate Q is true  
 $\forall t \in r(Q(t)) \equiv$  Q is true for all "tuples t in 'r'"



A tuple-relational calculus formula is built up out of atoms. An atom has one of the following forms:

- $s \in r$ , where  $s$  is tuple variable &  $r$  is a relation (we do not allow use of the  $\neq$  operator)
- $s[x] \theta u[y]$ , where  $s$  and  $u$  are tuple variables,  $x$  is attribute on which  $s$  is defined,  $y$  is an attribute on which  $u$  is defined, & ' $\theta$ ' is a comparison operator ( $<, \leq, =, \neq, >$ ), we require that attribute  $x$  &  $y$  have domain whose members can be compared by  $\theta$
- $s[x] \theta c$ ,  $c$  is the constant in the domain (of attr. bute  $x$ ).

We build up formulae from atoms by using the following rules:

- an atom is a formula.
- If  $P_1$  is a formula, then so are  $\neg P_1$  and  $(P_1)$
- If  $P_1$  &  $P_2$  are formulae, then so are  $P_1 \vee P_2$ ,  $P_1 \wedge P_2$ ,  $P_1 \Rightarrow P_2$
- If  $P_1(s)$  is a formula containing a free-tuple variable,  $s$  and  $x$  is a var then  $\exists s \in r(P_1(s))$  and  $\forall s \in r(P_1(s))$  are also formulae

e.g. Banking Example

Find the loan-no, br-name & amount for loan of over \$1200

$$\{t \mid t \in \text{loan} \wedge t[\text{amount}] > 1200\}$$

suppose that we want only the loan-no, rather than all attributes of loan relation

$$\{t \mid \exists s \in \text{loan} (t[\text{loan-no}] = s[\text{loan-no}] \wedge s[\text{amt}] > 1200)$$

Find the name of all customers having a loan, an account, or both at the bank.

$$\{t \mid \exists s \in \text{borrowers} (t[\text{customer-name}] = s[\text{cust-name}]) \vee \exists u \in \text{depositors} (t[\text{cust-name}] = u[\text{cust-name}]) \wedge s[\text{loan}] \vee u[\text{loan}]$$

Find the name of all customers who have a loan & an account at the bank

$$\{t \mid \exists s \in \text{borrowers} (t[\text{customer-name}] = s[\text{cust-name}]) \wedge \exists u \in \text{depositors} (t[\text{cust-name}] = u[\text{cust-name}])$$

In the tuple relational calculus, equivalences include following three rules.

1.  $P \wedge P_2$  is equivalent to  $\neg(\neg(P_1) \vee \neg(P_2))$
2.  $\neg \forall t \in r(P_1(t))$  is equivalent to  $\neg \exists t \in r(\neg P_1(t))$
3.  $P_1 \Rightarrow P_2$  is equivalent to  $\neg(P_1) \vee P_2$



01/09/17

Find the name of all customers having a loan at Perryridge Branch.

Ans. Find the name of all customers having a loan from the Perryridge branch & cities in which they live

select custname from Borrowers where  
loan.no in (select loan.no from  
loan where branch.name = 'Perryridge')

$\{ t \mid \exists s \in \text{Borrowers} (t[\text{cust.name}] = s[\text{cust.name}] \wedge \exists u \in \text{loan} (u[\text{branch.name}] = \text{"Perryridge"} \wedge u[\text{loan.no}] = s[\text{loan.no}])) \}$

$\{ t \mid \exists s \in \text{Borrowers} (t[\text{cust.name}] = s[\text{cust.name}] \wedge \exists u \in \text{loan} (u[\text{branch.name}] = \text{"Perryridge"} \wedge u[\text{loan.no}] = s[\text{loan.no}])) \wedge \exists v \text{ customer} (v[\text{cust.name}] = t[\text{cust.name}] \wedge (v[\text{city}] = v[\text{city}])) \}$

\* Domain Relational Calculus:

It is a second form

of the names of all customers who have a loan at the Perryridge branch but not acc at any other bank

$\{ t \mid \exists s \in \text{Borrowers} (t[\text{cust.name}] = s[\text{cust.name}] \wedge \exists u \in \text{loan} (u[\text{branch.name}] = \text{"Perryridge"} \wedge u[\text{loan.no}] = s[\text{loan.no}])) \wedge \text{not } \exists v \in \text{depositer} (v[\text{cust.name}] = t[\text{cust.name}]) \}$

of relational calculus which uses domain variables that take on values from an attribute domain, rather than values for an entire tuple. It is also non-procedural query language like tuple relational calculus. Each query is an expression of the form,

$\{ \langle x_1, x_2, \dots, x_n \rangle \mid P(x_1, x_2, \dots, x_n) \}$   
Set of attribute (domain Variables) Predicate formula composed of atoms.

