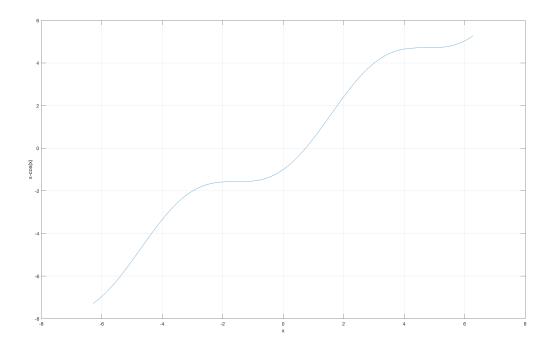
## ENSC 180 - Assignment 2

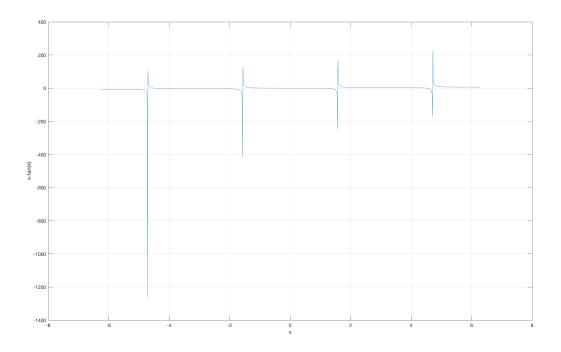
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The root found by the program is 0.73681

## tan(x)=x

```
\begin{array}{l} x=-2^*pi:0.01:2^*pi;\\ y=x-tan(x);\\ plot(x,y)\\ grid\\ xlabel('x')\\ ylabel('x-tan(x)')\\ for i=1:1256\\ if y(i)<1 &\& y(i+1)<1 \ \% \ Prevent \ asymptotes \ to \ be \ counted \ as \ roots\\ &\% \ Product \ of \ y(i)^*y(i+1)=negative \ when \ graph \ crosses \ x-axis\\ if \ y(i)^*y(i+1)<0\\ &disp(x(i))\\ &end\\ end\\ end\\ \end{array}
```



The roots found by the program are: -4.5032, -0.0031853, 4.4868

```
x=[73,92,65,41,37,80,67,54,90,82,85,69,76,74,82,87,69,78,85];
fprintf('Mark\tGrade\n');
for i=1:19
  if x(i) >= 90
     fprintf('%d\tA+\n',x(i));
  elseif x(i) > = 80
     fprintf('%d\tA\n',x(i));
  elseif x(i) > = 75
     fprintf('%d\tB+\n',x(i));
  elseif x(i) > = 68
    fprintf('%d\tB\n',x(i));
  elseif x(i) > = 60
     fprintf('%d\tC+\n',x(i));
  elseif x(i) > = 50
     fprintf('%d\tC\n',x(i));
  elseif x(i) > = 40
     fprintf('%d\tD\n',x(i));
  else
     fprintf('%d\tF\n',x(i));
  end
end
```

## Output of the program

Mark	Grade	
73	В	
92	A+	
65	C+	
41	D	
37	F	
80	Α	
67	C+	
54	С	
90	A+	
82	Α	
85	Α	
69	В	
76	B+	
74	В	
82	Α	
87	Α	
69	В	
78	B+	
85	Α	

I used fprintf for this version of the program however I also have a version where I use a string array for the grade down below. I do prefer fprintf version because it doesn't print quotation marks.

```
x=[73,92,65,41,37,80,67,54,90,82,85,69,76,74,82,87,69,78,85];
grade=strings([1,19]); %Initialize grade as an empty string array
disp(' Mark Grade')
for i=1:19
  %Assign a letter grade for the corresponding grade
  if x(i) >= 90
    grade(i)= 'A+';
  elseif x(i) > = 80
    grade(i)= 'A';
  elseif x(i) > = 75
    grade(i)= 'B+';
  elseif x(i) > = 68
    grade(i)= 'B';
  elseif x(i) > = 60
    grade(i)= 'C+';
  elseif x(i) > = 50
    grade(i)= 'C';
  elseif x(i) > = 40
    grade(i)= 'D';
  else
    grade(i)= 'F';
  end
end
disp([x' grade'])
Output of the program
  Mark Grade
  "73"
          "B"
  "92"
         "A+"
  "65"
         "C+"
         "D"
  "41"
  "37"
          "F"
  "80"
         "A"
  "67"
          "C+"
  "54"
         "C"
  "90"
         "A+"
  "82"
         "A"
  "85"
          "A"
```

