Model Performance, Evaluation Method and Hyperparameter Tuning

Outline

ML Objective:

Classification

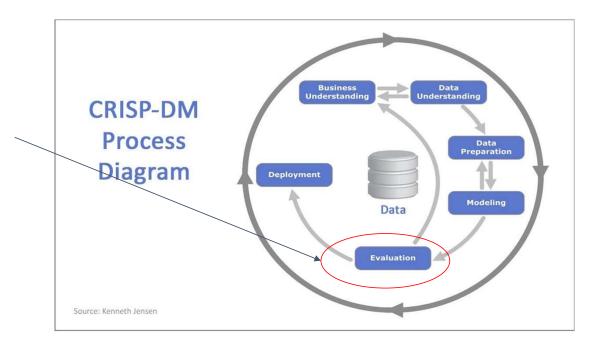
Regression

Evaluation Method:

Validation and Cross Validation

Hyperparameter Tuning

Algorithm Chains



Performance Metrics

We need to assess the performance of a Machine Learning Model because it is only prediction and prediction can be wrong

To measure performance, we use some metrics

we already used accuracy for classification problem and R-square or mse for regression problem

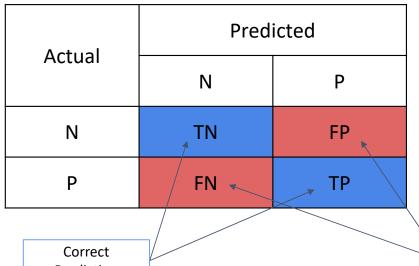
We will explore deeper about performance metrics in this section

Classification Performance Metrics

Commonly used:

- Accuracy
- Recall
- Precision
- F1-score
- ROC/AUC
- PR-Curve

Confusion Matrix



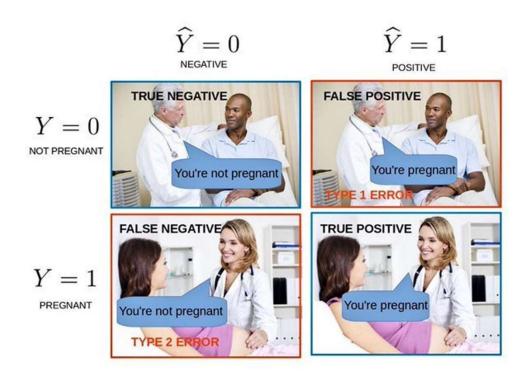
Astrod	Prediction		
Actual	Good (N)	Bad (P)	
Good (N)	1000	30	
Bad (P)	20	100	

Correct False Prediction

In credit scoring case:
Bad Usually considered as
Positive class while Good as
negative class

