

AEC ASSIGNMENT -4

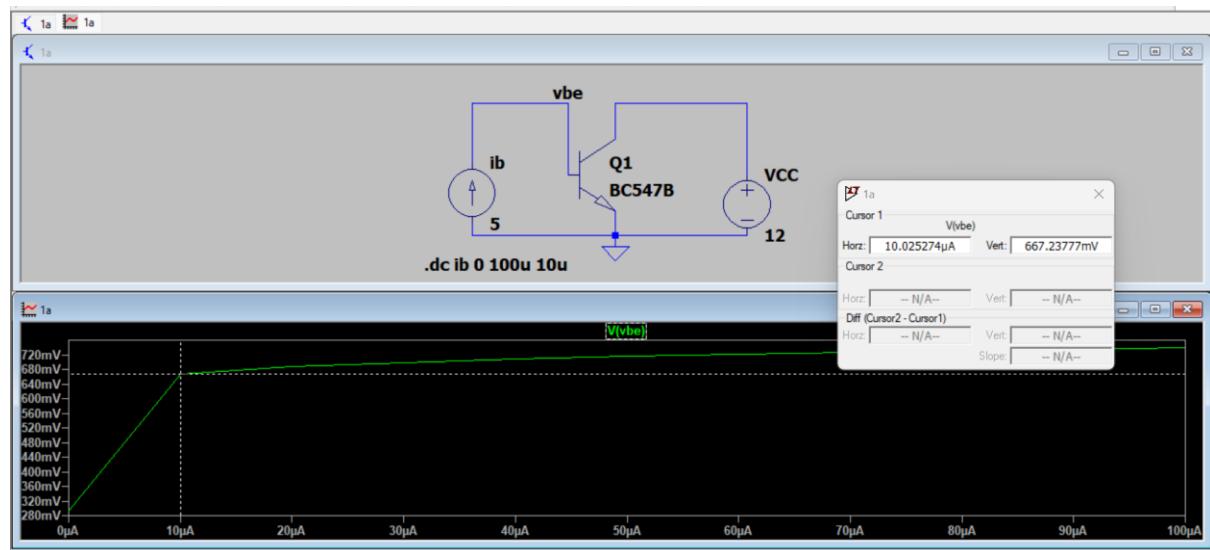
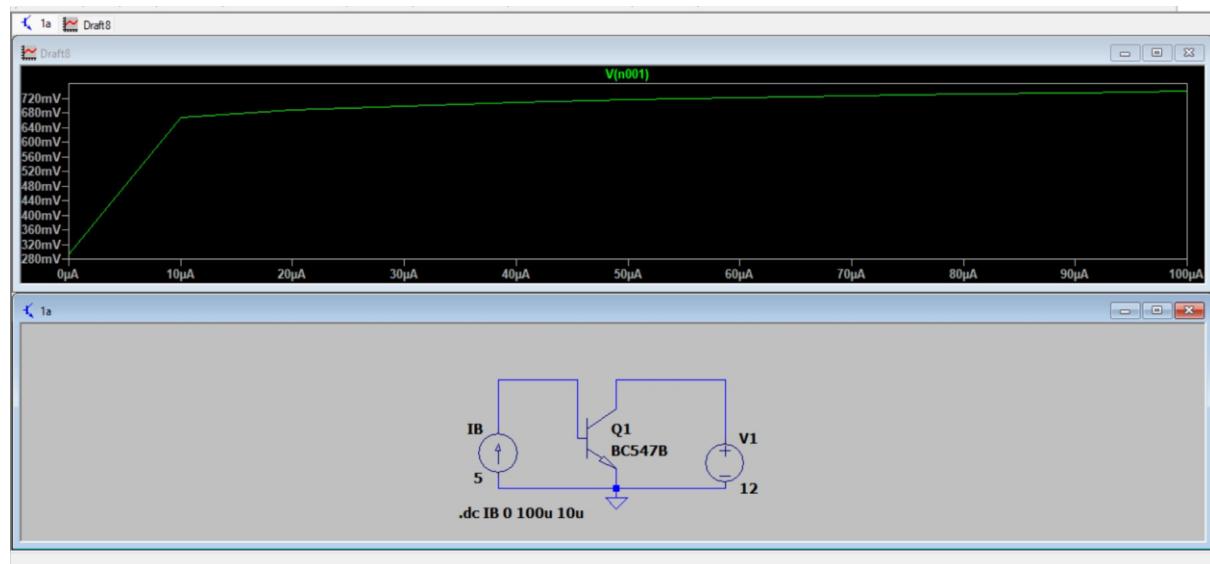
Name: Ande KarthiK

Roll No:- 2023102009

1)

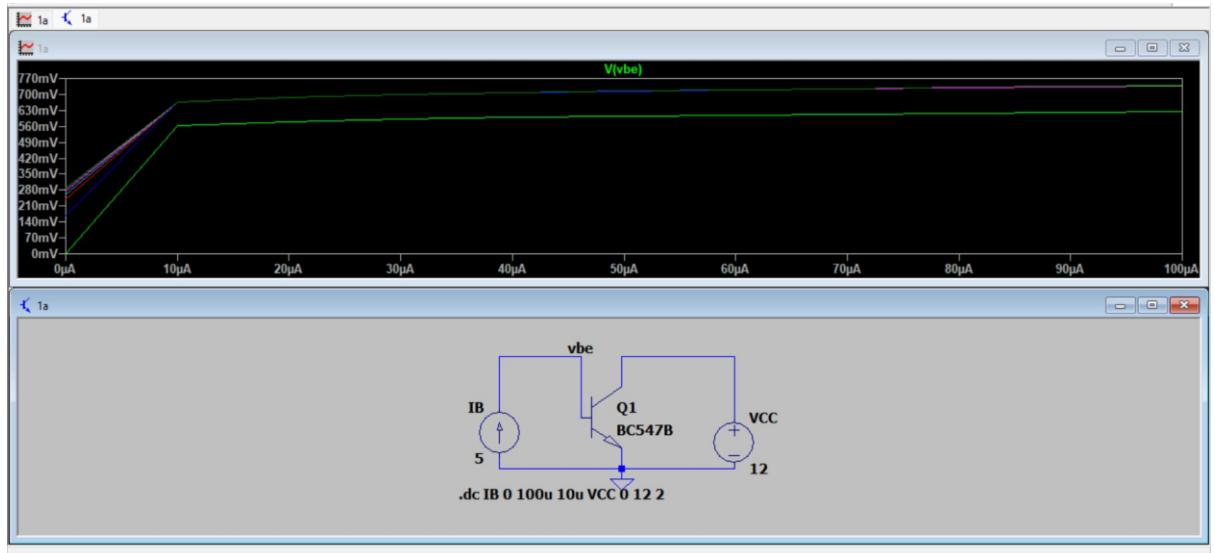
- a) Given to sweep IB from 0 to 100uA with a step size of 10uA.

After sweeping IB and plotting VBE vs. IB, the graph obtained is as follows :

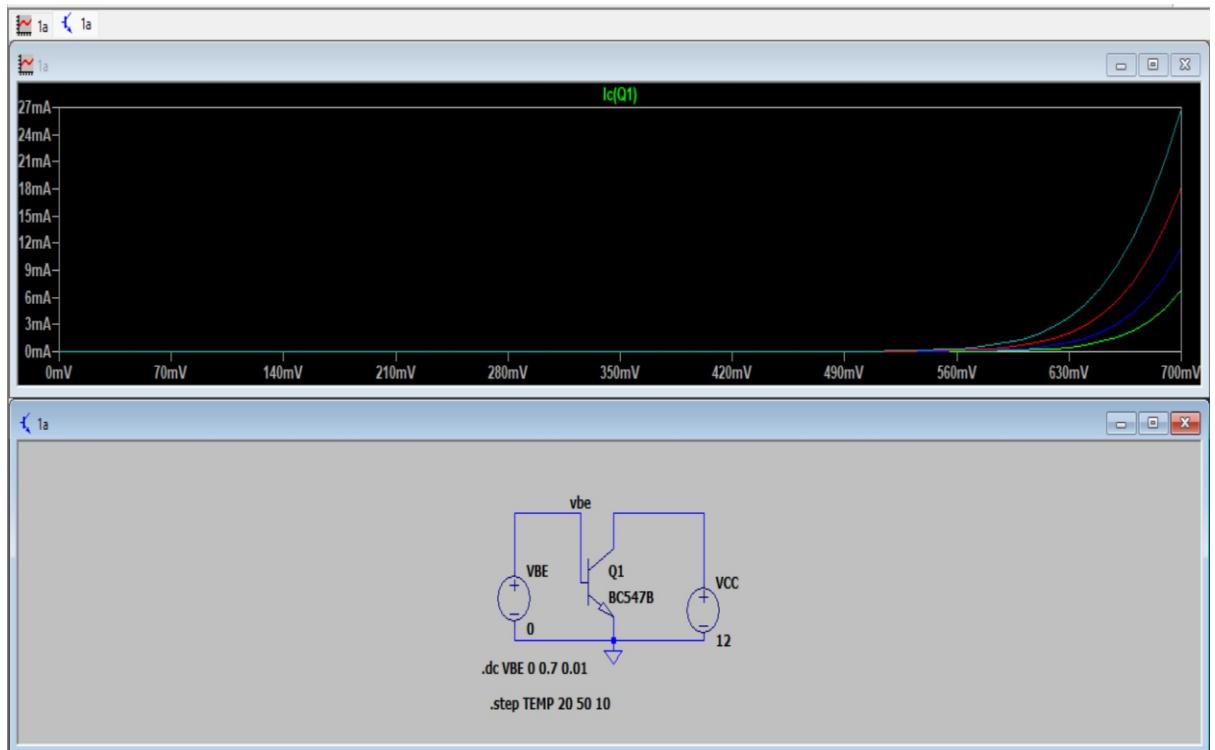


→ Forward bias emitter-base junction (EBJ) voltage = 667.23777 mV.