"69"

"76"

"74"

"82" "87"

"69" "78"

"85"

"B"

"B" "A"

"A" "B"

"B+"

"A"

"B+"

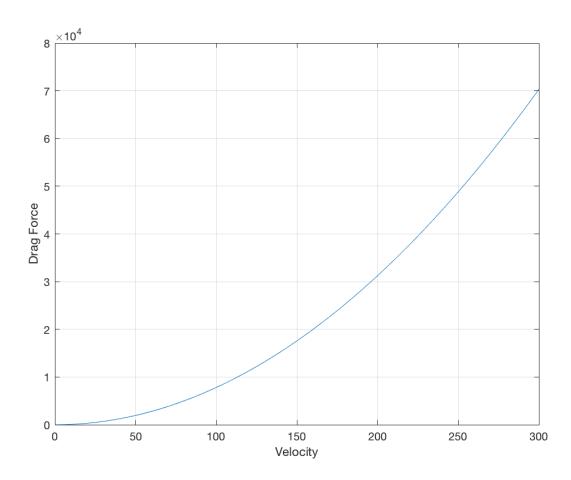
```
Fd=input('Enter the drag force\n');
p=input('Enter the air density\n');
V=input('Enter the velocity\n');
A=input('Enter the surface area\n');
```

Cd=Fd/(p\*V^2\*A/2); %Calculate Cd from inputed data

```
V=0:1:300;
Fd=Cd.*p.*(V.^2).*A./2;
plot(V,Fd)
grid
xlabel('Velocity')
ylabel('Drag Force')
```

Output of the program when Drag force= 20000N; air density = 1\*10E-06 kg/m3; V=160 km/h; and area=0.9 m2

Enter the drag force 20000 Enter the air density 1\*10E-6 Enter the velocity 160 Enter the surface area 0.9 Drag coefficient=1.736111e+05



```
t = 0:0.01:70; %Choose a random range of t to see the tendency of polynomial
H = 2.13.*t.^2 - 0.0013.*t.^4 + 0.000034.*t.^4.751;
MaxHeight=max(H);
fprintf('Max Height = %f\n',MaxHeight)
for i=2:7000
  %Height is at max when the heights right before and after are lower
  if H(i+1) < H(i) && H(i-1) < H(i)
     fprintf('Time to reach max height= %f\n',t(i))
     TimeMaxHeight=t(i);
  %Producet of H(i)*H(i+1)=negative when graph crosses x-axis
  elseif H(i)^*H(i+1) < 0
     fprintf('Time landing= %f\n',t(i))
     TimeLanding=t(i);
  end
end
clear t
clear H
t=0:0.01:TimeLanding;
H = 2.13.*t.^2 - 0.0013.*t.^4 + 0.000034.*t.^4.751;
plot(t,H)
grid
xlabel('Time(seconds)')
                                               1500
ylabel('Height(meters)')
Output of the program
Max Height = 1470.187263
                                               1000
Time to reach max height= 40.500000
                                              Height(meters)
Time landing= 63.010000
                                                500
                                                                      Time(seconds)
For 0<=t<=70
H'(t)=0 at t=0 and t=40.5012
The later is the time for the rocket to reach the maximum height.
H(40.5012)=1470.19
The Height at 40.5012, which is the local max of polynomial H(t).
```

Comparing the values to the output of the MATLAB program, answers obtained seem reasonable.

