

Day45_Stop_Overfitting_With_L1_Lasso_and_L2_Ridge

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Day 45 – Regularization Techniques in Machine Learning (L1, L2, ElasticNet)

This notebook demonstrates how **L1 and L2 regularization** techniques help **prevent overfitting** in Machine Learning models.

We'll explore:

- What overfitting is and why it's bad
- How **Ridge (L2)** shrinks coefficients (keeps all features)
- How **Lasso (L1)** removes unnecessary features (sets some coefficients to 0)
- Visual and numeric comparison of Linear, Ridge, and Lasso regression
- Model evaluation using **R²**, **Adjusted R²**, **RMSE**, and **Residual Plots**

Outcome:

By the end, you'll understand:

- How to choose between Ridge and Lasso
- When regularization improves your model
- Why simpler models often perform better on unseen data

Use L1 & L2 to make your models more robust, generalizable, and interpretable!

What is Machine Learning? (Recap)

Machine Learning (ML) is a branch of Artificial Intelligence where computers learn from data to make predictions or decisions without being explicitly programmed.

Machine Learning is like teaching a computer how to learn from past examples — just like humans learn from experience. For example:

- If a kid sees that touching fire hurts, they learn not to do it again.
- ML algorithms do the same — they find patterns from data to predict or decide things.

Types of Machine Learning:

- Supervised Learning (Labeled data):
 - Like a teacher guiding. You give input + correct answer.
 - * e.g., Regression (Predicting prices), Classification (classifying emails.)
- Unsupervised Learning (Unlabeled data):
 - No answers, the algorithm finds patterns on its own.
 - * e.g., Clustering (Grouping similar customers.)
- Reinforcement Learning:

- Learning by reward and punishment.
- * e.g., Games, robots learning to walk.

Linear Regression - Predicting with Lines

Regression is about predicting numbers. For example, predicting:

- Salary based on years of experience
- Mileage (mpg) of a car based on features like horsepower, weight, etc.
- Simple Linear Regression:
 - Predicts using one feature → Equation:

$$y = mx + b$$

- Multiple Linear Regression (MLR):
 - Uses multiple features →

$$y = b_0 + b_1x_1 + b_2x_2 + \dots + b_nx_n$$

Underfitting vs Overfitting

- Underfitting: Model is too simple → Poor on both train/test (misses patterns)
- Overfitting: Model is too complex → Great on training, bad on test (memorizes data)

Techniques to Handle Overfitting

- Regularization
- Cross-validation
- Simpler models
- More data
- Dropout
- Pruning

What is Regularization?

Regularization helps prevent overfitting by penalizing large coefficients in the model.

Types of Regularization

Type	Penalty	Behavior
Ridge	L2	Shrinks coefficients (not zero)
Lasso	L1	Some coefficients become 0
ElasticNet	L1 + L2	Combines both

Analogy:

- Lasso = Removing unhelpful friends
- Ridge = Asking loud people to speak softer

Steps in This Notebook:

- Build baseline MLR model
- Apply Lasso, Ridge, and ElasticNet
- Compare performance

1 Import Required Libraries

```
[1]: import pandas as pd
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
%matplotlib inline

from sklearn import preprocessing
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression, Ridge, Lasso
from sklearn.metrics import r2_score
```

2 Load and Explore the Dataset

```
[2]: data = pd.read_csv(r"C:\Users\Lenovo\Downloads\car-mpg.csv")
data.head()
```

```
[2]:
```

	mpg	cyl	disp	hp	wt	acc	yr	origin	car_type	\
0	18.0	8	307.0	130	3504	12.0	70	1	0	
1	15.0	8	350.0	165	3693	11.5	70	1	0	
2	18.0	8	318.0	150	3436	11.0	70	1	0	
3	16.0	8	304.0	150	3433	12.0	70	1	0	
4	17.0	8	302.0	140	3449	10.5	70	1	0	

```

                                car_name
0  chevrolet chevelle malibu
1                buick skylark 320
2        plymouth satellite
3                amc rebel sst
4                ford torino
```

3 Data Cleaning & Encoding

- Drop irrelevant columns (`car_name`)
- Convert and encode `origin`
- Replace ? with NaN, fill with **median**

3.1 Drop car_name as it's not a useful feature

```
[3]: # Drop car_name as it's not a useful feature
data = data.drop(['car_name'], axis=1)
```

