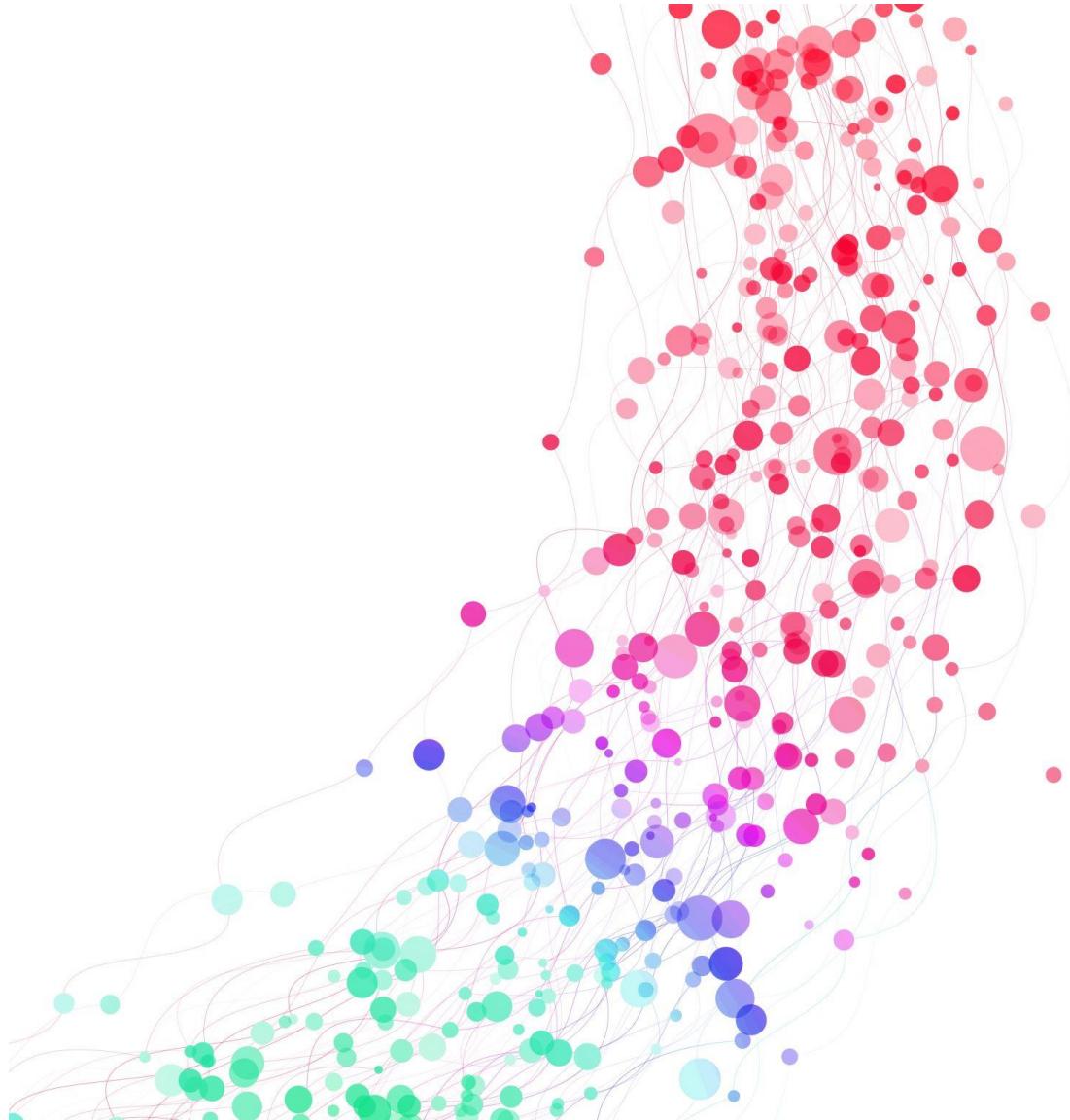


Fundamentals of Electronics

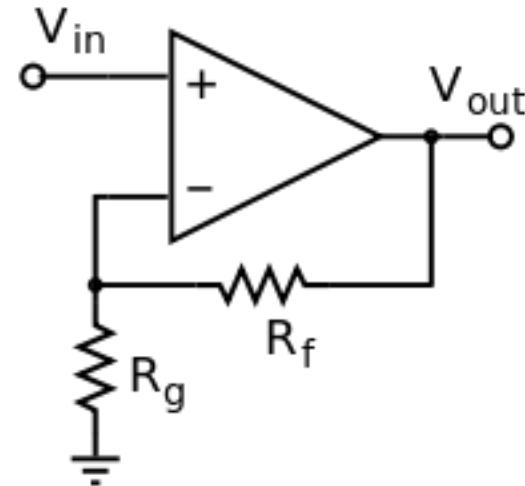
ECE 101



# Op-Amp: Negative Feedback

Equilibrium?

What is:  $A_{CL} = V_{out} / V_{in}$



- When an op amp operates in linear (i.e., not saturated) mode, the difference in voltage between the non-inverting (+) and inverting (-) pins is negligibly small.
- The input impedance of the (+) and (-) pins is much larger than other resistances in the circuit.

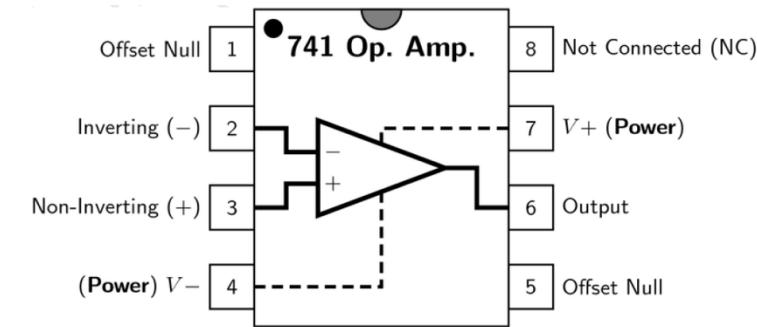
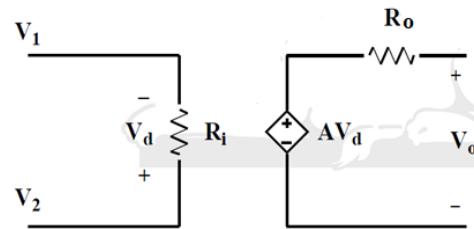
# Op-Amp analysis [Negative Feedback]

$$R_i = \infty \Omega$$

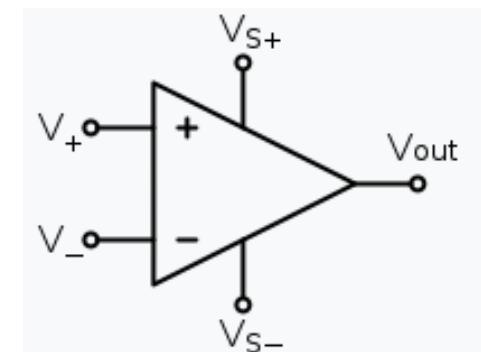
– Therefore,  $i_1 = i_2 = 0A$

$$R_o = 0 \Omega$$

$$V_d = 0V \text{ and so } V_1 = V_2$$



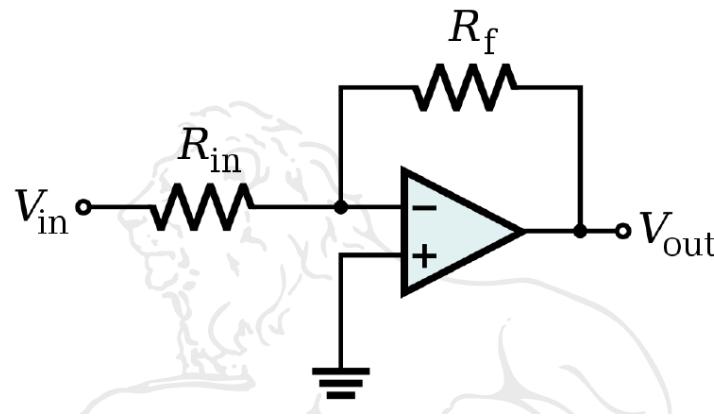
- The internal circuitry in the op-amp tries to force the voltage at the inverting input to be equal to the non-inverting input.
- While analyzing an Op-Amp circuit [In negative feedback]
  - No current flows into either input terminal
  - In negative feedback, voltage difference between the terminals is zero
  - Therefore, no current flows out of the output terminal



