```
Brafica
 Tema 5
         H = f(p,p) - formula diagonalei + este unic
     Chafie \mp z(x,y) = x + e = z(x,e)
            H Z(X,X)
               (xo,40) (xm, Ym) Horen Xo & Xm
  Tema 3
       x0,xm, y0,ym = stort, stop puncte (coordonate intregie)
x-x0) v-vo
(in cutos x-xo) y-yo

| xm-x = ym-yo| ecuația druptei data de 2 punete
       (xm-x) . (xm-yo) = ym-y
       (xm-x) - (ym-yo)-ym=-y 1.(-1)
        x-xm (/m-10)+/m=/
  dx=xm-to & lungimile proiectills
          X-Xm . dy + Ym = Y K= introoughul
        X. (elx) - (xm. dx + ym= y )

rata de sohimbate a lui y rapatata la rata de sohimbate

(eu cate unitati sohimb y doca solimb x

(eu cate unitati sohimb propries solimb x)
                     eu o unitate) = PANTA
I Primil alg lucriaria en fload ni faco multe round-wi X+=1 Y+=pointa
         X. dy + /m. dx - xm. dy - (1.dx) =0
                                                  E(XP+1, YP)
         x. dy # - (100 dx - x0. dy)=0
                                                   NE(xb+1, xb+y)
                                                  Q = d n [ENE]
  Ecuation desptei of ests F(X,Y)=0
                         7(x,y)=a.x+b.y+e) H xbd
                                       temonstrate: V=dn/x | x=x#4
   Rundral MEd (=> F(XM.YM)=0
                                                      V= (xmi - axm -e)
          OC(MKINX) + (=) p gray M
                                      How des yn < -axH-e > How des
           M gongia of E) I (XHINN) CO
                                      b=-dx=1640
                                                           Ja. XH+LYH+e>0
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« dx lorm punet e ales in functie de por lui 4 fatà de d. M (xb+1, 1/6+=) of (decision) = $\mp (xp+\lambda, yp+\frac{1}{2})$ f d >0, alegem NE ∫ d ≤0, celegem E $\mp (x_0 + x_1, y_0 + \frac{1}{2}) = a(x_0 + x_1) + b(y_0 + \frac{1}{2}) + e = \mp (x_0, y_0) + a + \frac{b}{2}$ = 0 + a+ == =>2a+b-7(x,y)=2. (ax+by+e) a=dy Alegem E la acost pour b=-dx (dostern x eu 24 a = dy ME (xp+2, yp+=) d'(decision) = $F(ME) = 2(a(xp+2)+b(yp+\frac{1}{2})+e)=$ = $2(\alpha(xp+x)+b(yp+\frac{1}{2})+e)+2\alpha = d+2\alpha$ =(xm,yn) deciria initialà com decire Alegem NE HNE (XP+2, YP+3) 9, = E(MNE)= 5(8(x0+5)+ p(16+3)+6)= = 2 (a(xp+1)+b(yp+b)+e)+20+2b = 0+2(a+b) 数>1 H(xp+=, xp+x) F(x0+=, y0+1)= (a(x0+=)+b(y0+1)+e)= F(x0-y0)+=+to-y0)+=+to-y0+ Austo = 2(axo+byo+e)+a+2b= = = (xo, 1g+a+2b Alegem N Mn (xp+=, yp+2) d'==(MN)=2(a(xp+1/2)+b(+p+2)+e)= 2 (a(xp+1)+b(yp+1)+e)+2b= #=(x4,4+++2b Alegern NE MNE (Xp+3, 1p+2) d'= 7(HNE) = 2(Q(xp+3/+6(xp+2)+e)= 2(a(xp+=)-b(yp+x)+e)+2a+2b=d+2(a+b) Dem: Hand E) = (XH, YH) = 0 % Ecuatia draptei d = (X,Y) = ax+by+e V= d o { X / Y= YH3 a = dy (positiv) V= {- byn-e, ym3 H obecaptà (=) XH == -b-YH-C (=) QXH+bym-C =0 Mostang (=) XM < - bym-e (=) axM + bym+e <0) ol≤o, aligem N

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dy <1 88 Ym < 10
                   K V=dn {x |x=x H}
                       v= {xm, - axm-e}
                   M sub d => YM < - axM-e } axM+byM+e>0
                                                    (d >0, alegem E
(d <0, alegem SE
  M (xb+x', 16- =)
   F(x0+1, y0-12)=2(a(x0+1)+b(y0-12)+e)=
                      2 (axo+byo+e) + 2ax-b= = = (x0,40) +2a-b
   Alegem E
        HE (xp+21p-1)
      d===(*HE)=2(a(xp+2)+b(yp-12)+e)=
                   = 2 (a(xp+1)+b(yp-1/2)+c)+2a= #6d+2a
    Alegem SE
        d'= F(MgE)= 2(a(xp+2)+b(yp-3/2)+e)=
= 2(a(xp+1)+b(yp-1/2)+e)+2(a+b)=d+2(a+b)
                                                H (XP+ 12, YP#-1)
                      1=9081 11=1mg
                       N=8-0-14-6 14mg
                         YM<-byn-e => Hornstanga buid, a>0

Sd20=>SE

=>axy+byn+e20 | d≥0=>SE
                         =)axy+byy+e20
           ms=(xp+=14p-2)
d'==(Hs)=2(a(xp+=)+b(4p-2)+e)=1-2b=d-2b
=2(a(xp+=)+b(4p-2)+e)=1-2b=d-2b
   Aleger S
           Mg = (xp+ = 14p-2)
   Alegem SE
            HSE = (xp + 3/1/P-2)
d' &F(HSE) = 2(a(xp+3)+b(yp-2)+e) = d-2(a+b)
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