

→ Related Question: Maximum number that sum of primes is less than or equal to k

○

Count number of bits till a number starting from 0.

0 0 0 0 0

0 0 0 1 1

0 0 1 0 2

0 0 1 1 3

0 1 0 0 4

0 1 0 1 5

count 2 2 3

for any number k return bit counts.

k=5 ans: 2, 2, 3.

>> intuition :

0	0	0	0	0
0	0	1	1	
0	1	0	2	
0	1	1	3	
1	0	0	4	
<hr/>				
1	2	2		
	4/2	4/2		

0	← 0
1	← 1
1 1	← 2
2 2	← 3
1 2 2	← 4

0 0 0 0 0

0 0 0 1 1

0 0 1 0 2

0 0 1 1 3

0 1 0 0 4

0 1 0 1 5

0 1 1 0 6

0 1 1 1 7

1 0 0 0 8 →

1 0 0 1 9

1 0 1 0 10

1 0 1 1 11

vector<int> getCount(int num)

{ vector<int> temp(64, 0);
if (num == 0) return temp;

int digit = log2(num)

LL nearestPower = (1LL << digit)

vector<LL> others = getCount(
num - nearestPower)

bitCount[digit] = (num - nearestPower + 1)

for (int i = 0; i < digits; i++)

bitCount[i] = others[i]
+ nearestPower / 2;

return bitCount;

getCount(11) →

3	1	4	4	4
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+
getCount(11-8)



And of all Numbers in a range left to Right

Left	10	:	0	0	1	0	1	0	x	<u>00101</u>	<u>0010</u>	<u>001</u>
"			0	0	1	0	1	1		00101	0010	001
	12		0	0	1	1	0	0		00110	0011	001
Right	13		0	0	1	1	0	1	y	<u>00110</u>	<u>0011</u>	<u>001</u>
										$x \neq y$	$x \neq y$	$x = y$

until $x = y$ there's a 0 hidden in between x & y .

x : 0101 x : 0101
 y : 0111 y : 0111
 \rightarrow 0110

hence and of Last unmatched bits are 0.

$$\text{AND}(10 \dots 13) = 001000$$

Redundant to compute
8 & 10

Approach 2

no need to and all number from
Right side to left side.
only need to do $n \& (n-1)$
until $n \leq \text{left}$

10 10 10
 11 10 11 12 & 11 = (8) ^{Ans}
 12 11 00 \rightarrow 13 & 12 = 12
 13 11 01



Gray Code

between 2 consecutive number
1 bit difference must be
present.

Recursive Solⁿ:

2 bit 00 01 11 10

3 bit 000 001 011 010 order of 2 bit
 110 111 101 100 reverse of 2 bit

000
 001
 011
 010
 110
 111
 101
 100

