

# Binary Search Tree Insertion | BST Deletion

## Binary Search Tree-

Before you go through this article, make sure that you have gone through the previous article on **Binary Search Trees**.

Binary search tree (BST) is a special kind of binary tree where each node contains-

- Only larger values in its right subtree.
- Only smaller values in its left subtree.

In this article, we will discuss about Binary Search Tree Operations.

## Binary Search Tree Operations-

Commonly performed operations on binary search tree are-



1. Search Operation
2. Insertion Operation
3. Deletion Operation

### 1. Search Operation-

Search Operation is performed to search a particular element in the Binary Search Tree.

### Rules-

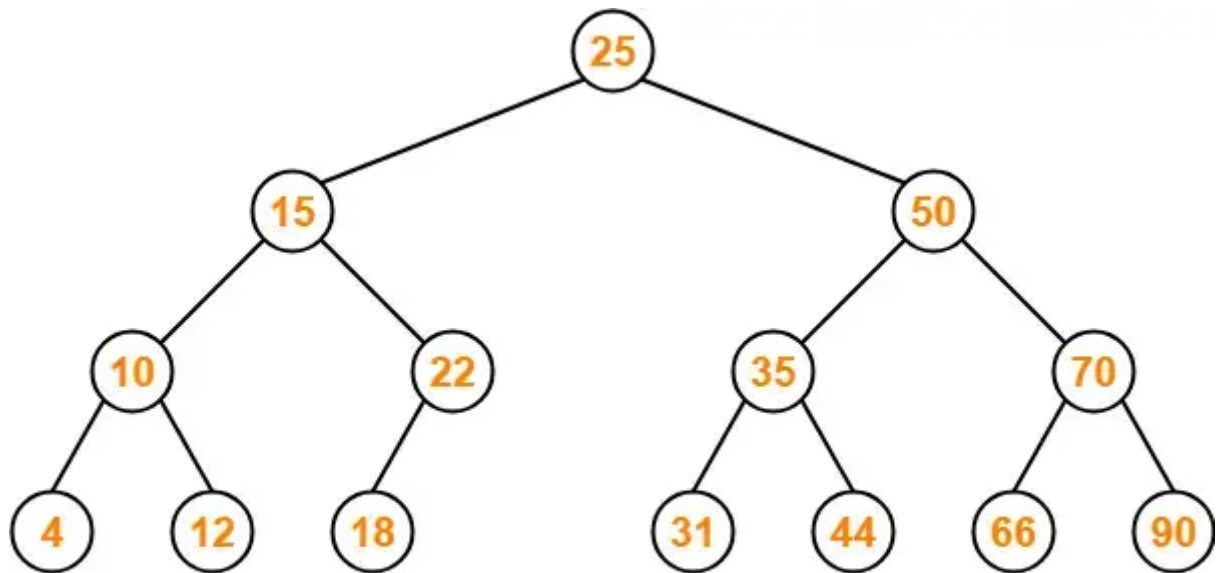
For searching a given key in the BST,

- Compare the key with the value of root node.
- If the key is present at the root node, then return the root node.

- If the key is greater than the root node value, then recur for the root node's right subtree.
- If the key is smaller than the root node value, then recur for the root node's left subtree.

## Example-

Consider key = 45 has to be searched in the given BST-



### Binary Search Tree

- We start our search from the root node 25.
- As  $45 > 25$ , so we search in 25's right subtree.
- As  $45 < 50$ , so we search in 50's left subtree.
- As  $45 > 35$ , so we search in 35's right subtree.
- As  $45 > 44$ , so we search in 44's right subtree but 44 has no subtrees.
- So, we conclude that 45 is not present in the above BST.

## 2. Insertion Operation-

Insertion Operation is performed to insert an element in the Binary Search Tree.

### Rules-

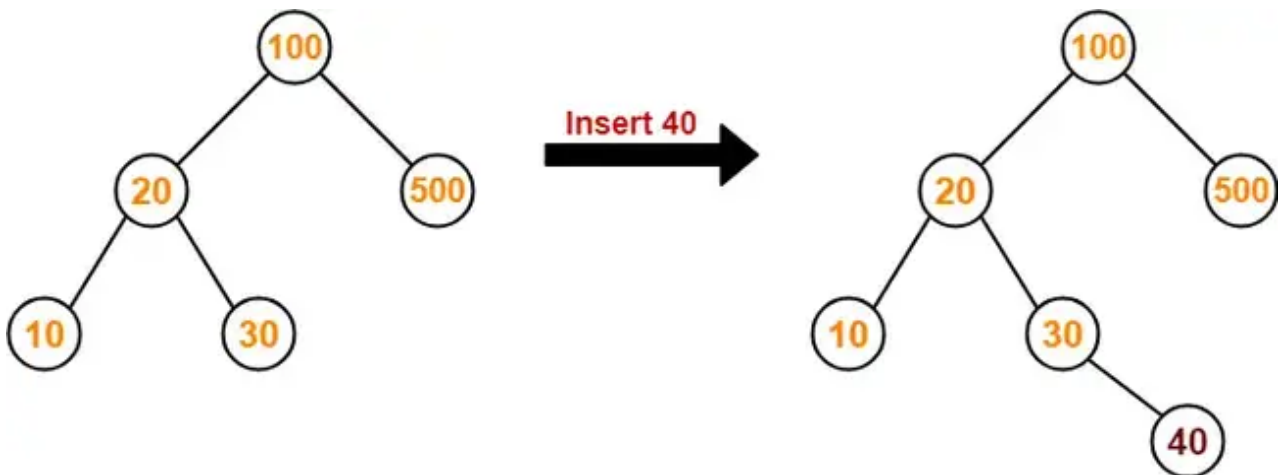
The insertion of a new key always takes place as the child of some leaf node.

For finding out the suitable leaf node,

- Search the key to be inserted from the root node till some leaf node is reached.
- Once a leaf node is reached, insert the key as child of that leaf node.

## Example-

Consider the following example where key = 40 is inserted in the given BST-



- We start searching for value 40 from the root node 100.
- As  $40 < 100$ , so we search in 100's left subtree.
- As  $40 > 20$ , so we search in 20's right subtree.
- As  $40 > 30$ , so we add 40 to 30's right subtree.

## 3. Deletion Operation-

Deletion Operation is performed to delete a particular element from the Binary Search Tree.

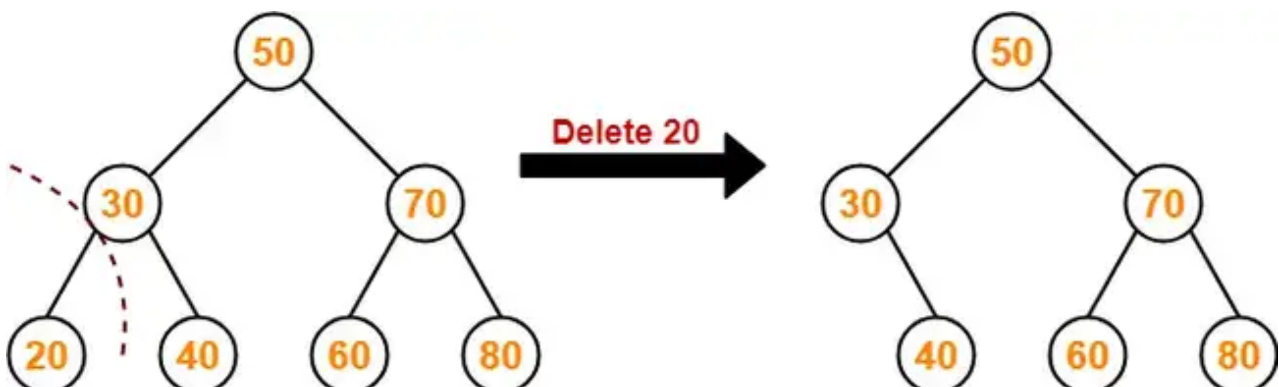
When it comes to deleting a node from the binary search tree, following three cases are possible-

### Case-01: Deletion Of A Node Having No Child (Leaf Node)-

Just remove / disconnect the leaf node that is to be deleted from the tree.

## Example-

Consider the following example where node with value = 20 is deleted from the BST-



### Case-02: Deletion Of A Node Having Only One Child-

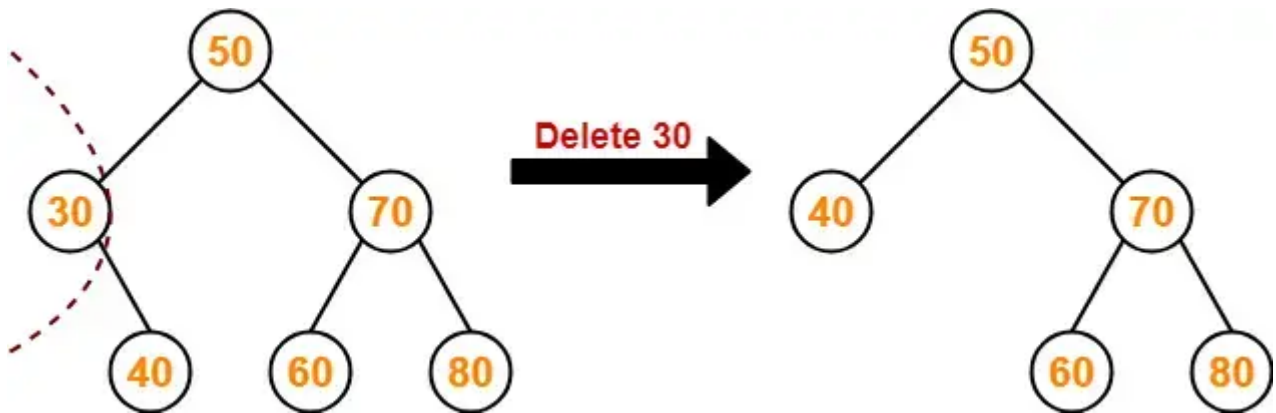
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Just make the child of the deleting node, the child of its grandparent.

### Example-

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Consider the following example where node with value = 30 is deleted from the BST-



### Case-02: Deletion Of A Node Having Two Children-

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A node with two children may be deleted from the BST in the following two ways-

#### Method-01:

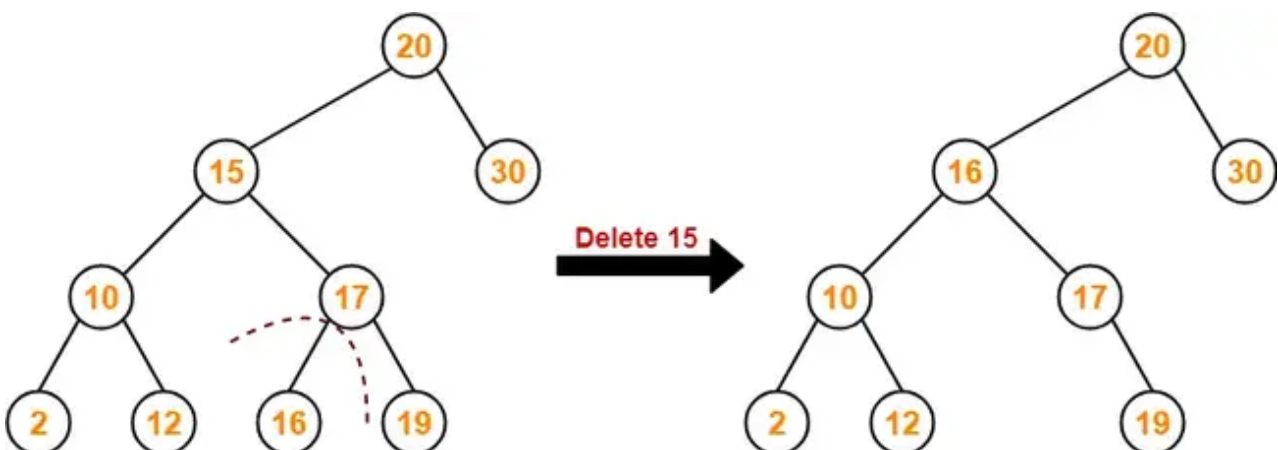
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- Visit to the right subtree of the deleting node.
- Pluck the least value element called as inorder successor.
- Replace the deleting element with its inorder successor.

### Example-

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Consider the following example where node with value = 15 is deleted from the BST-



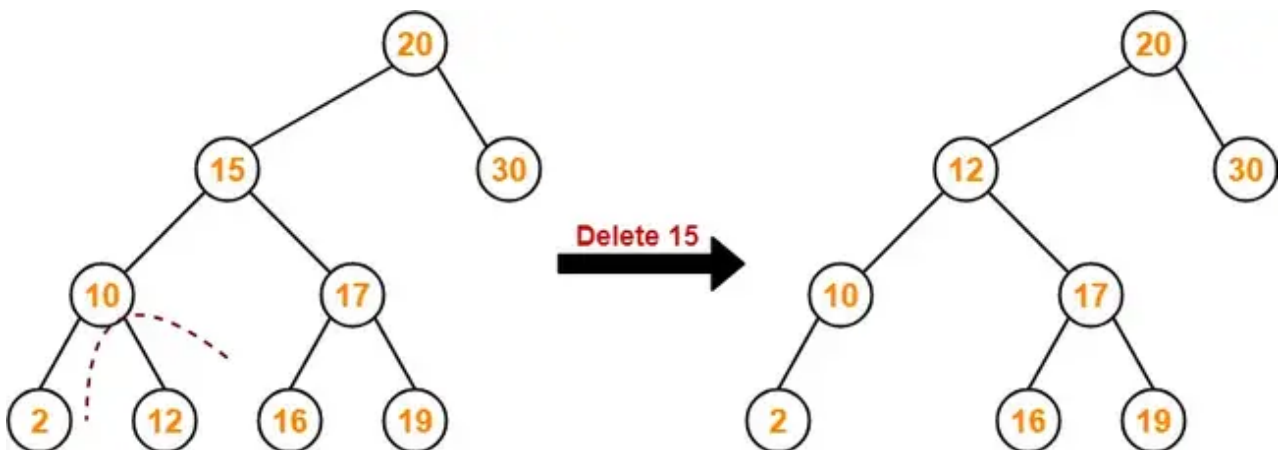
#### Method-02:

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- Visit to the left subtree of the deleting node.
- Pluck the greatest value element called as inorder predecessor.
- Replace the deleting element with its inorder predecessor.

## Example-

Consider the following example where node with value = 15 is deleted from the BST-



To gain better understanding about BST Operations,

**[Watch this Video Lecture](#)**