

Assignment 4

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Problem Statement - Fuzzy logic-based control of speed and position of DC shunt motor. (Video lecture on fuzzy logic is also shared with you earlier). Assume some practical parameters of the system. This is to be done using Simulink.

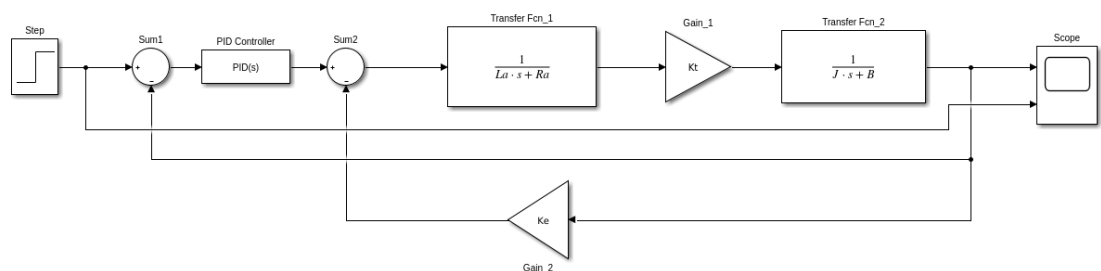
1.) DC Motor Control Method

The DC Motor can be controlled in multiple methods – ranging from position, speed and torque control. Each of these methods have their own applications and can be used for any general DC motor. Final Transfer function with respect to speed,

$$\frac{\omega}{V}(s) = \frac{K_t}{(JL_a)s^2 + (JR_a + BL_a)s + (BR_a + K_bK_t)}$$

Same transfer function divided by s.

SIMULINK model of the above transfer function will be as follows –



In our case normal PID controller will be replaced by Fuzzy PID controller

2.) Fuzzy Based Controller

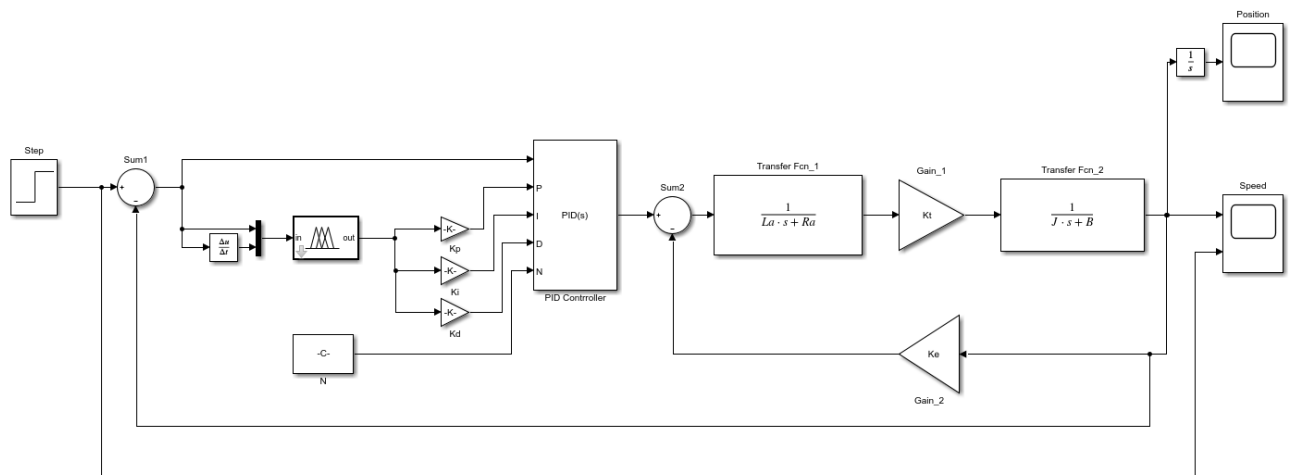
There are three types of Fuzzy Controllers - Pure Fuzzy Controller, Hybrid Fuzzy Controller and Self-Tuning PID Constants with Fuzzy Logic. In the first case only fuzzy logic is used and output voltage is generated based on error and change in error only. Hybrid Fuzzy Controller uses a switch which changes its position from pure fuzzy to pure PID controller according to the input error. Self-Tuning Fuzzy Logic generates K_p , K_i , K_d constants which act as input to PID controller i.e., some sort of dynamic constants. Last one is widely used due to its adaptive nature and best results. So in our case too we will use that only.