# Op-Amp usages

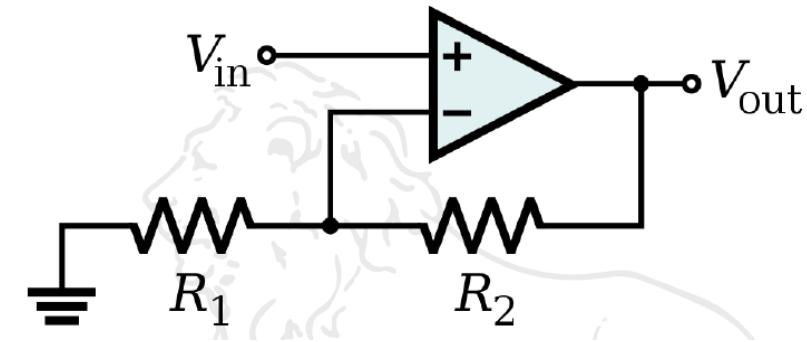
- While analyzing an Op-Amp circuit
  - Assume no current flows into either input terminal
  - Assume no current flows out of the output terminal
  - Virtual Ground

Inverting Amplifier



$$V_{out} = -\frac{R_f}{R_{in}}V_{in}$$

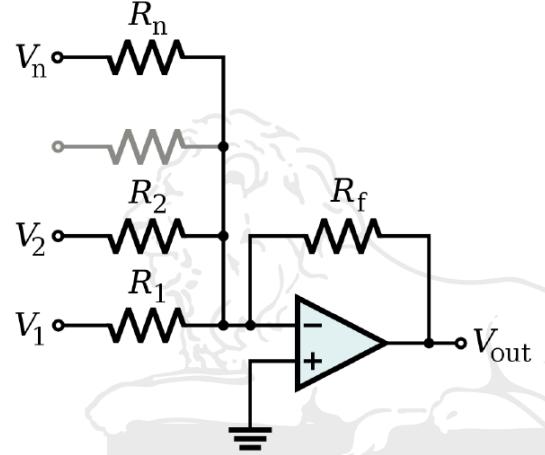
Non-inverting Amplifier



$$V_{out} = V_{in} \left( 1 + \frac{R_2}{R_1} \right)$$

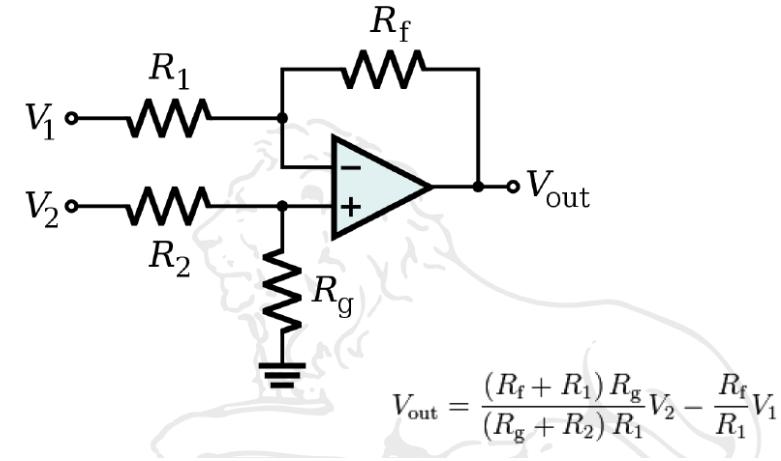
# Op-Amp usages

## Summing amplifier



$$V_{\text{out}} = -R_f \left( \frac{V_1}{R_1} + \frac{V_2}{R_2} + \cdots + \frac{V_n}{R_n} \right)$$

## Difference amplifier



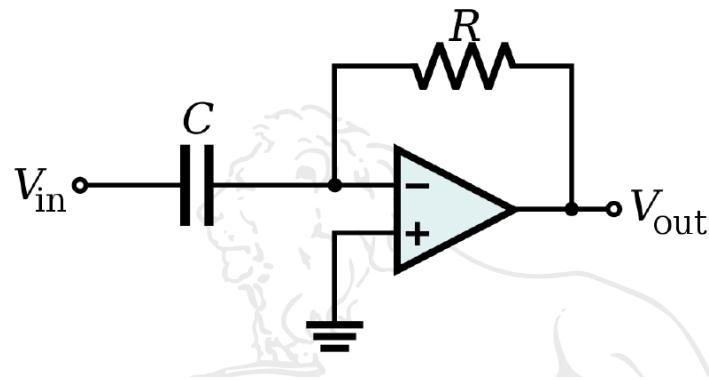
$$V_{\text{out}} = \frac{(R_f + R_1) R_g}{(R_g + R_2) R_1} V_2 - \frac{R_f}{R_1} V_1$$

$$\text{If } R_1 = R_2 \text{ and } R_f = R_g: \quad V_{\text{out}} = \frac{R_f}{R_1} (V_2 - V_1)$$

# Op-Amp usages

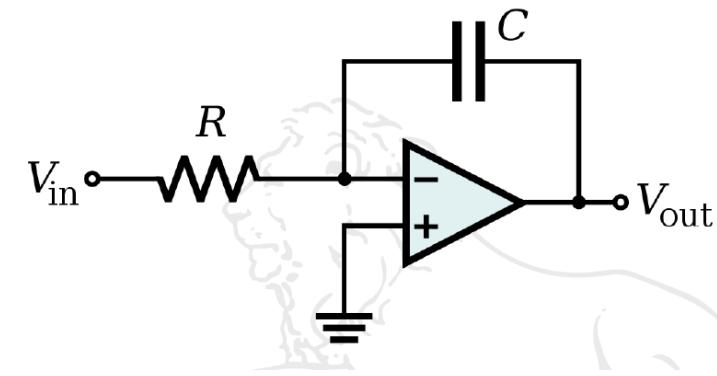
- While analyzing an Op-Amp circuit in negative feedback
  - Assume no current flows into either input terminal
  - Assume no current flows out of the output terminal

## Differentiator



$$V_{out} = -RC \frac{dV_{in}}{dt}$$

## Integrator

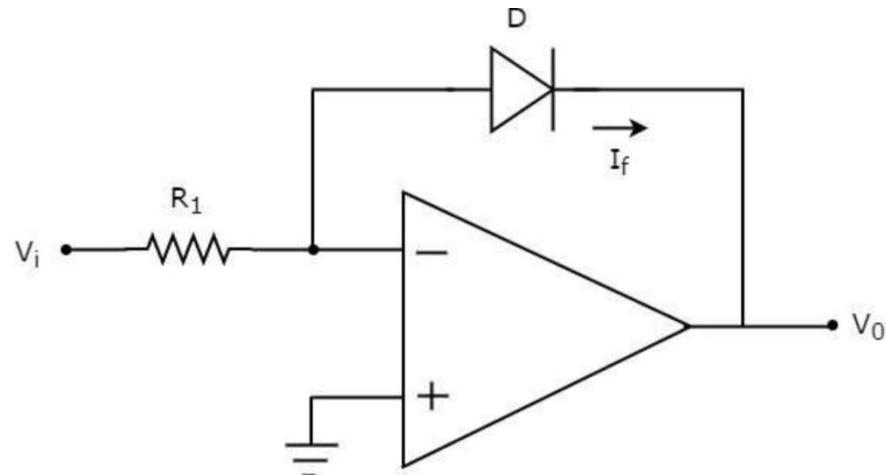


$$V_{out} = - \int_0^t \frac{V_{in}}{RC} dt + V_{initial}$$

# Op-Amp usages

## Log and Antilog Amplifiers

Log



$$\frac{0 - V_i}{R_1} + I_f = 0 \quad \Rightarrow I_f = \frac{V_i}{R_1}$$

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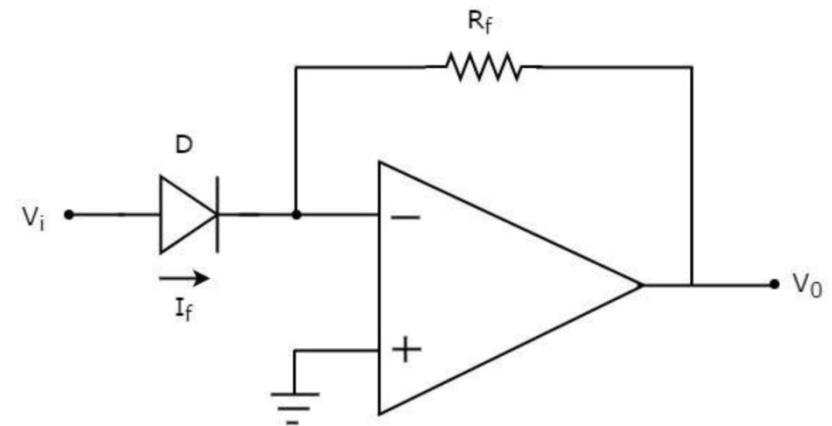

$$I_f = I_s e^{\left(\frac{V_f}{nV_T}\right)} \quad V_f = -V_0 \quad I_f = I_s e^{\left(\frac{-V_0}{nV_T}\right)}$$