TP: True Positive
TN: True Negative
FP: False Positive
FN: False Negative

Confusion Matrix

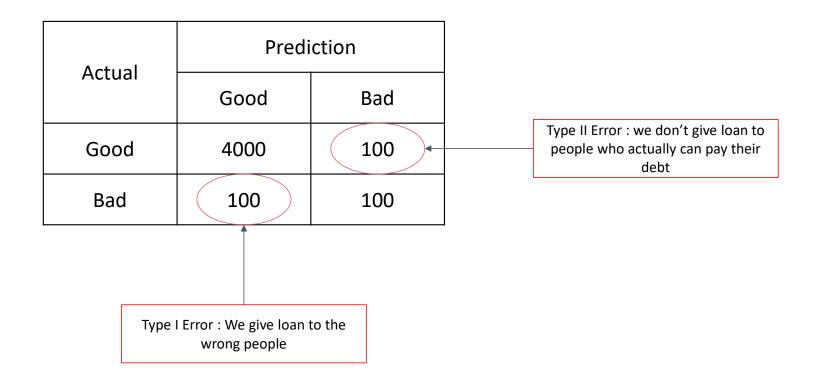


ML Objective

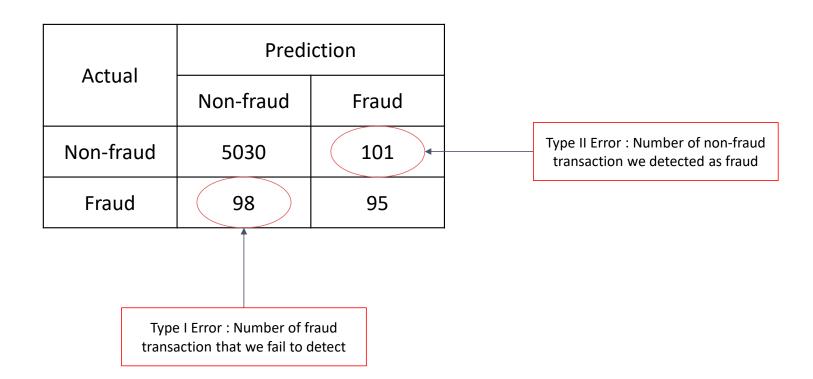
What is your objective:

- Should be about minimize or maximize certain phenomenon
- If can represent money, it would be better

ML Objective: Credit Scoring



ML Objective: Fraudulent Credit Card



Accuracy

Actual	Prediction		
	N	Р	
N	TN	FP	
Р	FN	TP	

Accuracy = (TP + TN) / (TP + TN + FP + FN)

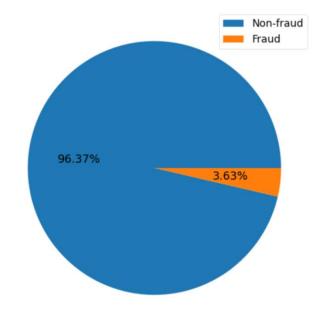
We are interested in both classes

Percentage of the Correct Prediction:

(correct prediction / prediction) x 100%

Accuracy Problem

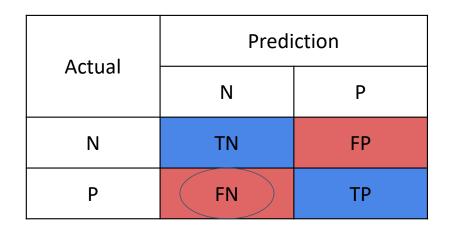
Actual	Prediction		
Actual	Non-fraud	Fraud	
Non-fraud	5030	101	
Fraud	98	95	



Accuracy =
$$(95 + 5030) / (95 + 5030 + 98 + 101) = 0.9626$$

- accuracy 96.26 % is meaningless
- in this case we want to detect fraud transaction as much as possible and the model only able to detect below 50%

Recall(P) / Sensitivity



Recall(P) = TP / (TP + FN)

We are interested in positive class only

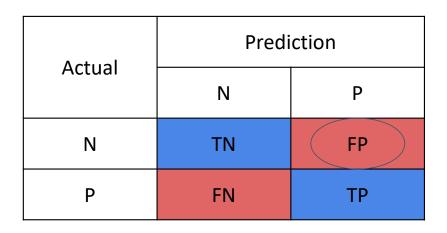
Completeness:

You want to put all guilty person in prison

Ex. we want to minimize:

- 1. Number loan given to the wrong people
- 2. Number of fraud transaction that we fail to detect
- 3. etc

Precision(P)



Precision(P) = TP / (TP + FP)

We are interested in positive class only

Exactness:

You make sure that people that you put in prison are guilty

Ex. we want to minimize:

- 1. Number of people that actually can pay but we didn't give loan
- 2. Number of non-fraud transaction we detected as fraud
- 3. etc

F1-Score (P)

Actual	Prediction		
Actual	N	Р	
N	TN	FP	
Р	FN	TP	

Combination of exactness and completeness:

You want to put all guilty in prison and

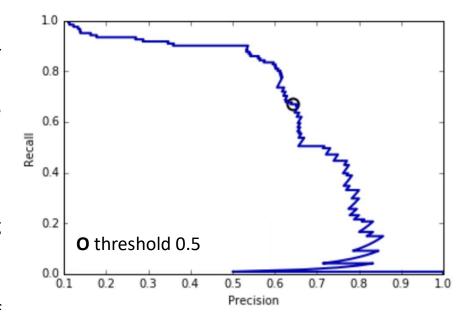
You make sure that people that you put in prison are guilty