After conducting an experiment where the IC (collector current) was plotted against VBE (base-emitter voltage) for a given value of VCC (collector-emitter voltage) at different temperatures, the resulting plot is as follows:



b)



As temperature Increases ,

$$V_T = \frac{kT}{q}$$

$$I_C = I_S \cdot e^{V_{BE}/V_T}$$

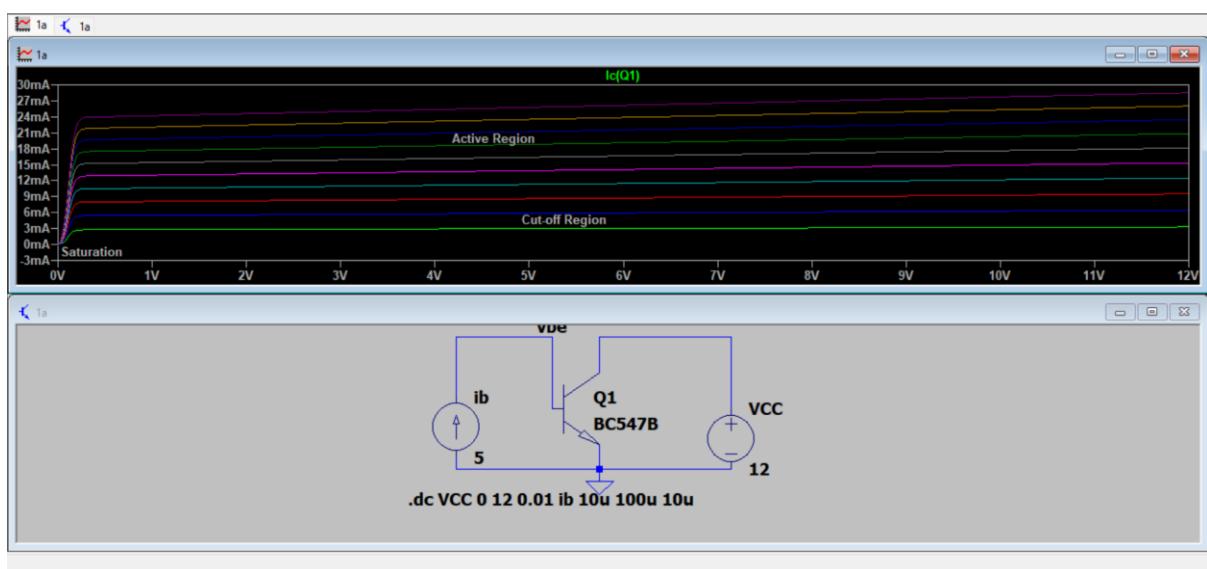
∴ As temperature Increases , V_T Increases .

∴ e^{V_{BE}/V_T} decreases

∴ I_C value ↓ses [Decreases]

∴ we get a graph with lower slope .

c) plot of IC vs VCE by sweeping VCC from 0 to 12 V in step size of 0.01 V and sweeping IB = 0 μ A to 100 μ A in step size of 10 μ A :-



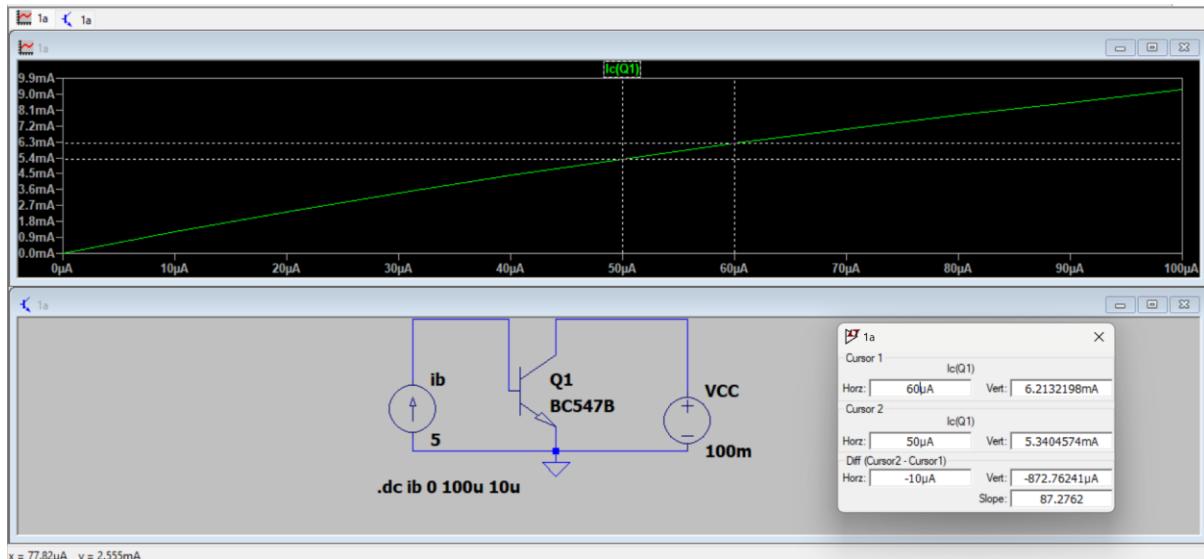
The impacts of various biasing scenarios on the BJT are visible in the two charts above. Forward biasing occurs at the emitter and collector junctions in saturation mode. The lower I_c/I_b ratio indicates a low amount of amplification as a result of this huge current flowing from the emitter to the collector.

We can see how various biasing scenarios affect the BJT in the two plots above. Both the emitter and collector junctions are forward-biased in saturation mode. The lower I_c/I_b ratio indicates that there is less amplification as a result of allowing a significant amount of current to travel from the emitter to the collector.

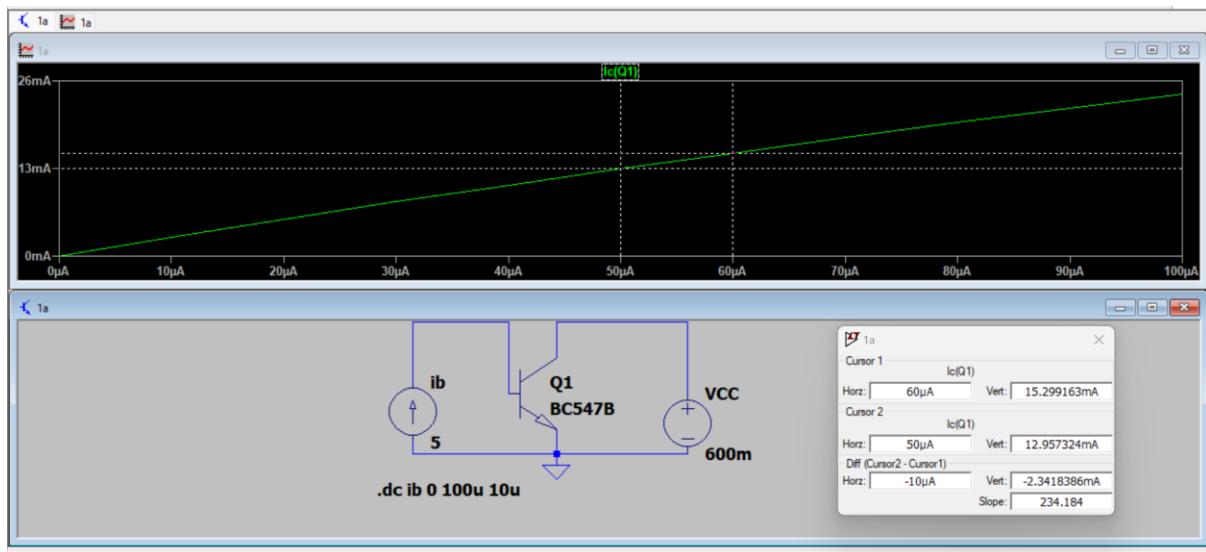
On the other hand, the collector junction is reverse-biased and the emitter junction is forward-biased in the active state. As a result, as indicated by the greater I_c/I_b ratio, a tiny base current governs a big collector current, resulting in a high degree of amplification. It is this biasing configuration that makes the BJT an efficient amplifier.

A forward biased transistor enters the saturation state, which lowers the collector current, at the collector-emitter junction. A reverse biased collector-emitter junction causes a transistor to enter the saturation state, which raises the current gain of the transistor.

tabulate incremental current gain $\beta = \Delta I_C / \Delta I_B$ in saturation (at $V_{CE} = 100$ mV) and active (at $V_{CE} = 600$ mV) mode :-



IB	IC
50uA	5.3404mA
60uA	6.2132mA



IB	IC
50uA	12.966mA
60uA	15.305mA

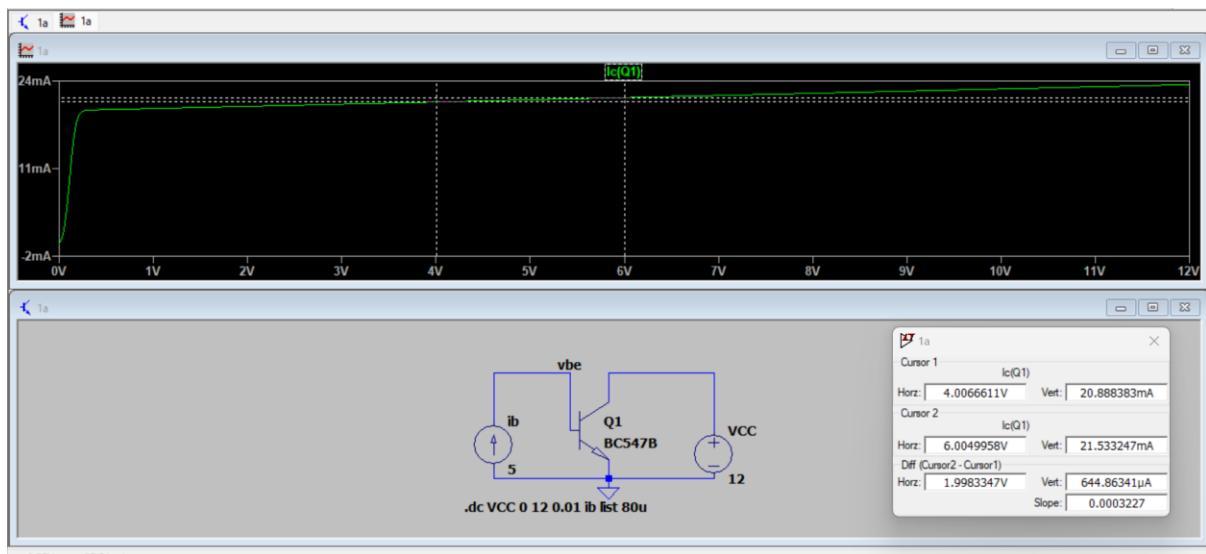
Table of current gain $\beta = IC/IB$ at VCE = 1 V

for different values of IB:

IB	IC	Beta
0uA	18.045pA	undefined
10uA	2.8006mA	280.06
20uA	5.4929mA	274.645
30uA	8.065mA	268.833
40uA	10.551mA	263.775
50uA	12.957mA	259.14
60uA	15.329mA	255.483
70uA	17.596mA	251.371
80uA	19.803mA	247.537
90uA	21.954mA	243.933
100uA	24.052mA	240.52