---

$$\frac{V_i}{R_1 I_s} = e^{\left(\frac{-V_0}{nV_T}\right)}$$

$$V_0 = -nV_T \ln \left( \frac{V_i}{R_1 I_s} \right)$$

Antilog



$$-\frac{V_0}{R_f} = I_f \quad I_f = I_s e^{\left(\frac{V_f}{nV_T}\right)}$$

$$V_0 = -R_f I_s e^{\left(\frac{V_f}{nV_T}\right)}$$

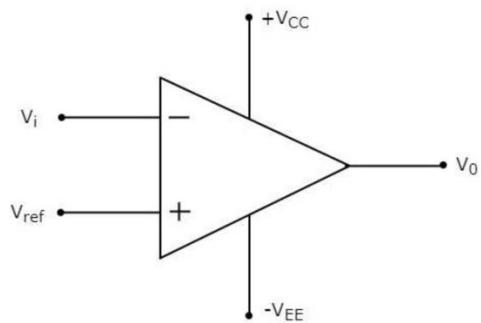
$$V_f = V_i$$

$$V_0 = -R_f I_s e^{\left(\frac{V_i}{nV_T}\right)}$$

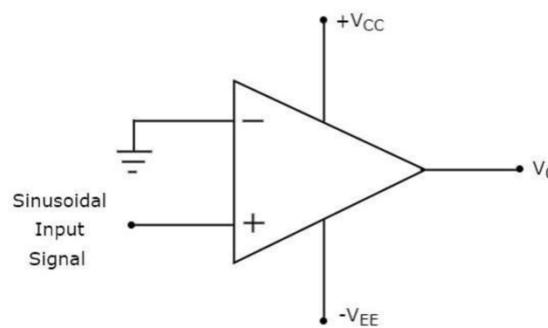
# Op-Amp usages

## Comparator

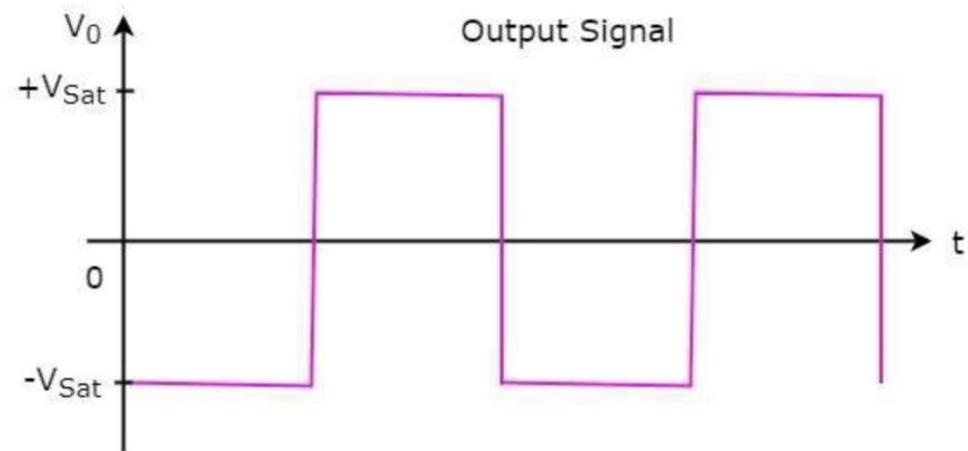
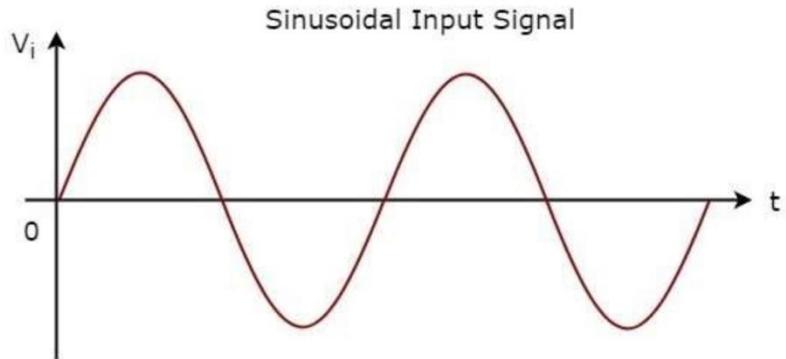
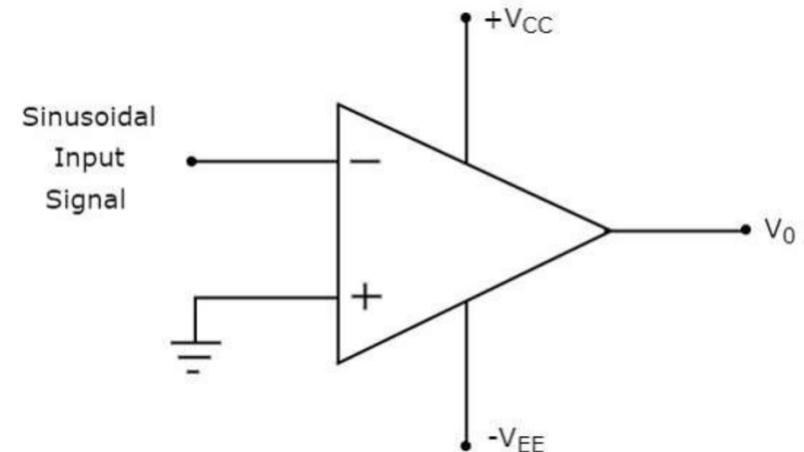
The output value of the comparator indicates which of the inputs is greater or lesser.



Inverting comparator

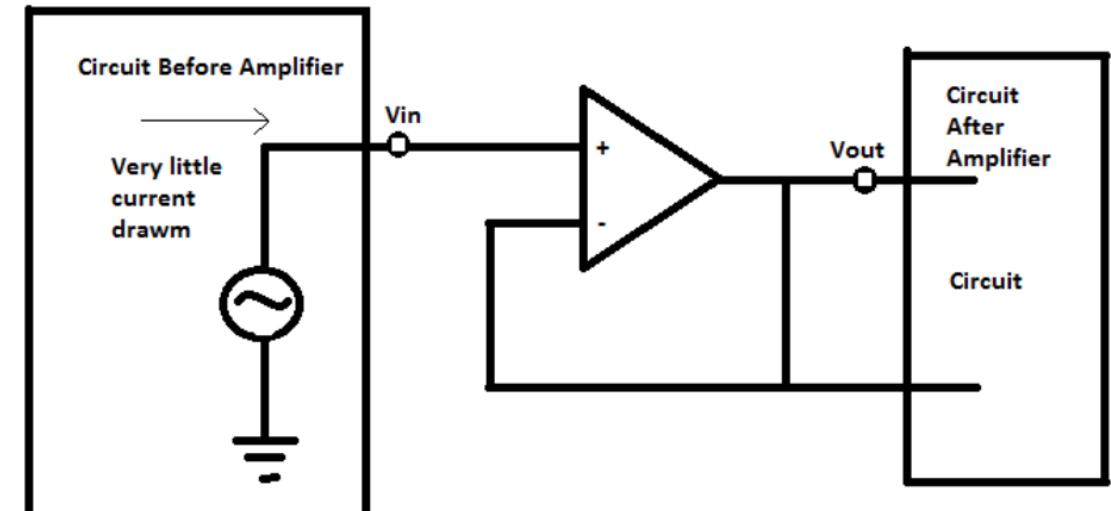
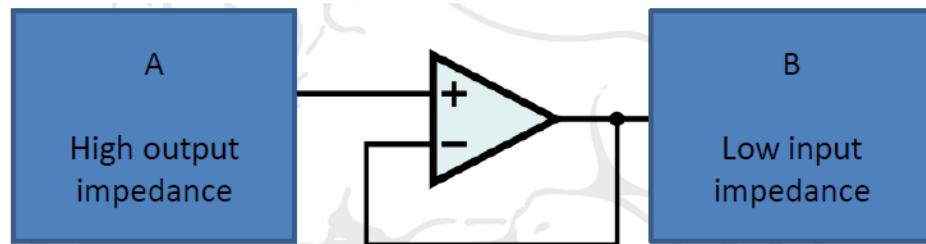
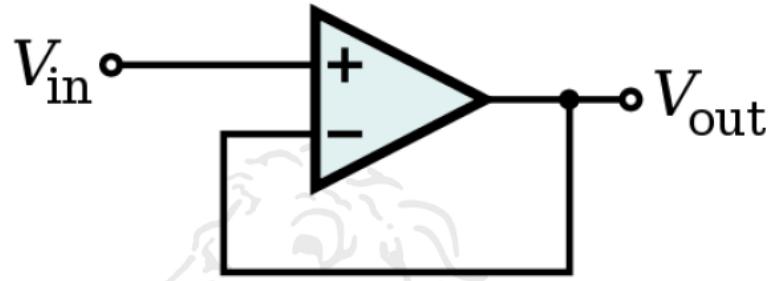


