HI AGAIN! X - STATE SPACE OF NUMBERS - DISCRETE NUMBERS 80,23.3 X+ ( INDEX- TIME IMOUX SET - DISINCTE CONTINUOUS STOCHASTIC PROCESS  $p_X(i) = P(X=i)$  PROBABILITY MASS PROBABILITY DISTREUTION  $\times \sim \rho_{\times}(i)$ MOMENTS ZEROTH  $E[x^{o}] = \sum_{i=0}^{\infty} p_{x}(i) = 1$ O-74 MOMENT  $E[X] = \sum_{i \in S} i p_X(i) = M$ 157 MOMENT EXPECTED VALUE

MEAN

$$\sigma^2 = E[(x-n)^2]$$

$$= E[x^2] - \mu^2$$

VARIANCE

J- STANDARD DINIATION

FAMOUS DURETE RAMOOM VARIABLES

· UNIFORM

E[x] = p

STOCHASTASTIC PROCESS

· GEOMETRIC

$$p_{x}(k) = (1-p)^{k-1}p$$

$$= P(x=k)$$

# ATTEMPTS IN SERIES OF BERNOULLIS
BEFORE  $X_t = 1$ 

BNOMIAL

$$p_{\times}(k) = \binom{n}{k} p^{k} (1-p)^{n-k} \qquad p \in [0,1]$$

# SUCCESSES IN A SERIES OF M. BERNOULIS.

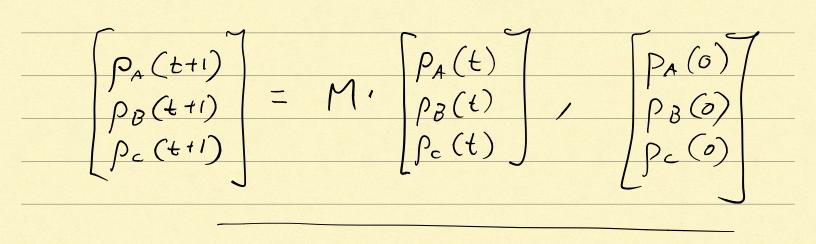
MARKOV CHAINS

ASSUMPTION

$$P(X_{t}=i|X_{t-1}=j,X_{t-a}=k...)$$

$$M = \begin{cases} P_{11} & P_{13} \\ & TMNSMON \\ & M7RIX \end{cases}$$

$$\rho_{ij} = P(X_{t+1} = i \mid X_t = j)$$



DNA