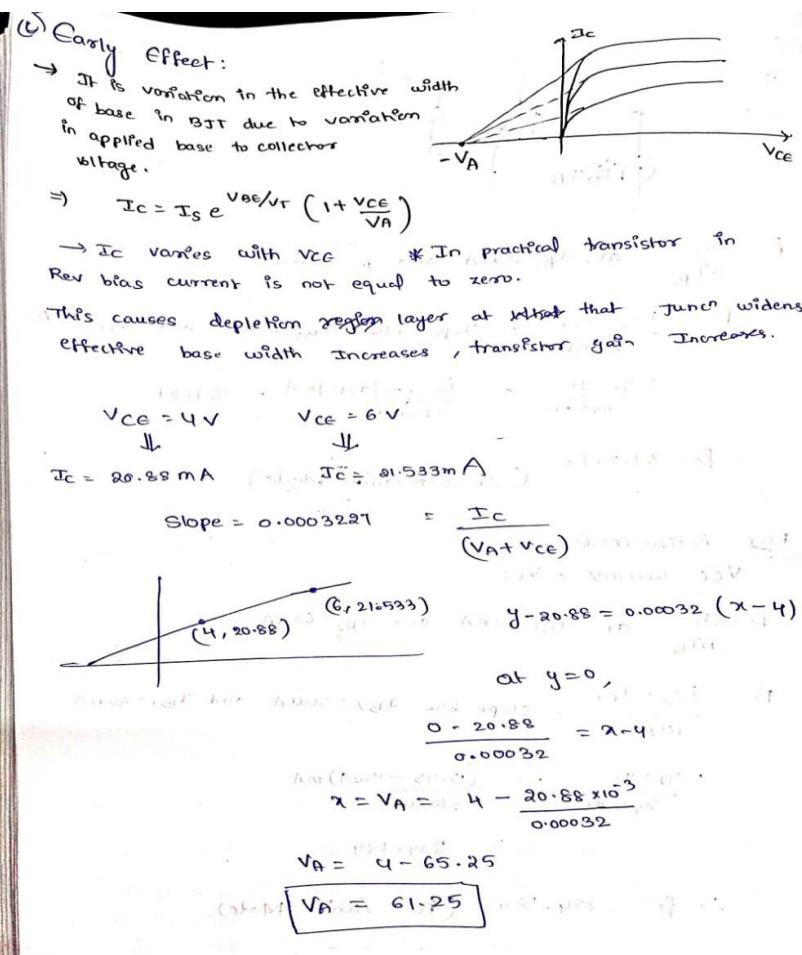
β value taken :

Average Beta(β) Value = 258.528(259 approx).



Calculation of VA:

EARLY EFFECT



Question 2:

BJT amplifier analysis and design:

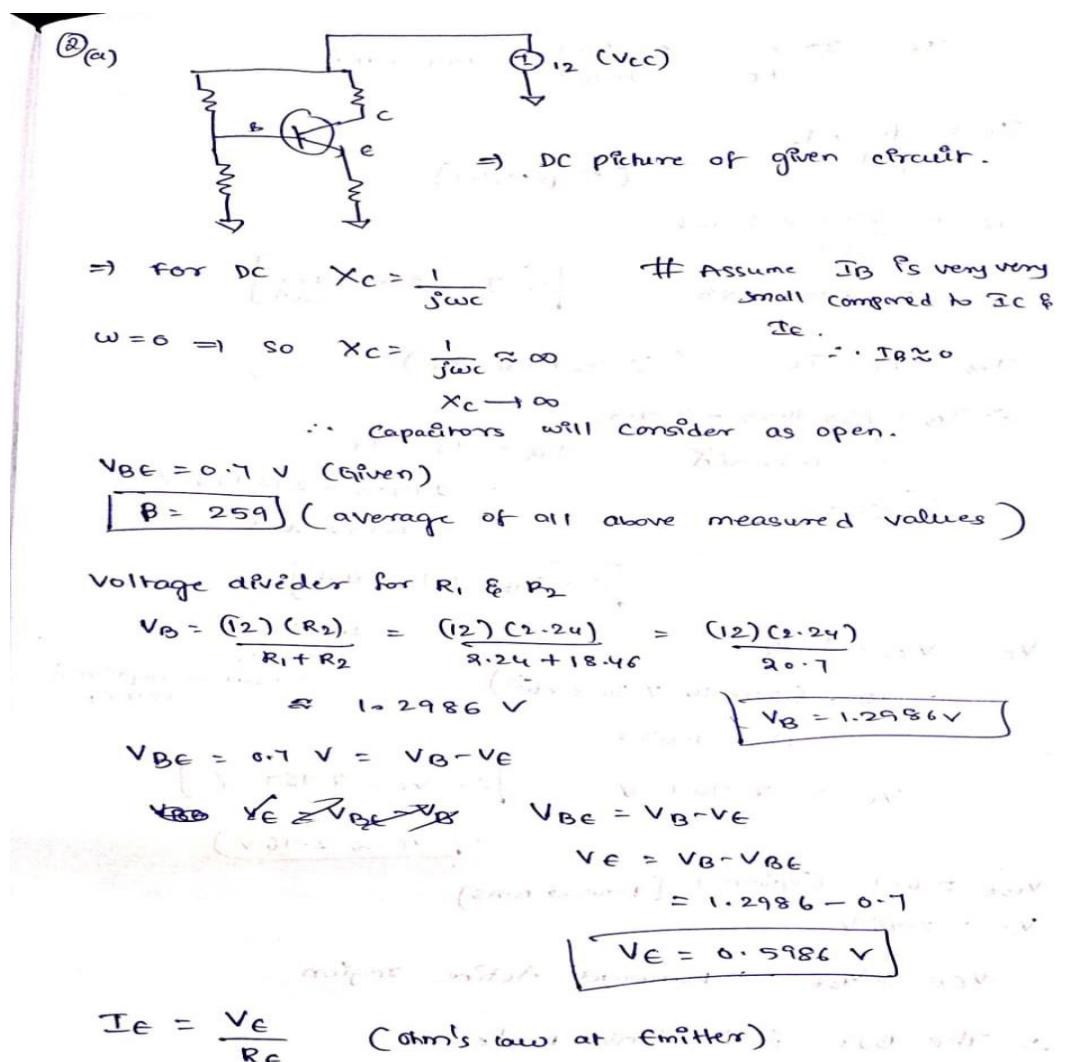
Given that $V_{CC} = 12 \text{ V}$

$C_B = 10 \mu\text{F}$, $C_C = 10 \mu\text{F}$, $C_E = 100 \mu\text{F}$

$R_1 = 18.46 \text{ k}\Omega$, $R_2 = 2.24 \text{ k}\Omega$, $R_E = 2 \text{ k}\Omega$, $R_C = 30.3 \text{ k}\Omega$, $R_L = 1 \text{ k}\Omega$

$$v_{in} = V_m \sin(2\pi f_o t) \text{ V}$$

$$f_o = 1 \text{ kHz}$$



$$I_E = \frac{V_E}{R_C} = \frac{0.5986}{2 \times 10^3} = 299.3 \mu A$$

$$I_C = \frac{\beta}{\beta+1} \times I_E$$

$(\because \beta \approx 259)$

$$I_C = \frac{259}{260} \times 299.3$$

$$= 298.1488$$

$$\therefore I_C = 298.1488 \mu A$$

$$I_B = I_E - I_C \quad (\because I_C + I_B = I_E)$$

$$\therefore I_B = 299.3 - 298.1488$$

$$= 1.152 \mu A$$

$$I_B = I_E - I_C$$

$$= 299.3 - 298.1488$$

$$= 1.152 \mu A$$

$$\therefore I_B = 1.152 \mu A$$

$$V_C = V_{CC} - I_C R_C$$

$$= 12 - (298.14 \times 30.3 \times 10^{-3})$$

$$= 12 - 9.033$$

$$I_B \ll I_C = 0V$$

$$I_B \ll I_E$$

\rightarrow our assumption is correct.

$$V_C = 2.967 V$$

$$\therefore V_C = 2.967 V$$

$$\therefore V_C \approx 2.96 V$$

$$V_{BE} \approx 0.7 \text{ V} \quad (\text{Given}) \quad [\text{forward bias}]$$

$$V_C = 2.96 V$$

$$V_{CE} > V_{BE} \rightarrow \text{Forward Active region}$$

\therefore The BJT is in Active mode.

(b)

	Theoretical value	Experimental value
V_E	0.5956 V	0.686 V
V_B	1.298 V	1.296 V
V_C	2.907 V	1.6465 V
I_B	1.152 μ A	1.23 μ A
I_C	298.148 μ A	340.83 μ A
I_E	299.3 μ A	342 μ A

(c) calculation of g_m , r_T , r_o : (using taught formulae)

We know, $g_m = \frac{I_C}{V_T} = \frac{298.148 \mu\text{A}}{25 \text{ mV}}$

$$= 11.925 \times 10^3 \text{ Siemens}$$

Now, $r_T = \frac{V_T}{g_m} = \frac{25}{11.925 \times 10^3}$

$$= \frac{25000}{11.925} = 21719.077 \Omega$$

$$= 21719.077 \Omega \text{ (2)}$$

And r_o (Output Impedance) $= R_L || R_C$



$$= \frac{R_L \cdot R_C}{R_L + R_C} = \frac{(1) \times (30.3) \times 10^3}{(1 + 30.3) \times 10^3}$$

$$= 968.051 \Omega$$

$$= 968.051 \times 10^3 \Omega$$

Also, if we consider early effect

→ We have to add an other resistance to R_C and R_L .

$$r_o \text{ (Resistance due to early effect)} = \frac{V_A}{I_C} \quad \text{where } V_A = 61.25 \times 10^6 \text{ and } I_C = 298.148$$

$$r_o = \frac{61.25 \times 10^6}{298.148} \approx 205.434 \text{ K}\Omega$$

d)

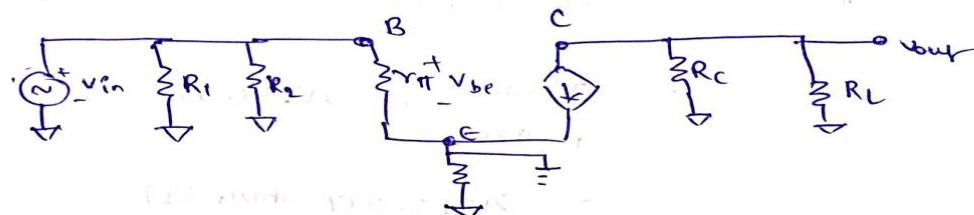
(a) In small signal equivalent of circuit:

Replacing DC sources with AC equivalent.