Non-inverting comparator

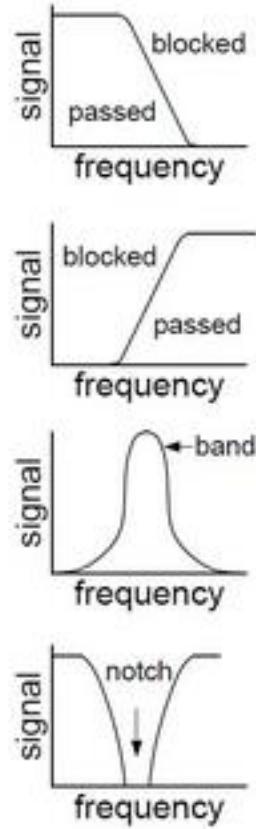
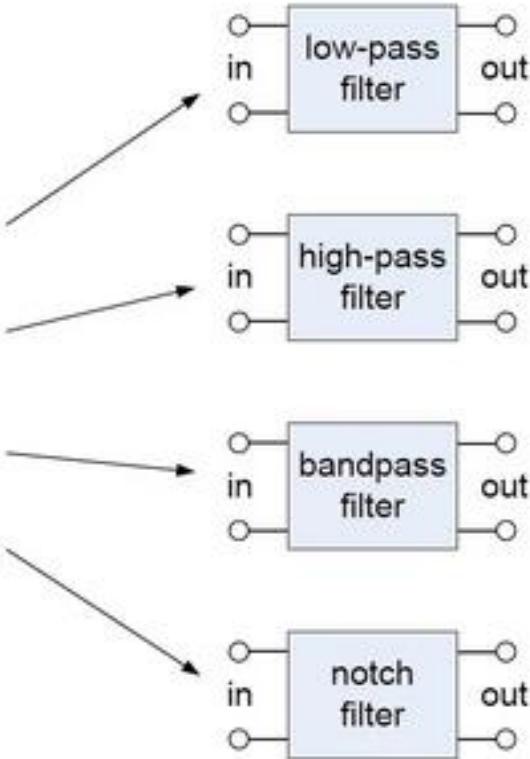
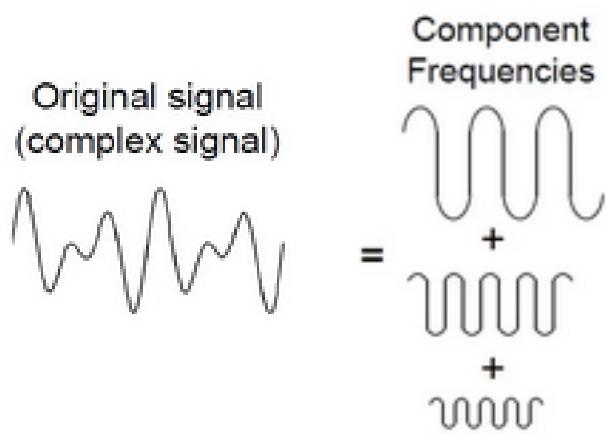


# Op-Amp usages

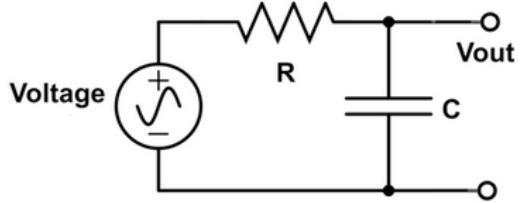
## Buffer/Voltage follower or Isolation Amplifier



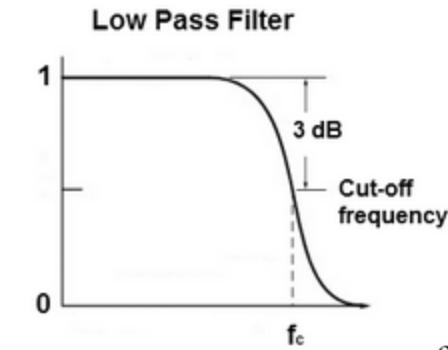
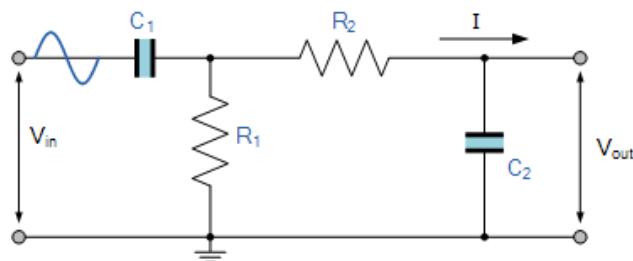
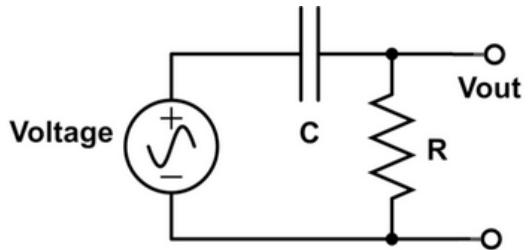
# Electronic Filters



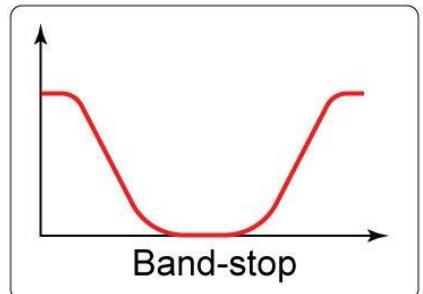
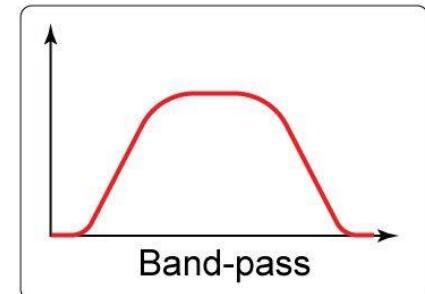
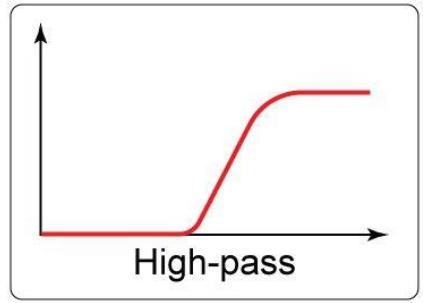
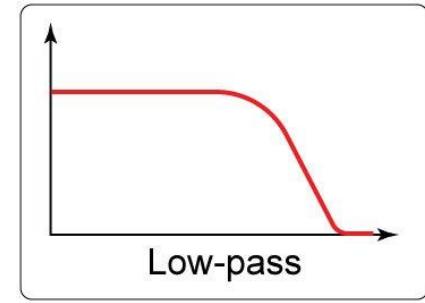
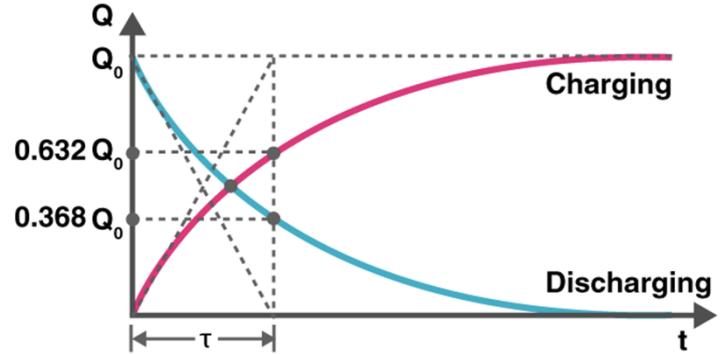
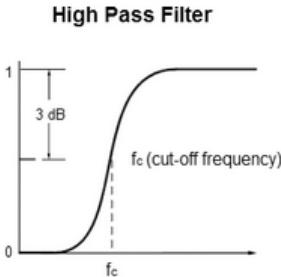
# Filter circuits



