

## APPENDIX A

### NOMENCLATURE

#### Abbreviations

CP	Charging Pile
CS	Charging Station
DR	Demand Response
EV	Electric Vehicle
V2G	Vehicle-to-Grid
VPP	Virtual Power Plant

#### Parameters

$\alpha_1$	Coefficient corresponding to the lower limit of the DR power requirement for the CS
$\alpha_2$	Coefficient corresponding to the upper limit of the DR power requirement for the CS
$\tau$	Size of the planning time horizon
$C^o$	Subsidy from the grid for unit response electricity
$C^p$	Penalty from the grid for unit deviation electricity
$C_j^{chmax}$	Expected maximum price of unit electricity for EV <sub>j</sub> to charge
$C_j^{chmin}$	Expected minimum price of unit electricity for EV <sub>j</sub> to charge
$C_j^{dcmx}$	Expected maximum subsidy of unit electricity for EV <sub>j</sub> to discharge
$C_j^{dcmin}$	Expected minimum subsidy of unit electricity for EV <sub>j</sub> to discharge
$C_k^{pur}$	Unit purchase price of electricity for CS <sub>k</sub> from the grid
$C_k^{resmax}$	Maximum recruitment subsidy of CS <sub>k</sub> for unit response electricity
$C_k^{resmin}$	Minimum recruitment subsidy of CS <sub>k</sub> for unit response electricity
$C_k^{sell}$	Unit sell price of electricity for CS <sub>k</sub> to EVs
$C_k^{rs}$	Unit sales profit of electricity for CS <sub>k</sub> to EVs
$C_k^{wait}$	Subsidy of CS <sub>k</sub> for unit waiting time of EVs
$C_k^{resbase}$	Basic recruitment subsidy of CS <sub>k</sub> for unit response electricity
$K_j$	Price preference type of EV <sub>j</sub> , 1, 0, and -1 represent the driver as sensitive, neutral, and insensitive, respectively
$L$	Size of the planning lead time
$N_k$	Total number of CPs at CS <sub>k</sub>
$P_{k,i}^{max}$	Maximum charging or discharging power of CP <sub>i</sub> at CS <sub>k</sub>
$P_{k,t}^{base}$	Base power of CS <sub>k</sub> at time $t$
$Q_j^{max}$	Maximum battery capacity of EV <sub>j</sub>
$Q_j^{safe}$	Minimum battery power level of EV <sub>j</sub> at which the driver won't have energy anxiety
$Q_k^{resthre}$	Required amount of response electricity of CS <sub>k</sub> for recruited EVs
$S_k$	Type of DR task received by CS <sub>k</sub> , 1 indicates valley filling task, and -1 indicates peak shaving task
$T$	Time limit of a certain DR task

#### Sets and Indices

$i$	Index of CP
$j$	Index of EV
$k$	Index of CS
$l$	Index of planning time horizon
$t$	Index of time

#### Variables

$Pr_{j,k,t}^{ch}$	Probability of EV <sub>j</sub> charging to participate in the DR task of CS <sub>k</sub>
$Pr_{j,k,t}^{dc}$	Probability of EV <sub>j</sub> discharging to participate in the DR task of CS <sub>k</sub>
$C_{k,j,l}^{res}$	Unit response electricity subsidy for recruited EV <sub>j</sub> at CS <sub>k</sub> in the $l$ -th time horizon
$C_{k,t}$	Charging price or discharging subsidy for recruited EV <sub>j</sub> at time $t$
$C_{k,t}^{res}$	Recruitment subsidy for unit response electricity from CS <sub>k</sub> at time $t$
$D_{j,k,t}$	Distance between EV <sub>j</sub> and CS <sub>k</sub> at time $t$
$I_{j,k}^{wait}$	Waiting subsidy for EV <sub>j</sub> from CS <sub>k</sub>
$I_{k,l}$	Revenue of CS <sub>k</sub> in $l$ -th time horizon
$I_{k,l}^{res}$	Revenue of CS <sub>k</sub> from EVs participating in DR task in the $l$ -th time horizon
$I_{k,l}^{unres}$	Revenue of CS <sub>k</sub> from EVs not participating in DR task in the $l$ -th time horizon
$N_{k,l}$	Cumulative number of EVs at CS <sub>k</sub> in the $l$ -th time horizon
$N_{k,l}^{newres}$	Number of EVs starting to participate in DR task at CS <sub>k</sub> in the $l$ -th time horizon
$N_{k,l}^{oldres}$	Number of EVs that continue to participate in DR task at CS <sub>k</sub> in the $l$ -th time horizon
$N_{k,t}^{recruit}$	Number of EVs planned to recruit for DR task of CS <sub>k</sub> at time $t$

