

# Willingness-to-pay for Warnings: Pilot Results

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- Subjects put too much weight on the signal and too little weight on prior probabilities both in informed protection and belief elicitation
- Reported beliefs have less predictive power for protection choices than posterior probabilities
- Both the theoretical value of information and the value based on subject's choices are strong predictor of WTP for information
- WTP is overly sensitive to false positive and false negative rates

# Informed Protection: Correlation

Table: Informed Protection

	(1) All	(2) All	(3) Good quiz	(4) Good quiz
Informed protection				
Posterior prob.	2.15*** (19.1)	.662*** (3.3)	2.26*** (17.7)	.638*** (3.0)
Prior prob.		1.13*** (4.1)		1.17*** (3.8)
Gremlin says Black		1.34*** (8.8)		1.46*** (8.8)
Constant	-.662*** (-14.2)	-1.03*** (-11.2)	-.717*** (-14.2)	-1.1*** (-10.9)
Observations	1487	1487	1259	1259
AIC	1467.25	1394.01	1211.48	1137.59

*t* statistics in parentheses

\*  $p < 0.10$ , \*\*  $p < 0.05$ , \*\*\*  $p < 0.01$

**Table:** Informed Protection: Response to Reported Beliefs

	(1)	(2)	(3)
	All	All	Good quiz
Informed protection			
Belief	2.18*** (18.5)	2.62*** (18.2)	2.8*** (17.0)
Belief error		1.52*** (11.5)	1.41*** (9.3)
Constant	-.762*** (-14.3)	-.881*** (-15.7)	-.963*** (-15.9)
Observations	1487	1487	1259
AIC	1566.82	1413.23	1146.78

*t* statistics in parentheses

\*  $p < 0.10$ , \*\*  $p < 0.05$ , \*\*\*  $p < 0.01$

# Informed Protection: Do Subject's Beliefs Matter?

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# Belief Updating: Correlation

Table: Belief Elicitation: Belief vs Posterior

	(1) All	(2) Good quiz	(3) Dishonest greml
Posterior prob.	.644*** (37.5)	.693*** (39.2)	.524*** (21.8)
Constant	.175*** (21.7)	.15*** (19.8)	.236*** (23.4)
Observations	1488	1260	992
Adjusted $R^2$	0.53	0.60	0.38

*t* statistics in parentheses

\*  $p < 0.10$ , \*\*  $p < 0.05$ , \*\*\*  $p < 0.01$

# What Affects Beliefs?

Table: Belief Elicitation: Discrepancy

	(1)	(2)	(3)	(4)	(5)
False neg. rate	-.0101 (0.0)	-.0101 (0.0)	.05 (0.1)	.05 (0.1)	.0886 (0.1)
False pos. rate	-.606*** (0.1)	-.606*** (0.1)	-.75*** (0.1)	-.749*** (0.1)	-.664*** (0.1)
Good quiz			-.0299 (0.0)	-.0538 (0.0)	
Good quiz $\times$ False neg. rate			-.102 (0.1)	-.102 (0.1)	
Good quiz $\times$ False pos. rate			.269** (0.1)	.266** (0.1)	
Stat. class					.0203 (0.0)
Stat. class $\times$ False neg. rate					-.172* (0.1)
Stat. class $\times$ False pos. rate					.104 (0.1)
Constant	.0616*** (0.0)	.0279 (0.0)	.0779*** (0.0)	.0566 (0.0)	.0499*** (0.0)
Prior prob. dummies	No	Yes	No	Yes	No

# Belief Updating: Decomposition

- Posterior probability  $\mu = P(B|S = x)$  that the ball is black conditional on a hint  $S = x$  can be written as:

$$\ln \left( \frac{\mu}{1 - \mu} \right) = \lambda_0 + S_B + S_W$$

- With  $\lambda_0 \equiv \ln(p/(1 - p))$  representing (transformed) prior beliefs
- And  $S_B, S_W$  describing the effect of new evidence:

$$S_B \equiv I(S = B) \ln(P(s = B|B)/P(s = B|W))$$

$$S_W \equiv I(S = W) \ln((1 - P(s = B|B))/(1 - P(s = B|W)))$$



# Belief Updating: Decomposition

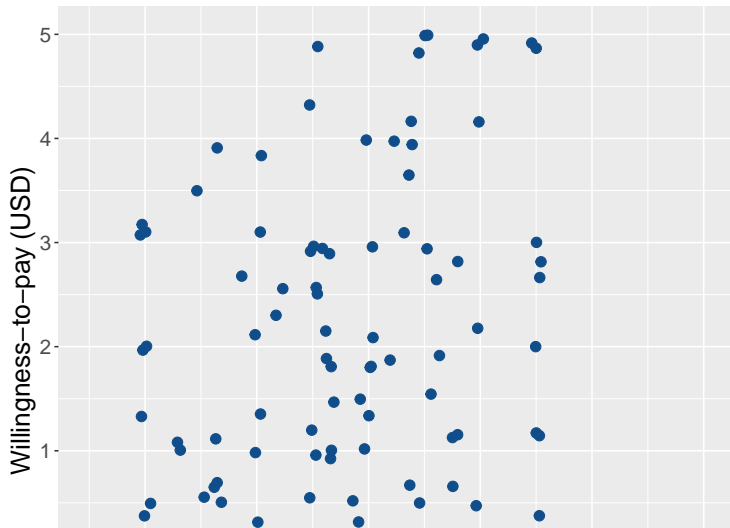
Table: Belief Elicitation: Decomposition

	(1) OLS	(2) FE	(3) OLS	(4) FE	(5) OLS
lt_prior	.257*** (3.8)	.202*** (4.0)	.15* (1.9)	.191** (2.5)	.0946 (1.3)
signalB	.447*** (4.1)	.86*** (6.3)	.388 (1.4)	.654*** (3.2)	.905*** (5.4)
signalW	.413*** (4.6)	0 (.)	.266 (1.2)	0 (.)	.174 (1.0)
>2 wrong answers			0 (.)	0 (.)	
Good quiz			-.367 (-1.3)	0 (.)	
>2 wrong answers $\times$ lt_prior			0 (.)	0 (.)	
Good quiz $\times$ lt_prior			.134 (1.2)	.0207 (0.2)	
>2 wrong answers $\times$ signalB			0 (.)	0 (.)	
Good quiz $\times$ signalB			.528 (1.5)	.387 (1.4)	
>2 wrong answers $\times$ signalW			0	0	

# WTP for signals

- Higher average WTP for more valuable signals

## WTP for a signal vs predicted value



# WTP for signals: Determinants

Table: WTP for Information

	(1)	(2)	(3)	(4)
	OLS	OLS	OLS	OLS
value	.443*** (6.0)	.406*** (5.6)	.158 (1.6)	.0734 (0.7)
Prior prob.		2.15*** (4.0)		2.44*** (4.6)
False neg. rate			-1.91*** (-3.3)	-2.22*** (-4.0)
False pos. rate			-2.08*** (-3.6)	-2.37*** (-4.2)
Constant	.998*** (7.6)	.473*** (2.8)	1.97*** (6.7)	1.52*** (5.1)
Observations	390	390	390	390
Adjusted $R^2$	0.09	0.12	0.12	0.17

*t* statistics in parentheses

\*  $p < 0.10$ , \*\*  $p < 0.05$ , \*\*\*  $p < 0.01$