$$X_c = \frac{1}{2\pi f C}$$

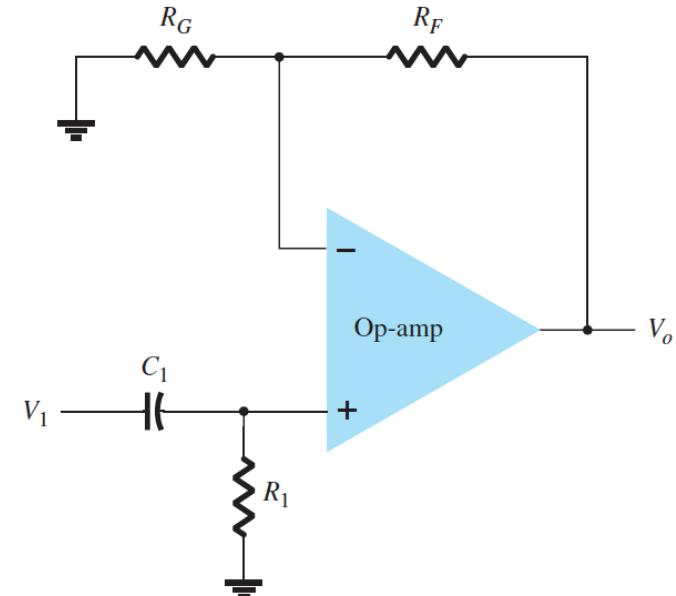
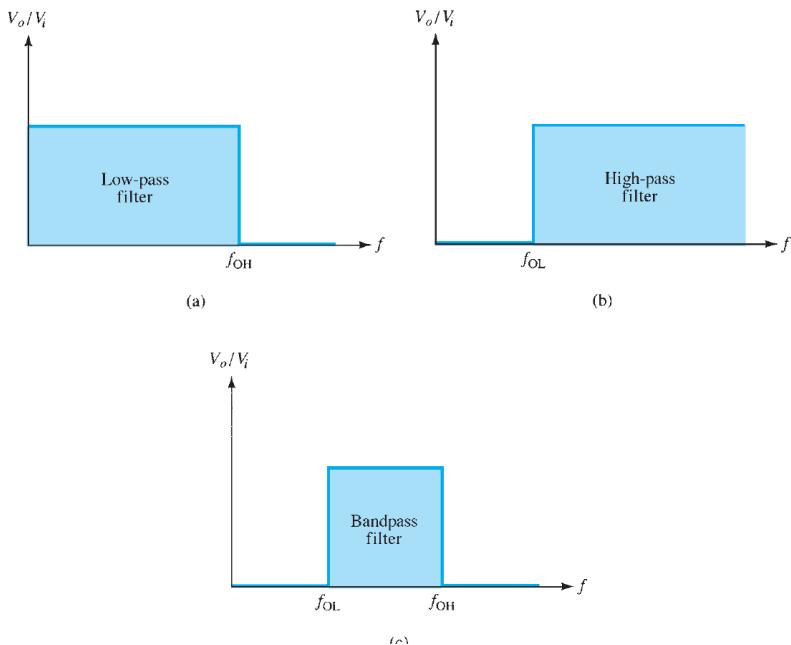


$$f_{\text{cutoff}} = \frac{1}{2\pi RC}$$



# Op-Amp usages

## Op-Amp based active filters



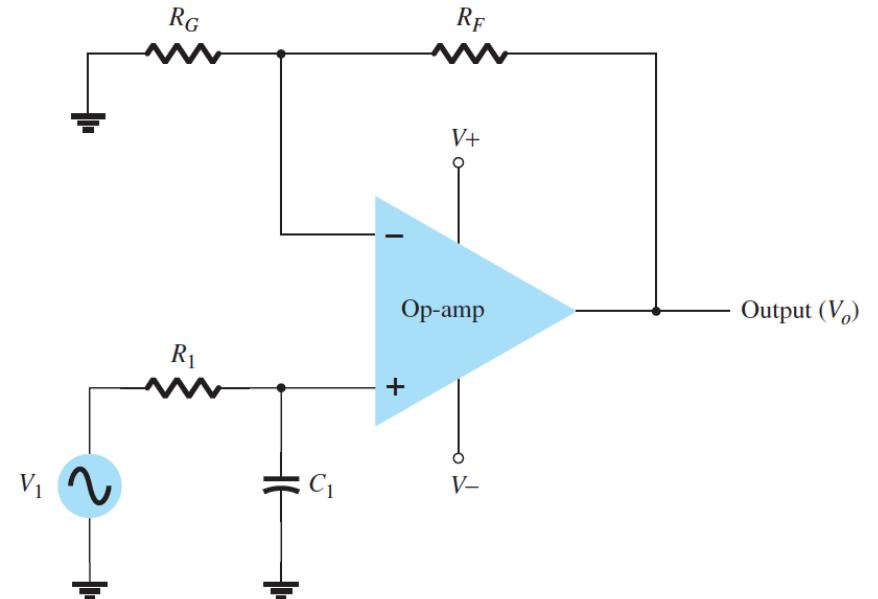
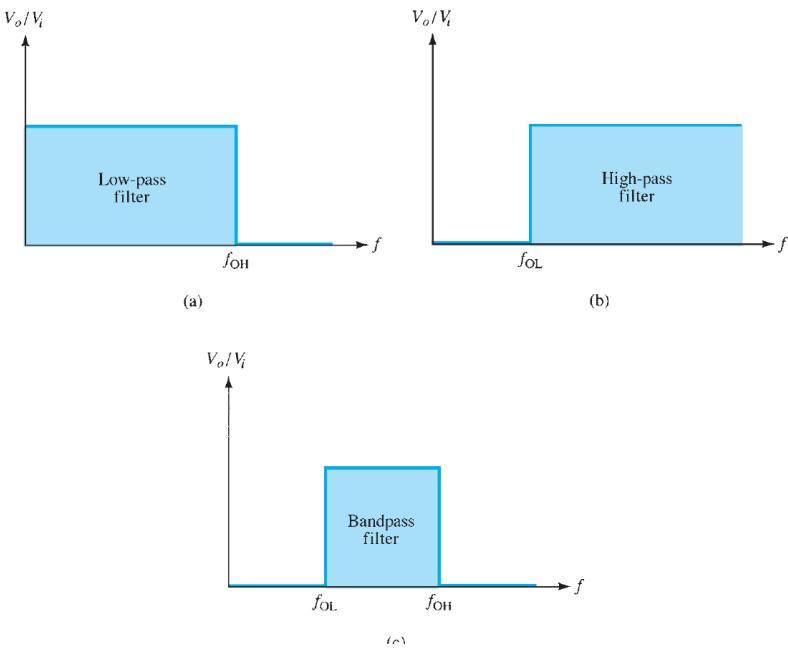
High Pass Filter (LPF)