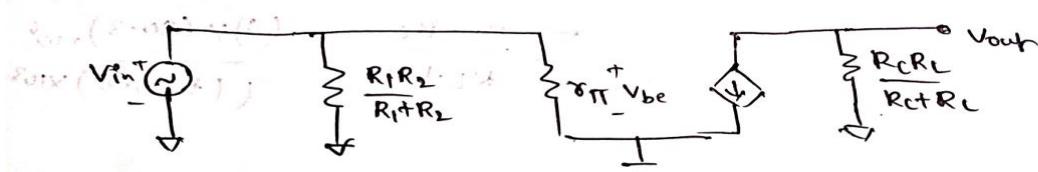
$$\text{* capacitor: } X_C = \frac{1}{j\omega C}$$

We have to replace R_C with $\frac{1}{j\omega C}$. If $\omega \rightarrow \infty$, $R_C \rightarrow 0$

∴ Equivalent circuit



Small signal equivalent circuit:



(c) $A_v = \frac{V_{out}}{V_{in}}$ \rightarrow voltage gain expression for small signal.

$$A_v = \frac{V_{out}}{V_{in}}$$

$$\Rightarrow \frac{V_{out}}{R_L} + \frac{V_{out}}{R_C} = -g_m V_{be}$$

$$V_{out} \left[\frac{1}{R_L} + \frac{1}{R_C} \right] = -g_m V_{be}$$

$$\left| \frac{V_{out}}{V_{in}} \right| = \left| -g_m (R_C \parallel R_L) \right|$$

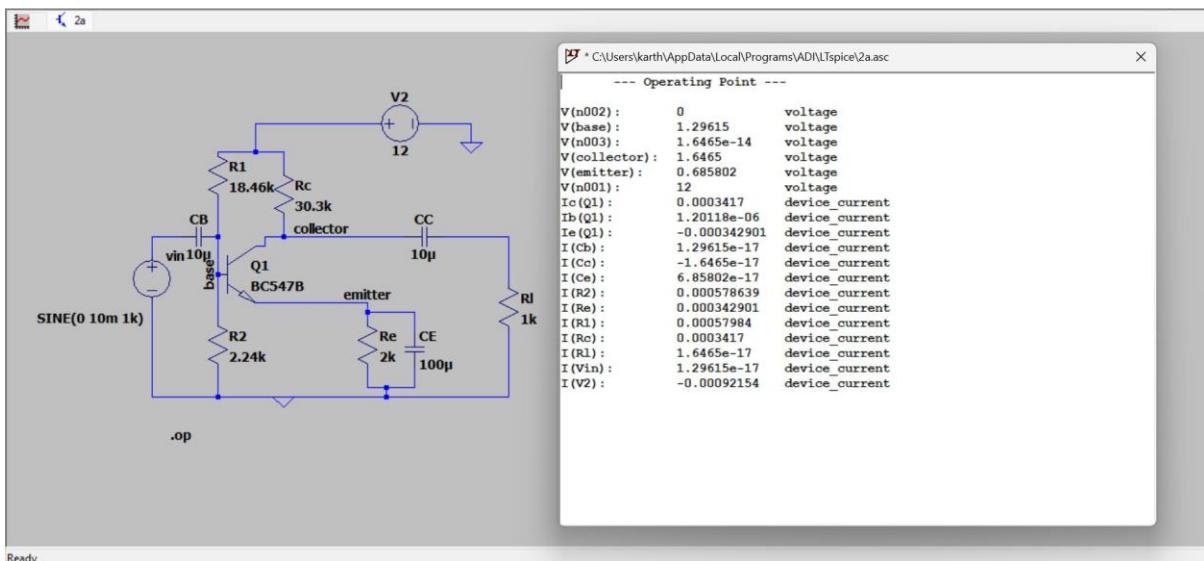
$$= |-g_m r_0| \text{ (BJT model)}$$

$$A_v = (0.0118)(968.05)$$

$$= 11.481$$

$$\text{Exp. } 11.481$$

-ve sign represents the phase will change by 180° .



f)

$$(f) V_{in} = V_m \sin(2\pi f_0 t); \text{ if } f_0 = 1 \text{ kHz}$$

$$\text{Given } V_m = 10 \text{ mV}$$

$$\therefore V_{in} = (10 \times 10^{-3}) \sin(2\pi f_0 t)$$

$$\therefore V \text{ (peak to peak)} \text{ of } V_{in} = 10 \times 2 = 20 \text{ mV}$$

$$V \text{ (peak to peak)} \text{ of } V_{out} = 114.22 \times 2$$

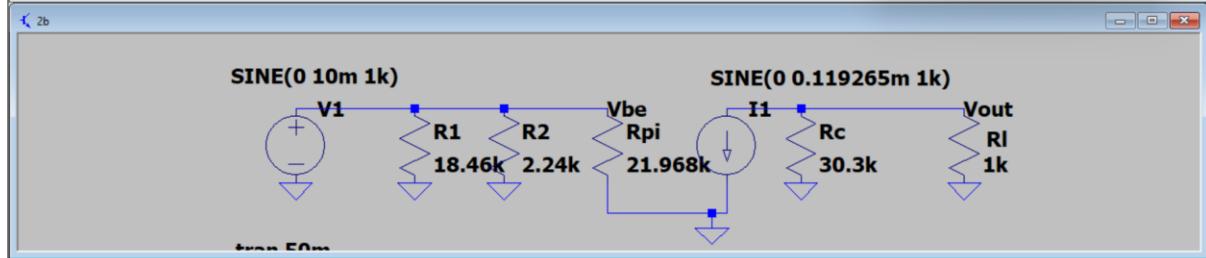
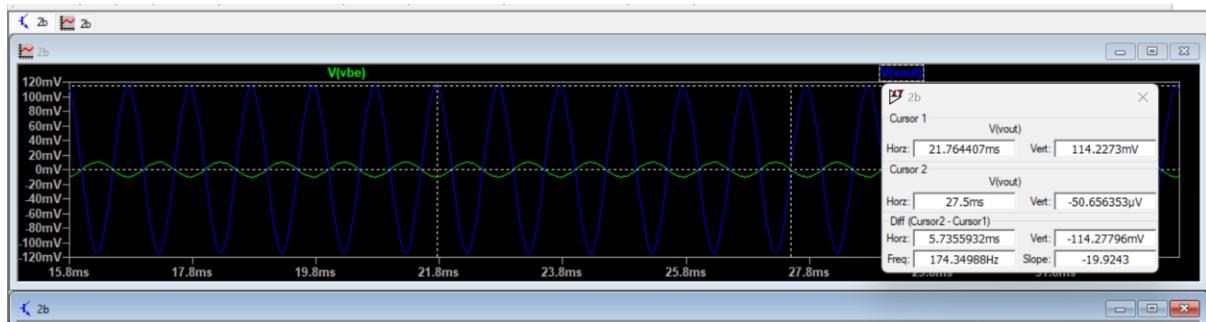
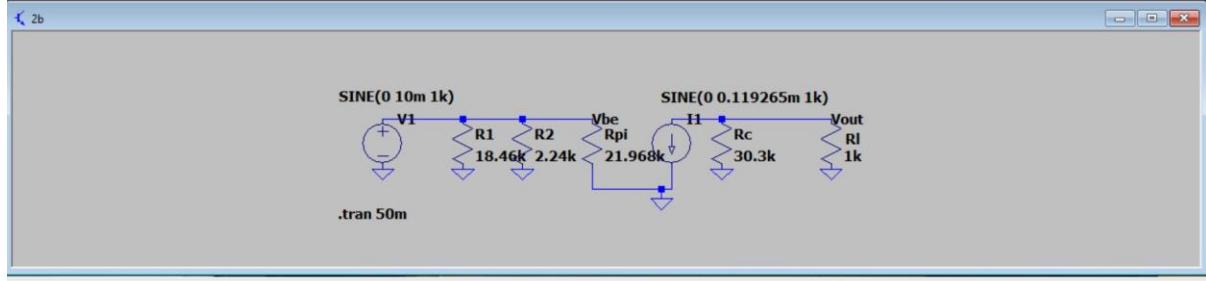
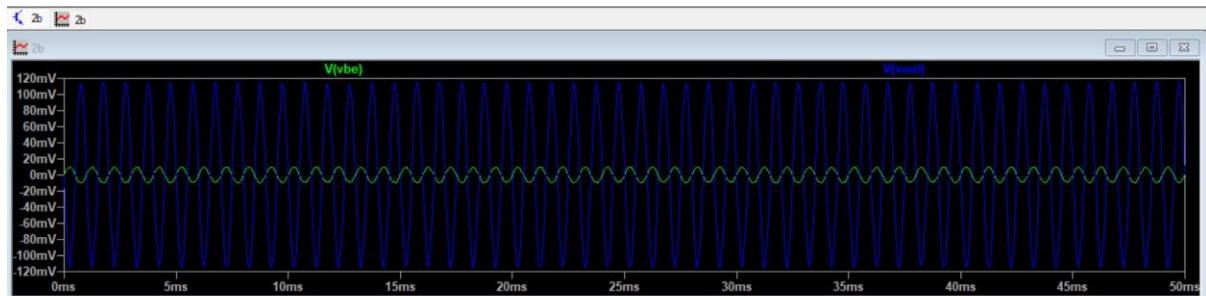
$$= 228.44 \text{ mV}$$

$$\therefore \text{therefore Gain } A_V = \frac{V_{out}}{V_{in}}$$

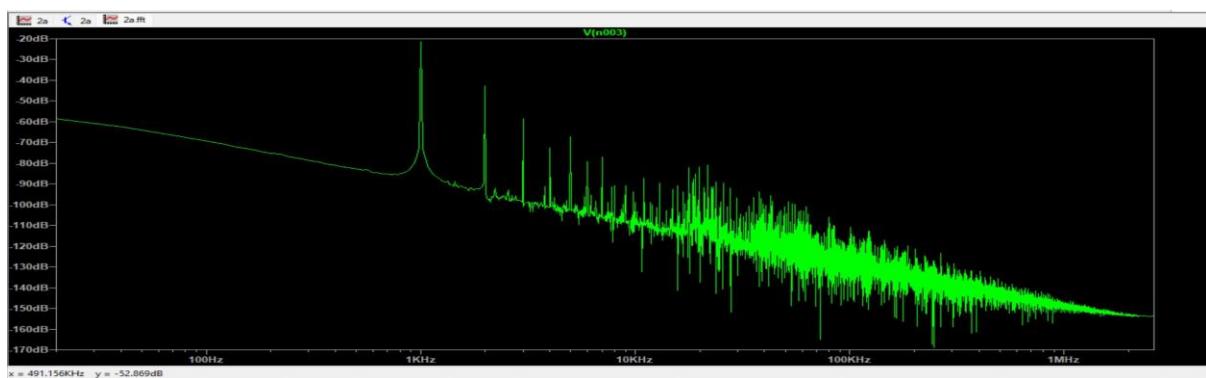
$$= \frac{228.44 \text{ mV}}{20 \text{ mV}}$$