 $F1(P) = 2 \times (Precision \times Recall)/(Precision + Recall)$

We are interested in positive class only

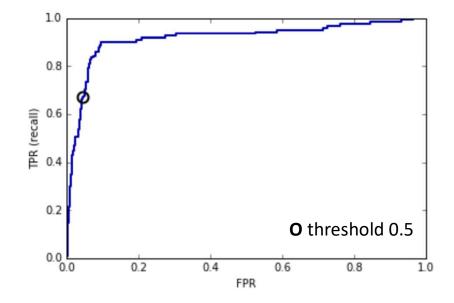
Precision - Recall Curve

- There is always a trade-off between recall and precision if we adjust threshold for classification
- adjusting the the threshold depend on the business goal
- we can see all possible threshold performance using precision - recall curve
- summarize all possible threshold using average precision
- Suitable when we are interested in probability and we want to focus on one of the class



ROC Curve

- There is always a trade-off between false positive rate (FPR)/(1-recall(N)) and true positive rate (TPR)
 - FPR = 1 recall(N)
 - TPR = recall(P)
- adjusting the the threshold depend on the business goal
- we can see all possible threshold performance using receiver operating operator (ROC)
- summarize all possible threshold using area under curve (AUC)
- Suitable when we are interested in probability and we want to focus on both classes



More Complete Classification Performance Metrics

	True condition					
	Total population	Condition positive	Condition negative	Prevalence = $\frac{\Sigma \text{ Condition positive}}{\Sigma \text{ Total population}}$	Σ True positive	cy (ACC) = + Σ True negative population
Predicted	Predicted condition positive	True positive	False positive, Type I error	Positive predictive value (PPV), Precision = True positive Predicted condition positive	False discovery rate (FDR) = $\frac{\Sigma \text{ False positive}}{\Sigma \text{ Predicted condition positive}}$	
condition	Predicted condition negative	False negative, Type II error	True negative	False omission rate (FOR) = $\frac{\Sigma \text{ False negative}}{\Sigma \text{ Predicted condition negative}}$	Σ True	tive value (NPV) = negative
Click thumbnail for interactive chart: pop. C+ C- prev. ACC		True positive rate (TPR), Recall, Sensitivity, probability of detection $= \frac{\Sigma \text{ True positive}}{\Sigma \text{ Condition positive}}$	False positive rate (FPR), Fall-out, probability of false alarm $= \frac{\Sigma \text{ False positive}}{\Sigma \text{ Condition negative}}$	Positive likelihood ratio (LR+) = TPR FPR	Diagnostic odds ratio (DOR)	F ₁ score =
	F+ PPV FDR T- FOR NPV FPR LR+ DOR TNR LR- F17	False negative rate (FNR), $\text{Miss rate} = \frac{\Sigma \text{ False negative}}{\Sigma \text{ Condition positive}}$	True negative rate (TNR), Specificity (SPC) = $\frac{\Sigma \text{ True negative}}{\Sigma \text{ Condition negative}}$	Negative likelihood ratio (LR-) = FNR TNR	= <u>LR+</u> <u>LR-</u>	1 Recall + Trecision

Regression Performance Metrics

Commonly used:

- Root Mean Squared Error (rmse) or Mean Squared Error (mse)
- R-square
- Mean Absolute Error (mae)
- Mean Squared Percentage Error (mspe)
- Mean Absolute Percentage Error (mape)
- Mean Squared Log Error (msle)

MSE, RMSE and R-Square

Y	Y-Pred	Residuals
12	13	-1
14	12	2
10	11	-1
11	12	1
15	15	0
16	17	-1
17	18	-1
14	12	2

Residual = Y - Y-pred

When to use?

- 1. Small variance in Y
- 2. No outliers or very few outliers in residuals

RMSE is very sensitive to outlier

$$RMSE = \sqrt{MSE} = \sqrt{rac{\sum_{i=1}^{n}(Y_i - \hat{Y}_i)^2}{n}}$$

Mean Absolute Error

Υ	Y-Pred	Y-Y-pred
10	13	-3
14	10	4
16	11	5
12	11	1
15	15	0
16	17	-1
17	18	-1
•••		
14	32	-16

Residual = Y - Y-pred

When to use?

