## Fall 2015, Midterm 2, #3a

### 3. (24 points) Return of the Digits

(a) (4 pt) Implement complete, which takes a Tree instance t and two positive integers d and k. It returns whether t is d-k-complete. A tree is d-k-complete if every node at a depth less than d has exactly k branches and every node at depth d is a leaf. Notes: The depth of a node is the number of steps from the root; the root node has depth 0. The built-in all function takes a sequence and returns whether all elements are true values: all([1, 2]) is True but all([0, 1]) is False. Tree appears on the Midterm 2 Study Guide. def complete(t, d, k):

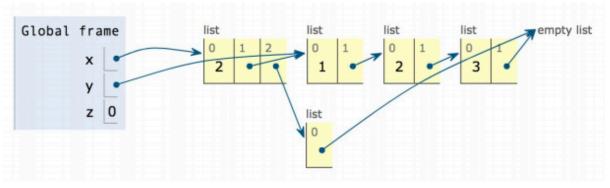
```
"""Return whether t is d-k-complete.

>>> complete(Tree(1), 0, 5)
True
>>> u = Tree(1, [Tree(1), Tree(1), Tree(1)])
>>> [ complete(u, 1, 3) , complete(u, 1, 2) , complete(u, 2, 3) ]
[True, False, False]
>>> complete(Tree(1, [u, u, u]), 2, 3)
True
"""
if not t.branches:
    return d == 0

bs = [complete(b, d-1, k) for b in t.branches]
return len(t.branches) == k and all(bs)
```

# Spring 2018, Exam-Prep 03, #1

1. Translating a List Diagram to Code



Fill in the following blanks so that after all lines have been executed, the environment looks as in the diagram above. You **may not use numerals or mathematical operators** in your solution.

#### Solution:

```
x, y, z = 1, 2, 3
y = [x, [y, [z, []]]]
x = [y[1][0], y, [y[1][1][1]]]
z = len([])
```

# Spring 2015, Midterm 2, #3c

(c) (4 pt) Implement closest, which takes a Tree of numbers t and returns the smallest absolute difference anywhere in the tree between an entry and the sum of the entries of its branches. The Tree class appears on the midterm 2 study guide. The built-in min function takes a sequence and returns its minimum value. Reminder: A branch of a branch of a tree t is not considered to be a branch of t.

```
def closest(t):
    """Return the smallest difference between an entry and the sum of the
    root entries of its branches.

>>> t = Tree(8, [Tree(4), Tree(3)])
    >> closest(t) # |8 - (4 + 3)| = 1
1
>>> closest(Tree(5, [t])) # Same minimum as t
1
>>> closest(Tree(10, [Tree(2), t])) # |10 - (2 + 8)| = 0
0
>>> closest(Tree(3)) # |3 - 0| = 3
3
>>> closest(Tree(8, [Tree(3, [Tree(1, [Tree(5)])]))) # 3 - 1 = 2
2
>>> sum([])
0
"""

diff = abs(t.entry - sum([b.entry for b in t.branches]))
return min([diff] + [closest(b) for b in t.branches])
```

```
Custom Question
```

```
def is_path(t, path):
    if label(t) != path[0]:
        return False
    if len(path) == 1:
        return True
    return any([is_path(b, path[1:]) for b in branches(t)])
```

Spring 2015, Midterm 2, #4b

(b) (6 pt) Implement decrypt, which takes a string s and a dictionary d that contains words as values and their secret codes as keys. It returns a list of all possible ways in which s can be decoded by splitting it into secret codes and separating the corresponding words by spaces.

```
def decrypt(s, d):
    """List all possible decoded strings of s.
    >>> codes = {
           'alan': 'spooky',
            'al': 'drink',
    . . .
           'antu': 'your',
    . . .
           'turing': 'ghosts',
    . . .
           'tur': 'scary',
    . . .
           'ing': 'skeletons',
    . . .
            'ring': 'ovaltine'
    . . .
    ...}
    >>> decrypt('alanturing', codes)
    ['drink your ovaltine', 'spooky ghosts', 'spooky scary skeletons']
    if s == '':
        return []
    messages = []
    if s in d:
        messages.append(d[s])
    for k in range(1, len(s)+1):
        first, suffix = s[:k], s[k:]
        if first in d:
            for rest in decrypt(suffix, d):
                messages.append(d[first] + ' ' + rest)
```

return messages