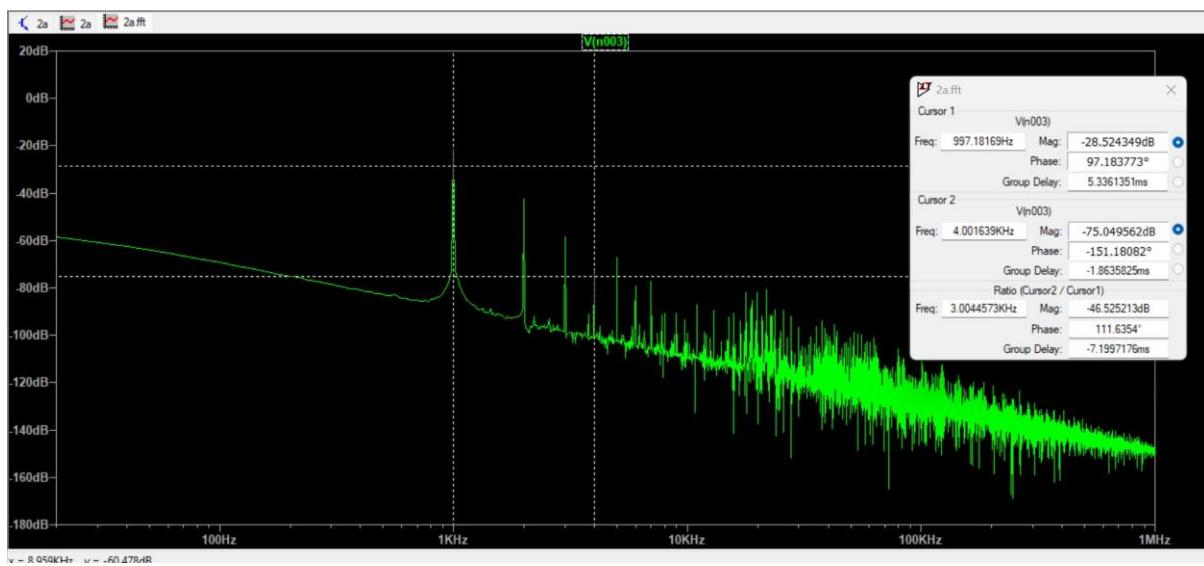
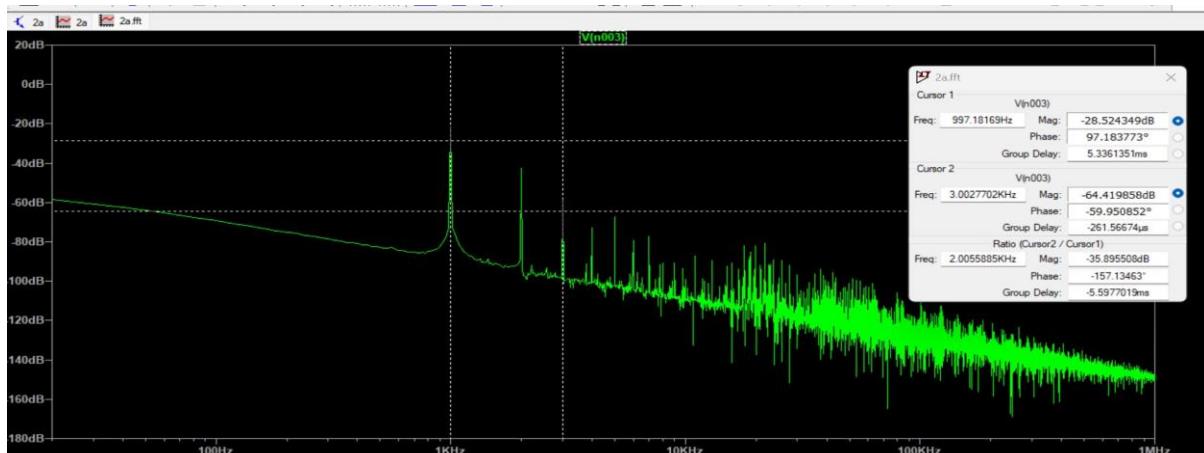
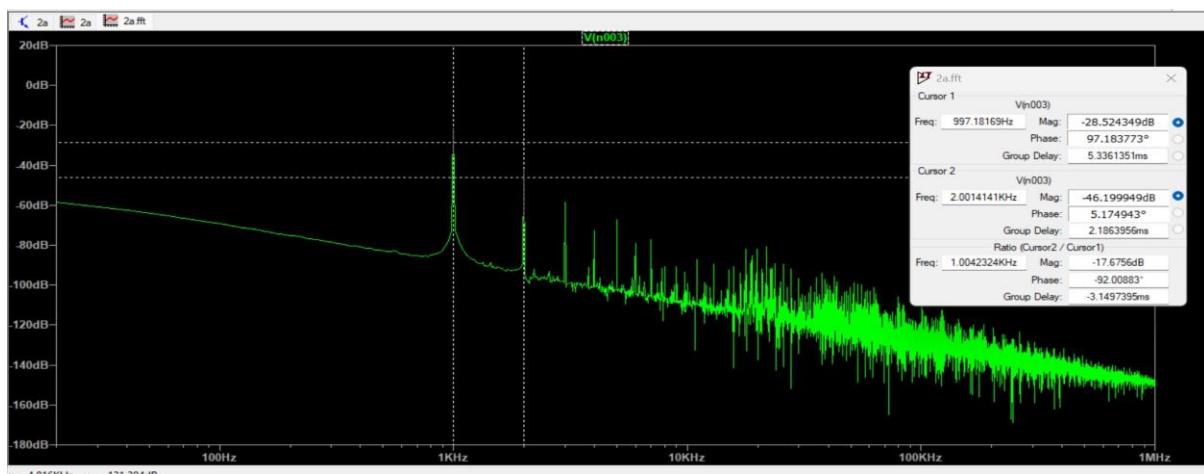
$$= 11.422$$

$$\therefore \text{gain} = A_V = \frac{V_{out}}{V_{in}} = 11.422 \text{ (This is good as it is enough after rounding off)}$$



g)



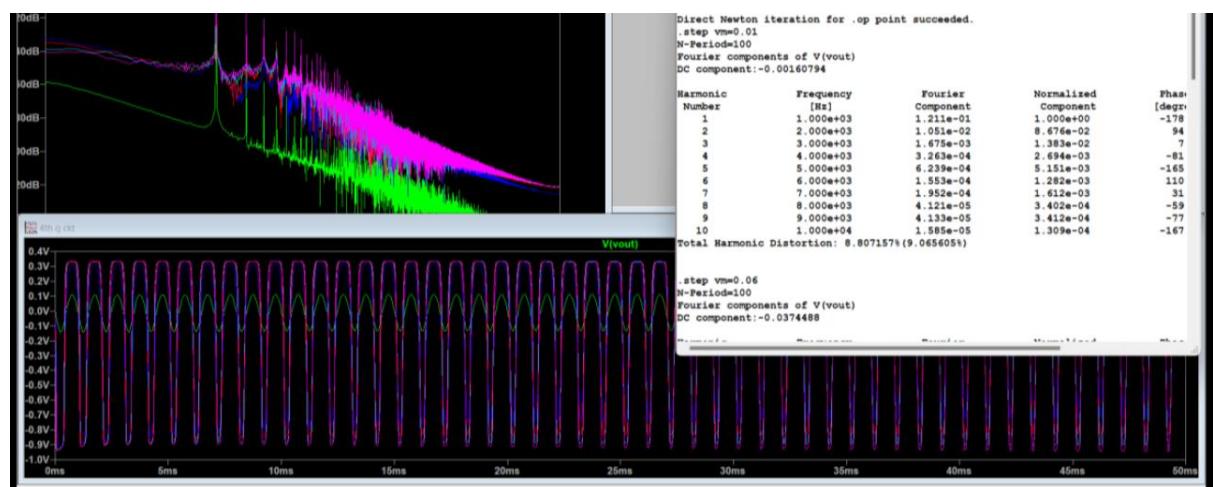
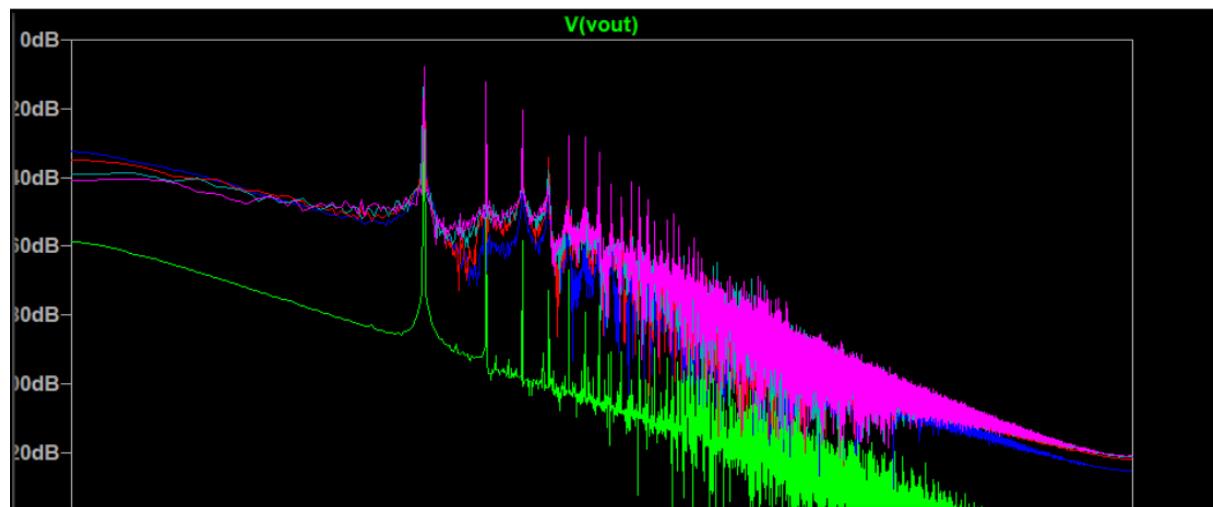


(g)

Harmonic	Frequency :	difference (magnitude)
2 nd	2000 Hz	17.6756 dB
3 rd	3000 Hz	39.8955 dB
4 th	4000 Hz	46.5621 dB

Fundamental Harmonic = -28.524 dB
(1 kHz)

h) Total Harmonic Distortion:



THD from log files:

```
Direct Newton iteration for .op point succeeded. **
.step vm=0.01
N-Period=100
Fourier components of V(vout)
DC component:-0.00444391

Harmonic      Frequency   Fourier   Normalized   Phase   Normalized
Number        [Hz]        Component Component [degree]  [deg]
1             1.000e+3  1.243e-1  1.000e+0  -91.72°    0.00°
2             2.000e+3  1.145e-2  9.213e-2  -4.45°     87.28°
3             3.000e+3  6.129e-4  4.931e-3  81.21°    172.93°
4             4.000e+3  4.090e-5  3.290e-4  -107.19°   -15.46°
5             5.000e+3  4.704e-5  3.784e-4  -89.61°    2.12°
6             6.000e+3  3.106e-5  2.499e-4  -78.28°    13.45°
7             7.000e+3  3.414e-5  2.746e-4  -91.68°    0.04°
8             8.000e+3  2.177e-5  1.751e-4  -89.73°    1.99°
9             9.000e+3  2.347e-5  1.888e-4  -91.50°    0.23°
10            1.000e+4  1.646e-5  1.324e-4  -96.12°   -4.40°

Partial Harmonic Distortion: 9.226037%
Total Harmonic Distortion:  9.416436%
```

```
.step vm=0.06
N-Period=100
Fourier components of V(vout)
DC component:-0.0976359

Harmonic      Frequency   Fourier   Normalized   Phase   Normalized
Number        [Hz]        Component Component [degree]  [deg]
1             1.000e+3  5.994e-1  1.000e+0  -92.43°    0.00°
2             2.000e+3  2.193e-1  3.658e-1  -5.91°     86.52°
3             3.000e+3  1.290e-2  2.151e-2  68.47°    160.90°
4             4.000e+3  4.102e-2  6.843e-2  -10.25°    82.18°
5             5.000e+3  3.315e-2  5.530e-2  76.43°    168.86°
6             6.000e+3  1.615e-2  2.695e-2  167.72°    260.15°
7             7.000e+3  4.555e-3  7.599e-3  -97.97°   -5.54°
8             8.000e+3  1.957e-3  3.265e-3  166.79°    259.22°
9             9.000e+3  4.337e-3  7.235e-3  -108.55°   -16.12°
10            1.000e+4  3.365e-3  5.614e-3  -28.34°    64.09°

Partial Harmonic Distortion: 37.799740%
Total Harmonic Distortion:  41.010656%
```

```

.step vm=0.11
N-Period=100
Fourier components of V(vout)
DC component:-0.0654543

```

Harmonic Number	Frequency [Hz]	Fourier Component	Normalized Component	Phase [degree]	Normalized Phase [deg]
1	1.000e+3	6.301e-1	1.000e+0	-93.18°	0.00°
2	2.000e+3	2.893e-1	4.590e-1	-6.48°	86.70°
3	3.000e+3	2.377e-2	3.772e-2	81.91°	175.09°
4	4.000e+3	7.423e-2	1.178e-1	-13.59°	79.59°
5	5.000e+3	6.243e-2	9.908e-2	76.44°	169.62°
6	6.000e+3	2.483e-2	3.941e-2	174.65°	267.82°
7	7.000e+3	3.401e-3	5.398e-3	-3.00°	90.18°
8	8.000e+3	1.158e-2	1.838e-2	167.40°	260.58°
9	9.000e+3	1.355e-2	2.150e-2	-98.75°	-5.58°
10	1.000e+4	8.834e-3	1.402e-2	-18.88°	74.29°

Partial Harmonic Distortion: 48.827887%
Total Harmonic Distortion: 53.907186%

```

.step vm=0.16
N-Period=100
Fourier components of V(vout)
DC component:-0.0349351

```

Harmonic Number	Frequency [Hz]	Fourier Component	Normalized Component	Phase [degree]	Normalized Phase [deg]
1	1.000e+3	6.110e-1	1.000e+0	-93.73°	0.00°
2	2.000e+3	3.320e-1	5.434e-1	-6.73°	87.00°
3	3.000e+3	7.375e-2	1.207e-1	85.02°	178.75°
4	4.000e+3	5.963e-2	9.760e-2	-18.34°	75.38°
5	5.000e+3	7.905e-2	1.294e-1	77.01°	170.73°
6	6.000e+3	5.004e-2	8.191e-2	173.74°	267.46°
7	7.000e+3	1.526e-2	2.497e-2	-88.05°	5.68°
8	8.000e+3	1.155e-2	1.891e-2	173.98°	267.70°
9	9.000e+3	2.313e-2	3.786e-2	-100.09°	-6.36°
10	1.000e+4	1.868e-2	3.057e-2	-22.23°	71.50°

