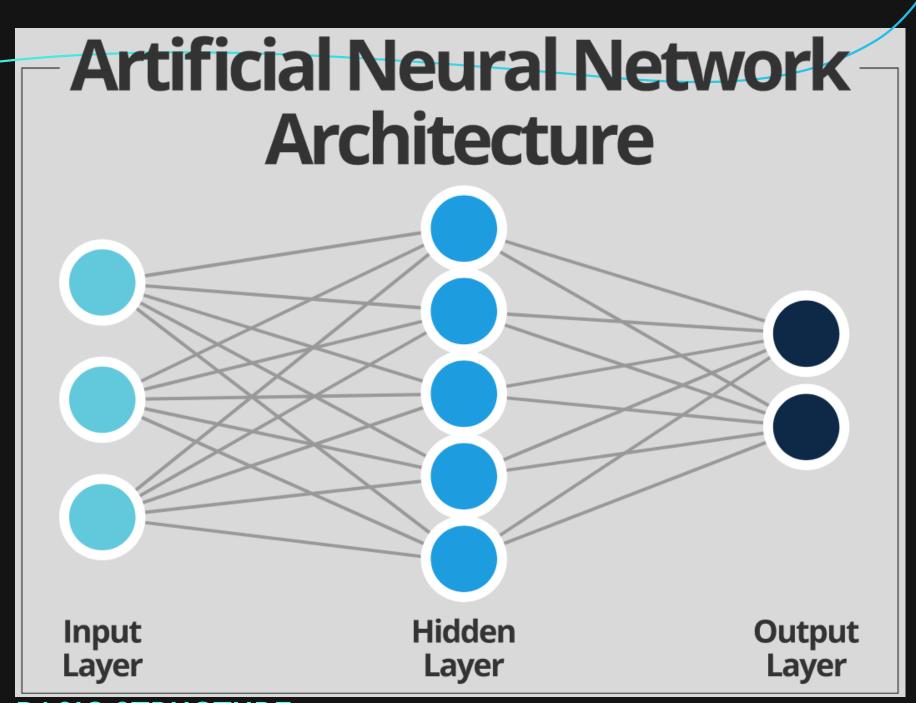
Intro to Neural Networks

DEEP LEARNING





BASIC STRUCTURE

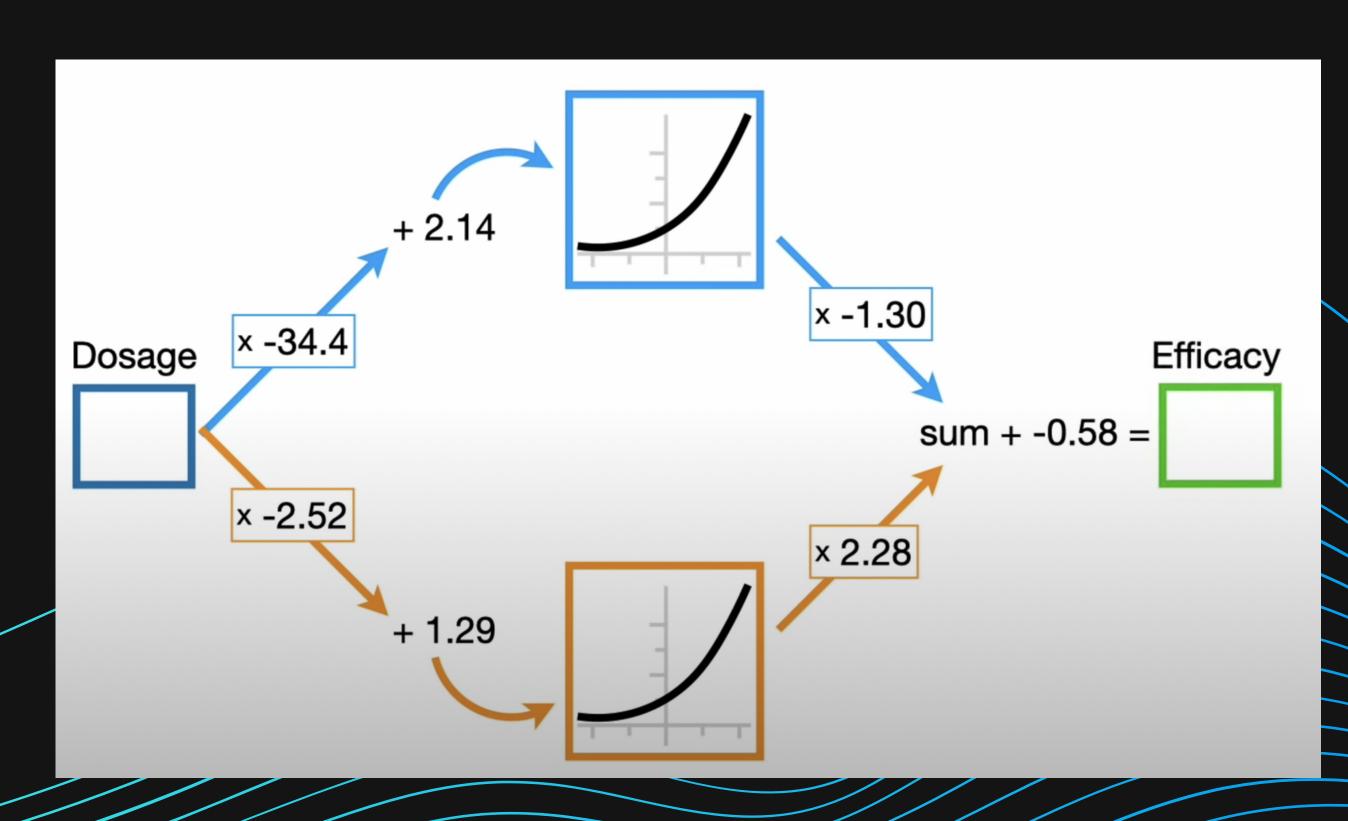
- Input, Output and Hidden layers
- Connections (Synapsis)
 - Weights
 - Bias
- Nodes (Neurons)
 - Activation Function