3.) Motor Parameters Chosen

Following parameters are chosen from a research paper explaining self-tuning fuzzy logic.

Parameter	Value (in model)	Description
Moment of Inertia of Rotor (J)	0.0220 kg-m ²	Measure of rotor's resistance to change in rotation rate.
Damping Friction (B)	2e-4 N-m-s	Measure of dynamic friction
Torque Constant (Kt)	0.5 N-m/Amp	Determines motor's required current for a given torque output
Back emf constant (Ke)	0.5 V/rad/sec	Change in voltage per unit change in angular speed
Stator Resistance (R)	0.450 ohm	Per phase stator Resistance. Used in calculation of power dissipated
Armature Inductance (La)	0.0350 H	Per phase stator inductances. Determines time required to switch on motor meaning time required for current to flow in circuit

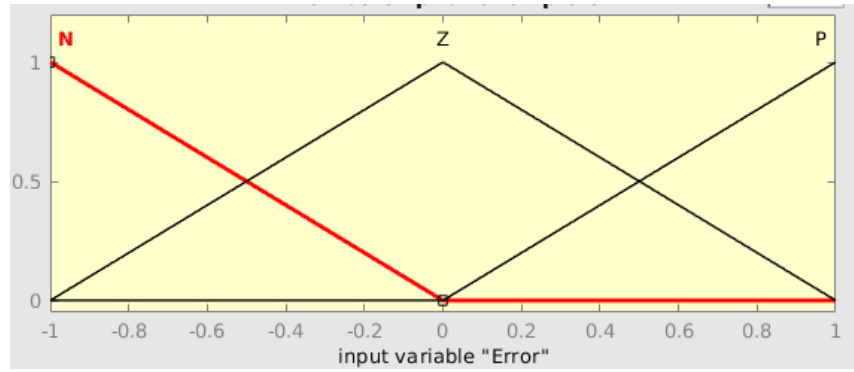
Final SIMULINK Model –



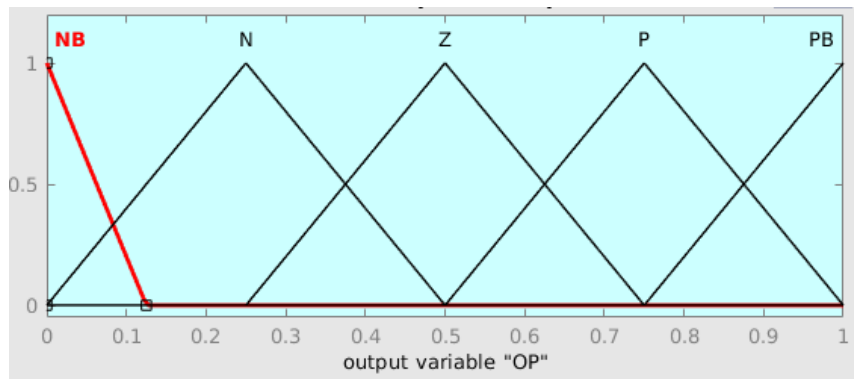
Following Logic was used while designing system –

- First, the error is taken as input to the controller marked as e. Similarly another input is created, i.e., rate of change of error, Δe . For both the inputs triangular membership functions were used to characterize the fuzzy sets N (Negative), Z (Zero), and P (Positive).
- This allows us to have optimum results for the system when input is between the specified range (in this case -1 to 1).