$N_{k,t}^{\text{res}}$	Number of EVs participating the DR task of $CS_k$ at time $t$
$P_k^{\text{goal}}$	Required response power of $CS_k$
$P_{k,i,j,t}^{\text{ch}}$	Charging power of $EV_j$ at $CP_i$ of $CS_k$ at time $t$
$P_{k,i,j,t}^{\text{dc}}$	Discharging power of $EV_j$ at $CP_i$ of $CS_k$ at time $t$
$P_{k,i,j,t}^{\text{resgoal}}$	Expected response power of $EV_j$ at $CP_i$ of $CS_k$ at time $t$
$P_{k,i,j,t}^{\text{res}}$	Charging or discharging power of $EV_j$ at $CP_i$ of $CS_k$ at time $t$
$P_{k,i,j,t}^{\text{res}}$	Response power of $EV_j$ at $CP_i$ of $CS_k$ at time $t$
$P_{k,i,j,t}^{\text{unres}}$	Charging power of $EV_j$ at $CP_i$ of $CS_k$ at time $t$
$P_{k,t}^{\text{effectres}}$	Total effective response power of $CS_k$ at time $t$
$P_{k,t}^{\text{res}}$	Total response power of EVs of $CS_k$ at time $t$
$P_{k,t}^{\text{unres}}$	Total charging power of EVs not participating in DR tasks of $CS_k$ at time $t$
$Q_{j,t}$	Battery power of $EV_j$ at time $t$
$Q_{j,t}^{\text{unitconsum}}$	Electricity consumption per unit mileage of $EV_j$ at time $t$
$Q_{k,i,j,l}^{\text{res}}$	Amount of response electricity of $EV_j$ at $CP_i$ of $CS_k$ in the $l$ -th time horizon
$Q_{k,i,j,l}^{\text{unres}}$	Amount of charging electricity for $EV_j$ that does not participate in DR tasks at $CP_i$ of $CS_k$ in the $l$ -th time horizon
$Q_{k,i,j}^{\text{res}}$	Amount of response electricity of $EV_j$ at $CP_i$ of $CS_k$
$Q_{k,l}^{\text{effectres}}$	Amount of effective response electricity of $CS_k$ in the $l$ -th time horizon
$Q_{k,l}^{\text{goal}}$	Expected amount of effective response electricity of $CS_k$ in the $l$ -th time horizon
$T_{j,k,t}^{\text{plan}}$	Estimated travel time of $EV_j$ departing for $CS_k$ at time $t$
$T_{j,k}^{\text{wait}}$	Total waiting time of $EV_j$ at $CS_k$
$T_{k,i,j}^{\text{resbeg}}$	Demand response start time of $EV_j$ at $CP_i$ of $CS_k$
$T_{k,i,j}^{\text{resend}}$	Demand response end time of $EV_j$ at $CP_i$ of $CS_k$
$T_{k,i,j}^{\text{unresbeg}}$	Charging start time of $EV_j$ that does not participate in DR task at $CP_i$ of $CS_k$
$T_{k,i,j}^{\text{unresend}}$	Charging end time of $EV_j$ that does not participate in DR task at $CP_i$ of $CS_k$
$T_{k,j}^{\text{res}}$	Moment when $EV_j$ accepts recruitment from station $CS_k$
$X_{k,j,t}$	It is 1 if $EV_j$ accepts recruitment from $CS_k$ at time $t$ , else is 0

## APPENDIX B

### MODEL CONSTRUCTION AND SOLUTION

#### A. Operation Model of CS

$$\begin{aligned}
\max \quad & I_{k,l} = I_{k,l}^{\text{res}} + I_{k,l}^{\text{unres}} \\
s.t. \quad & I_{k,l}^{\text{res}} = \min\{Q_{k,l}^{\text{effectres}}, Q_{k,l}^{\text{goal}}\} \cdot C^o + \sum_{i=1}^{N_k} \sum_{j=1}^{N_{k,l}} Q_{k,i,j,l}^{\text{res}} \cdot (C_k^s - C_{k,j,l}^{\text{res}}) - \max\{Q_{k,l}^{\text{goal}} - Q_{k,l}^{\text{effectres}}, 0\} \cdot C^p \\
& Q_{k,l}^{\text{effectres}} = \int_{l+L}^{l+L+\tau} P_{k,t}^{\text{effectres}} dt \\
& Q_{k,l}^{\text{goal}} = \int_0^{l+L+\tau} P_k^{\text{goal}} dt - \int_0^{l+L} P_{k,t}^{\text{effectres}} dt \\
& C_k^s = \begin{cases} C_k^{\text{sell}} - C_k^{\text{pur}}, & S_k = 1, \\ 0, & S_k = -1 \end{cases} \\
& P_{k,t}^{\text{effectres}} = \begin{cases} P_{k,t}^{\text{base}} - P_{k,t}^{\text{unres}} - P_{k,t}^{\text{res}}, & S_k = -1, \\ P_{k,t}^{\text{res}} + P_{k,t}^{\text{unres}} - P_{k,t}^{\text{base}}, & S_k = 1 \end{cases} \\
& \alpha_1 \cdot P_k^{\text{goal}} \leq P_{k,t}^{\text{effectres}} \leq P_k^{\text{goal}} \cdot \alpha_2 \\
& P_{k,t}^{\text{res}} = \sum_{i=1}^{N_k} \sum_{j=1}^{N_{k,t}} P_{k,i,j,t}^{\text{res}}, \quad 0 \leq |P_{k,i,j,t}^{\text{res}}| \leq P_{k,i}^{\text{max}} \\
& P_{k,i,j,t}^{\text{res}} = \begin{cases} P_{k,i}^{\text{dc}}, & t \in [T_{k,i,j}^{\text{resbeg}}, T_{k,i,j}^{\text{resend}}], S_k = -1, \\ P_{k,i}^{\text{ch}}, & t \in [T_{k,i,j}^{\text{resbeg}}, T_{k,i,j}^{\text{resend}}], S_k = 1, \\ 0, & \text{else} \end{cases} \\
& P_{k,t}^{\text{unres}} = \sum_{i=1}^{N_k} \sum_{j=1}^{N_{k,t}} P_{k,i,j,t}^{\text{unres}}, \quad 0 \leq P_{k,i,j,t}^{\text{unres}} \leq P_{k,i}^{\text{max}} \\
& P_{k,i,j,t}^{\text{unres}} = \begin{cases} P_{k,i}^{\text{ch}}, & t \in [T_{k,i,j}^{\text{unresbeg}}, T_{k,i,j}^{\text{unresend}}], \\ 0, & \text{else} \end{cases} \\
& C_{k,j,l}^{\text{res}} = \sum_{t'=0}^l X_{k,j,t'} \cdot C_{k,t'}^{\text{res}}, \quad C_k^{\text{resmin}} \leq C_{k,t}^{\text{res}} \leq C_k^{\text{resmax}} \\
& X_{k,j,t} = \begin{cases} 1, & T_{k,j}^{\text{res}} = t, \\ 0, & \text{else} \end{cases} \\
& N_{k,l}^{\text{newres}} = \sum_{i=1}^{N_k} \sum_{j=1}^{N_{k,l}} W(l+L, l+L+\tau, T_{k,i,j}^{\text{resbeg}}) \\
& N_{k,l}^{\text{oldres}} = \sum_{i=1}^{N_k} \sum_{j=1}^{N_{k,l}} W(T_{k,i,j}^{\text{resbeg}}, T_{k,i,j}^{\text{resend}}, l+L) \\
& Q_{k,i,j}^{\text{res}} = \int_{T_{k,i,j}^{\text{resbeg}}}^{T_{k,i,j}^{\text{resend}}} |P_{k,i,j,t}^{\text{res}}| dt, \quad Q_{k,i,j}^{\text{res}} \geq Q_k^{\text{resthre}} \\
& I_{k,l}^{\text{unres}} = \sum_{i=1}^{N_k} \sum_{j=1}^{N_{k,l}} Q_{k,i,j,l}^{\text{unres}} \cdot (C_k^{\text{sell}} - C_k^{\text{pur}}) \\
& Q_{k,i,j,l}^{\text{unres}} = \int_{l+L}^{l+L+\tau} P_{k,i,j,t}^{\text{unres}} dt \\
& N_{k,l}^{\text{newres}} \leq N_{k,t}^{\text{recruit}} \\
& N_{k,l}^{\text{newres}} \leq f_{k,t}(C_{k,t}^{\text{res}})
\end{aligned}$$