3.2 Convert 'origin' to categorical labels

```
[4]: # Convert 'origin' to categorical labels
data['origin'] = data['origin'].replace({1: 'america', 2: 'europe', 3: 'asia'})
```

3.3 One-hot encode the 'origin' column

```
[5]: # One-hot encode the 'origin' column
data = pd.get_dummies(data, columns=['origin'], dtype=int)
```

3.4 Replace '?' with NaN and then fill missing values with median

```
[6]: # Step 1: Replace '?' with NaN (if applicable)
data = data.replace('?', np.nan)

# Step 2: Convert all columns to numeric where possible
data = data.apply(pd.to_numeric, errors='coerce')

# Step 3: Select only numeric columns
numeric_cols = data.select_dtypes(include=[np.number]).columns

# Step 4: Fill missing values in numeric columns with the median
data[numeric_cols] = data[numeric_cols].apply(lambda x: x.fillna(x.median()))
```

```
[7]: data.head()
```

```
[7]:    mpg  cyl  disp    hp  wt   acc  yr  car_type  origin_america  \
0  18.0    8  307.0  130.0 3504  12.0  70         0                1
1  15.0    8  350.0  165.0 3693  11.5  70         0                1
2  18.0    8  318.0  150.0 3436  11.0  70         0                1
3  16.0    8  304.0  150.0 3433  12.0  70         0                1
4  17.0    8  302.0  140.0 3449  10.5  70         0                1

    origin_asia  origin_europe
0             0             0
1             0             0
2             0             0
3             0             0
4             0             0
```

4 Feature and Target Separation

```
[8]: X = data.drop(['mpg'], axis=1) # Independent Variables
     y = data[['mpg']] # Dependent Variable
```

5 Scaling

Scale columns so none dominate (e.g., weight vs hp)

```
[9]: # Scale the data
     X_s = preprocessing.scale(X)
     X_s = pd.DataFrame(X_s, columns=X.columns)
```

```
[10]: X_s
```

```
[10]:      cyl      disp      hp      wt      acc      yr  car_type \
0    1.498191  1.090604  0.673118  0.630870 -1.295498 -1.627426 -1.062235
1    1.498191  1.503514  1.589958  0.854333 -1.477038 -1.627426 -1.062235
2    1.498191  1.196232  1.197027  0.550470 -1.658577 -1.627426 -1.062235
3    1.498191  1.061796  1.197027  0.546923 -1.295498 -1.627426 -1.062235
4    1.498191  1.042591  0.935072  0.565841 -1.840117 -1.627426 -1.062235
..      ...      ...      ...      ...      ...      ...
393 -0.856321 -0.513026 -0.479482 -0.213324  0.011586  1.621983  0.941412
394 -0.856321 -0.925936 -1.370127 -0.993671  3.279296  1.621983  0.941412
395 -0.856321 -0.561039 -0.531873 -0.798585 -1.440730  1.621983  0.941412
396 -0.856321 -0.705077 -0.662850 -0.408411  1.100822  1.621983  0.941412
397 -0.856321 -0.714680 -0.584264 -0.296088  1.391285  1.621983  0.941412

      origin_america  origin_asia  origin_europe
0          0.773559   -0.497643   -0.461968
1          0.773559   -0.497643   -0.461968
2          0.773559   -0.497643   -0.461968
3          0.773559   -0.497643   -0.461968
4          0.773559   -0.497643   -0.461968
..              ...              ...
393          0.773559   -0.497643   -0.461968
394         -1.292726   -0.497643    2.164651
395          0.773559   -0.497643   -0.461968
396          0.773559   -0.497643   -0.461968
397          0.773559   -0.497643   -0.461968
```

[398 rows x 10 columns]

```
[11]: y_s = preprocessing.scale(y)
     y_s = pd.DataFrame(y_s, columns=y.columns)
```

```
[12]: y_s
```

```
[12]:          mpg
0    -0.706439
1    -1.090751
2    -0.706439
3    -0.962647
4    -0.834543
..    ...
393   0.446497
394   2.624265
395   1.087017
396   0.574601
397   0.958913

[398 rows x 1 columns]
```

