Cuckoo search based approaches

Cuckoo search based approaches

- Cuckoo search was employed to optimize the Objective function. Xin-she Yang and Suash Deb in 2009
 - Inspired from the process of adaptive survival nature of cuckoo birds.
 - Cuckoo birds are a family of birds, which lay eggs in the nests of other birds for the reproduction.
 - If the host bird identifies the cuckoo egg, it destroys that egg or just leaves that nest.
 - In order to avoid such situation cuckoo bird makes eggs in such a way that they appear exactly like the host eggs.
 - This process is accomplished through a repeated process of optimization.
 - Cuckoo search algorithm uses levy flight for the optimization of the individual solutions.

Cuckoo finch eggs adapted to different hosts.



http://phys.org/news/2013-09-bird-world-cuckoo-finches-host.html

Cuckoo search

Input:

Maximum Number of Generations, G

Error tolerance, ε

Duration of unchanged error, δ

Population Size, P

Initial Step size, α_0

Number of random solutions introduced for each generations, N

Convergence criterion: (generation > = G) or (Error $<= \varepsilon$) or (error unchanged for δ continuous generations)

Output: Solution X

Cuckoo search

//Initialization

- 1. Initialize G, ε , δ ,P and α_0
- 2. Generate *P* feasible solutions randomly and assign to *Population*
- // Repeat until convergence criteria met
- 3. While convergence criteria not met do
- // Update Population using a new Cuckoo by using Levy flight
 - a. Generate an individual *Cuckoo* by Levy flight with step size $\alpha = \alpha_0 / \sqrt{generation}$
 - b. Select an individual, Cuckoo1 randomly from population
 - c. If fitness of Cuckoo is better than fitness of Cuckoo1 then

Replace Cuckool from the population with Cuckoo

- d. End if
- // Abandoned process and Rank based selection
 - g. Generate N feasible solutions randomly and add to population
 - h. Select the best *P* number of individuals from the *population* and abandon others
- 4. End while
- 5. end

Cuckoo search based approaches

- Modified Cuckoo search is employed to further enhance the performance S.Walton, O.Hassan, K.Morgan, M.R.Brown in 2011
 - Information exchange from the previous population
 - Found to provide better performance than the normal Cuckoo search.

Modified cuckoo search

Algorithm 2. Modified cuckoo search (MCS)

```
A \leftarrow MaxLévyStepSize
\varphi \leftarrow GoldenRatio
Initialise a population of n nests \mathbf{x}_i (i = 1, 2, ..., n
for all x; do
   Calculate fitness F_i = f(\mathbf{x}_i)
end for
Generation number G \leftarrow 1
while NumberObjectiveEvaluations
   < MaxNumberEvaluations do
   G \leftarrow G + 1
   Sort nests by order of fitness
   for all nests to be abandoned do
     Current position \mathbf{x}_i
     Calculate Lévy flight step size \alpha \leftarrow A/\sqrt{G}
     Perform Lévy flight from \mathbf{x}_i to generate new
     \mathbf{X}_i \leftarrow \mathbf{X}_k
     F_i \leftarrow f(\mathbf{x}_i)
   end for
```

```
for all of the top nests do
      Current position \mathbf{x}_i
      Pick another nest from the top nests at random \mathbf{x}_{j}
      if x_i = x_i then
         Calculate Lévy flight step size \alpha \leftarrow A/G^2
         Perform Lévy flight from \mathbf{x}_i to generate new
   \operatorname{egg} \mathbf{X}_{k}
        F_{\nu} = f(\mathbf{x}_{\nu})
         Choose a random nest I from all nests
        if (F_k > F_l) do
           X_l \leftarrow X_k
           F_l \leftarrow F_k
         end if
      else
         dx = |\mathbf{x}_i - \mathbf{x}_i|/\varphi
         Move distance dx from the worst nest to the
   best nest to find \mathbf{x}_{k}
        F_k = f(\mathbf{x}_k)
         Choose a random nest I from all nests
        if (F_k > F_l) then
           \mathbf{X}_l \leftarrow \mathbf{X}_k
           F_I \leftarrow F_k
         end if
     end if
  end for
end while
```

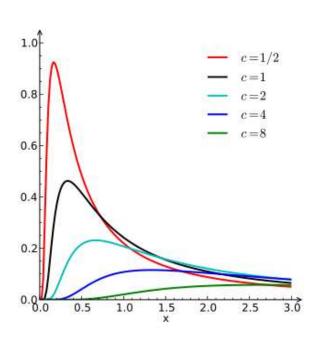
Cuckoo search and modified cuckoo search

- The L'evy flight essentially provides a random walk while the random step length is drawn from a L'evy distribution
- L'evy $u = t^{-\lambda}$, $(1 < \lambda \le 3)$, where t is the generation number.
- $x(t+1)_i = x(t)_i + \alpha * L' \text{ evy}() \text{ where } \alpha = 1.$

In probability theory and statistics, the **Lévy distribution**, named after Paul Lévy, is a continuous probability distribution for a non-negative random variable.

The probability density function of the Lévy distribution over the domain $x \ge \mu$ is

$$f(x;\mu,c) = \sqrt{rac{c}{2\pi}} \; rac{e^{-rac{c}{2(x-\mu)}}}{(x-\mu)^{3/2}}$$



Cuckoo search and modified cuckoo search

In mathematics, two quantities are in the **golden ratio** if their ratio is the same as the ratio of their sum to the larger of the two quantities.

$$\underbrace{a + b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ as } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ is to } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ is to } b} \qquad \underbrace{a+b}_{a+b \text{ is to } a \text{ is to } a \text{ is to } b} \qquad \underbrace{a+b}$$

Greek letter phi (ϕ or φ) represents the golden ratio. It is an irrational number that is a solution to the quadratic equation $x^2 - x + 1 = 0$, with a value of:

$$arphi = rac{1+\sqrt{5}}{2} = 1.6180339887\dots$$

The golden ratio appears in some patterns in nature, including the spiral arrangement of leaves and other plant parts.



Thank you