- 1. Small variance in Y
- 2. Too many outliers exists in residuals

$$MAE = rac{\sum_{i=1}^{n}|Y_i - \hat{Y}_i|}{n}$$

Outlier

Root Mean Squared Percentage Error

Relatively different in % Same residual value Y-Pred Residuals(%) Residuals Υ -50 1000 1050 -5% -50 -20% 250 300 1000 900 100 10% 110 120 -10 -9% 770 870 -100 -13% 760 780 -20 -3% 650 560 90 14% 50 10 -40 -400%

Relative error/Residual(%) = (Y - Y-pred)/Y

When to use?

- 1. You are more interested in relative error
- 2. No outliers or very few outliers in absolute residuals

RMSPE is also very sensitive to outlier

$$RMSPE = \sqrt{rac{1}{n}\sum_{i=1}^{n}(rac{Y_i-\hat{Y_i}}{Y_i})^2}$$

But be careful when this happens

Mean Absolute Percentage Error

Υ	Y-Pred	Residuals	Residuals(%)
1000	1050	-50	-5%
100	150	-50	-50%
1000	900	100	10%
110	120	-10	-9%
150	150	0	0%
770	870	-100	-13%
760	780	-20	-3%
650	350	300	46%

Relative error/Residual(%) = (Y - Y-pred)/Y

When to use?

- 1. You are interested in relative error
- 2. Too many outliers in relative error

$$egin{split} MAPE = rac{1}{n}\sum_{i=1}^n |rac{Y_i - \hat{Y_i}}{Y_i}| \end{split}$$

Outlier

Root Mean Squared Log Error

Υ	Y-Pred	Residuals	Residuals(log)
1000	1050	-50	-5
130	150	-20	-14
1000	900	100	11
110	120	-10	-9
150	150	0	0
770	870	-100	-12
760	780	-20	-3
700	780	-20	-3
•••		•••	
0	10		undefined
1	-12		undefined
	•		

But be careful when this happens: we can't compute value of and log -1 or below and we log 0 is infinite, so we need to add any constant (c) so the value become greater than zero

Residual(log) =
$$log(Y + c) - log(Y-pred + c)$$

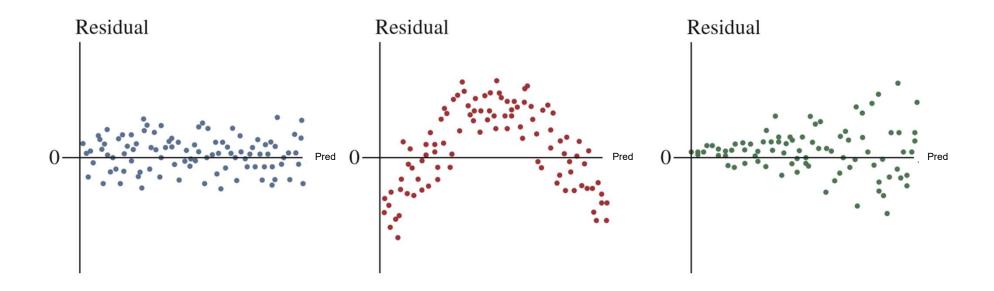
RMSPE and MAPE are used if we are interested in relative error but the drawback of these method is tend to represent prediction result when the actual value are smaller. The prediction will be more accurate only for observation that has smaller actual value. The alternative metrics for this drawback is RMSLE.

When to use?

Y distribution is highly right skewed (usually from 0 to very high 1000, 10000, etc)