Partial Harmonic Distortion: 58.839092%
Total Harmonic Distortion: 64.698371%

```

.step vm=0.2
N-Period=100
Fourier components of V(vout)
DC component:-0.0158895

Harmonic        Frequency   Fourier      Normalized   Phase       Normalized
Number         [Hz]        Component    Component   [degree]    Phase [deg]
1              1.000e+3   5.921e-1   1.000e+0   -94.08°     0.00°
2              2.000e+3   3.502e-1   5.915e-1   -6.97°      87.11°
3              3.000e+3   1.092e-1   1.844e-1   85.05°      179.13°
4              4.000e+3   3.783e-2   6.389e-2   -27.42°     66.66°
5              5.000e+3   8.070e-2   1.363e-1   76.66°      170.75°
6              6.000e+3   6.769e-2   1.143e-1   172.77°     266.85°
7              7.000e+3   3.261e-2   5.508e-2   -96.22°     -2.14°
8              8.000e+3   4.844e-3   8.180e-3   -165.40°    -71.31°
9              9.000e+3   2.648e-2   4.472e-2   -100.91°    -6.83°
10             1.000e+4   2.644e-2   4.465e-2   -22.91°     71.17°

Partial Harmonic Distortion: 65.317514%
Total Harmonic Distortion: 71.573993%

Date: Wed Mar 6 16:49:13 2024
Total elapsed time: 0.370 seconds.

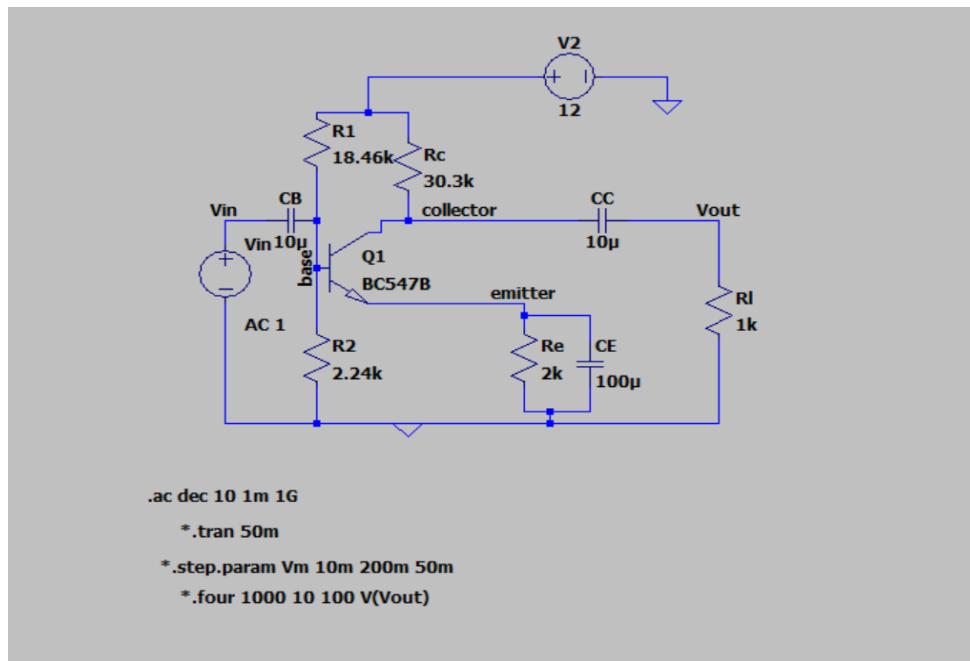
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temp = 27
method = modified trap
totiter = 2891
traniter = 2883
tranpoints = 1297
accept = 1194
rejected = 103
matrix size = 11
fillins = 0
solver = Normal
Avg thread counts: 2.4/4.1/4.1/2.4
Matrix Compiler1: 35 opcodes 0.3/[0.2]/0.2
Matrix Compiler2: off [0.2]/0.2/0.2

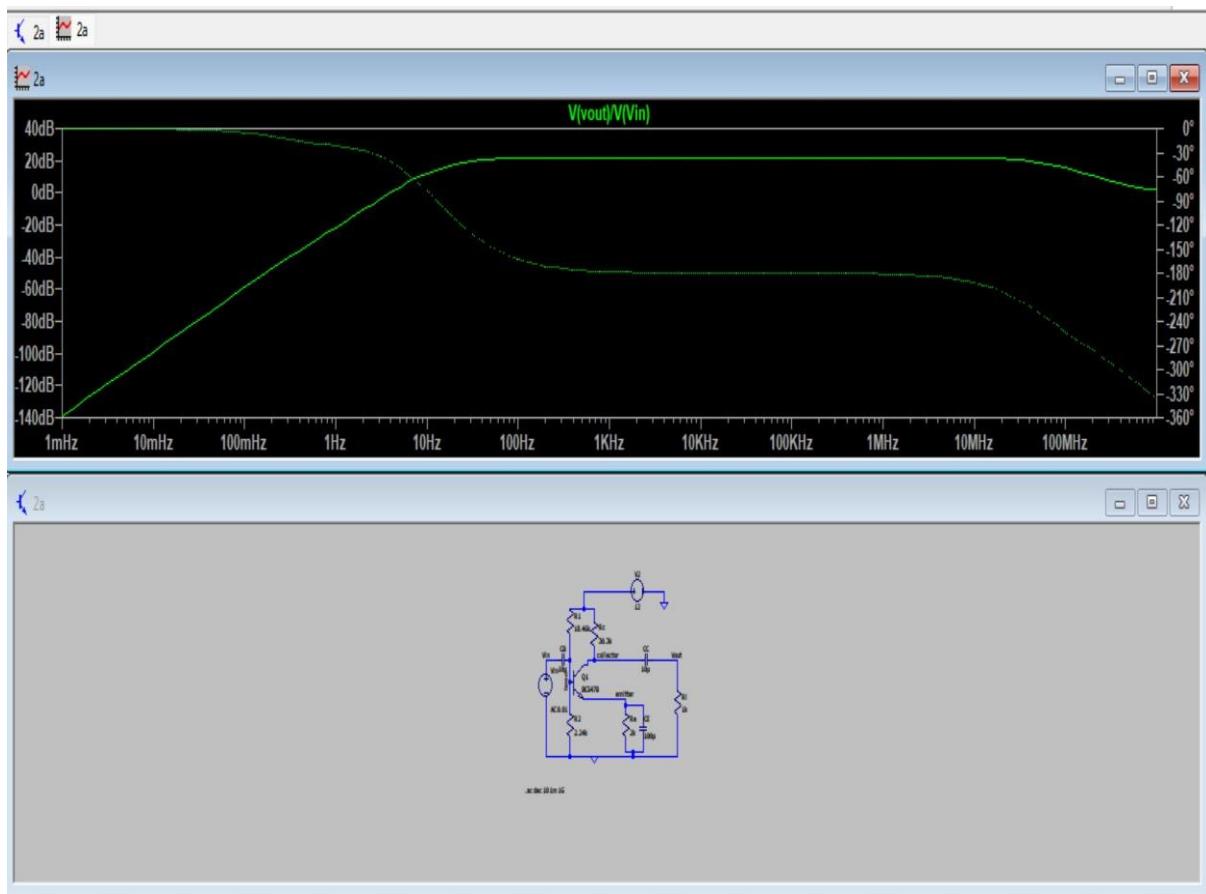
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Vm	Total Harmonic Distortions
10mV	9.4164 %
60mV	41.01065 %
110 mV	53.9071 %
160 mV	64.6983 %
200 mV	71.57399 %

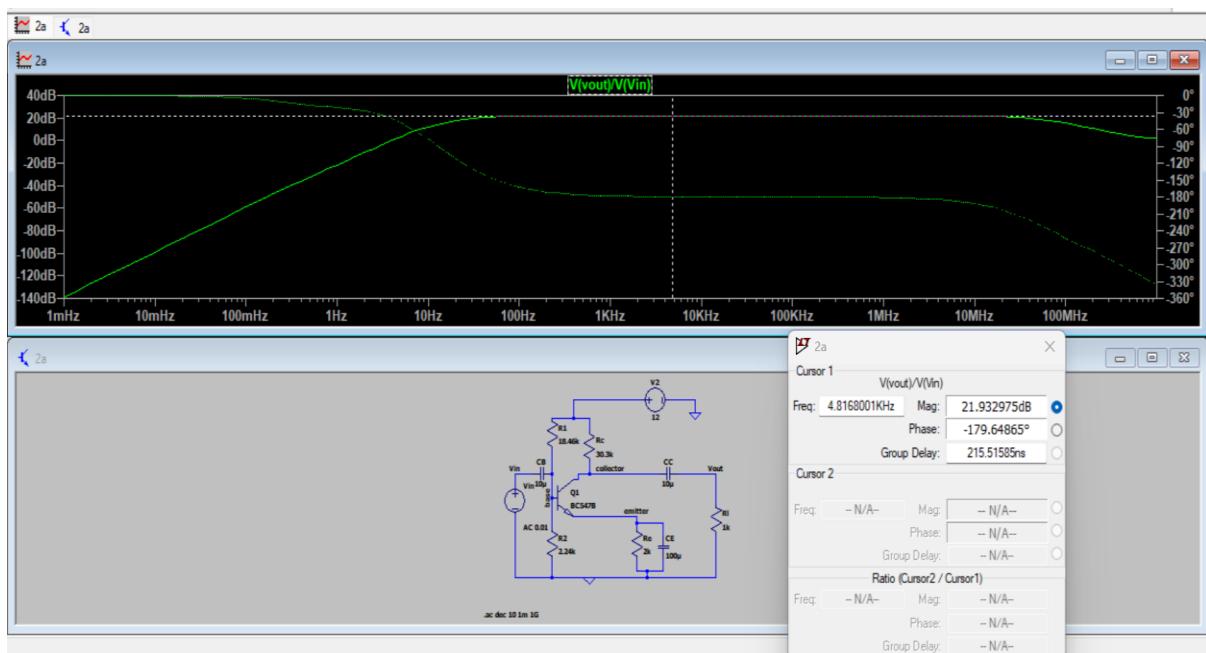
As Vm increases, the value of output increases; that is, THD is directly proportional to the output of the circuit. Thus we observed increasing values of THD's when Vm increases.

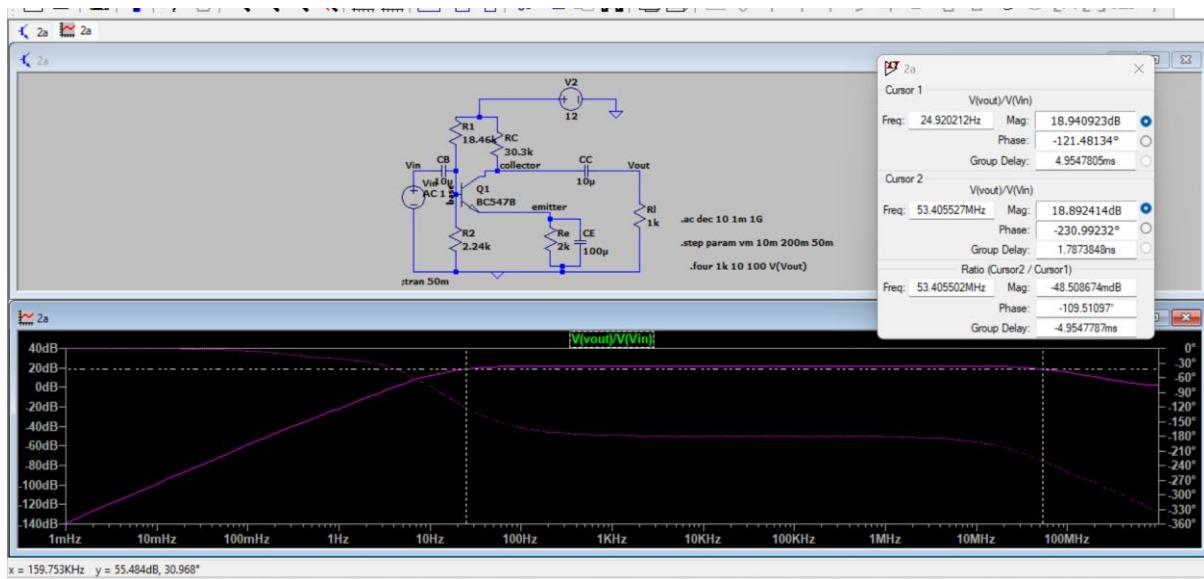
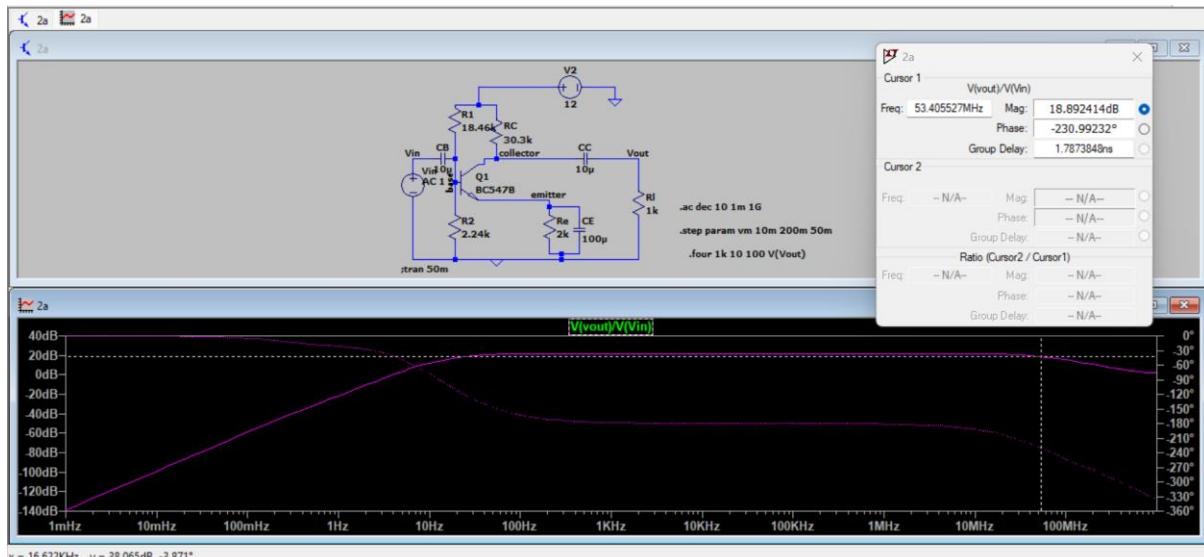
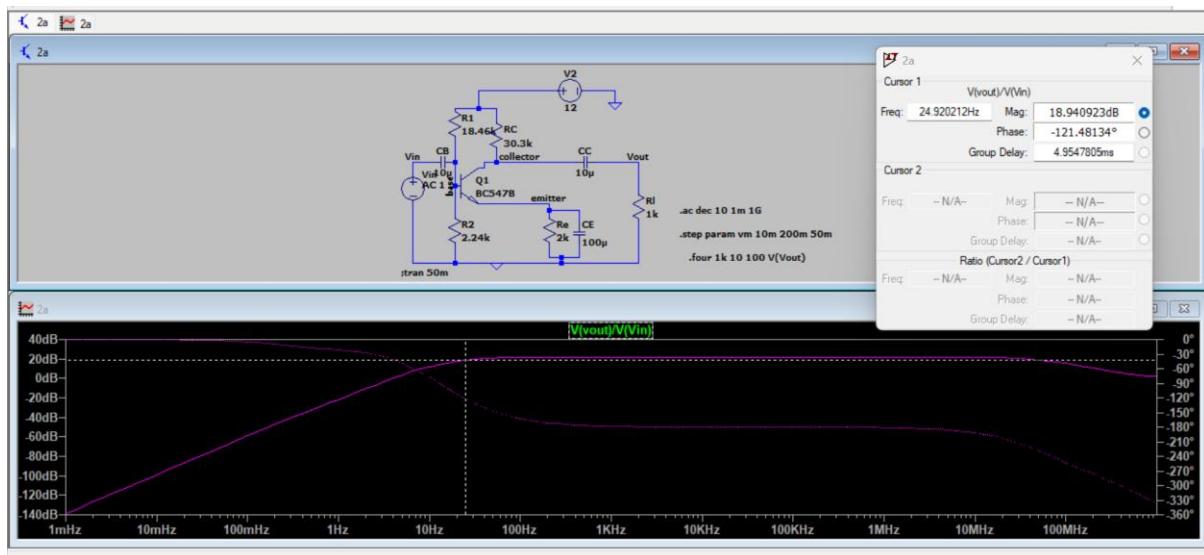
i)





Max value of dB=21.9329 dB

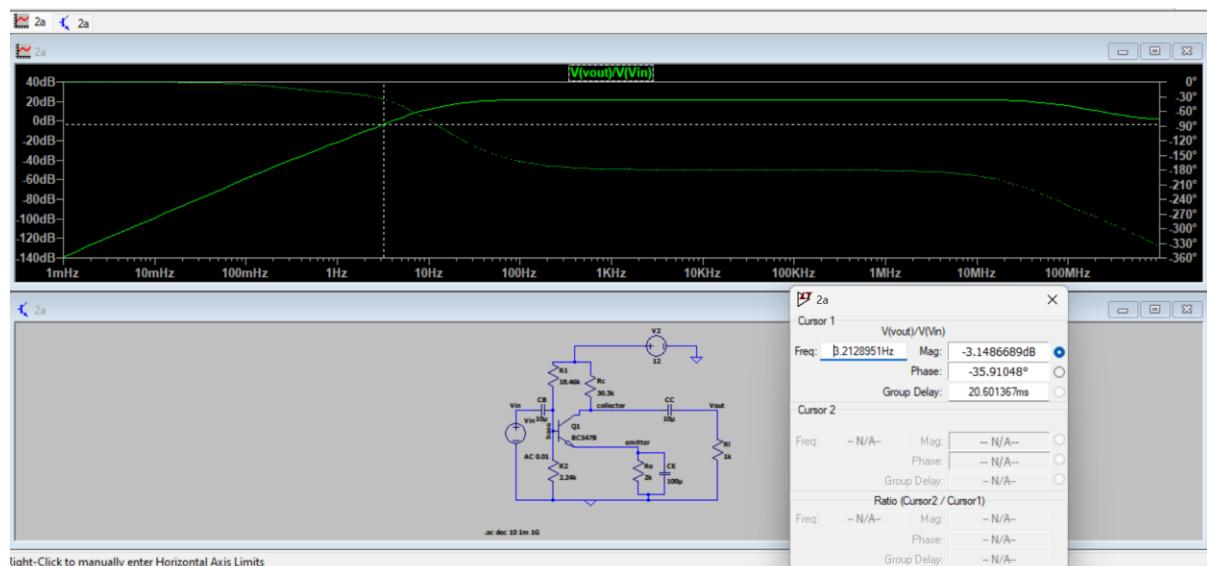




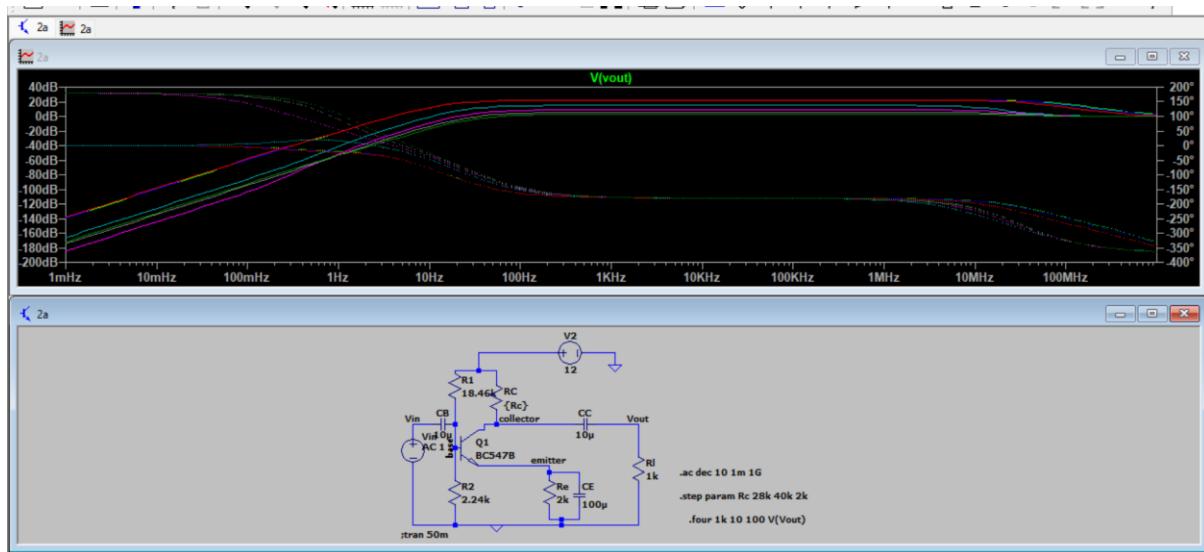
The – 3dB bandwidth = (FL-FH)

$$= 53.4 \text{ MHz}$$

At -3 dB Measuring frequency:



j)



Rc	DC Gain
28k	21.913091dB
30k	21.928601dB
32k	21.944322dB
34k	15.012012dB
36k	8.7235161dB
38k	5.045413dB
40k	2.3402654dB

Why the gain is changing? Compare two cases (30 kΩ and 40 kΩ) quantitatively and justify your answers.

The gain in a BJT amplifier is largely determined by the load resistance (R_c). The gain of the amplifier is given by the product of the transconductance (g_m) and the load resistance (R_c). The transconductance, in turn, is a function of the collector current (I_c), which remains constant for a given base current (I_b).

When R_c is 30 kΩ, the gain is 21.92dB. When R_c increases to 40 kΩ, the gain decreases to 2.34dB. This is because as R_c increases, the overall resistance in the circuit increases, which reduces the current flow. As a result, the voltage across the load resistance (which is the output voltage) decreases, leading to a decrease in gain.