Membership function for both the inputs is depicted as follows –



Membership function for output is as follows –



- c.) It can be seen easily that in our case each output will be limited to -1 to 1. Now with help of simple linear equations we can scale our output to whatever range we want like this –

$$K'_P = \frac{K_P - K_{P_{min}}}{K_{P_{max}} - K_{P_{min}}}, K_P = (K_{P_{max}} - K_{P_{min}})K'_P + K_{P_{min}} \quad (11)$$

$$K'_I = \frac{K_I - K_{I_{min}}}{K_{I_{max}} - K_{I_{min}}}, K_I = (K_{I_{max}} - K_{I_{min}})K'_I + K_{I_{min}} \quad (12)$$

$$K'_D = \frac{K_D - K_{D_{min}}}{K_{D_{max}} - K_{D_{min}}}, K_D = (K_{D_{max}} - K_{D_{min}})K'_D + K_{D_{min}} \quad (13)$$

Where K'_i , K'_d and K'_p are gains put at output of fuzzy controller. K_i, K_d, K_p will be the final outputs which are acting as an input to the PID controllers.

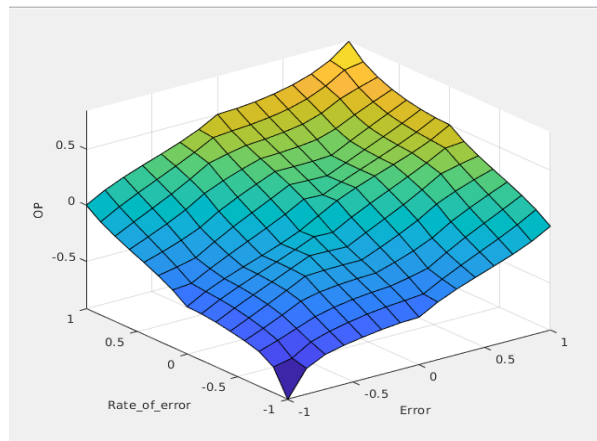
In our case K'_p , K'_i and K'_d are as follows –

