	Oasis Infobyte Internship Intern Name-Akshay Anandkar Task 5-SALES PREDCITION USING PYTHON
	Sales prediction means predicting how much of a product people will buy based on factors such as the amount you spend to advertise your product, the segment of people you advertise for, or the platform you are advertising on about your product. Typically, a product and service-based business always need their Data Scientist to predict their future sales with every step they take to manipulate the cost of advertising their product. So let's start the task of sales prediction with machine learning using Python.
In [1]: In [2]:	<pre>#import all required liabraries import pandas as pd import numpy as np #importing sales dataset sales=pd.read_csv(r"D:\Data-Science-Internship\Advertising.csv")</pre>
Out[2]:	Unnamed: 0 TV Radio Newspaper Sales 0 1 230.1 37.8 69.2 22.1 1 2 44.5 39.3 45.1 10.4 2 3 17.2 45.9 69.3 9.3
In [3]:	3
	RangeIndex: 200 entries, 0 to 199 Data columns (total 5 columns): # Column Non-Null Count Dtype
In [4]: In [5]:	dtypes: float64(4), int64(1) memory usage: 7.9 KB #droping Unnamed: 0 column sales.drop(columns=['Unnamed: 0'],inplace=True) sales.head()
Out[5]:	TV Radio Newspaper Sales 0 230.1 37.8 69.2 22.1 1 44.5 39.3 45.1 10.4 2 17.2 45.9 69.3 9.3 3 151.5 41.3 58.5 18.5
In [6]: Out[6]:	4 180.8 10.8 58.4 12.9 sales.isnull().sum() TV 0 Radio 0 Newspaper 0
In [7]: Out[7]:	Sales 0 dtype: int64 sales.describe() TV Radio Newspaper Sales count 200.000000 200.000000 200.000000 200.000000
	mean 147.042500 23.264000 30.554000 14.022500 std 85.854236 14.846809 21.778621 5.217457 min 0.700000 0.000000 0.300000 1.600000 25% 74.375000 9.975000 12.750000 10.375000 50% 149.750000 22.900000 25.750000 12.900000
In [8]:	75% 218.825000 36.525000 45.100000 17.400000 max 296.400000 49.600000 114.000000 27.000000 import matplotlib.pyplot as plt import seaborn as sns
In [9]:	<pre>#pairplot sns.pairplot(sales, x_vars=['TV', 'Radio', 'Newspaper'], y_vars='Sales', kind='scatter') plt.show()</pre>
In [10]:	from pairplot we can see when we are advertising cost on TV then sales is increasing but for Radio and Newspaper its unpredictable sales['TV'].plot.hist(bins=10) <axes: ylabel="Frequency"></axes:>
Out[10]:	25 - 20 -
	Fedneuck 15 - 10 -
	5 -
In [11]: Out[11]:	0 50 100 150 200 250 300 sales['Radio'].plot.hist(bins=10,color='green',xlabel='Radio') <axes: ylabel="Frequency"></axes:>
	30 - 25 - 20 -
	10 -
	5 - 0 10 20 30 40 50
In [12]: Out[12]:	
	40 - 30 - 20 -
	10 -
In [13]:	we can see low advertisement cost in newpaper # heatmap
111 [13].	# Heatmap sns.heatmap(sales.corr(), annot=True) plt.show() - 1
	- 0.055 1 0.35 0.58 - 0.6
	- 0.057 0.35 1 0.23 - 0.4 - 0.78 0.58 0.23 1 - 0.2
In [14]:	TV Radio Newspaper Sales here sales is highly correlated with TV #BUILDING MODEL
In [15]:	<pre>from sklearn.model_selection import train_test_split X_train, X_test, y_train, y_test=train_test_split(sales[['TV']], sales[['Sales']], test_size=0.2, random_state=23) print(X_train) TV 47</pre>
	172
In [16]:	[160 rows x 1 columns] print(y_train) Sales 47 23.2 10 8.6
	172 7.6 44 8.5 128 24.7 91 7.3 31 11.9 182 8.7 40 16.6 83 13.6
In [17]:	[160 rows x 1 columns] print(X_test) TV 72
	188 286.0 77 120.5 14 204.1 119 19.4 97 184.9 19 147.3 198 283.6 174 222.4 185 205.0
	75
	140 73.4 175 276.9 52 216.4 163 163.5 117 76.4 132 8.4 101 296.4 58 210.8
	154 187.8 51 100.4 82 75.3 131 265.2 18 69.2 167 206.8 107 90.4 141 193.7 102 280.2
In [18]:	<pre>8 8.6 171 164.5 20 218.4 105 137.9 print(y_test)</pre>
	72 8.8 30 21.4 188 15.9 77 14.2 14 19.0 119 6.6 97 15.5 19 14.6 198 25.5
	174 11.5 185 22.6 75 8.7 46 10.6 81 12.3 191 9.9 199 13.4 157 10.1
	24 9.7 92 19.4 140 10.9 175 27.0 52 22.6 163 18.0 117 9.4 132 5.7
	101 23.8 58 23.8 154 15.6 51 10.7 82 11.3 131 12.7 18 11.3 167 12.2 107 8.7
In [19]:	141 19.2 102 14.8 8 4.8 171 14.5 20 18.0 105 19.2 from sklearn.linear_model import LinearRegression lr=LinearRegression()
Out[19]: In [20]:	<pre>Tr=LinearRegression() lr.fit(X_train, y_train) v LinearRegression() LinearRegression() y_pred=lr.predict(X_test)</pre>
	print(y_pred) [[8.36369717] [20.90476329] [20.57957217] [12.77969828] [16.719695] [8.01494148] [15.81481537]
	[14.04275943] [20.46646222] [17.5821584] [16.76211124] [7.89711861] [11.32812054] [18.40220557] [10.65888665]
	[18.03931113] [14.1605823] [10.03678191] [17.36065141] [10.55991544] [20.15069693] [17.29938352] [14.80625162]
	[10.70130288] [7.49652086] [21.06971531] [17.03546029] [15.9514899] [11.83240242] [10.64946082] [19.59928591] [10.36197302]
	[10.36197302] [16.8469437] [11.36111095] [16.22955187] [20.30622312] [7.50594669] [14.85338077] [17.39364181] [13.59974545]]
<pre>In [21]: Out[21]: In [22]: Out[22]:</pre>	lr.intercept_
In [23]: Out[23]: In [24]:	<pre>0.04712915*26.8+7.10063602 8.36369724 plt.plot(y_pred) [<matplotlib.lines.line2d 0x2d4aea05ea0="" at="">]</matplotlib.lines.line2d></pre>
Out[24]:	20 - 18 -
	16 - 14 -
In [25]:	0 5 10 15 20 25 30 35 40 plt.scatter(X_test,y_test) plt.plot(X_test,0.04712915*X_test +7.10063602,'r') plt.show()
	25 - 20 -
	10 -
	5 - 0 50 100 150 200 250 300 Conclusion- Above model is successful for predcition
In []:	