INTERPRETABLE FUSION MECHANISHMS FOR MULTIMODAL REPRESENTATION LEARNING

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ABSTRACT

Multimodal representation learning extends the paradigm of traditional representation learning to multiple input modalities. A crucial research problem in this field is to effectively model the fine connections between the unimodal representations. This is particularly challenging since it is infeasible to learn the complete multilinear interaction across all the input modalities. In this paper, we propose a *Multilinear Superdiagonal Fusion* strategy to approximate the multilinear fusion tensor with a block-superdiagonal tensor decomposition. This interpretable decomposition allows to better capture inter-modality dynamics while working with a tractable number of learnable parameters. Additionally, we introduce a parameter sharing procedure to further limit the number of parameters in the decomposition without considerably affecting the accuracy. We demonstrate the effectiveness of the proposed approach on two multimodal tasks, *viz.* speaker trait analysis and emotion recognition.

Index Terms— Multimodal representational learning, block-superdiagonal tensor decomposition, classification, emotion recognition, speaker trait analysis

1. BACKGROUND

The performance of a learning algorithm is significantly influenced by the features it employs to represent the input data. In several real-world tasks, this input data comes from multiple information sources that are complementary to each other. While each input modality only represents a partial observation of the input state, their effective fusion can potentially provide a more complete information of the input state. In simpler words, input modalities are like the pieces of a jigsaw puzzle in a way that the right combination of these pieces conveys more information than the individual pieces themselves.

An important open problem in multimodal representation learning is to design an effective fusion mechanism that captures the fine interactions between unimodal representations. The efficiency of multimodal fusion is heavily dependent on the inductive bias of the fusion layer. A natural extension of linearity in multimodal settings would be to model a multilinear relationship across the unimodal representations. However, the growth in the parameters of a multilinear tensor is exponential with the number of input modalities and strictly super-linear in input-dimensions. In [1], the authors limit the computation to a linear growth in input modalities and input dimensions by performing a low-rank (Candecomp/PARAFAC (CP)) decomposition [2, 3] of the multilinear fusion tensor. While this approach is computationally efficient, there is no clear interpretation of the constraining nature of the rank of a tensor on the multilinear interactions it can model. A similar issue has been addressed in BLOCK [4] for the bilinear fusion of two modalities in visual question answering (VQA). Further, this approach [4] provides an interpretable bimodal fusion strategy that allows to trade-off the expressivity and complexity of the fusion mechanism.

2. MAIN CONTRIBUTIONS

1. This paper introduces a reparameterizion trick that reduces the complexity of a full-rank multilinear fusion operation to a linear growth in the number of input modalities and a quadratic growth in input-dimensions.

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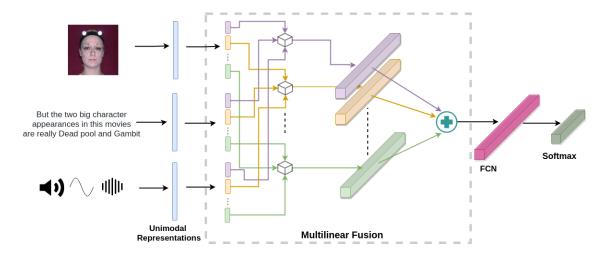


Fig. 1. The diagram illustrates the Multilinear Superdiagonal Fusion mechanism for an example with three input modalities.

- 2. We then impose a super-diagonal approximation that provides an low-dimensional full-rank fusion strategy with a linear growth rate. Further, we explain how this decomposition brings the best of Candecomp/PARAFAC (CP)) decomposition [2, 3] and Tucker decomposition [5].
- 3. We also highlight that applying a low-rank constraint on the blocks of a superdiagonal tensor, a common practice in tensor fusion literature, has a detrimental impact on capturing the inter-modality fusion dynamics.
- 4. To further restrict the parameters in the model, we propose an aggressive parameter sharing scheme that maintains the rank of the multilinear tensor and is supported by most automatic differentiation packages.

The overall architecture is illustrated in Figure 1.

Model		POM			IEMOCAP			
		MAE	Corr	Acc	F1-Нарру	F1-Sad	F1-Angry	F1-Neutral
Non-Fusion	SVM [6]	0.887	0.104	33.9	81.5	78.8	82.4	64.9
	DF [7]	0.869	0.144	34.1	81	81.2	65.4	44.0
	BC-LSTM [8]	0.840	0.278	34.8	81.7	81.7	84.2	64.1
	MV-LSTM [9]	0.891	0.270	34.6	81.3	74.0	84.3	66.7
	MARN [10]	-	-	-	83.6	81.2	84.2	65.9
	MFN [10]	0.805	0.349	41.7	84	82.1	83.7	69.2
Fusion	TFN [8]	0.886	0.093	31.6	83.6	82.8	84.2	65.4
	<i>LMF</i> [1]	0.796	0.396	42.8	85.8	85.9	89.0	71.7
Proposed	mBLOCK	0.845	0.29	36.0	85.4	85.8	88	71.4
	mBLOCK _{share}	0.823	0.31	32.3	85.9	86.2	88.2	72.6

Table 1. Results on IEMOCAP & POM dataset based on Multilinear Superdiagonal Fusion mechanism

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