$$A_v = 1 + \frac{R_F}{R_G}$$

$$f_{OL} = \frac{1}{2\pi R_1 C_1}$$

# Op-Amp usages

## Op-Amp based active filters



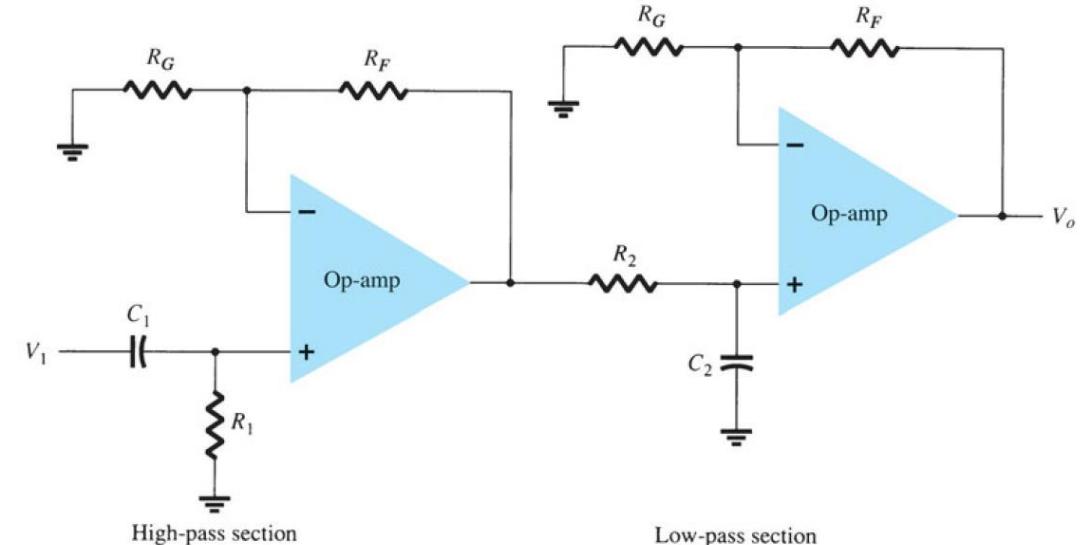
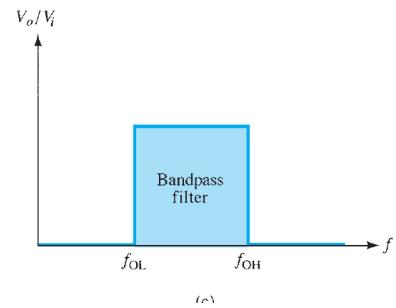
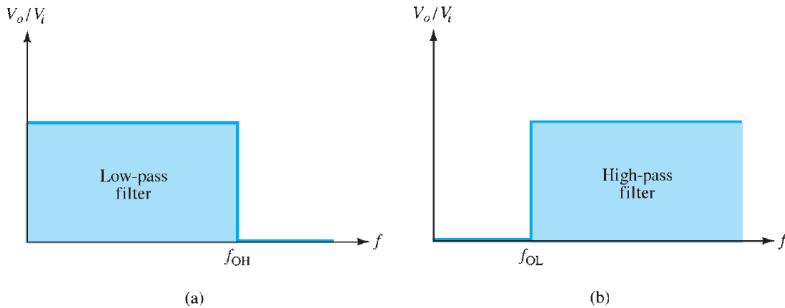
Low Pass Filter (LPF)

$$A_v = 1 + \frac{R_F}{R_G}$$

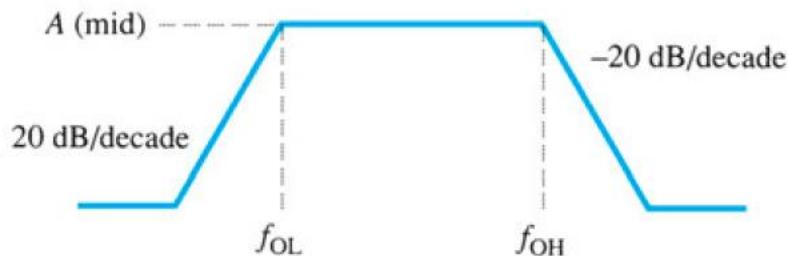
$$f_{OH} = \frac{1}{2\pi R_1 C_1}$$

# Op-Amp usages

## Op-Amp based active filters



**Band Pass Filter (LPF)**



$$f_{OL} = \frac{1}{2\pi R_1 C_1} :$$

$$f_{OH} = \frac{1}{2\pi R_2 C_2} :$$

# **OpAmp and Oscillators**

# Oscillators

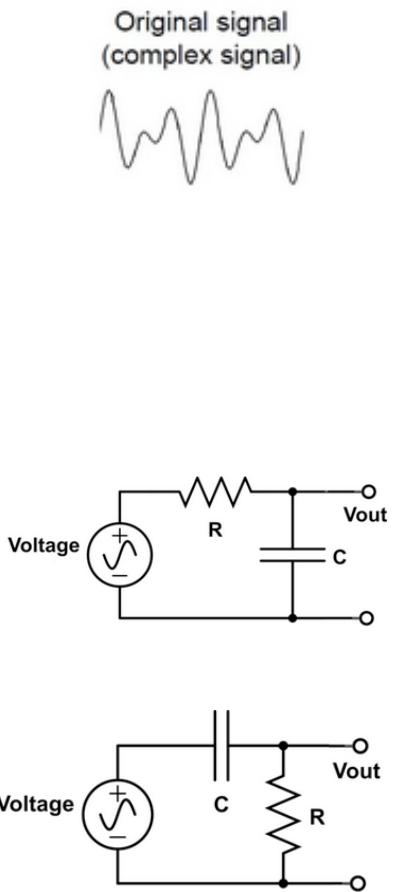
- Oscillation: an effect that repeatedly and regularly fluctuates about the mean value
- Oscillator: circuit that produces oscillation
- Oscillators are signal generators
- **Oscillator is an electronic circuit that generates a periodic waveform on its output without an external signal source.**
  - Except the DC input
- It is used to convert dc to ac – in a way.
- Largely two types of oscillators:
  - Harmonic oscillators: produces a sinusoidal wave
  - Relaxation oscillators: produces non-sinusoidal wave like square wave or sawtooth wave

# Mechanism of an oscillator

- Let's consider the case of harmonic oscillator
- The basic form of a harmonic oscillator is an **electronic amplifier** with the **output** attached to a **narrow-band electronic filter**
- The output of the filter attached to the input of the amplifier
- When the power supply to the amplifier is first switched on, the amplifier's output consists only of noise  
Noise is an unwanted disturbance in an electrical signal consisting of various frequencies.
- The noise travels around the loop, being filtered and re-amplified until it increasingly resembles the desired signal.

**Oscillator = Amplifier + Filter (Frequency Selection) + Positive feedback**

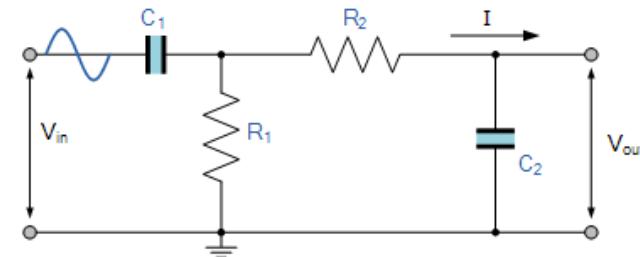
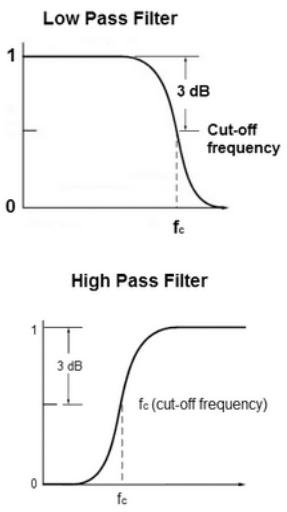
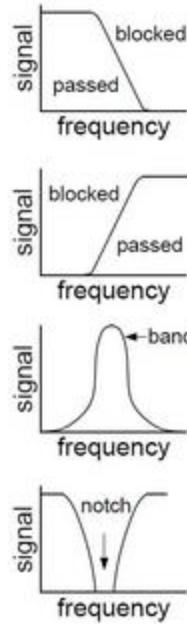
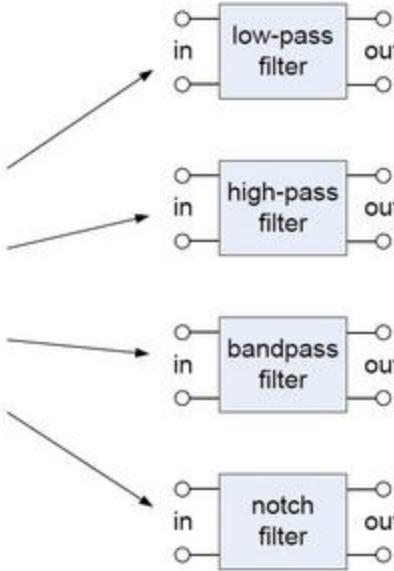
# Electronic Filters