6 Train test split

70% training, 30% testing for validation

```
[13]: X_train, X_test, y_train, y_test = train_test_split(X_s, y_s, test_size=0.3,
↳ random_state=1)
```

7 Train a Simple Linear Regression Model

Uses all features directly

```
[14]: regression_model = LinearRegression()
regression_model.fit(X_train, y_train)

# Print coefficients and intercept
for idx, col_name in enumerate(X_train.columns):
    print(f"The coefficient for {col_name} is {regression_model.coef_[0][idx]}")

print("Intercept:", regression_model.intercept_[0])
```

```
The coefficient for cyl is 0.321022385691611
The coefficient for disp is 0.32483430918483897
The coefficient for hp is -0.22916950059437569
The coefficient for wt is -0.7112101905072298
The coefficient for acc is 0.014713682764191237
The coefficient for yr is 0.3755811949510748
The coefficient for car_type is 0.3814769484233099
The coefficient for origin_america is -0.07472247547584178
The coefficient for origin_asia is 0.044515252035677896
The coefficient for origin_europe is 0.04834854953945386
Intercept: 0.019284116103639764
```

8 Ridge Regression (L2 Regularization)

Shrinks coefficients to control overfitting

```
[15]: ridge_model = Ridge(alpha=0.3)
      ridge_model.fit(X_train, y_train)

      print("Ridge model coefficients:", ridge_model.coef_)
```

```
Ridge model coefficients: [ 0.31649043  0.31320707 -0.22876025 -0.70109447
 0.01295851  0.37447352
 0.37725608 -0.07423624  0.04441039  0.04784031]
```

9 Lasso Regression (L1 Regularization)

Drops unnecessary features by zeroing out coefficients

```
[16]: lasso_model = Lasso(alpha=0.1)
      lasso_model.fit(X_train, y_train)

      print("Lasso model coefficients:", lasso_model.coef_)
```

```
Lasso model coefficients: [-0.          -0.          -0.01690287 -0.51890013  0.
 0.28138241
 0.1278489  -0.01642647  0.          0.          ]
```

10 Tips

- Use R^2 when starting
- Use Adjusted R^2 when comparing models with different number of features
- Use RMSE (or MAE) to see real prediction error
- Use visuals (like scatter plots & residual plots) to validate behavior

11 R^2 Score Comparison

R^2 (Coefficient of Determination) tells us how much variation in the target (e.g. mpg) is explained by the model.

- $R^2 = 1$: Perfect prediction
- $R^2 = 0$: Model explains nothing
- $R^2 < 0$: Worse than just predicting the mean
- **Ideal range:** Closer to 1 is better

```
[17]: print("Linear Train R²:", regression_model.score(X_train, y_train))
      print("Linear Test R²:", regression_model.score(X_test, y_test))

      print("Ridge Train R²:", ridge_model.score(X_train, y_train))
      print("Ridge Test R²:", ridge_model.score(X_test, y_test))

      print("Lasso Train R²:", lasso_model.score(X_train, y_train))
      print("Lasso Test R²:", lasso_model.score(X_test, y_test))
```

```
Linear Train R²: 0.8343770256960538
Linear Test R²: 0.8513421387780066
Ridge Train R²: 0.8343617931312616
Ridge Test R²: 0.8518882171608506
Lasso Train R²: 0.7938010766228453
Lasso Test R²: 0.8375229615977083
```

11.1 Interpretation:

- All models do well ($R^2 > 0.79$).
- Ridge gives the best generalization.
- Lasso is slightly less accurate, but it simplifies the model by eliminating less useful features.

12 Adjusted R^2 Using statsmodels (Like in R)

Adjusted R^2 improves over plain R^2 by considering how many predictors you're using. It penalizes unnecessary features.

- Adjusted $R^2 = 1 \rightarrow$ Perfect prediction (just like R^2)
- Adjusted $R^2 < R^2 \rightarrow$ Penalizes too many features
- Adjusted $R^2 < 0 \rightarrow$ Model likely overfits or uses irrelevant features
- Best for comparing models with **different numbers of predictors**
- **Closer to 1 is better** — just like R^2 , but more honest!

```
[18]: import statsmodels.formula.api as smf

      # Merge features and target
      data_train_test = pd.concat([X_train, y_train], axis=1)

      # Fit OLS regression model
      ols1 = smf.ols(formula='mpg ~
      ↪cyl+disp+hp+wt+acc+yr+car_type+origin_america+origin_europe+origin_asia',
      ↪data=data_train_test).fit()
```



```
# View summary
print(ols1.summary())
```