#### B. Proof of Proposition 1

**Proposition 1:** For the adjusted optimization problem, when it takes the optimal value,  $N_{k,t}^{\text{recruit}} - a_{k,t} - b_{k,t} \cdot C_{k,t}^{\text{res}} = 0$ .

**Proof** Proof of Proposition 1. Transform the adjusted optimization problem into a standard-constrained optimization problem.

$$\min -I_{k,l}, \quad (\text{A.1})$$

$$s.t. \quad g_i(\mathbf{x}) \leq 0, i = 1, \dots, m, \quad (\text{A.2})$$

$$h_j(\mathbf{x}) = 0, j = 1, \dots, n. \quad (\text{A.3})$$

Due to space limitations, the constraints are not expanded here. For the specific expression of constraints, see Eq. A.1. Define the Lagrangian function:

$$L(N_{k,t}^{\text{recruit}}, C_{k,t}^{\text{res}}, \lambda_i, \mu_j) = -I_{k,l} + \sum_{i=1}^m \lambda_i g_i(\mathbf{x}) + \sum_{j=1}^n \mu_j h_j(\mathbf{x}). \quad (\text{A.4})$$

Then, calculate the partial derivative of the subsidized price  $C_{k,l-1}^{\text{res}}$ . Based on the Karush-Kuhn-Tucker (KKT) condition [28], the following results can be obtained.

$$N_{k,t}^{\text{recruit}} \cdot Q_{k,l}^{\text{resthre}} - \mu \cdot b_{k,t} = 0, \quad (\text{A.5})$$

$$\mu(N_{k,t}^{\text{recruit}} - a_{k,t} - b_{k,t} \cdot C_{k,t}^{\text{res}}) = 0, \quad (\text{A.6})$$

when there is a need for recruitment, Eq. A.5 shows that  $\mu$  is not equal to 0, therefore, for the optimal solution of the optimization problem, the following relationship exists:

$$N_{k,t}^{\text{recruit}} - a_{k,t} - b_{k,t} \cdot C_{k,t}^{\text{res}} = 0. \quad (\text{A.7})$$

### C. Proof of Proposition 2

**Proposition 2:** The optimization objective  $I_{k,l}$  increases with the increase of  $b_{k,t}$ .

**Proof** Proof of Proposition 2. Combining Eq. A.7 with Eq. A.1, the partial derivative of  $I_{k,l}$  with respect to  $b_{k,t}$  is as follows:

$$\frac{\partial I_{k,l}}{\partial b_{k,t}} = C_{k,t}^{\text{res}} \cdot Q_k^{\text{resthre}} (C^o + C_k^s + C^p - C_{k,t}^{\text{res}}), \quad (\text{A.8})$$

since the CSs aim to obtain DR regulation profits, the recruitment subsidy of the CS is less than  $(C^o + C_k^s + C^p)$ , then the partial derivative is greater than 0. It can be concluded that the objective function increases with the increase of  $b_{k,t}$ .

## APPENDIX C RESPONSE MODEL FOR EV OWNER

According to the updated recruitment plan, the CS sends out invitations to nearby EVs to participate in the DR task. For EV<sub>j</sub> around CS<sub>k</sub>, after receiving the invitation at time  $t$ , the driver decides whether to participate in the task based on the battery power of EV, location of EV, subsidy level, etc. For EV<sub>j</sub>, its battery power at time  $t$  is  $Q_{j,t}$ , and  $D_{j,k,t}$  represents the distance between EV<sub>j</sub> and CS<sub>k</sub>,  $Q_{j,t}^{\text{unitconsum}}$  represents the electricity consumption per unit driving distance of EV<sub>j</sub>, and  $Q_j^{\text{safe}}$  represents the lowest level of battery power for EV<sub>j</sub> that the driver will not feel range anxiety. Due to the different travel plans and charging preferences of drivers, there are certain differences in  $Q_j^{\text{safe}}$  for different EVs.  $Q_j^{\text{max}}$  is the maximum battery power of EV<sub>j</sub>, and  $C_{k,t}$  is the received price of EV<sub>j</sub> for unit electricity consumption or supply at time  $t$ .

$$Q_{j,t} - D_{j,k,t} \cdot Q_{j,t}^{\text{unitconsum}} > 0, \quad (\text{A.9})$$

$$Q_{j,t} - D_{j,k,t} \cdot Q_{j,t}^{\text{unitconsum}} - Q_k^{\text{resthre}} > Q_j^{\text{safe}}, S_k = -1, \quad (\text{A.10})$$

$$Q_{j,t} - D_{j,k,t} \cdot Q_{j,t}^{\text{unitconsum}} + Q_k^{\text{resthre}} < Q_j^{\text{max}}, S_k = 1, \quad (\text{A.11})$$

$$C_{k,t} = \begin{cases} C_k^{\text{sell}} - C_{k,t}^{\text{res}}, & S_k = 1, \\ C_{k,t}^{\text{res}}, & S_k = -1. \end{cases} \quad (\text{A.12})$$

