Gaussian Bayes Classifier(non Naive)

```
#Importing the libraries
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sn
from scipy.stats import multivariate_normal as mvn
```

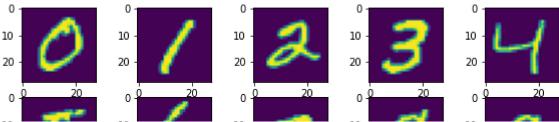
#importing the training data
data=pd.read_csv('/content/drive/MyDrive/Classroom/Artificial Mariachi Intelligence/Aldo Cao
data.head(5)

	Unnamed: 0	index	labels	0	1	2	3	4	5	6	• • •	774	775	776	777	778	779
0	0	0	5	0	0	0	0	0	0	0		0	0	0	0	0	0
1	1	1	0	0	0	0	0	0	0	0		0	0	0	0	0	0
2	2	2	4	0	0	0	0	0	0	0		0	0	0	0	0	0
3	3	3	1	0	0	0	0	0	0	0		0	0	0	0	0	0
4	4	4	9	0	0	0	0	0	0	0		0	0	0	0	0	0
4																	>

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	labels	0	1	2	3	4	5	6	7	8	• • •	774	775	776	777	778	779	780	78
0	5	0	0	0	0	0	0	0	0	0		0	0	0	0	0	0	0	
1	0	0	0	0	0	0	0	0	0	0		0	0	0	0	0	0	0	
2	4	0	0	0	0	0	0	0	0	0		0	0	0	0	0	0	0	
3	1	0	0	0	0	0	0	0	0	0		0	0	0	0	0	0	0	
4	9	0	0	0	0	0	0	0	0	0		0	0	0	0	0	0	0	
59995	8	0	0	0	0	0	0	0	0	0		0	0	0	0	0	0	0	
59996	3	0	0	0	0	0	0	0	0	0		0	0	0	0	0	0	0	

```
#Converting the data into an array and Selecting the columns for the X and y variables
X = data.to_numpy()
y = X[:,0]
X = X[:,1:]/255
     60000 rows x 785 columns
#Verifiyin the shape of the data
X.shape
     (60000, 784)
y.shape
     (60000,)
##Adjusting the sahe of the data into a square matrix of matrices
X_{sqrt} = np.reshape(X, (60000, 28, 28))
#Plotting some examples of the visulization of the data
plt.figure(figsize=(10,3))
for i in range(10):
  index= np.where(y==i)
  index=index[0][0]
  plt.subplot(2,5,i+1)
  plt.imshow(X_sqrt[index])
```



##Defining the algorithm class GaussBayes(): def fit(self, X, y, epsilon=1e-3): self.likelihoods = dict() self.priors=dict() self.K=set(y.astype(int)) for k in self.K: X k=X[y==k,:] N_k , D= X_k .shape $mu_k = X_k.mean(axis=0)$ $self.likelihoods[k] = {'mean': X_k.mean(axis=0), 'cov': (1/(N_k-1))*np.matmul((X_k-mu_k).T) }$ self.priors[k]=len(X_k)/len(X) def predict(self,X): N,D=X.shape P_hat = np.zeros((N, len(self.K))) for k, l in self.likelihoods.items(): P_hat[:,k]=mvn.logpdf(X,l['mean'],l['cov'])+np.log(self.priors[k]) return P_hat.argmax(axis=1) #Fitting and predicting the data gbayes=GaussBayes() gbayes.fit(X,y) y_hat=gbayes.predict(X)

gbayes=GaussBayes()
gbayes.fit(X,y)
y_hat=gbayes.predict(X)

#Defining the accuracy
def accuracy(y,y_hat):
 return np.mean(y==y_hat)

#Getting the accuracy
accuracy(y,y_hat)

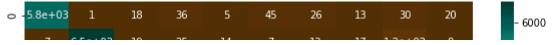
0.9306333333333333

#Obteining the Data frame of the prediction and the actual values
results = pd.DataFrame({'Actual': y, 'prediction': y_hat})
results.head(10)

	Actual	prediction	1
0	5	5	
1	0	0	
2	4	4	
3	1	1	
4	9	9	
5	2	2	
6	1	1	
7	3	3	
8	1	1	
9	4	4	

```
confusion_matrix1=[]
for i in range(0,10):
    b=[]
    for j in range(0,10):
        x=results[(results['Actual']==j)&(results['prediction']==i)].shape[0]
        b.append(x)
        confusion_matrix1.append(b)
plt.figure(figsize=(10,5))
matrix=pd.DataFrame(confusion_matrix1)
sn.heatmap(matrix, cmap="BrBG",annot=True)
plt.show
```