$$K'_p \ K'_i \ K'_d = [5.965 \ 200.888 \ 0.551]$$

d.) Rules used for mapping input to output is as follows –

Error\Change of error	N	Z	P
N	NB	N	Z
Z	N	Z	P
P	Z	P	PB

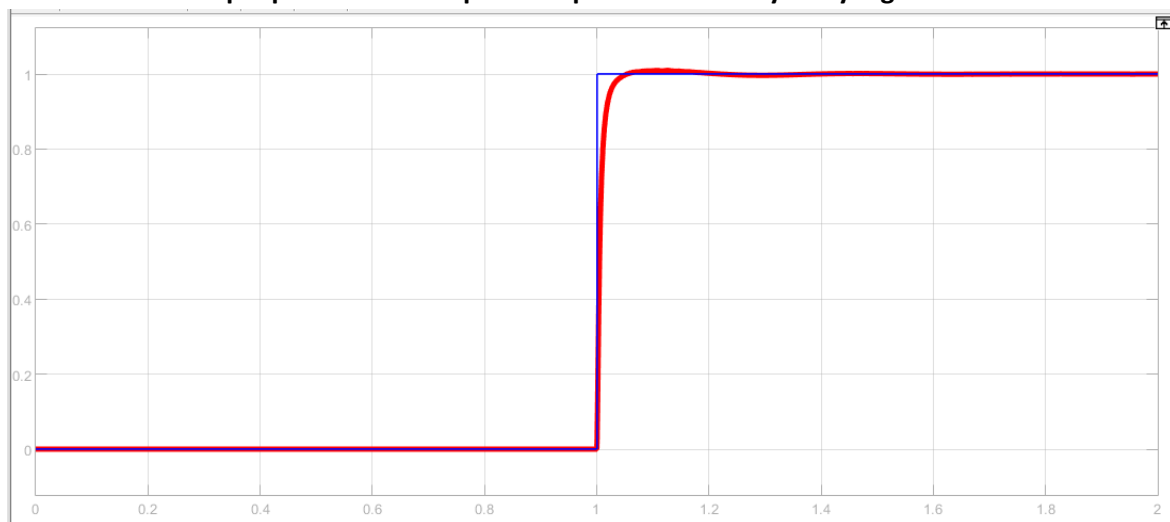
Output Surface generated



Results

Speed Controller –

Blue is step input and Red is speed output controlled by fuzzy logic



Characteristics -

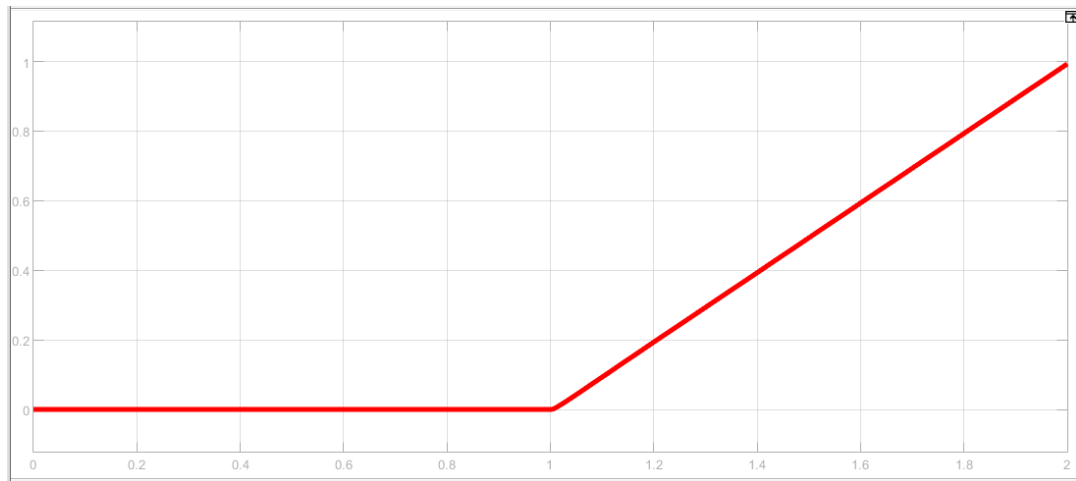
Rise Time – 0.055

Peak – 1.009

Overshoot – 0.9%

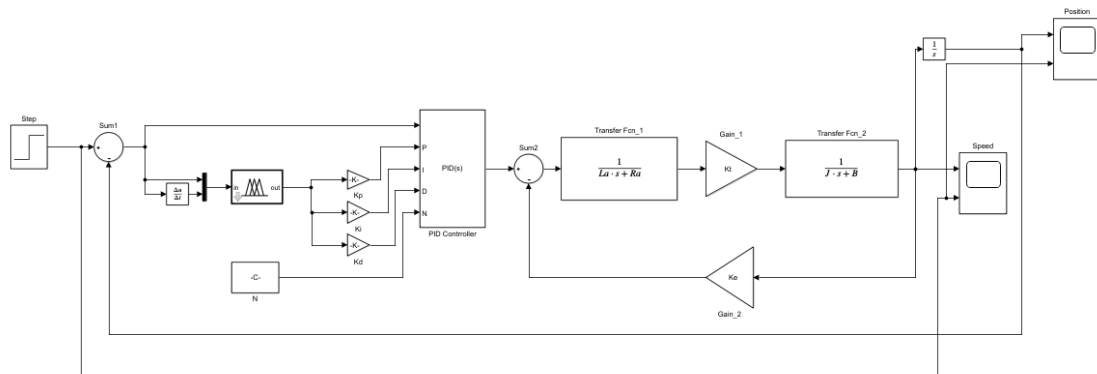
Settling Time – 0.037