Considering the diversity of drivers' preferences, their willingness to charge or discharge varies [27]. Let  $\text{Pr}_{j,k,t}^{\text{ch}}$  and  $\text{Pr}_{j,k,t}^{\text{dc}}$  represent the charging and discharging probabilities of EV<sub>j</sub> at time  $t$ , respectively.  $P_j^{\text{chmin}}$  and  $P_j^{\text{dcmin}}$  refer to the minimum unit price for EV<sub>j</sub> to charge or discharge.  $P_j^{\text{chmax}}$  and  $P_j^{\text{dcmax}}$  refer to the maximum unit price of EV<sub>j</sub> for charging or discharging.  $K_j$  represents the type of price sensitivity for the driver of EV<sub>j</sub>, where 1 indicates the driver is price-sensitive, 0 indicates the driver is neutral, and -1 indicates the driver is price-insensitive. Since drivers usually have range anxiety, it is assumed that when the battery power of the EV is less than  $Q_j^{\text{safe}}$ , the driver is eager to charge the vehicle.

$$\text{Pr}_{j,k,t}^{\text{dc}} = \frac{A_{j,t}^{\text{dc}} + B_{j,k,t}^{\text{dc}}}{2}, \quad (\text{A.13})$$

$$A_{j,t}^{\text{dc}} = \frac{Q_{j,t} - Q_j^{\text{safe}}}{Q_j^{\text{max}} - Q_j^{\text{safe}}}, \quad (\text{A.14})$$

$$b_{j,k,t}^{\text{dc}} = \frac{C_{k,t} - C_j^{\text{chmin}}}{C_j^{\text{chmax}} - C_j^{\text{chmin}}}, \quad (\text{A.15})$$

$$B_{j,k,t}^{\text{dc}} = \begin{cases} \ln(b_{j,k,t}^{\text{dc}} \cdot (e - 1) + 1), & K_j = 1, \\ b_{j,k,t}^{\text{dc}}, & K_j = 0, \\ \frac{e^{b_{j,k,t}^{\text{dc}}} - 1}{e - 1}, & K_j = -1, \end{cases} \quad (\text{A.16})$$

where  $A_{j,t}^{\text{dc}}$  and  $B_{j,k,t}^{\text{dc}}$  represent the preference of the driver controlling EV<sub>j</sub> to participate in the DR task regarding battery power level and discharging subsidy level.

$$\text{Pr}_{j,k,t}^{\text{ch}} = \begin{cases} \frac{A_{j,t}^{\text{ch}} + B_{j,t}^{\text{ch}}}{2}, & Q_{j,t} \geq Q_j^{\text{safe}}, \\ 1, & Q_{j,t} < Q_j^{\text{safe}}, \end{cases} \quad (\text{A.17})$$

$$A_{j,t}^{\text{ch}} = 1 - \frac{Q_{j,t} - Q_j^{\text{safe}}}{Q_j^{\text{max}} - Q_j^{\text{safe}}}, \quad (\text{A.18})$$

$$b_{j,k,t}^{\text{ch}} = \frac{C_{k,t} - C_j^{\text{chmin}}}{C_j^{\text{chmax}} - C_j^{\text{chmin}}}, \quad (\text{A.19})$$

$$B_{j,k,t}^{\text{ch}} = \begin{cases} \ln((1 - b_{j,k,t}^{\text{ch}}) \cdot (e - 1) + 1), & K_j = 1, \\ 1 - b_{j,k,t}^{\text{ch}}, & K_j = 0, \\ \frac{e^{1 - b_{j,k,t}^{\text{ch}}} - 1}{e - 1}, & K_j = -1, \end{cases} \quad (\text{A.20})$$

where  $A_{j,t}^{\text{ch}}$  and  $B_{j,k,t}^{\text{ch}}$  represent the preference of the driver controlling EV<sub>j</sub> to participate in the DR task regarding battery power level and charging subsidy level.

If the driver of EV<sub>j</sub> accepts the invitation of CS<sub>k</sub>, it will go to CS<sub>k</sub> to perform the task, and then CS<sub>k</sub> will settle the bill according to the agreed price once the task is completed.

## APPENDIX D EXPERIMENTAL RESULTS

This section provides a detailed presentation of the relevant simulation results. For the sake of completeness, some results previously included in the main text are also reiterated here.

### A. Experiment Setup

Table A1 shows the detailed information of the 10 CSs involved in the simulation experiment.

TABLE A1  
DETAILED INFORMATION OF CSS FOR SIMULATION

ID	Location of CSs		Number of CPs
	Longitude	Latitude	
CS <sub>1</sub>	110.3055	20.0141	32
CS <sub>2</sub>	110.3239	19.9928	60
CS <sub>3</sub>	110.2698	19.9795	29
CS <sub>4</sub>	110.2616	20.0069	24
CS <sub>5</sub>	110.2887	19.9766	30
CS <sub>6</sub>	110.2911	19.9935	36
CS <sub>7</sub>	110.2617	19.9959	32
CS <sub>8</sub>	110.3171	19.9761	22
CS <sub>9</sub>	110.3393	19.9768	38
CS <sub>10</sub>	110.2738	19.9620	22

### B. Simulation Results Under Different DR Tasks

The simulation results of the proposed TSDO under different DR tasks are shown in Tables A2 and A3. Figs. A1 and A2 intuitively shows the performance of the proposed TSDO under different indicators. Figs. A3 and A4 show the response power performance of the proposed TSDO under specific tasks in detail.

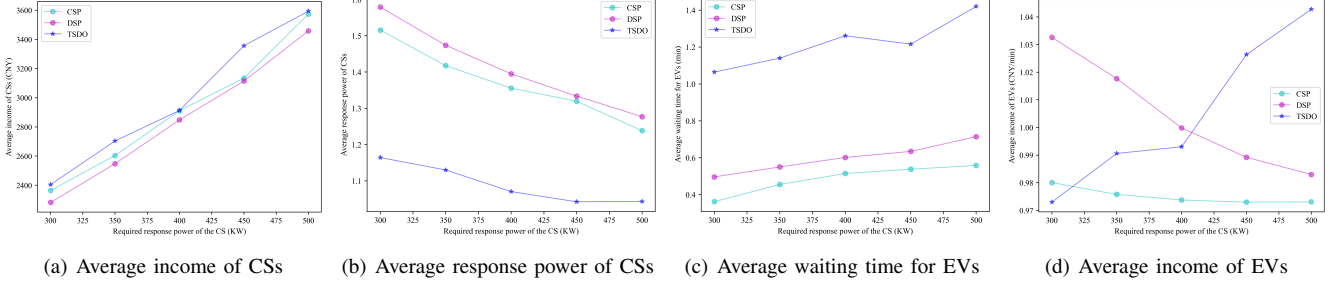


Fig. A1. Performance variation of CSs with increasing task power of peak shaving.