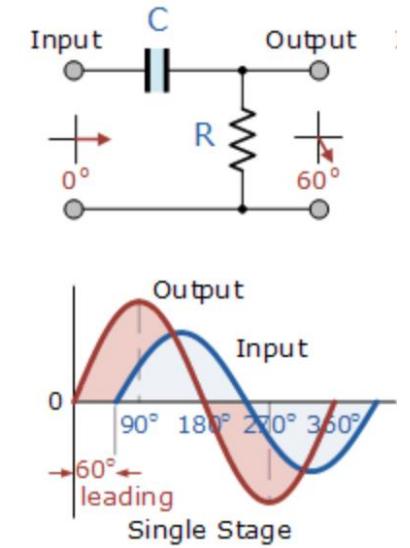
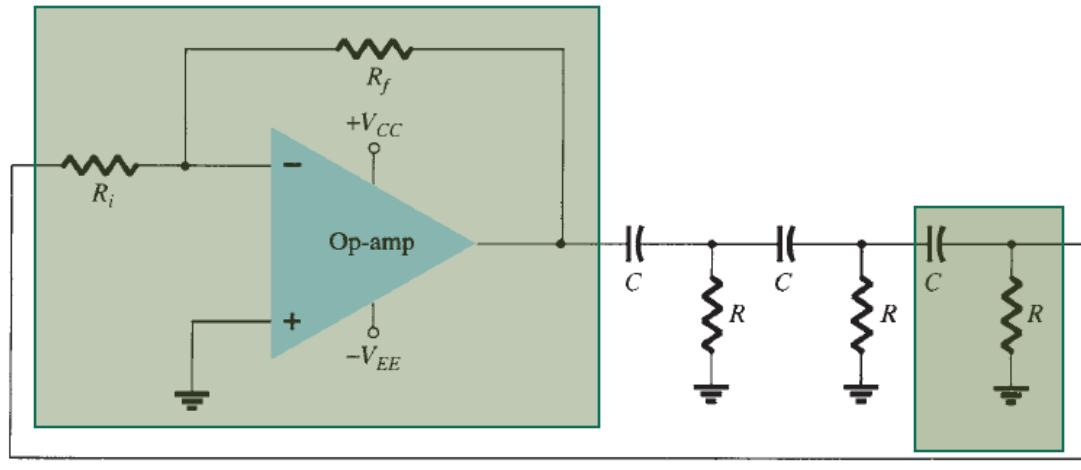
Original signal (complex signal)

=

$$X_c = \frac{1}{2\pi f C}$$

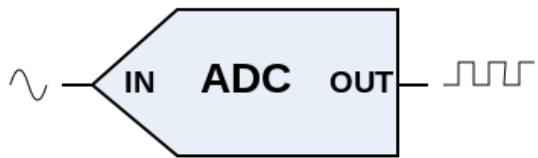


# An oscillator circuit

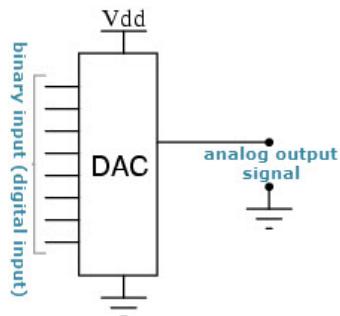


Oscillator = Amplifier + Filter + Positive feedback

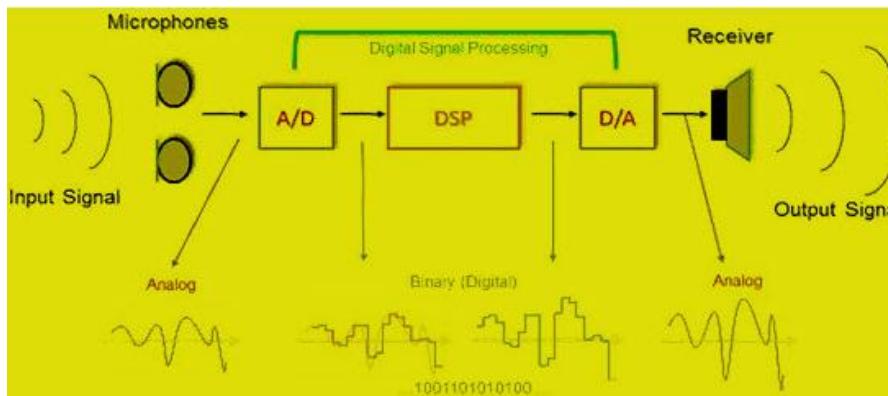
# A-D and D-A converters



Analog to digital converter



Digital to analog converter

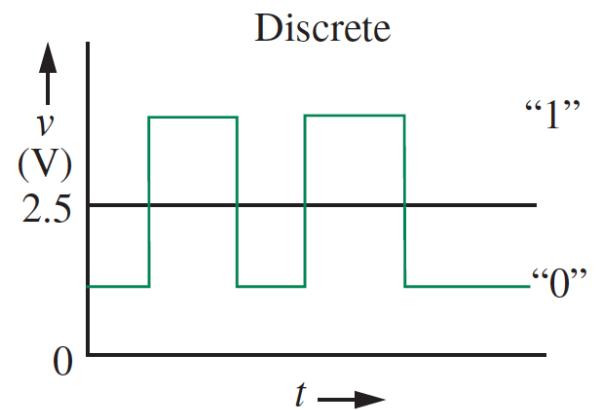
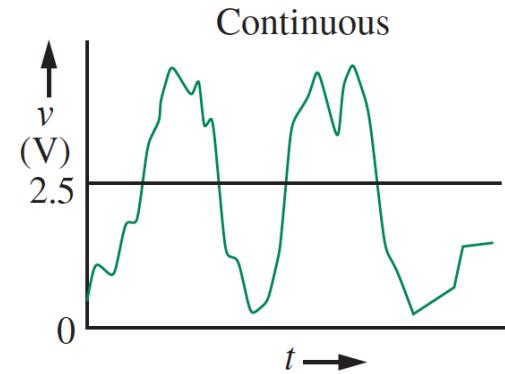


