



## S-DES Algorithm

### Basic Functions:

#### ◦ P10 (permute)

Input: 1 2 3 4 5 6 7 8 9 10  
Output: 3 5 2 9 4 10 1 9 8 6

#### ◦ p8 (Select and permute)

Input: 1 2 3 4 5 6 7 8 9 10  
Output: 6 3 7 4 8 5 10 9

#### ◦ P4 (permute)

Input: 1 2 3 4  
Output: 2 4 3 1

#### ◦ Initial permutation (IP):

Input: 1 2 3 4 5 6 7 8  
Output: 2 6 3 1 4 8 5 7

#### ◦ Expand and permute (Ep):

Input: 1 2 3 4  
Output: 4 1 2 3 2 3 4 1

- Inverse Initial permutation ( $IP^{-1}$ ):
  - Reverse of  $IP$ .

- Left-Shift 1 (LS-1)
  - left shift by 1 position

- Left-Shift 2 (LS-2)
  - left shift by 2 positions

- S-Boxes:

- 4-bit input: bit1, bit2, bit3, bit4
- bit1, bit4 Specifies row.
- bit2, bit3 Specifies column.
- 2 bit output.

	0	1	2	3		0	1	2	3
$S_0 =$	01	00	11	10	$S_1 =$	00	01	10	11
1	11	10	01	00	1	10	00	01	11
2	00	10	01	11	2	11	00	01	00
3	11	01	11	10	3	10	01	00	11



## \* KEY-GENERATION PROCESS:

Input key: 1 0 1 0 0 0 0 0 1 0  
                  1 2 3 4 5 6 7 8 9 10

1) p10:           1 0 0 0 0 | 0 1 1 0 0  
                  └──┬──┘   └──┬──┘  
                  left-half   right-half

2) LS-1 on both left-half & right half:

O/p:   0 0 0 0 1 | 1 1 0 0 0

3) p8:   Input:   0 0 0 0 1 1 1 0 0 0  
          Output: 1 0 1 0 0 1 0 0   ← Key-1

### FOR GENERATION OF KEY-2:

4) LS-2 on output of step (2)

Input:   0 0 0 0 1 | 1 1 0 0 0  
Output:  0 0 1 0 0 | 0 0 0 1 1

5) p8:   Input:   0 0 1 0 0 0 0 0 1 1  
          Output:  0 1 0 0 0 0 1 1   ← Key-2

# • EXAMPLE :

plain-text : 0 1 1 1 0 0 1 0  
 key : 1 0 1 0 0 0 0 0 1 0

ENCRYPTION : 0 1 1 1 0 0 1 0  
 1 2 3 4 5 6 7 8

ROUND - 1

1)  $P_p$  :

1 0 1 0 1 0 0 1  
 Left-Half Right-Half

↓

2) 1 0 0 1  
 1 2 3 4

$E_p$  : 1 1 0 0 0 0 1 1

3) EXOR Expanded Right-Half with key-1

EXOR 1 1 0 0 0 0 1 1 ← Expanded R.H.  
 1 0 1 0 0 1 0 0 ← Key 1  
 0 1 1 0 0 1 1 1

4) S<sub>0</sub> S<sub>1</sub>

Row = 00 Col = 11 0 1 1 0  
 Row = 00 Col = 11 0 1 1 0

Refer S-Box Matrix

Output:  $\begin{matrix} S_0 & S_1 \\ 10 & 11 \end{matrix}$   
↙

5)  $p_4$ :  $\begin{matrix} 1011 \\ 1\ 2\ 3\ 4 \end{matrix}$

Output: 0111

6) EXOR Step ⑤ output with left-half of Step ①

EXOR  $\begin{array}{r} 0111 \\ 1010 \\ \hline 1101 \end{array}$   $\leftarrow$  Step ⑤ o/p  
 $\leftarrow$  left-half from Step ①

7) Merge right half from Step ① to output of Step ⑥

$\begin{matrix} 1101 & 1001 \\ & \swarrow \quad \searrow \end{matrix}$  Right-Half from Step ①

8) Swap

$\begin{matrix} 1001 & 1101 \end{matrix}$   $\leftarrow$  Round 1 output

ROUND-2

Input:  $\begin{matrix} 1001 & 1101 \\ \underbrace{\hspace{1cm}} & \underbrace{\hspace{1cm}} \\ \text{left} & \text{right} \end{matrix}$

1) Ep:  $\begin{array}{cccc} 1 & 1 & 0 & 1 \\ 1 & 2 & 3 & 4 \end{array}$

Output: 1110 1011

2) EXOR with Key 2

EXOR  $\begin{array}{cccccccc} 1 & 1 & 1 & 0 & 1 & 0 & 1 & 1 \\ 0 & 1 & 0 & 0 & 0 & 0 & 1 & 1 \end{array} \leftarrow \text{Key-2}$   
 $\begin{array}{cccccccc} 1 & 0 & 1 & 0 & 1 & 0 & 0 & 0 \end{array}$   
 (Diagram showing bit shifts: SO and SI)

3)

row = 10      10      11      row = 10  
 Col = 01                Col = 00

Output: 1011

4) p4:  $\begin{array}{cccc} 1 & 0 & 1 & 1 \\ 1 & 2 & 3 & 4 \end{array}$

Output: 0111

5) EXOR with left-half from Key Step-1 (Before Ep)

$\begin{array}{cccc} 0 & 1 & 1 & 1 \\ 1 & 0 & 0 & 1 \\ 1 & 1 & 1 & 0 \end{array} \leftarrow \text{left half of Step 1}$

6) Merge with right-half from step ①

1110 1101

~~7~~ Output of round-2 : 1110 1101

• After performing all rounds perform  $I_p^{-1}$

	1	2	3	4	5	6	7	8
Input:	1	1	1	0	1	1	0	1
Output:	0	1	1	1	0	1	1	1

Thus, Ciphertext we get is 01110111

### \* DECRYPTION :

- perform same steps as encryption but use keys in reverse order as they are used for encryption (ie. key2 then key1...)

#### ROUND-1

1) Ciphertext Input: 01110111  
1 2 3 4 5 6 7 8

$I_p$ : 1110 1101  
└──┬──┘ └──┬──┘  
left right  
half half  
↓

2)  $E_p$ :  
Input: 1101  
Output: 11101011

3) XOR with key-2

$$\begin{array}{r}
 11101011 \\
 01000011 \quad \leftarrow \text{key 2} \\
 \hline
 10101000
 \end{array}$$

$\underbrace{\quad\quad\quad} \quad \underbrace{\quad\quad\quad}$   
 $\downarrow \quad \quad \downarrow$

4)

	S <sub>0</sub>	S <sub>1</sub>		S <sub>0</sub>	S <sub>1</sub>
row = 10	↓	↓		↓	↓
col = 01	10	11		10	00

Output: 1011

5) p<sub>4</sub>: Input:  $\overset{1}{1} \overset{2}{0} \overset{3}{1} \overset{4}{1}$   
 output: 0111

6) XOR with left-half of Step ①

$$\begin{array}{r}
 0111 \\
 1110 \\
 \hline
 1001
 \end{array}$$

7) Merge with right-half from Step ①

$$\begin{array}{cc}
 1001 & 1101 \\
 \swarrow & \searrow \\
 1101 & 1001
 \end{array}$$

8) Swap:



## ROUND - 2

Input:      1 1 0 1    1 0 0 1  
              └──┬──┘    └──┬──┘  
              left    right  
              half    half

1)  $E_p$ :

Input:      1<sup>1</sup> 0<sup>2</sup> 0<sup>3</sup> 1<sup>4</sup>  
Output:      1 1 0 0    0 0 1 1

2) EXOR with key-1

EXOR      1 1 0 0 0 0 1 1  
            1 0 1 0 0 1 0 0  
            ┌──┬──┘    └──┬──┘  
            0 1 1 0    0 1 1 1  
            ↓            ↓

3)       $S_0$        $S_1$   
row = 00      ↓      ↓      row = 01  
col = 11      10      11      col = 11

4)  $P_4$ :      Input:      1<sup>1</sup> 0<sup>2</sup> 1<sup>3</sup> 1<sup>4</sup>  
                 Output:      0 1 1 1

5) EXOR with left-half

EXOR      0 1 1 1  
            1 1 0 1  
            ┌──┬──┘  
            1 0 1 0

6) Merge with right half

1010      1001

Output of Round-2 :      10101001

Finally perform  $P^{-1}$  on output of Round-2

• $P^{-1}$ :	Input:	<table><thead><tr><th>1</th><th>2</th><th>3</th><th>4</th><th>5</th><th>6</th><th>7</th><th>8</th></tr></thead><tbody><tr><td>1</td><td>0</td><td>1</td><td>0</td><td>1</td><td>0</td><td>0</td><td>1</td></tr><tr><td>Output:</td><td>0</td><td>1</td><td>1</td><td>1</td><td>0</td><td>0</td><td>1</td></tr></tbody></table>	1	2	3	4	5	6	7	8	1	0	1	0	1	0	0	1	Output:	0	1	1	1	0	0	1
	1	2	3	4	5	6	7	8																		
1	0	1	0	1	0	0	1																			
Output:	0	1	1	1	0	0	1																			

∴ Decrypted text : 01110010