

ciphart

memory-hard key derivation with easier measurable security

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*argon2*¹ is mostly nice, but trying to interpret its contribution to enhancing the protection against password brute-forcing attacks remains more difficult than it should be. this is a problem that is also shared with every other key derivation function that i've known so far.

when one uses *argon2*, his derived key will surely have superior protection against password brute-forcing attacks, but by how much? to answer this, one would need to survey the industry that manufactures application-specific integrated circuits to obtain a map between *time* and *money*. the centre of my thesis is that this part is not nice, because i found that life can be easier.

so i propose *ciphart* — a memory-hard key derivation function with a security contribution that is measured in a unit that i call *relative entropy bits*. this unit is measured objectively and is guaranteed to be true irrespective of whatever alien technology the adversary might have.

*libciphart*² is a library that implements *ciphart* very closely to this paper, without much fluff. this should make integrating *ciphart* into other systems more convenient. *ciphart*³ is a tool for encrypting and decrypting files that makes use of *libciphart*. the latter is meant to be used by end-users or scripts.

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1 ciphart

1.1 parameters

<i>enc</i>	encryption function.
<i>p</i>	password.
<i>s</i>	salt.
<i>L</i>	number of memory lanes for concurrency.
<i>M</i>	total memory in bytes.
<i>T</i>	number of tasks per lane segment.
<i>R</i>	number of rounds per task.
<i>B</i>	added security in <i>relative entropy bits</i> .
<i>K</i>	output key size in bytes.

1.2 internal variables

$$C \leftarrow \begin{cases} 64 & \text{if enc is } xchacha20 \\ 16 & \text{if enc is } aes \\ \dots \end{cases}$$

this to reflect the block size of the encryption algorithm that's going to use *ciphart*'s generated key to encrypt data.

$$\hat{T} \leftarrow T - (T \bmod 2) + 2. \text{ this is to ensure that it is in multiples of 2.}$$

$$\hat{M} \leftarrow M - (M \bmod C\hat{T}L) + C\hat{T}L. \text{ this is to ensure that it is in multiples of } C\hat{T}L.$$

$$G \leftarrow \hat{M}/C/T/L; \text{ total number of segments per lane.}$$

$$\hat{B} \leftarrow \begin{cases} B & \text{if } B \geq \log_2(GLTR) \\ \log_2(GLTR) & \text{otherwise} \end{cases}$$

this is to ensure that \hat{B} is large enough to have at least one pass over the \hat{M} bytes memory.

$$m_i \leftarrow C \text{ bytes memory for } i^{th} \text{ task in } \hat{M}\text{-bytes pad.}$$

$$n_l \leftarrow lG; \text{ nonce variable for } l^{th} \text{ lane with at least 64 bits.}$$

$$f \leftarrow \text{false}; \text{ a flag indicating whether the } \hat{M}\text{-bytes pad is filled.}$$

1.3 output

$$k \leftarrow K\text{-bytes key with } \geq B \text{ relative entropy bits.}$$

1.4 steps

shown in algorithm 1.

2 parallelism

3 memory-hardness

4 security interpretation

5 comparison

6 summary

¹<https://github.com/P-H-C/phc-winner-argon2>

²<https://github.com/Al-Caveman/libciphart>

³<https://github.com/Al-Caveman/ciphart>

algorithm 1: ciphart version 6

```
1 while true do
2   for  $g = 0, 1, \dots, G - 1$  do
3     for  $l = 0, 1, \dots, L - 1$  do
4       for  $t = 0, 1, \dots, T - 1$  do
5         for  $r = 0, 1, \dots, R - 1$  do
6            $i \leftarrow gT + t$ ;
7           if  $t = 0$  then
8              $j \leftarrow i + T - 1$ ;
9           else if  $t = T - 1$  then
10             $j \leftarrow i + 1 - T$ ;
11          else
12             $j \leftarrow i + 1$ ;
13           $m_j \leftarrow \text{enc}(m_i, n_l, k)$ ;
14           $n_l \leftarrow n_l + 1$ ;
15           $k \leftarrow f(m_j, p, l, s, t)$ ;
16        if  $f = \text{true}$  and  $\log_2(n_l L) \geq B$  then
17          go to line 19;
18       $f \leftarrow \text{true}$ ;
19 while true do
20   for  $l = 1, 2, \dots, L$  do
21     if  $\text{len}(k) \geq K$  then return  $k[0 : K]$ ;
22      $n \leftarrow n + 1$ ;
23      $k \leftarrow k \parallel \text{enc}(m_{l,S,T}[1], n, k)$ ;
```