$$RMSLE = \sqrt{rac{\sum_{i=1}^{n}(log(Y_i+c)-log(\hat{Y}_i+c))^2}{n}}$$

Residual Analysis



Evaluation Method

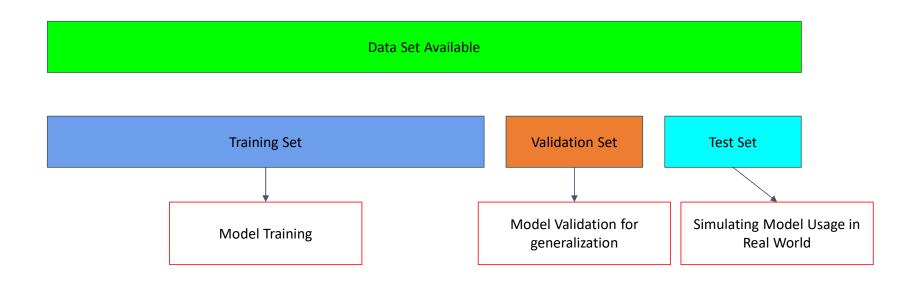
Evaluation Method

The main idea of evaluation method is we want to get model that is able to generalize as accurately as possible

Some terminologies needed to know:

- Training Set
- Validation Set
- Test Set

Validation

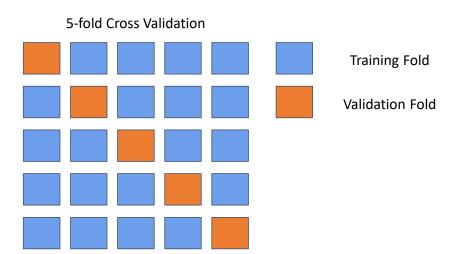


Complete dataset randomly divided into training set, validation set, and test set

Cross Validation

Remainder:

- In supervised learning, we build model on the training data (seen data) and then be able to make accurate predictions on new data (unseen data)
- if a model is able to make accurate predictions on the unseen data, we say it is able to generalize from the training set to the test set.
- In Cross Validation we generalize the unseen data multiple times and then combine them so we can get more robust result



Some commonly used version of cross-validation:

- k-fold cross-validation : ex. 2 fold, 5 fold, 10 fold
- Leave One Out Cross-Validation (LOOCV)

Cross Validation



Why do we need cross validation?

- We might get lucky when randomly splitting the data only once because the test set contain "easy" example.
- We might also get unlucky.
- We can see the worst case and best case scenario
- We can see how stable our model

The main disadvantages of cross-validation is increasing computational cost because when we evaluate a model we need to train k times

Cross-Validation is not a way to build a model but only to evaluate how well a given algorithm will generalize unseen data.

Hyperparameter Tuning

Hyperparameter Tuning

- using validation or cross-validation we can measure how well a model can generalize and then compare it with another model.
- using validation or cross-validation we can also improve the model's generalization performance by tuning its hyperparameter
 - Tree: max depth, min samples leaf, min samples split etc
 - Lasso and Ridge: alpha
 - KNN: nearest neighbour
 - etc

Hyperparameter Tuning in Scikit-Learn

- Grid Search
 - select from all possible combination of candidate model
- Randomized Search

- select **randomly** from all possible combination of candidate model

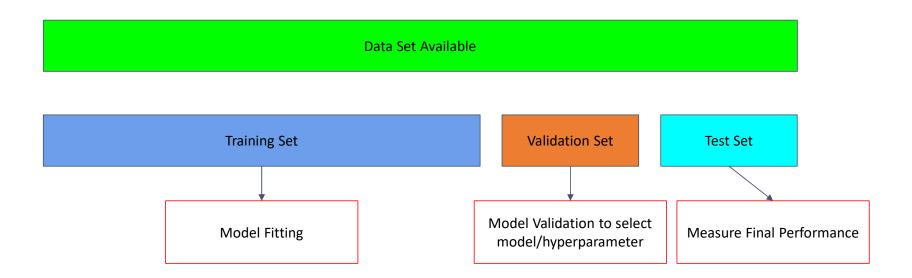
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Things That Need to be considered

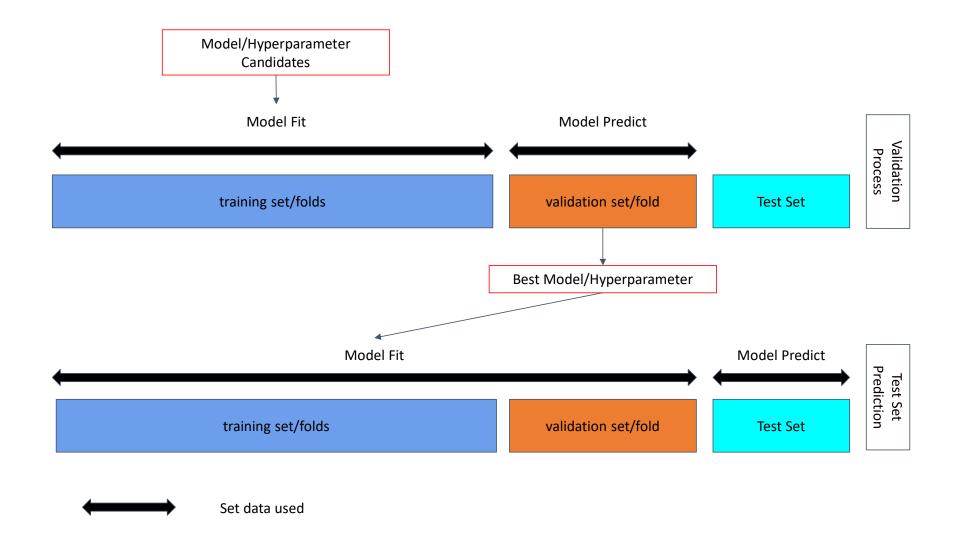
- Your hyperparameter space: some hyperparameter if not chosen correctly may resulted in overfitting
- Your benchmark: you can compare the model performance in test data before and after hyperparameter tuning. from this you can do double checking:
 - is the improvement in the cross validation score significant?
 - are your choice of hyperparameter resulted in overfitting/unstable model?
- random_state in some places: you can use this to make sure that any changes in performance (validation fold) because of the hyperparameter not by chance. you need to check in some places:
 - data splitting
 - cv splitting
 - model, etc

How To Do Model Selection?

What is Your Model Candidates?



We can't use validation set to measure final performance because it's already used to select best candidate model



Python Exercise: Model Evaluation 1

Analyze data 'bankloan.csv'

- employ, debtinc, creddebt, othdebt as Features
- default as Target

Random state 2020, splitting 80:20 stratified

- 1. modeling compute accuracy, recall, and another metrics using Stratified CV 5 fold:
 - a) logistic regression (solver liblinear)
 - b) KNN (k = 5)
 - c) tree (criterion entropy, max_depth 5)
- 2. compute recall, precision, f1 score and make ROC, PRC from logistic regression(solver liblinear) in test
- 3. Simple hyperparameter tuning: (optimize C) optimized by f1 and using training 60% validation 20% test 20%
- 4. compare the result (before and after)
- 5. Grid Search CV hyperparameter tuning: (optimize C and max_iter) optimized by f1 and using stratified CV 5 fold
- 6. compare the result (before and after)

Python Exercise: Model Evaluation 2

Analyze tips data from seaborn

- Total Bill, sex, smoker, day and time as Features
- Tips as Target

Preprocess

1. one hot encoding: smoker, day, time

2. no treatment: numerical

Random state 2020, splitting 80:20

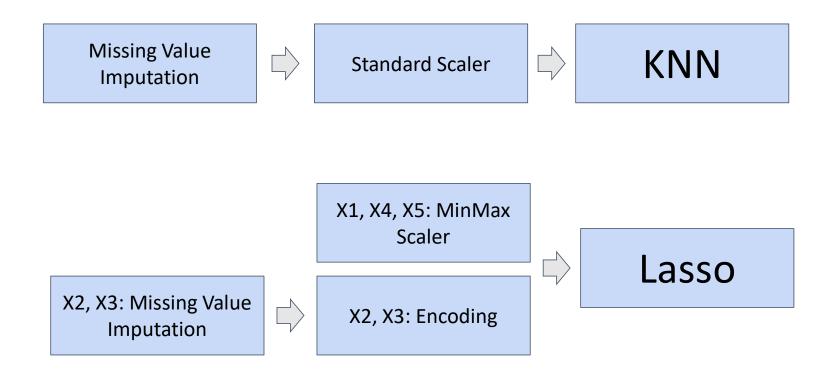
- 1. model linear regression and tree (criterion mse, max_depth 5) compute R2 using 5-fold CV
- 2. model decision tree (criterion mse, max_depth 5) compute mse in test set
- 3. do hyperparameter tuning (Randomized Search) for decision tree (optimize criterion, min sample leaf, max depth) optimized by mse and using CV 5 fold
- 4. compare the result (before and after) ini test set

