```
ln[@] = h^{+}[p_{,} \theta_{,} n_{]} := p^{n} / (p^{n} + \theta^{n})
h^{-}[p_{-}, \theta_{-}, n_{-}] := 1 - h^{+}[p_{-}, \theta_{-}, n_{-}]
tmax = 200;
With [ma = 1., mb = 1., mc = 1.]
           na = 2.2, nb = 2.2, nc = 2.2,
           \Theta a = 0.28, \Theta b = 0.28, \Theta c = 0.28,
           ka = 1., kb = 1., kc = 1.,
           \gamma a = 1., \ \gamma b = 1., \ \gamma c = 1.,
           \delta a = 1., \delta b = 1., \delta c = 1.},
               sol = NDSolve[\{r_a'[t] = ma * (h^-[p_c[t], \theta c, nc]) - \gamma a * r_a[t], \theta c, nc]\} - \gamma a * r_a[t],
                                      r_b'[t] = mb * (h^+[p_a[t], \theta a, na]) - \gamma b * r_b[t],
                                      r_c'[t] = mc * (h^-[p_b[t], \theta b, nb]) - \gamma c * r_c[t],
                                      p_a'[t] = ka * r_a[t] - \delta a * p_a[t],
                                      p_b'[t] = kb * r_b[t] - \delta b * p_b[t],
                                      p_c'[t] = kc * r_c[t] - \delta c * p_c[t],
                                      r_a[0] = 0,
        r_b[0] = 0, r_c[0] = 0, p_a[0] = 0, p_b[0] = 0, p_c[0] = 0,
                                     \{r_a, r_b, r_c, p_a, p_b, p_c\}, \{t, 0, tmax\}];
ParametricPlot[Evaluate[{pa[t], pb[t]} /. First[sol]], {t, 0, tmax},
 AxesLabel \rightarrow \{p_a, p_b\}, ColorFunction \rightarrow "Rainbow", PlotRange \rightarrow Full]
```

$$\begin{split} & Plot[Evaluate[\{p_a[t],\,p_b[t],\,p_c[t]\} \; /. \; First[sol]], \\ & \{t,\,0,\,tmax\}, \; PlotLegends \rightarrow \{"p_a",\;"p_b",\;"p_c"\}] \end{split}$$