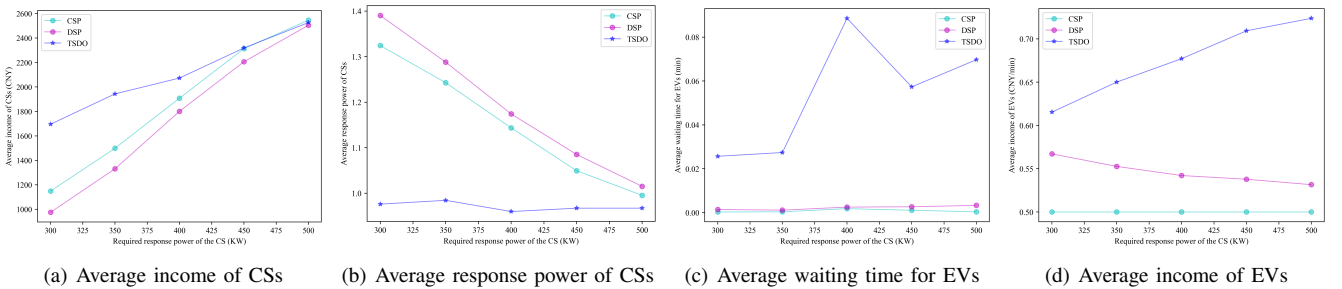


Fig. A2. Performance variation of CSs with increasing task power of valley filling.

### C. Simulation Results Under Different Planning Lead Time

This part presents the simulation results of the TSDO under different planning lead time  $L$ . Tables A4 and A5 show the performance results of the TSDO, and the intuitive demonstration of the TSDO performance under different planning lead time  $L$  are shown in Figs. A5 and A6.

TABLE A2  
EXPERIMENTAL RESULTS OF PEAK SHAVING TASKS

Task Power (kW)	Approach	Income of CSs (CNY)		Response Power of CSs		Waiting Time for EVs (min)		Income of EVs (CNY/min)	
		Average	Variance	Average	Variance	Average	Variance	Average	Variance
300	CSP	2364.3652	58.0094	1.5158	0.0632	<b>0.3617</b>	0.1480	0.9801	0.0080
	DSP	2281.8517	73.2286	1.5789	0.0744	0.4962	0.1782	<b>1.0326</b>	0.0135
	TSDO	<b>2404.7239</b>	152.1891	<b>1.1642</b>	0.0731	1.0642	0.2467	0.9730	0.0613
350	CSP	2603.8159	86.8887	1.4176	0.0588	<b>0.4552</b>	0.1505	0.9758	0.0082
	DSP	2547.7102	84.1984	1.4738	0.0733	0.5502	0.1695	<b>1.0177</b>	0.0113
	TSDO	<b>2703.5301</b>	158.2229	<b>1.1300</b>	0.0568	1.1402	0.2761	0.9906	0.0481
400	CSP	2911.3059	113.3455	1.3555	0.0507	<b>0.5146</b>	0.1373	0.9738	0.0070
	DSP	2847.9933	106.2594	1.3950	0.0520	0.6014	0.1493	<b>0.9998</b>	0.0097
	TSDO	<b>2912.8470</b>	211.4107	<b>1.0705</b>	0.0656	1.2613	0.3054	0.9930	0.0524
450	CSP	3134.8762	161.1543	1.3195	0.0533	<b>0.5379</b>	0.1411	0.9730	0.0068
	DSP	3114.9202	112.9452	1.3337	0.0414	0.6344	0.1776	0.9892	0.0128
	TSDO	<b>3356.5290</b>	150.1364	<b>1.0423</b>	0.0326	1.2161	0.2382	<b>1.0264</b>	0.0486
500	CSP	3573.8977	149.2931	1.2383	0.0503	<b>0.5579</b>	0.1621	0.9731	0.0080
	DSP	3458.7848	149.6886	1.2768	0.0428	0.7142	0.1562	0.9830	0.0082
	TSDO	<b>3593.8757</b>	155.4868	<b>1.0434</b>	0.0308	1.4202	0.2222	<b>1.0428</b>	0.0337

\* The response power represents the ratio of the target power.

TABLE A3  
EXPERIMENTAL RESULTS OF VALLEY FILLING TASKS

Task Power (kW)	Approach	Income of CSs (CNY)		Response Power of CSs		Waiting Time for EVs (min)		Income of EVs (CNY/min)	
		Average	Variance	Average	Variance	Average	Variance	Average	Variance
300	CSP	1148.9125	85.3962	1.3245	0.0407	<b>0.0003</b>	0.0011	0.5000	0.0000
	DSP	975.1546	100.7143	1.3903	0.0464	0.0014	0.0049	0.5672	0.0088
	TSDO	<b>1695.5672</b>	55.7468	<b>0.9761</b>	0.0067	0.0257	0.0286	<b>0.6154</b>	0.0461
350	CSP	1499.0062	97.5822	1.2427	0.0333	<b>0.0004</b>	0.0014	0.5000	0.0000
	DSP	1331.1526	106.0163	1.2879	0.0431	0.0011	0.0021	0.5527	0.0087
	TSDO	<b>1943.5201</b>	73.9494	<b>0.9844</b>	0.0108	0.0274	0.0187	<b>0.6501</b>	0.0509
400	CSP	1908.5660	133.6327	1.1436	0.0487	<b>0.0018</b>	0.0040	0.5000	0.0000
	DSP	1800.8232	146.3049	1.1741	0.0392	0.0025	0.0055	0.5421	0.0067
	TSDO	<b>2072.9863</b>	56.1451	<b>0.9598</b>	0.0048	0.0886	0.0814	<b>0.6771</b>	0.0366
450	CSP	2313.8063	121.5313	1.0494	0.0456	<b>0.0011</b>	0.0022	0.5000	0.0000
	DSP	2206.3390	121.1399	1.0851	0.0376	0.0027	0.0049	0.5378	0.0068
	TSDO	<b>2319.0694</b>	60.9840	<b>0.9671</b>	0.0067	0.0573	0.0307	<b>0.7094</b>	0.0333
500	CSP	2545.7672	95.2274	<b>0.9953</b>	0.0305	<b>0.0004</b>	0.0009	0.5000	0.0000
	DSP	2504.4970	114.0116	1.0151	0.0296	0.0033	0.0057	0.5316	0.0085
	TSDO	<b>2526.4447</b>	70.5901	0.9672	0.0082	0.0697	0.0343	<b>0.7238</b>	0.0165

\* The response power represents the ratio of the target power.

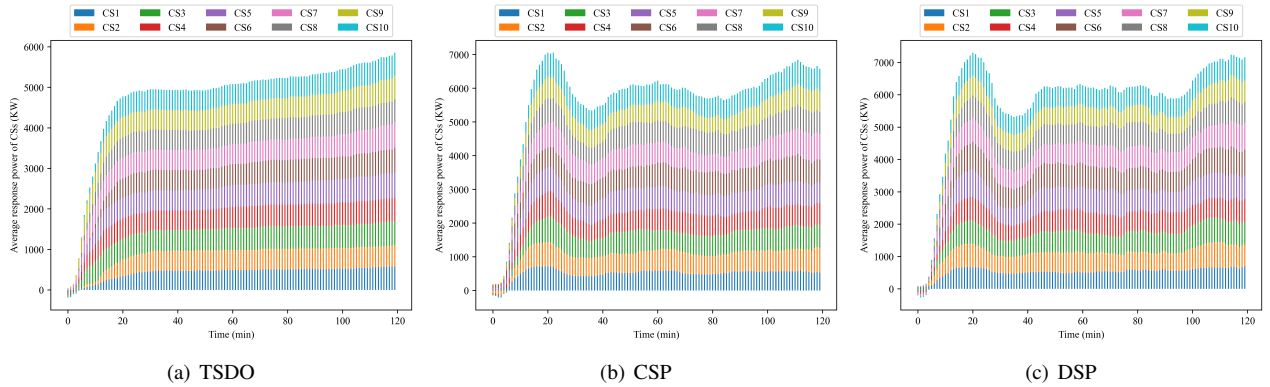


Fig. A3. Performance of the response power of each CS under the peak shaving tasks during the task period when task power is 500 KW.

#### D. Simulation Results With Vehicle Arrival Time Fluctuations

Tables A6 and A7 demonstrate the simulation results under EV arrival time fluctuations, and the specific response power performance of the TSDO are shown in Figs. A7 and A8.

TABLE A4  
EXPERIMENTAL RESULTS OF PEAK SHAVING TASKS UNDER DIFFERENT PLANNING LEAD TIME

$L$ (min)	Income of CSs (CNY)		Response Power of CSs		Waiting Time for EVs (min)		Income of EVs (CNY/min)	
	Average	Variance	Average	Variance	Average	Variance	Average	Variance
1	3179.1640	218.2191	1.1375	0.0531	1.8688	0.3208	0.9783	0.0513
2	3410.2535	203.1438	1.0924	0.0343	1.6230	0.2917	0.9931	0.0477
3	3481.1058	173.4344	1.0597	0.0402	1.4438	0.2856	1.0192	0.0440
4	3563.9650	180.6830	1.0527	0.0348	1.3568	0.2687	1.0229	0.0495
5	3607.7215	184.8545	<b>1.0405</b>	0.0296	1.3705	0.2597	1.0243	0.0447
6	3593.8757	155.4868	1.0434	0.0308	1.4202	0.2222	1.0428	0.0337
7	<b>3630.6677</b>	175.2095	1.0411	0.0258	<b>1.3568</b>	0.2978	1.0560	0.0440
8	3627.4461	159.8161	1.0441	0.0281	1.3635	0.1996	1.0580	0.0421
9	3609.5116	167.8137	1.0570	0.0268	1.4626	0.2352	1.0579	0.0480
10	3617.2775	161.6867	1.0557	0.0286	1.4986	0.2355	<b>1.0609</b>	0.0446

\* The task power in experiments is set to 500 KW.

\*\* The response power represents the ratio of the target power.

TABLE A5  
EXPERIMENTAL RESULTS OF VALLEY FILLING TASKS UNDER DIFFERENT PLANNING LEAD TIME

$L$ (min)	Income of CSs (CNY)		Response Power of CSs		Waiting Time for EVs (min)		Income of EVs (CNY/min)	
	Average	Variance	Average	Variance	Average	Variance	Average	Variance
1	1650.8371	99.6245	0.9713	0.0097	0.2740	0.3683	0.5142	0.0413
2	1656.9358	74.5996	0.9660	0.0070	0.0873	0.0841	0.5515	0.0479
3	1685.2243	62.3695	0.9707	0.0059	0.0438	0.0532	0.5669	0.0434
4	1681.2062	62.2920	0.9737	0.0092	0.0466	0.0489	0.5947	0.0485
5	1678.9928	64.5997	0.9733	0.0085	0.0319	0.0328	0.6096	0.0478
6	1695.5672	55.7468	0.9761	0.0067	0.0257	0.0286	<b>0.6154</b>	0.0461
7	1703.2800	49.9565	0.9781	0.0060	0.0207	0.0318	0.6106	0.0514
8	1710.3155	56.9154	0.9794	0.0089	0.0177	0.0240	0.6134	0.0417
9	1711.2301	48.7931	<b>0.9822</b>	0.0094	0.0255	0.0329	0.6081	0.0401
10	<b>1720.7100</b>	45.5344	0.9821	0.0093	<b>0.0164</b>	0.0241	0.5967	0.0407

\* The task power in experiments is set to 300 KW.

\*\* The response power represents the ratio of the target power.