Audio Signal Processing

# Digital Electronics

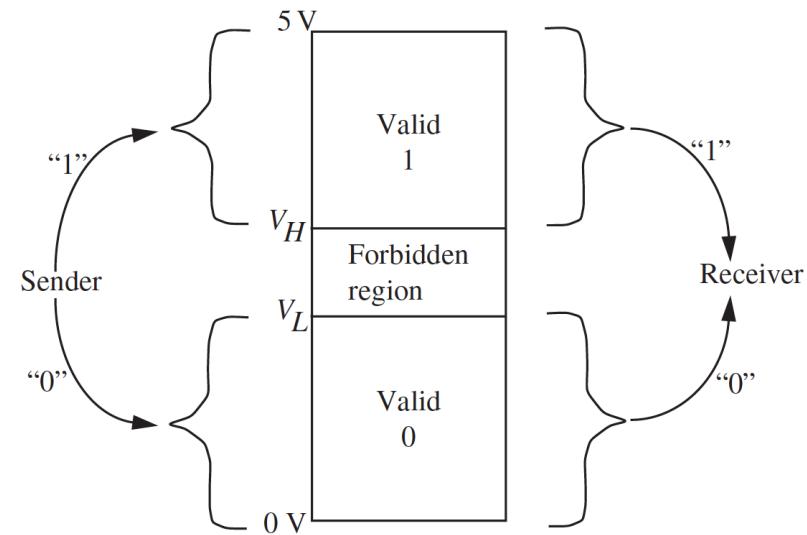
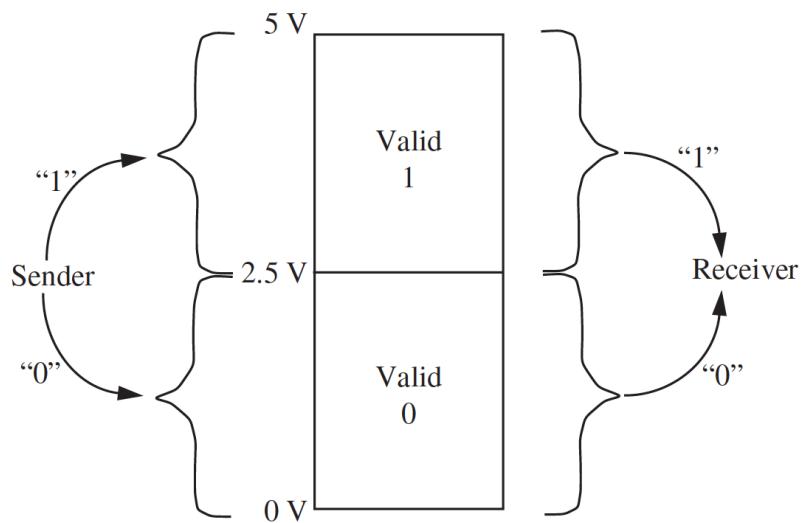
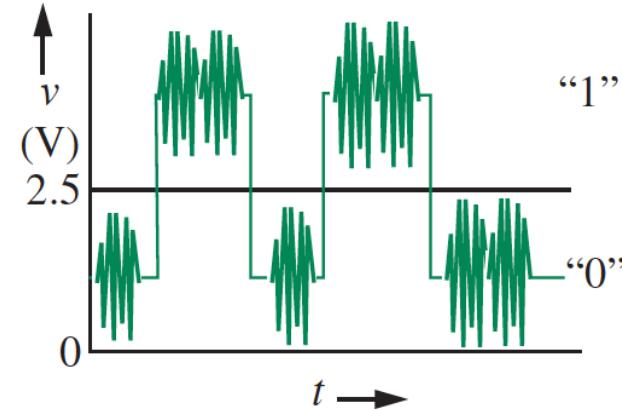
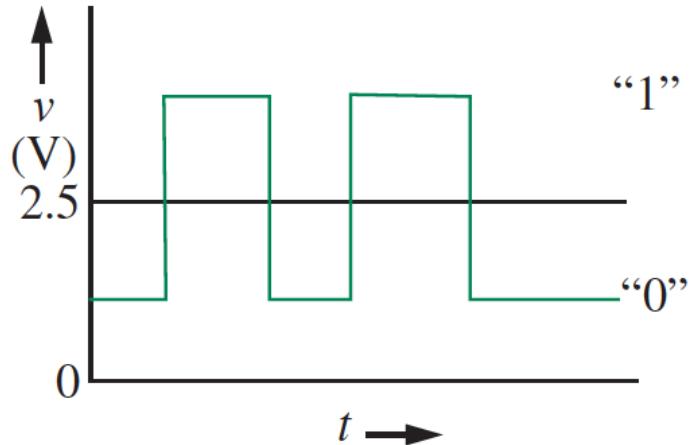
# Introduction to digital systems

- Analog systems
- Computation: mathematical and logical operations.
- Digital electronics
  - All desired mathematical and logical operations are digitized and carried out using digital circuits.
- Number system: binary numbers
- In digital realm, electronic signal is a binary number
- Analysis: Boolean algebra

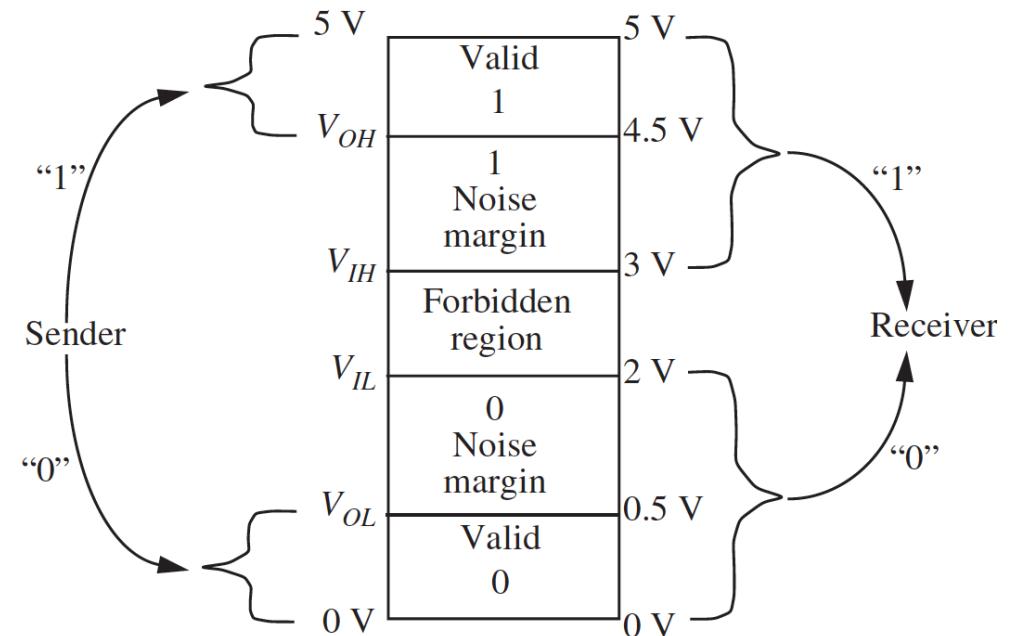
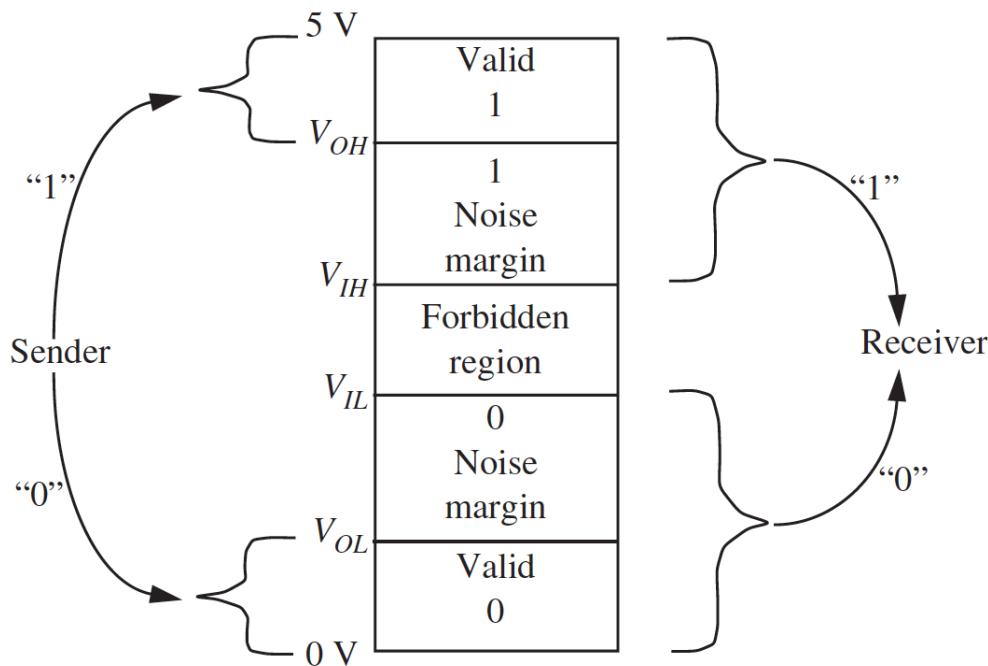


# Digital Signals

Static Discipline



# Digital Signals: considering noise margin



# Boolean Logic

If  $X$  is TRUE AND  $Y$  is TRUE then  $Z$  is TRUE else  $Z$  is FALSE.

$$Z = X \text{ AND } Y.$$

$$Z = X \cdot Y = XY.$$

X	Y	Z
0	0	0
0	1	0
1	0	0
1	1	1

If  $(A$  is TRUE) OR  $(B$  is NOT TRUE) then  $(C$  is TRUE) else  $(C$  is FALSE)

$$C = A + \bar{B}.$$

# Boolean Algebra

Algebra is the abstract study of number systems and operations within them

- Field
- Operation(s)

**Thank you**