OLS Regression Results

Dep. Variable:	mpg	R-squared:	0.834		
Model:	OLS	Adj. R-squared:	0.829		
Method:	Least Squares	F-statistic:	150.0		
Date:	Tue, 15 Jul 2025	Prob (F-statistic):	3.12e-99		
Time:	13:30:17	Log-Likelihood:	-146.89		
No. Observations:	278	AIC:	313.8		
Df Residuals:	268	BIC:	350.1		
Df Model:	9				
Covariance Type:	nonrobust				
=====					
==					
	coef	std err	t	P> t	[0.025
0.975]					

--					
Intercept	0.0193	0.025	0.765	0.445	-0.030
0.069					
cyl	0.3210	0.112	2.856	0.005	0.100
0.542					
disp	0.3248	0.128	2.544	0.012	0.073
0.576					
hp	-0.2292	0.079	-2.915	0.004	-0.384
-0.074					
wt	-0.7112	0.088	-8.118	0.000	-0.884
-0.539					
acc	0.0147	0.039	0.373	0.709	-0.063
0.092					
yr	0.3756	0.029	13.088	0.000	0.319
0.432					
car_type	0.3815	0.067	5.728	0.000	0.250
0.513					
origin_america	-0.0747	0.020	-3.723	0.000	-0.114
-0.035					
origin_europe	0.0483	0.021	2.270	0.024	0.006
0.090					
origin_asia	0.0445	0.020	2.175	0.031	0.004
0.085					
=====					
Omnibus:	22.678	Durbin-Watson:	2.105		
Prob(Omnibus):	0.000	Jarque-Bera (JB):	36.139		
Skew:	0.513	Prob(JB):	1.42e-08		
Kurtosis:	4.438	Cond. No.	1.59e+16		
=====					

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

[2] The smallest eigenvalue is 6.14e-30. This might indicate that there are strong multicollinearity problems or that the design matrix is singular.

12.1 Adjusted R^2 from statsmodels:

R-squared: 0.834

Adj. R-squared: 0.829

- Close values \rightarrow most features are useful
- If Adjusted R^2 was much lower than R^2 , it would mean too many unhelpful features

13 Root Mean Squared Error (RMSE)

RMSE shows the average prediction error in the same units as the target variable.

- $RMSE \geq 0 \rightarrow$ Cannot be negative
- $RMSE = 0 \rightarrow$ Perfect prediction (no error)
- The **lower**, the better
- Same unit as the predicted variable (e.g., mpg, price, etc.)

Example: $RMSE = 2.5 \rightarrow$ on average, your predictions are off by 2.5 units

```
[19]: mse = np.mean((regression_model.predict(X_test) - y_test) ** 2)
import math
rmse = math.sqrt(mse)
print("Root Mean Squared Error:", rmse)
```

Root Mean Squared Error: 0.37766934254087847

Very low RMSE! Your model is off by just ± 0.38 on average when predicting mpg.

14 Residual Plot – Check for Patterns

Why plot it?