H(t)=0 at t=0 and t=63.014

The roots of H(t) and the later is the landing time.

```
T1=[4.0,1.5,6.0,0.75,12.0,72.0,0.0,0.0,4.0,2.75];
T2=[48.0,0.0,5.5,1.00,3.00,2.00,1.5,2.5,4.0,1.5];
T3=[1.0,1.5,5.0,8.0,1.5,2.0,1.5,1.75,12.0,2.0];
T=[60*T1;60*T2;60*T3]; %Convert hours to minutes
Cost=zeros(1,3); %Initialize cost
for person=1:3
  fprintf('Person%d\n',person)
  for day=1:10
    fprintf('Day%d, ',day)
    Minutes=(mod(T(person,day),1440)); %Minutes left after subtracting the time counted as
a day(Days)
    Days=(T(person,day)-Minutes)/1440; %# of days in the hours
    if Minutes>300 %If minutes >300 long term daily max is the cheapest
       Cost(person)=Cost(person)+(Days*18)+18;
       fprintf('cost=%d, LT max\n',Cost(person));
    elseif Minutes==0 %If minutes is 0 there is no charge except daily charges
       Cost(person)=Cost(person)+(Days*18);
       fprintf('cost=%d, No minute wise charge\n',Cost(person));
    elseif Minutes<=135 %If minutes is <=135 short term is cheaper than long term
       if Minutes<=30 %If minutes is <=30 no additional charge
         Cost(person)=Cost(person)+(Davs*18)+2.5:
         fprintf('cost=%d, ST min\n',Cost(person));
       elseif mod((Minutes-30),15)==0
         Charges=(Minutes-30)/15;
         Cost(person)=Cost(person)+(Days*18)+2.5+(Charges*1);
         fprintf('cost=%d, ST\n',Cost(person));
       else
         Charges=(Minutes-30-mod((Minutes-30),15))/15+1;
         Cost(person)=Cost(person)+(Days*18)+2.5+(Charges*1);
         fprintf('cost=%d, ST\n',Cost(person));
       end
    else %If 135<minutes<=300 long term is cheaper than short term
       if Minutes<=180 %If 135<minutes<=180 no additional charge
         Cost(person)=Cost(person)+(Days*18)+10;
         fprintf('cost=%d, LT min\n',Cost(person));
       elseif mod((Minutes-180),60)==0
         Charges=(Minutes-180)/60;
         Cost(person)=Cost(person)+(Days*18)+10+(Charges*3);
         fprintf('cost=%d, LT \n',Cost(person));
         Chrges=(Minutes-180-mod((Minutes-180),60))/60+1;
         Cost(person)=Cost(person)+(Days*18)+10+(Charges*3);
         fprintf('cost=%d, LT \n',Cost(person));
       end
    end
    if mod(day,7)==0 && Cost(person)>80 %If the sum over 7 days>80 apply weekly max
       Cost(person)=80;
       fprintf('weekly max applied\n');
    end
  end
end
```

fprintf('\nThe minimum costs are\nPerson 1= %d\nPerson 2= %d\nPerson 3= %d\n',Cost(1),Cost(2),Cost(3))

## Output of the program

Person1 Day1, cost=13, LT Day2, cost=1.950000e+01, ST Day3, cost=3.750000e+01, LT max Day4, cost=41, ST Day5, cost=59, LT max Day6, cost=113, No minute wise charge Day7, cost=113, No minute wise charge weekly max applied Day8, cost=80, No minute wise charge Day9, cost=93, LT Day10, cost=103, LT min Person2 Day1, cost=36, No minute wise charge Day2, cost=36, No minute wise charge Day3, cost=54, LT max Day4, cost=5.850000e+01, ST Dav5. cost=6.850000e+01. LT min Day6, cost=77, ST Day7, cost=8.350000e+01, ST weekly max applied Day8, cost=90, LT min Day9, cost=103, LT Day10, cost=1.095000e+02, ST Person3 Day1, cost=4.500000e+00, ST Day2, cost=11, ST Day3, cost=27, LT Day4, cost=45, LT max Day5, cost=5.150000e+01, ST Day6, cost=60, ST Day7, cost=6.650000e+01, ST Day8, cost=74, ST Day9, cost=92, LT max Day10, cost=1.005000e+02, ST

The minimum costs are

Person 1= 103

Person 2= 1.095000e+02

Person 3= 1.005000e+02

I assumed a week is counted from day 1 and when parking hours exceed 24hrs it counts days and minutes. e.g.( 72.5hrs=3days+30min so it will charge daily max 3 times and calculate the minimum cost for 30 minutes and the charge is the sum )