In conclusion, the gain of a BJT amplifier is inversely proportional to the load resistance. Hence, an increase in load resistance leads to a decrease in gain.

Question 3:-

(3)

$R_L = 1 \text{ k}\Omega$

$\beta = 260$

$V_{CC} = 5 \text{ V}$

gain = $A_v = 11.5$ # Same Bandwidth

large signal model:

Assumption:

$$i_C = 3 \text{ mA} \quad \& \quad V_{CE} = \frac{V_{CC}}{2} = 2.5 \text{ V}$$

$$\text{Gain} = 11.5 = \frac{i_C}{i_B} = \left(\frac{R_C \times 1000}{R_C + 1000} \right)$$

$$= \boxed{R_C = 105.9}$$

$$i_C = \beta i_B$$

$$\Rightarrow i_B = \frac{3 \times 10^{-3}}{260} \approx 11.4 \mu\text{A}$$

$$\boxed{i_B = 11.4 \mu\text{A}}$$

$$\alpha = \frac{\beta}{\beta + 1} \quad i_e = i_c + i_b$$

$$i_e = 3.01145 \text{ mA}$$

KVL

$$i_c R_C + V_{CE} + i_e R_E = 5V$$

$$3 \times 10^{-3} \times 105.9 + 2.5 + 3.01145 \times R_E \times 10^{-3} = 5$$

$$R_E = 724.668 \Omega$$

$$V_E = i_e R_E$$

$$= 3.01 \times 10^{-3} \times 724.6$$

$$V_E = 2.182 \text{ V}$$

$$V_B = 0.7 + V_E$$

$$= 0.7 + 2.182$$

$$V_B = 2.882 \text{ V}$$

at R_1

$$\frac{5 - V_B}{R_1} = i_c \quad \& \quad \frac{V_B}{R_2} = i_c$$

$$R_1 = 105.9 \Omega$$

$$R_2 = \frac{V_B}{i_c} = 957.11 \Omega$$

$$r_\pi = \beta / g_m = \frac{\beta \times V_T}{i_c} = \frac{V_T}{I_B}$$

$$= 2.183 \text{ k}\Omega$$

$$r_\pi = 2.183 \text{ k}\Omega$$

$$\alpha = \frac{\beta}{\beta + 1} \quad i_e = i_c + i_b$$

$$i_e = 3.01145 \text{ mA}$$

KVL

$$i_c R_C + V_{CE} + i_e R_E = 5V$$

$$3 \times 10^{-3} \times 105.9 + 2.5 + 3.01145 \times R_E \times 10^{-3} = 5$$

$$R_E = 724.668 \Omega$$

$$V_E = i_e R_E$$

$$= 3.01 \times 10^{-3} \times 724.6$$

$$V_E = 2.182 \text{ V}$$

$$V_B = 0.7 + V_E$$

$$= 0.7 + 2.182$$

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$$R_2 = \frac{V_B}{i_c} = 957.11 \Omega$$

$$r_\pi = \beta / g_m = \frac{\beta \times V_T}{i_c} = \frac{V_T}{I_B}$$

$$= 2.183 \text{ k}\Omega$$

$$r_\pi = 2.183 \text{ k}\Omega$$

$$\frac{1}{Z_m} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{2.183}$$

$$Z_m^o = 342.52 \Omega$$

$$\therefore f = \frac{1}{2\pi Z_m^o C_B} \Rightarrow 28 = \frac{1}{2\pi (342.52) C_B}$$

$$C_B = 25.813 \mu F$$

$$\frac{1}{Z_{out}} = \frac{1}{R_C} + \frac{\beta + 1}{R_L}$$

$$Z_{out} = 95.759 \Omega$$

$$f = \frac{1}{2\pi C_C (Z_{out})} \Rightarrow C_C = 92.33 \mu F$$

Emitter Impedance :

$$\frac{1}{Z_E} = \frac{1}{R_E} + \frac{\beta + 1}{8\pi}$$

$$Z_E = 8.207 \Omega$$

$$f_H = \frac{1}{2\pi Z_E C_E} \Rightarrow C_E = 107.7 \mu F$$

$$C_B = 25.8 \mu F \quad C_C = 92.33 \mu F \quad C_E = 107.7 \mu F$$

$$R_1 = 705.9 \Omega \quad R_2 = 957.11 \Omega \quad R_3 = 724.5 \Omega$$

$$I_C = 300 \text{ mA} \quad R_C = 105.9 \Omega \quad I_B = 11.45 \mu A$$

Voltage gain

$$= \frac{V_{out}}{V_{in}} = \left| -g_m \left(\frac{R_L R_C}{R_L + R_C} \right) \right|$$

$$= 0.12 \times \frac{10^{5-9} \times 10^3}{10^3 + 10^{5-9}}$$

$$= 11.49$$

$$\boxed{A_v = 11.49}$$

Power consumption:

$$P_{DC} = V_{CC} \times I_{Drawn}$$

for $V_{CC} = 5V$

$$I_{Drawn} = 6.1395 \text{ mA}$$

$$P_{DC} = 5 \times 6.1395$$

$$= 30.64 \text{ m Watt}$$

$$\boxed{P_{5V} = 30.64 \text{ m Watt}}$$

for $V_{CC} = 12V$

$$I_{Drawn} = 0.92 \text{ mA}$$

$$P_{12V} = 12 \times 0.92 \text{ mA}$$

$$\boxed{P_{12V} = 11.06 \text{ m Watt}}$$

Q8

Transient analysis:

