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ASSIGNMENT 3

EE24BTECH11003 - Akshara Sarma Chennubhatla

		I. D: MCQs with	One or More than One Correct	CT	
		y that at least one of the every 0.2, then $P(\overline{A}) + P(\overline{B})$	vents A and B occurs is 0.6. If A is		multaneously 87 – 2 <i>Marks</i>)
a	0.4	b) 0.8	c) 1.2	d) 1.4	
(\bar{B} are the complements of a great A and B , $B(A \cap B)$	<u> </u>	(10)	99 2Manko
a b	not less than not greater to P(events A and B, $P(A \cap B)$ in $P(A) + P(B) - 1$ than $P(A) + P(B)$ $A) + P(B) - P(A \cup B)$ $A) + P(B) + P(A \cup B)$)	(196	88 – 2 <i>Marks</i>)
5) a b	If E and F are E and F are E and F are E and F ^C (tare independent	independent events such to mutually exclusive the complement of the event dent are independent	that $0 < P(E) < 1 \text{ and } 0 < P(E)$ ent F)	7) < 1, then (198	89 – 2Marks)
6)] a b	For any two espace $P(A B) \ge \frac{P(A B)}{\text{true}}$ $P(A \cap \overline{B}) = \text{hold}$ $P(A \cup B) = \frac{P(A \cup B)}{P(A \cup B)}$	vents A and B in a sample $\frac{(A)+P(B)-1}{P(B)}$, $P(B) \neq 0$ is always $P(A)-P(A\cap B)$ does not $1-P(\overline{A})P(\overline{B})$, if A and	ys ot	(199	91 – 2 <i>Marks</i>)
d	are independ $P(A \cup B) =$ are disjoint.	$1 - P(\overline{A})P(\overline{B})$, if A and	В		
a b c	E and F are tw	to independent events. The nor F happens is $\frac{1}{2}$. Then, $f'(F) = \frac{1}{4}$, $f'(F) = \frac{1}{6}$, $f'(F) = \frac{1}{2}$	probability that both E and F ha		he probability 93 – 2 <i>Marks</i>)
8)] a b	Let $0 < P(A)$ P(A B) = P	< 1, 0 < P(B) < 1 and P(A) (B) - P(A) = P(A') - P(B')	$(A \cup B) = P(A) + P(B) - P(A)$	P(B) then	(1995S)

d) P(A|B) = P(A)

9)	If from each of the three boxes containing 3 white and 1 black, 2 white and 2 black, 1 white and black balls, one ball is drawn at random, then the probability that 2 white and 1 black ball will be drawn is (1998 – 2Marks)								
	a) $\frac{13}{32}$	b) ½	c)	$\frac{1}{32}$	d) $\frac{3}{16}$				
	If \overline{E} and \overline{F} are the con (1998 – 2 <i>Marks</i>) a) $P(E F) + P(\overline{E} F) =$ b) $P(E F) + P(E \overline{F}) =$ c) $P(\overline{E} F) + P(E \overline{F}) =$ d) $P(E \overline{F}) + P(\overline{E} \overline{F}) =$	nplementary events of even	ents	E and F respectively	and if 0	< P(F) < 1, then			
	There are four machine	1 es and it is known that e der till both the faulty ma		•	•	•			
	a) $\frac{1}{3}$	b) $\frac{1}{6}$	c)	$\frac{1}{2}$	d) $\frac{1}{4}$				
12)	 If E and F are events with P(E) ≤ P(F) and P(E ∩ F) > 0, then a) occurrence of E ⇒ occurrence of F b) occurrence of F ⇒ occurrence of E c) non-occurrence of E ⇒ non-occurrence of F d) none of the above implications holds 								
13)	A fair coin is tossed repeatedly. If the tail appears on first four tosses, then the probability of the head appearing on the fifth toss equals $(1998 - 2Marks)$								
	a) $\frac{1}{2}$	b) $\frac{1}{32}$	c)	$\frac{31}{32}$	d) $\frac{1}{5}$				
14)	Seven white balls and black balls are placed a	three black balls are randadjacently equals	dom	ly placed in a row. T	The proba	ability that no two (1998 – 2 <i>Marks</i>)			
	a) $\frac{1}{2}$	b) $\frac{7}{15}$	c)	$\frac{2}{15}$	d) $\frac{1}{3}$				
15)	The probabilities that a student passes in Mathematics, Physics and Chemistry are m, p and c, respectively. Of these subjects, the student has a 75% chance of passing in at least one, a 50% chance of passing in at least two, and a 40% chance of passing in exactly two. Which of the following relations are true? $(1999-3Marks)$								
	a) $p + m + c = \frac{19}{20}$		b)	$p+m+c=\tfrac{27}{20}$					
	c) $pmc = \frac{1}{10}$		d)	$pmc = \frac{1}{4}$					
16)	Let E and F be two independent events. The probability that exactly one of them occurs is $\frac{11}{25}$ and the probability of none of them occurring is $\frac{2}{25}$. If $P(T)$ denotes the probability of occurrence of the event T, then (2011)								
	a) $P(E) = \frac{4}{5}, P(F) = \frac{3}{5}$		b)	$P(E) = \frac{1}{5}, P(F)$ $= \frac{2}{5}$					

c)
$$P(E) = \frac{2}{5}, P(F) = \frac{1}{5}$$

d)
$$P(E) = \frac{3}{5}, P(F)$$

= $\frac{4}{5}$

- 17) A ship is fitted with three engines E_1, E_2 and E_3 . The engines function independently of each other with respective probabilities $\frac{1}{2}$, $\frac{1}{4}$ and $\frac{1}{4}$. For the ship to be operational at least two of its engines must function. Let X denote the event that the ship is operational and let X_1 , X_2 and X_3 denote respectively the events that the engines E_1 , E_2 and E_3 are functioning. Which of the following is(are) true? (2012)

 - a) $P[X_1^{\mathbb{C}}|X] = \frac{3}{16}$ b) P[Exactly two engines of the ship are]functioning | X]= $\frac{7}{8}$ c) $P[X|X_2] = \frac{5}{16}$ d) $P[X|X_1] = \frac{7}{16}$