Transpose

A = 
$$\begin{pmatrix} 0 & -1 \\ 3 & 2 \\ 1 & 6 & 0 \end{pmatrix}$$

A =  $\begin{pmatrix} 1 & 3 & 5 \\ 6 & -1 & 0 \end{pmatrix}$ 

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A

intCOCO get Transpose (int COCO 4) {

```
intCJEJ & = new int[M ] [N];
     for ( int 201020; row < N; row++) {
         for (int col = 0; col + M; col++) {
              B[w] [row] = A[row] [w];
return B;
Identity
  0 - Additive identity for numbers
  2 * 1 = 2
1 -> Multiplicative identity
  X/1 2 X
  A * I 2 A
```

Properties

```
· Square matrin [ rows 2 cols]
· All diagonal values are 1
· All non-diagonal values are 0
```

$$I_{3} = 0 = 0 = 0$$

$$I_{2} = 0 = 0$$

$$I_{3} = 0 = 0$$

$$I_{4} = 0 = 0$$

$$I_{5} = 0 = 0$$

$$I_{7} = 0 = 0$$

$$I_{1} = 0 = 0$$

$$I_{1} = 0 = 0$$

$$I_{2} = 0 = 0$$

$$I_{3} = 0 = 0$$

$$I_{4} = 0 = 0$$

$$I_{5} = 0 = 0$$

int CJCJ identity (int N) &

int[][] mat = new int [NJ[N];

for (int row = 0; row < N; row ++) t

for (int col=0; col < N; col++) t

if (row = = col) t

mat[row][col] = 1;

dese t

mat (row][col] = 0;

g

return mat;

```
NAN Cells visited
    int [J[] identity (int N) &
        int [][] mat 2 new int [N][N];
        for (int rows 0; row < N; row ++) &
              mat ( row I ( row ) 2 1;
    return mat;
   N Cells visited
               Break: 9:55pm
 2D Arrayhist
      Ly Array hist of Array hists
AL < AL < Integer>> list 2 new AL < AL < Integer>>L);
  Add
 AL< Integer > l/2 new AL< Integer > ();
  l1. add(1);
  11. add (-2);
                                   List:
```

list add (l1);

11:1,-2

list: [1, -2]

AL< Integer > 122 new AL< Integer > (); l2. add (10); 12. add (2); 12. add (0) list add (W);

l2: 10, -2, 0

List: [1,-2] [ 10, -2, D]

AL<Intger > l32 new AL<Intger > (). l3. add (5); list add (13);

l3:5 List:0(1,-2) 1 [ 10, 2, 0] 2 [5]

Get list-get(1) > [10, 7, 0] list-get(0) · set(1) = -2

Set

AL < Integer?  $(4 \times 100)$   $(4 \times 100)$  (4

Size

list  $size() \neq 3$ list  $get(1) \cdot size() \neq 3$