Algorithm Chains

Algorithm Chains

- Most machine learning application require not only the application of a single algorithm
- Chaining together of many different preprocessing steps and machine learning algorithm
- we already illustrated these in the Data Preparation and Feature Engineering topic
- Pipeline function from scikit-learn can simplify this problem
- This will be very useful when we evaluating using cross validation and making prediction

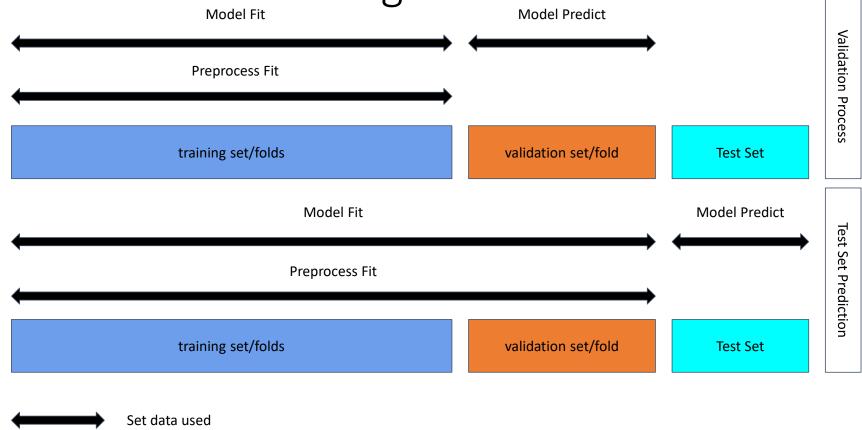
Algorithm Chain Example



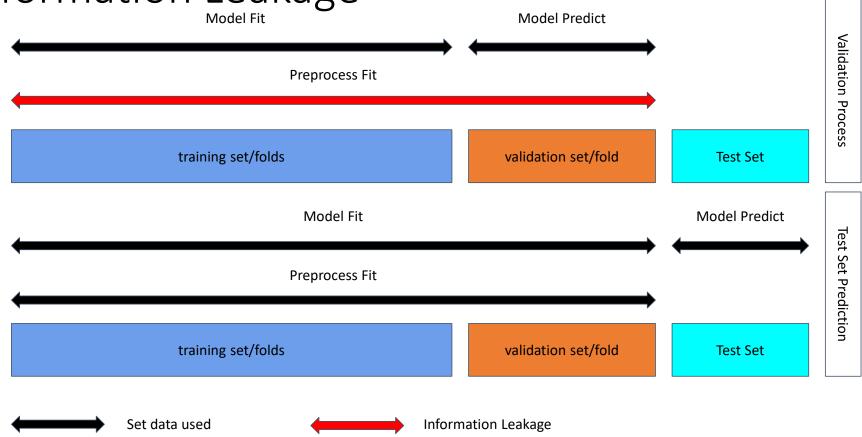
Why Do We Need Algorithm Chains?

- Automatic preprocessing
- To avoid information leakage
- Information leakage can cause overly optimistic performance in validation set or in test set

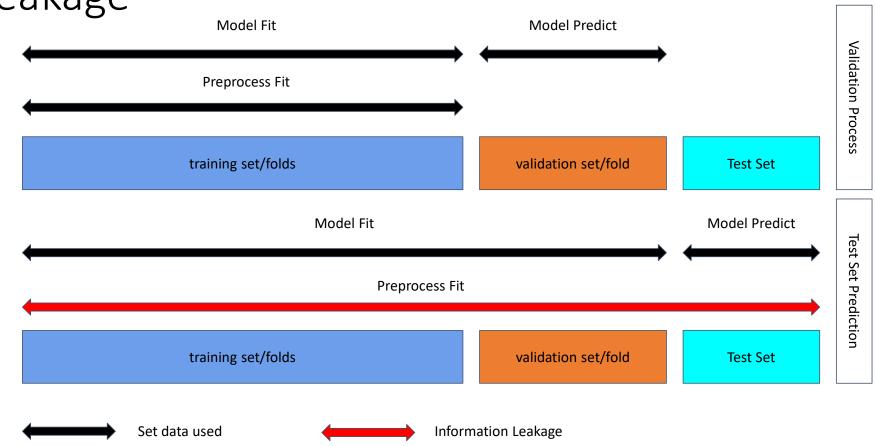
Proper Preprocessing : No Information Leakage