An atom in domain relational calculus has following forms-

$\langle x_1, x_2, \dots, x_n \rangle \in r$ , where  $r$  is a relation on  $n$  attributes &  $x_1, x_2, \dots, x_n$  are domain variables or domain constants.

$x \theta y$  where  $x$  &  $y$  are domain variables &  $\theta$  is a comparison operator ( $<, \leq, =, \geq, >$ ). We require the attributes  $x$  &  $y$  have domain that can be compared by  $\theta$ .

all customers who have a/c at the bank  
to not have loan from the bank  
 $\{ s \in \text{Borrowers} (t[\text{cust.name}] = s[\text{cust.name}] \wedge \text{not } \exists v \in \text{Borrowers} (t[\text{cust.name}] = s[\text{cust.name}])) \}$



•  $x, c$ , where  $x$  is domain variable,  $c$  is comparison operator &  $c$  is constant in the domain of attribute  $x$

We build up formulae from atoms by using following rules-

- An atom is formula
- If  $P_1$  is formula, then so are  $\neg P_1$  &  $(P_1)$
- If  $P_1$  &  $P_2$  are formulae, then so are  $P_1 \wedge P_2$ ,  $P_1 \vee P_2$  &  $P_1 \Rightarrow P_2$
- If  $P_1(x)$  is formula in  $x$ , where  $x$  is domain variable. Then,

$\exists x (P_1(x))$  and  $\forall x (P_1(x))$  are also

formulae.

• As a notational shorthand, we write

$\exists a, b, c (P(a, b, c))$

for

$\exists a (\exists b (\exists c (P(a, b, c))))$

Ques. Find the loan no, bname & amount for loans

over \$1200

$\{ \langle \text{loan.no, bname, amt} \rangle \mid \exists \text{loan.no, bname, amt} \in \text{loan} \wedge \text{amt} > 1200 \}$

Ques. Find the name of all customers who have a loan of over \$1200

$\{ \langle \text{custname} \rangle \mid \langle \text{cust.name} \rangle \in \text{borrower} \wedge \exists \text{loan.no, bname, amt} \in \text{loan} \wedge \text{amt} > 1200 \}$

Ques. Find the name of all cust having loan from pearyridge branch & the loan amount

$\{ \langle c, a \rangle \mid \exists l (\langle c, l \rangle \in \text{borrower} \wedge \exists b (\langle l, b \rangle \in \text{loan} \wedge b = \text{"pearyridge"})) \}$

OR

$\{ \langle c, a \rangle \mid \exists l (\langle c, l \rangle \in \text{borrower} \wedge \langle l, \text{"pearyridge"} \rangle \in \text{loan}) \}$

Ques. Find the name of all customers having a loan, an account or both at pearyridge branch

$\{ \langle c \rangle \mid \exists l (\langle c, l \rangle \in \text{borrower} \vee \exists a c \langle c, a \rangle \in \text{depositor} \wedge \exists b l (\langle a c, b, \text{bal} \rangle \in \text{loan} \wedge \langle l, b, \text{bal} \rangle \in \text{account} \wedge b = \text{"pearyridge"})) \}$

$\{ \langle c \rangle \mid \exists l (\langle c, l \rangle \in \text{borrower} \wedge$

$\vee \exists a (\langle c, a \rangle \in \text{depositor} \wedge \exists b, n (\langle a, b, n \rangle \in \text{account} \wedge b = \text{"pearyridge"})) \}$



name b/w DBMS & RDBMS:

DBMS

the concept of ship is missing. i.e. it is very

operation is very

use & sp/c requirement

utilities offered are

concept of file

usually use 3GL

base, FOXBASE, etc

Popular RDBMS Packages-

RDBMS

It is based on the concept of relationship

Speed of opn is fast

H/w and sp/c requirements are very high.

Facilities & utilities offered are many

It uses concept of table

It normally use 4GL

e.g. ORACLE, INGRES

Company/ Corporation Oracle Corporation

Sybase Informix Software

(4). MYSQL

(5). DB2

(6). INGRES

(7). SQL Server

It is an open source.

IBM

Computer Associates International Microsoft

# Update opn in Relational & in SQL ??

# Write the SQL datatypes.

# Characteristics of SQL & its advantages.

\* Normalization: ER modelling is used by designer analysis tool. Database designed based on ER model may contain some amount of inconsistency, ambiguity & redundancy. To resolve these issues some kind of refinement is required. The refinement process of db design is referred as Normalization.

As normalization involves building structure (like tables) starting from the stage of identifying the columns (attributes) associated in the table, it is also called bottom up approach.

Basically, normalization eliminates the duplicate data & make index, update & delete opn much more efficient in terms of performance & space requirement to store the data.

Anomaly: Insertion anomaly, updation anomaly, deletion anomaly.