TABLE A6  
EXPERIMENTAL RESULTS OF PEAK SHAVING TASKS UNDER DIFFERENT VEHICLE ARRIVAL FLUCTUATIONS

Uncertainty Factor $u$	Approach	Income of CSs (CNY)		Response power of CSs		Waiting time for EVs (min)		Income of EVs (CNY/min)	
		Average	Variance	Average	Variance	Average	Variance	Average	Variance
0	CSP	3573.8977	149.2931	1.2383	0.0503	<b>0.5579</b>	0.1621	0.9731	0.0080
	DSP	3458.7848	149.6886	1.2768	0.0428	0.7142	0.1562	0.9830	0.0082
	TSDO	<b>3593.8757</b>	155.4868	<b>1.0434</b>	0.0308	1.4202	0.2222	<b>1.0428</b>	0.0337
0.1	CSP	3532.7029	169.0941	1.2543	0.0496	<b>0.6335</b>	0.1782	0.9701	0.0086
	DSP	3457.1936	93.9359	1.2731	0.0346	0.6958	0.1598	0.9818	0.0098
	TSDO	<b>3635.0965</b>	159.6190	<b>1.0477</b>	0.0277	1.3268	0.2285	<b>1.0405</b>	0.0445
0.2	CSP	3526.9497	158.1189	1.2458	0.0418	<b>0.5634</b>	0.1599	0.9733	0.0079
	DSP	3503.7680	132.2629	1.2607	0.0412	0.6637	0.1738	0.9818	0.0103
	TSDO	<b>3712.1710</b>	155.9660	<b>1.0339</b>	0.0279	1.2765	0.2639	<b>1.0359</b>	0.0456

\* The task power in experiments is set to 500 KW, the planning lead time  $L$  is set to 6 min, and the horizon size  $\tau$  is set to 5 min.

\*\* The response power represents the ratio of the target power.

TABLE A7  
EXPERIMENTAL RESULTS OF VALLEY FILLING TASKS UNDER DIFFERENT VEHICLE ARRIVAL FLUCTUATIONS

Uncertainty Factor $u$	Approach	Income of CSs (CNY)		Response power of CSs		Waiting time for EVs (min)		Income of EVs (CNY/min)	
		Average	Variance	Average	Variance	Average	Variance	Average	Variance
0	CSP	1148.9125	85.3962	1.3245	0.0407	<b>0.0003</b>	0.0011	0.5000	0.0000
	DSP	975.1546	100.7143	1.3903	0.0464	0.0014	0.0049	0.5672	0.0088
	TSDO	<b>1695.5672</b>	55.7468	<b>0.9761</b>	0.0067	0.0257	0.0286	<b>0.6154</b>	0.0461
0.1	CSP	1181.1583	87.5877	1.3146	0.0391	<b>0.0000</b>	0.0000	0.5000	0.0000
	DSP	974.1737	102.8721	1.3996	0.0476	0.0044	0.0087	0.5662	0.0081
	TSDO	<b>1699.4020</b>	43.0630	<b>0.9769</b>	0.0080	0.0192	0.0252	<b>0.6073</b>	0.0374
0.2	CSP	1168.7188	106.2983	1.3221	0.0513	<b>0.0000</b>	0.0000	0.5000	0.0000
	DSP	991.0283	92.3594	1.3829	0.0474	0.0024	0.0063	0.5658	0.0094
	TSDO	<b>1703.3203</b>	66.7425	<b>0.9774</b>	0.0075	0.0197	0.0282	<b>0.6102</b>	0.0503

\* The task power in experiments is set to 300 KW, the planning lead time  $L$  is set to 6 min, and the horizon size  $\tau$  is set to 5 min.

\*\* The response power represents the ratio of the target power.



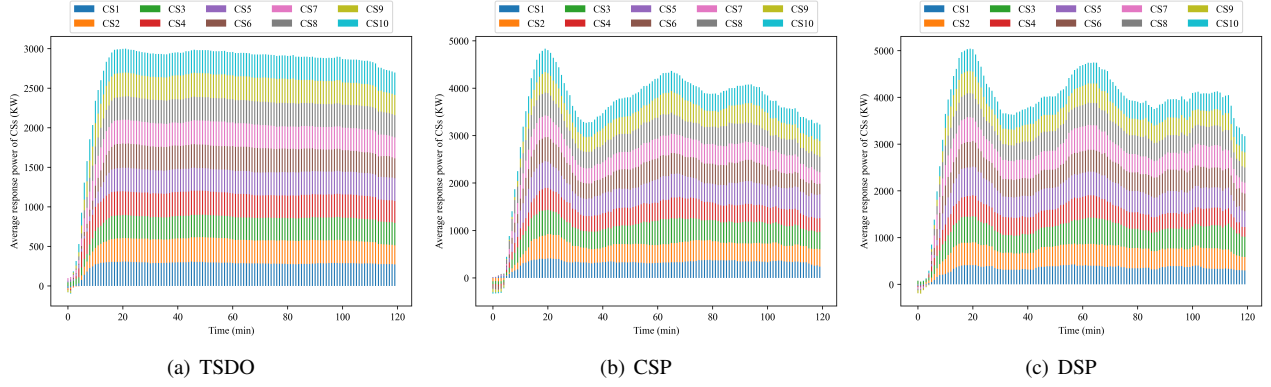


Fig. A4. Performance of the response power of each CS under the valley filling tasks during the task period when task power is 300 KW.

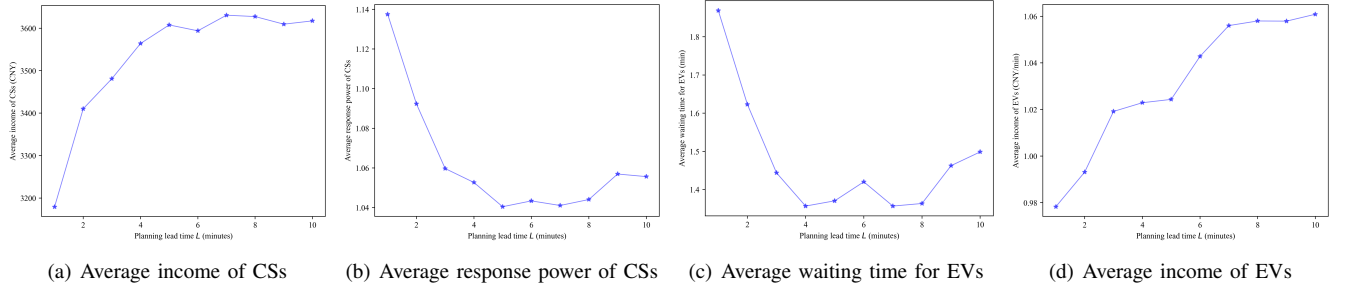


Fig. A5. Performance of TSDO for peak shaving tasks under different planning lead time.