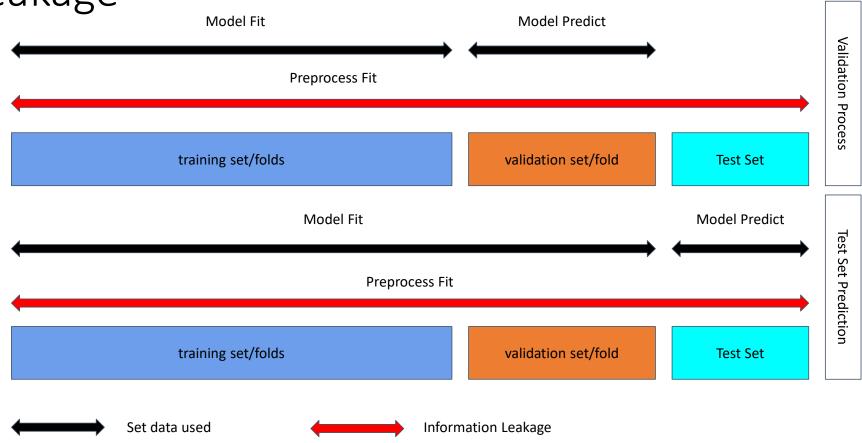
Improper Preprocessing: Information Leakage



Improper Preprocessing : Information Leakage



Improper Preprocessing : Information Leakage



Information Leakage

data:

- generate data
 - $y \sim normal (mean = 0, std = 0, n = 100)$
 - X ~ normal (mean = 0, std = 0, n = 100, dimension = 10000)
 - y and X uncorrelated each other (no relationship)
- Information leakage
 - modeling X and y using linear regression + percentile feature selection (f statistics)
 - do feature selection : apply fit and transform to X
 - compute R-square using cross validation
- No Information leakage
 - modeling X and y using linear regression + percentile feature selection (f statistics)
 - make pipeline : feature selection + regression
 - compute R-square using cross validation

Apply Several Preprocessing Method to Modeling at once and do hyperparameter Tuning

data: adult.csv target: income preprocess:

1. missing value: simple imputer with constant

2. one hot encoding : relationship, race, sex

3. binary encoding: workclass, marital status, occupation, native country

4. ordinal encoding: education (already encoded)

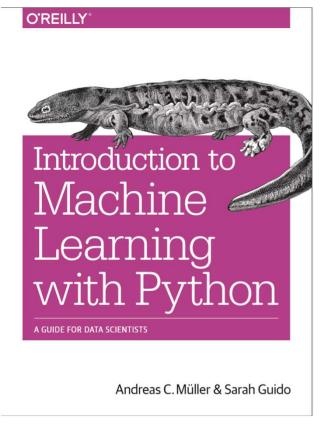
5. no treatment : numerical

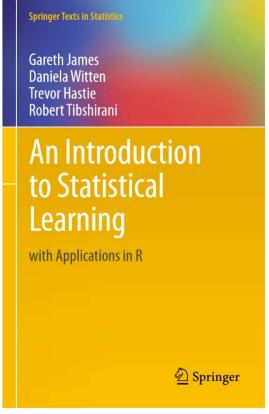
6. out : fnlwgt

Random state 10, data splitting 70:30

- 1. model Tree(max depth 5, criterion entropy) and compute f1 using CV
- 2. Compute another metrics
- 3. model Logistic Regression (solver liblinear) compute recall +, precision +, f1 +, make ROC and PRC in test set
- 4. do hyperparameter tuning for logistic regression (optimize C and solver) optimized by f1 and using stratified CV 5 fold
- 5. compare the result (before and after) ini test set

References





References

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