Position Output with respect to the above graph –



Position Controller –

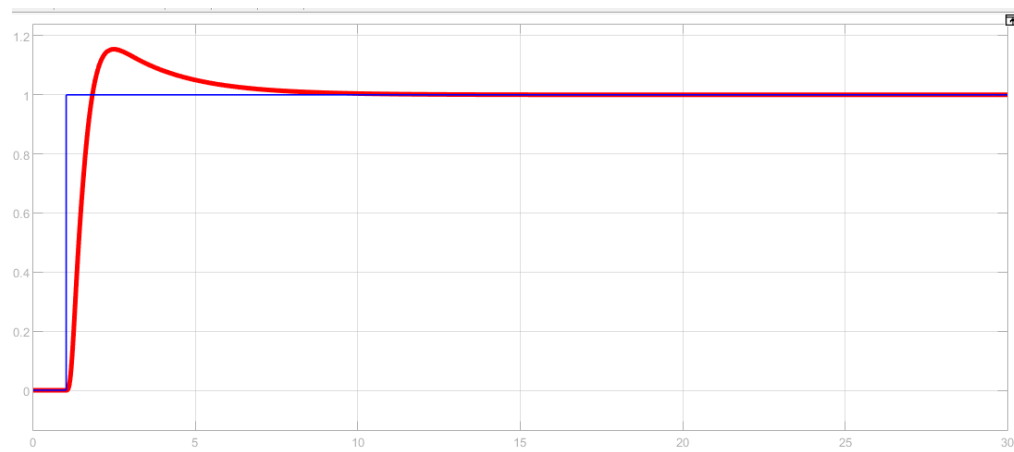
By modifying the Simulink diagram as follows we can have Position control as well –



In this case -

$$[K_p' \ K_i' \ K_d'] = [1.012 \ 0.412 \ -0.131]$$

Position Controller Output



Characteristics -

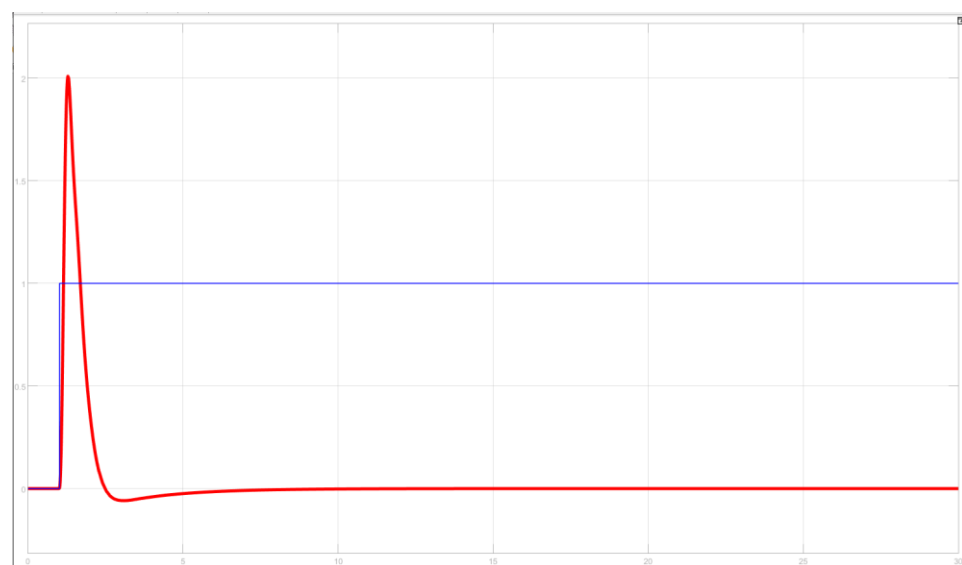
Rise Time - 0.511s

Settling Time – 5.86

Overshoot – 15.5%

Peak – 1.15

Speed Output with Respect to above graph –



Basically after position is settled speed should be zero