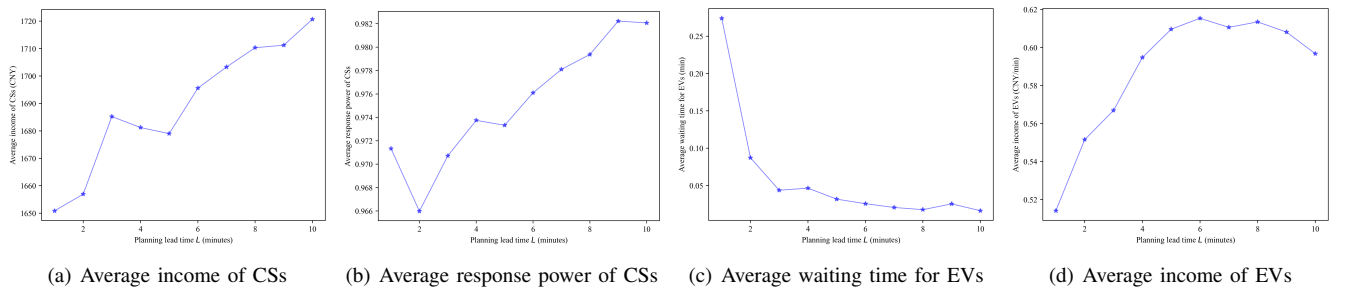


Fig. A6. Performance of TSDO for valley filling tasks under different planning lead time.

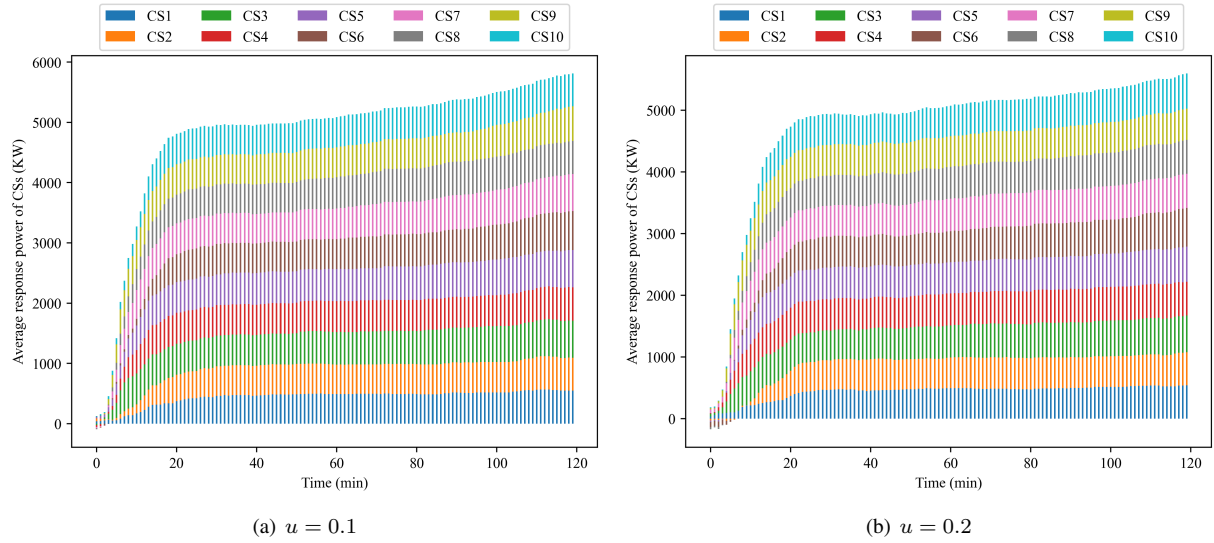


Fig. A7. Performance of TSDO for peak shaving tasks under different vehicle arrival fluctuations.

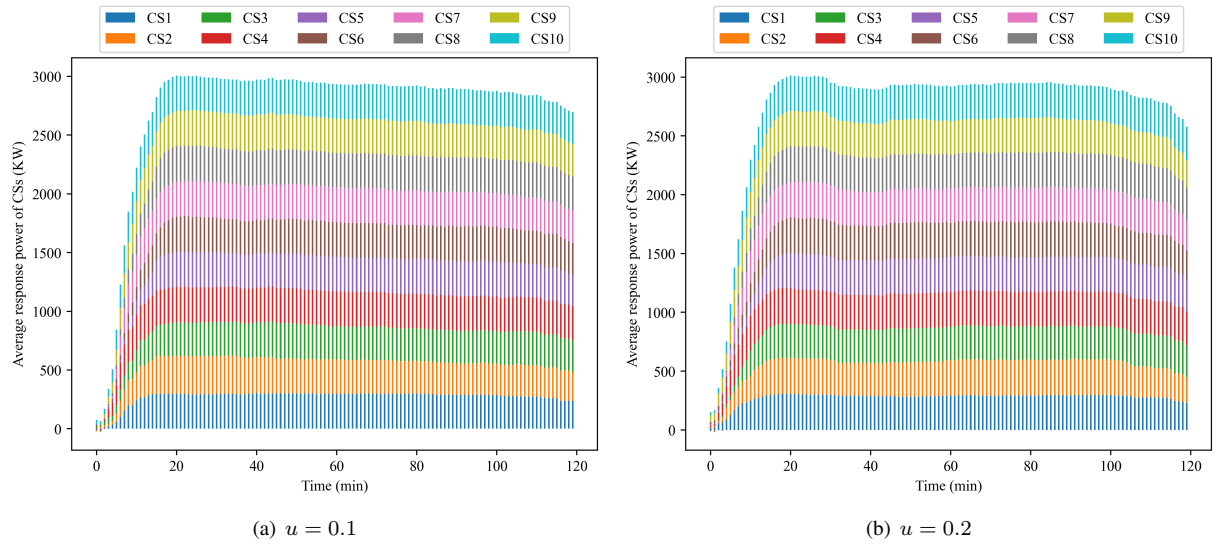


Fig. A8. Performance of TSDO for valley filling tasks under different vehicle arrival fluctuations.