Explain that we implicitly carry around a derivation in the denotation

- Denotation for each typing relation derivation
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  - (Unit) $\frac{}{[\![\Gamma\vdash\mathtt{()}:\mathtt{Unit}]\!]_M=[\![\mathtt{()}]\!]_M\circ\langle\rangle_\Gamma:\Gamma\to[\![\mathtt{Unit}]\!]_M}$
  - (Const) $\frac{}{[\![\Gamma\vdash\mathtt{C}^A:A]\!]_M=[\![\mathtt{C}^A]\!]_M\circ\langle\rangle_\Gamma:\Gamma\to[\![A]\!]_M}$
  - (True) $\frac{}{[\![\Gamma\vdash\mathtt{true}:\mathtt{Bool}]\!]_M=[\![\mathtt{true}]\!]_M\circ\langle\rangle_\Gamma:\Gamma\to[\![\mathtt{Bool}]\!]_M}$
  - (False) $\frac{}{[\![\Gamma\vdash\mathtt{false}:\mathtt{Bool}]\!]_M=[\![\mathtt{false}]\!]_M\circ\langle\rangle_\Gamma:\Gamma\to[\![\mathtt{Bool}]\!]_M}$
  - (Lambda) $\frac{f=[\![\Gamma,x:A]\!]_M C\mathtt{M}_\epsilon B:\Gamma\times A\to T_\epsilon B}{[\![\Gamma\vdash\lambda x:A.C:A\to\mathtt{M}_\epsilon B]\!]_M=\mathtt{cur}(f):\Gamma\to(T_\epsilon B)^A}$
  - (Return) $\frac{f=[\![\Gamma\vdash v:A]\!]_M}{[\![\Gamma\vdash\mathtt{return}v:\mathtt{M}_{\mathtt{1}}A]\!]_M=\eta_A\circ f}$
  - (Subtype) $\frac{f=[\![\Gamma\vdash v:A]\!]_M:\Gamma\to A g=[\![A\leq:B]\!]_M}{[\![\Gamma\vdash v:B]\!]_M=g\circ f:\Gamma\to B}$
  - (Subeffect) $\frac{f=[\![\Gamma\vdash c:\mathtt{M}_{\epsilon_1}A]\!]_M:\Gamma\to T_{\epsilon_1}A g=[\![A\leq:B]\!]_M h=[\![\epsilon_1\leq\epsilon_2]\!]_M}{[\![\Gamma\vdash C:\mathtt{M}_{\epsilon_2}B]\!]_M=h_B\circ T_{\epsilon_1}g\circ f}$
  - (If) $\frac{f=[\![\Gamma\vdash v:\mathtt{Bool}]\!]_M g=[\![\Gamma\vdash C_1:\mathtt{M}_\epsilon A]\!]_M h=[\![\Gamma\vdash C_2:\mathtt{M}_\epsilon A]\!]_M}{[\![\Gamma\vdash\mathtt{if}_{\epsilon,A}v\mathtt{then}C_1\mathtt{else}C_2:\mathtt{M}_\epsilon A]\!]_M=\mathtt{if}_{\epsilon,A}\circ\langle f,\langle g,h\rangle\rangle:\Gamma\to T_\epsilon A}$
  - (Bind) $\frac{f=[\![\Gamma\vdash C_1:\mathtt{M}_{\epsilon_1}A:\Gamma\to T_{\epsilon_1}A g=[\![\Gamma,x:A\vdash C_2:\mathtt{M}_{\epsilon_2}B]\!]_M]\!]_M:\Gamma\times A\to T_{\epsilon_2}B}{[\![\Gamma\vdash\mathtt{do}x\leftarrow C_1\mathtt{in}C_2:\mathtt{M}_{\epsilon_1\cdot\epsilon_2}]\!]_M=\mu_{\epsilon_1,\epsilon_2,B}\circ T_{\epsilon_1}g\circ\mathtt{t}_{\Gamma,A,\epsilon_1}\circ\left\langle\mathtt{Id}_\Gamma,f\right\rangle:\Gamma\to T_{\epsilon_1\cdot\epsilon_2}B}$
- Denotations of Types
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  - **Fill in from notebook**
  - For each ground type $g\in\gamma$
  - morphism $[\![A\leq:B]\!]_M:[\![A]\!]_M\to[\![B]\!]_M$ for each $A\leq:B$
  - Natural Transformation $[\![\epsilon_1\leq\epsilon_2]\!]_M:T_{\epsilon_1}\to T_{\epsilon_2}$ for each $\epsilon_1\leq\epsilon_2$