Weight, bias, activation function

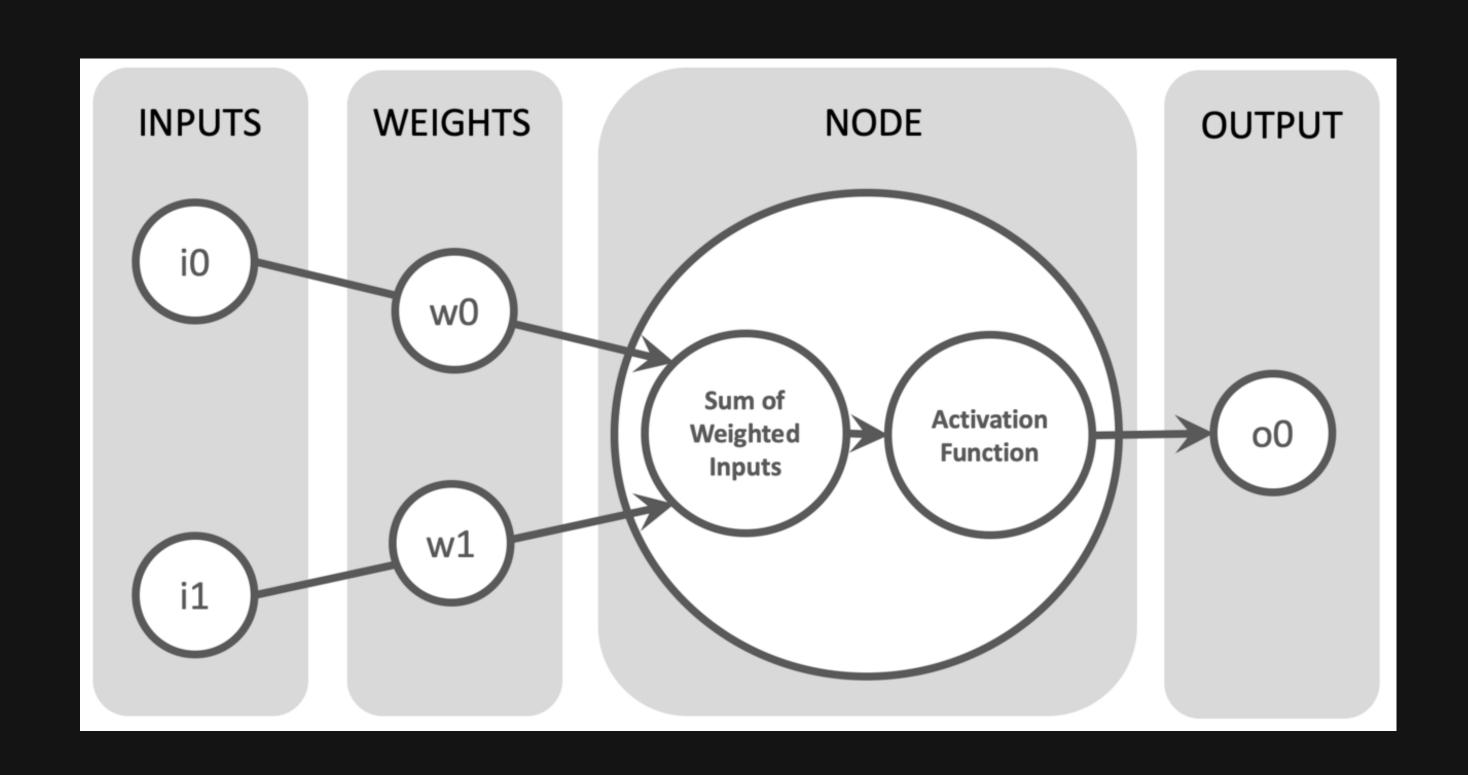
HOW MATH FITS THE STRUCTURE

Example from
StatQuest
awesome 3 part
series on NN.

- <u>pt. l</u>
- <u>pt. II</u>
- pt. III



Each Node



HOW DOES IT FIT THE DATA?

Backpropagation

ADJUSTING WEIGHTS AND BIASES

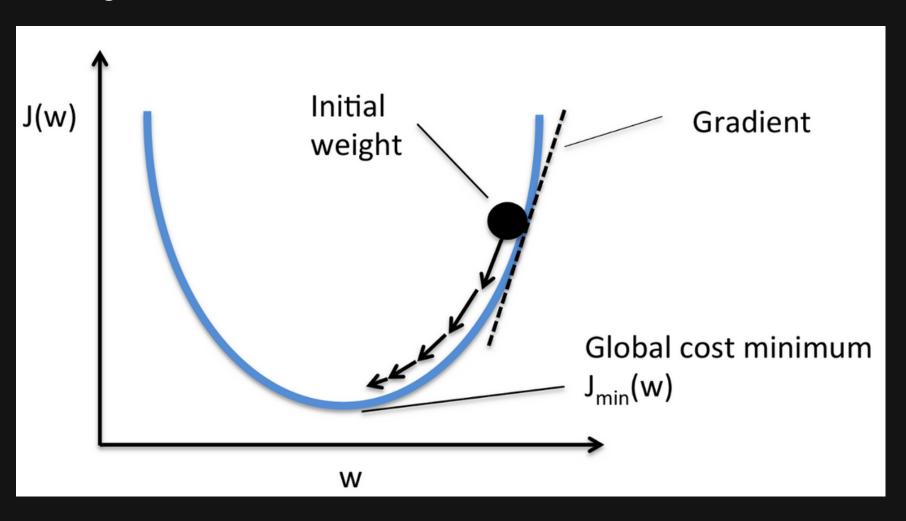
From the end to the beginning for each example

GRADIENT DESCENT

Finding the point of minimal error on cost function.

STOCHASTIC GRADIENT DESCENT

Using mini-batches of data



Activation function	Equation	Example	1D Graph
Unit step (Heaviside)	$\phi(z) = \begin{cases} 0, & z < 0, \\ 0.5, & z = 0, \\ 1, & z > 0, \end{cases}$	Perceptron variant	
Sign (Signum)	$\phi(z) = \begin{cases} -1, & z < 0, \\ 0, & z = 0, \\ 1, & z > 0, \end{cases}$	Perceptron variant	
Linear	$\phi(z)=z$	Adaline, linear regression	
Piece-wise linear	$\phi(z) = \begin{cases} 1, & z \ge \frac{1}{2}, \\ z + \frac{1}{2}, & -\frac{1}{2} < z < \frac{1}{2}, \\ 0, & z \le -\frac{1}{2}, \end{cases}$	Support vector machine	—
Logistic (sigmoid)	$\phi(z) = \frac{1}{1 + e^{-z}}$	Logistic regression, Multi-layer NN	<u></u>
Hyperbolic tangent	$\phi(z) = \frac{e^z - e^{-z}}{e^z + e^{-z}}$	Multi-layer Neural Networks	
Rectifier, ReLU (Rectified Linear Unit)	$\phi(z) = \max(0, z)$	Multi-layer Neural Networks	
Rectifier, softplus Copyright © Sebastian Raschka 2016 (http://sebastianraschka.com)	$\phi(z) = \ln(1 + e^z)$	Multi-layer Neural Networks	—

Activation functions

Without activation functions, a
Neural Network Model is
basically a Linear Regression
Model. They allow for the
different shapes (non-linear) in
fitting the model to the data.

Sigmoid



Step Function









o, xcn 1, x3n

 $y = ln(1+e^{x})$

ReLU

Softsign

ELU

Log of Sigmoid



x, x}0









Swish

Sinc

Leaky ReLU

Mish





$$y = \frac{\sin(x)}{x}$$



y= max(0.1x,x)



y=x(tanh(softplus(x)))