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//Alan Solitar
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Writing Part

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prob 1.

I = I(x)
n = n(x) = \epsilon \sin(\omega x)
I = I(x) + n(x)
I = I(x) + \epsilon \sin(\omega x)
I' = I'(x) + (\omega)\epsilon \cos(\omega x)
I' = I'(x) + \omega\epsilon \cos(\omega x)
I'(x) \text{ vs } I'(x) + \omega\epsilon \cos(\omega x)
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This shows that depending on the value of ω , the noise can cause a very significant change to the value of the signal.

prob 2.

//not so sure about the solution but I tried to play around the equation a bit

Equation of Line: $x\cos\theta + y\sin\theta = \rho$

you can make some substituations and get an equation in terms of sin

$$\cos\theta = adj/hyp = x/\rho$$

$$x^2\rho + y\sin\theta$$

In this case y should be the amplitude and i believe the phase should be affected by some multiple of x

I believe that the period of all these sinusoids should be the same, meaning 2π . So it does not change regardless of x,y.