<function matplotlib.pyplot.show>



→ Testing



#Importing the testing data

data=pd.read_csv('/content/drive/MyDrive/Classroom/Artificial Mariachi Intelligence/Aldo Cao



₽		Unnamed: 0	index	labels	0	1	2	3	4	5	6	•••	774	775	776	777	778	779
	0	0	0	7	0	0	0	0	0	0	0		0	0	0	0	0	0
	1	1	1	2	0	0	0	0	0	0	0		0	0	0	0	0	0
	2	2	2	1	0	0	0	0	0	0	0		0	0	0	0	0	0
	3	3	3	0	0	0	0	0	0	0	0		0	0	0	0	0	0
	4	4	4	4	0	0	0	0	0	0	0		0	0	0	0	0	0
	←																	•

```
t=data.drop(['Unnamed: 0','index'], 1)
```

X_test = t.to_numpy()

y_test = X_test[:,0]

 $X_{\text{test}} = X_{\text{test}}[:,1:]/255$

/usr/local/lib/python3.7/dist-packages/ipykernel_launcher.py:1: FutureWarning: In a future """Entry point for launching an IPython kernel.

```
#Getting the shape of the data X_test.shape
```

(10000, 784)

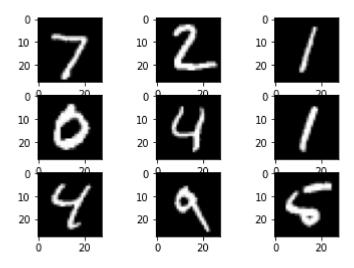
y_test.shape

(10000,)

#Reshaping the data

X_sqrt_test = np.reshape(X_test, (10000,28,28))

```
#Showing some examples
for i in range(9):
   plt.subplot(330 + 1 + i)
   plt.imshow(X_sqrt_test[i], cmap=plt.get_cmap('gray'))
```

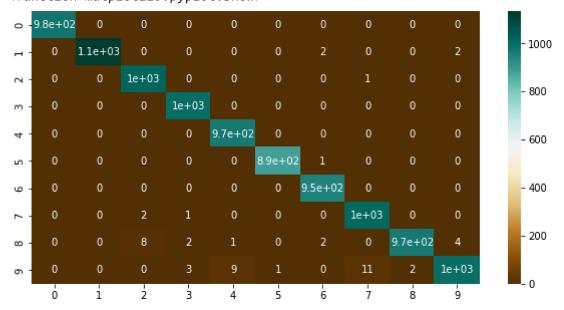


	Actual	Predict	1
0	7	7	
1	2	2	

```
##Creation of the Confusion matrix
confusion_matrix=[]
for i in range(0,10):
    b=[]
    for j in range(0,10):
        x=results[(results['y']==j)&(results['y_pred']==i)].shape[0]
        b.append(x)
    confusion_matrix.append(b)
```

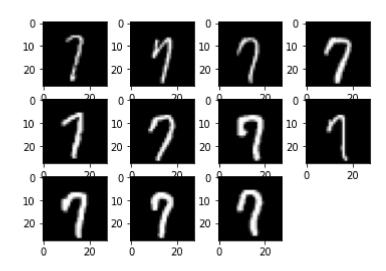
```
#Heatmap of the confusion matrix
plt.figure(figsize=(10,5))
matrix=pd.DataFrame(confusion_matrix)
sn.heatmap(matrix, ·cmap="BrBG", annot=True)
plt.show
```

<function matplotlib.pyplot.show>

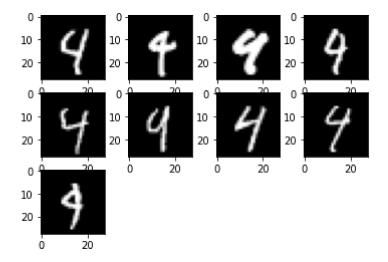


#Analyzing what happen ith the 9 confused with the 4 and 7
index=[]
for idx in results[(results['y']==7)&(results['y_pred']==9)].index:

```
index.append(idx)
for i in range(len(index)):
   plt.subplot(3,4,i+1)
   plt.imshow(X_sqrt_test[index[i]], cmap=plt.get_cmap('gray'))
```



```
index=[]
for idx in results[(results['y']==4)&(results['y_pred']==9)].index:
    index.append(idx)
for i in range(len(index)):
    plt.subplot(3,4,i+1)
    plt.imshow(X_sqrt_test[index[i]], cmap=plt.get_cmap('gray'))
```



Naive - Bayes

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