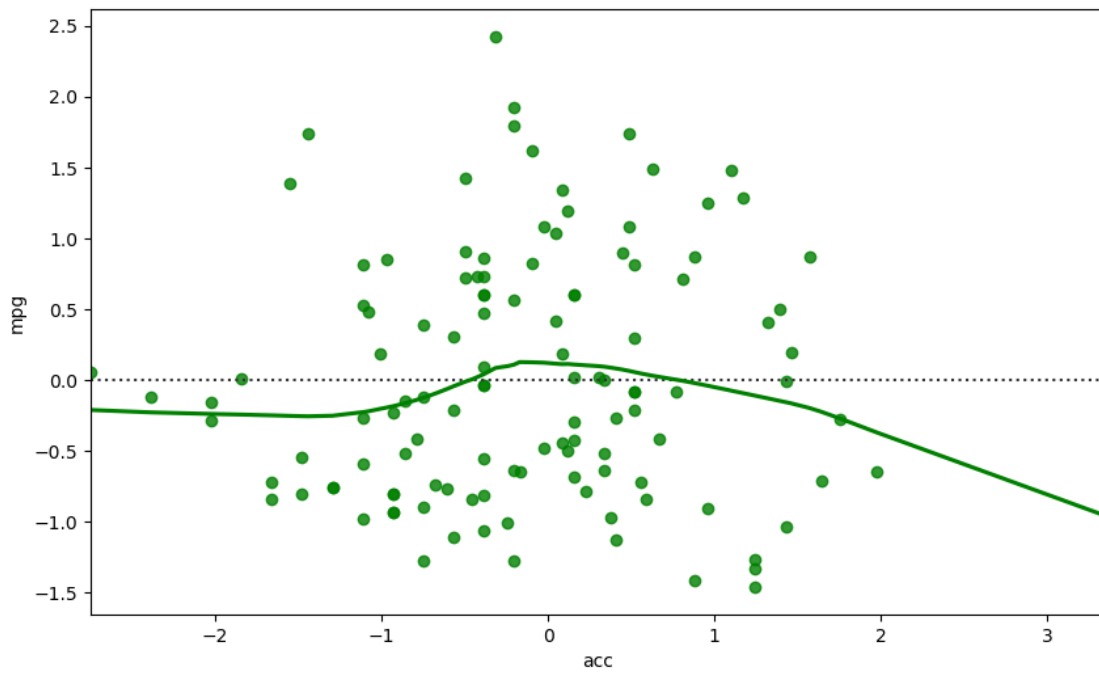
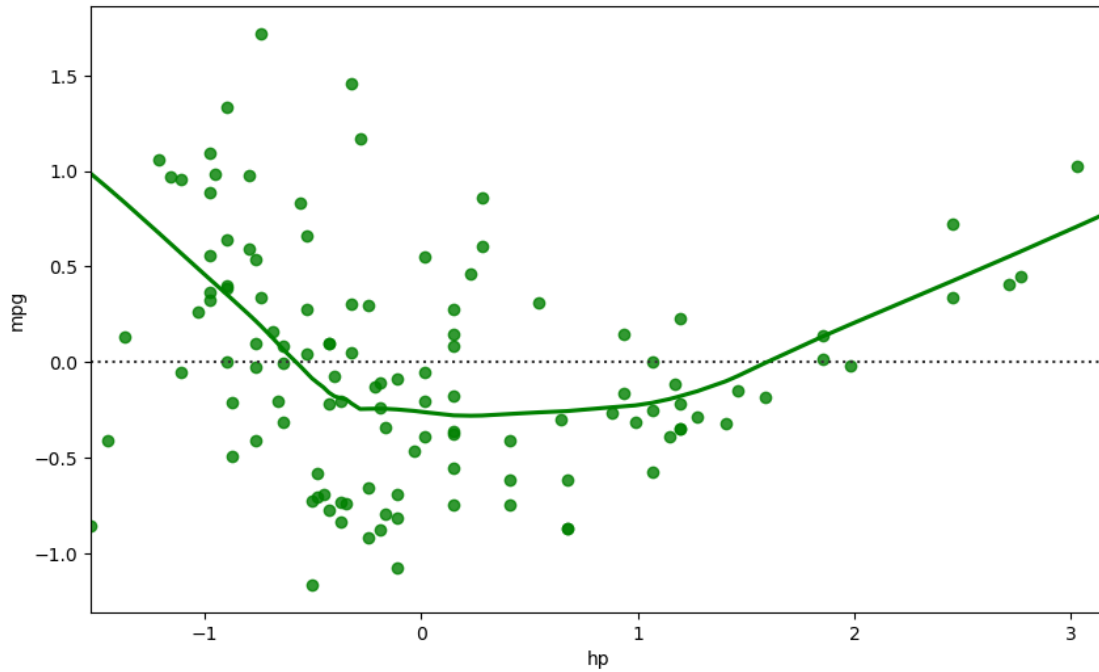
- To check if the model is missing any patterns
- A good residual plot has no shape — it looks random

Our plots look random \rightarrow model fits well

```
[20]: fig = plt.figure(figsize=(10, 6))
sns.residplot(x=X_test['hp'], y=y_test['mpg'], color='green', lowess=True)
```

```
fig = plt.figure(figsize=(10, 6))
sns.residplot(x=X_test['acc'], y=y_test['mpg'], color='green', lowess=True)
```

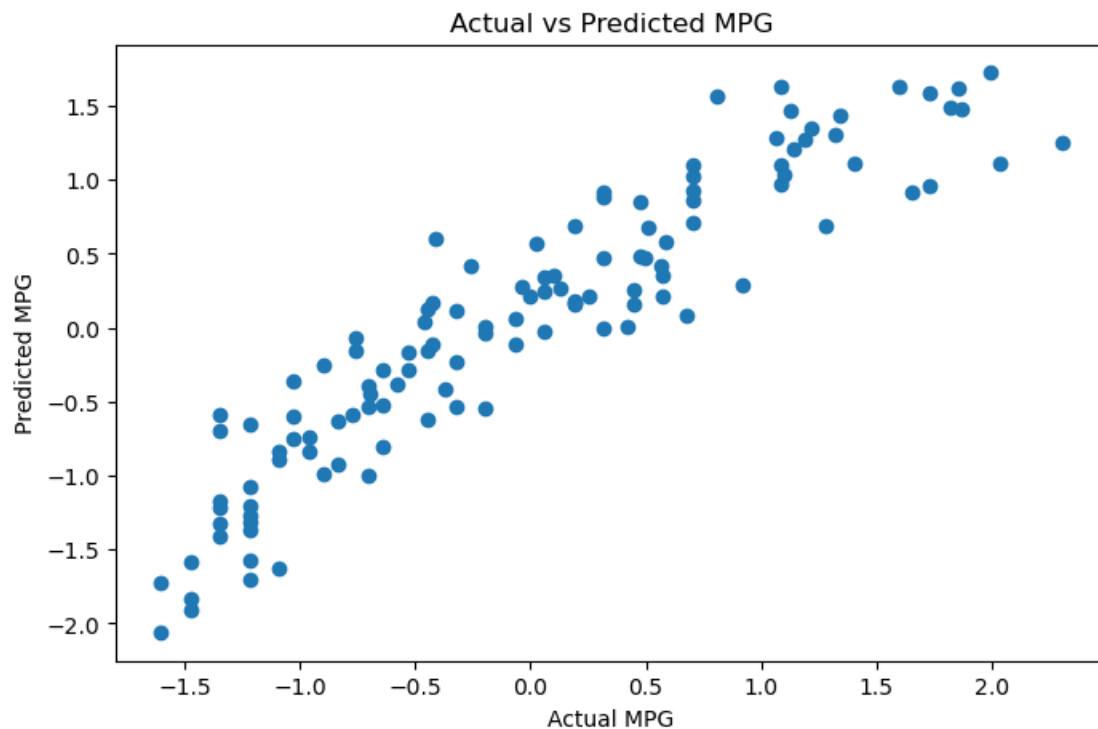
[20]: <Axes: xlabel='acc', ylabel='mpg'>



15 Prediction vs Actual – Visualization

```
[21]: y_pred = regression_model.predict(X_test)

plt.figure(figsize=(8, 5))
plt.scatter(y_test['mpg'], y_pred)
plt.xlabel("Actual MPG")
plt.ylabel("Predicted MPG")
plt.title("Actual vs Predicted MPG")
plt.show()
```



This plot compares:

Actual mpg values vs predicted mpg

- A good model will show points clustered around the diagonal line
- Your plot shows this — predictions are close to real-world values

16 Final Summary

- **Linear Regression** is simple and accurate, but it may **overfit** when the model becomes too complex or when irrelevant features are included.

- **Ridge Regression (L2)** is the **best performer** in this case — it shrinks coefficients slightly to prevent overfitting while maintaining good accuracy and generalization.
- **Lasso Regression (L1)** is slightly less accurate but more **interpretable** — it can automatically **remove weak or unnecessary features** by setting their coefficients to zero.
- **Adjusted R^2** helps evaluate model quality more fairly when you have many features — it penalizes complexity.
- **RMSE (Root Mean Squared Error)** tells how far your predictions are from actual values — lower RMSE is better.
- **Residual and Scatter Plots** help visualize errors and check how well your model fits unseen data.

16.1 Recommendation:

Use a combination of **R^2** , **Adjusted R^2** , **RMSE**, and **visual plots** to compare and select the most reliable model — not just raw accuracy.

In this case:

Ridge Regression strikes the best balance between **accuracy, simplicity, and generalization**.