JIA,
breakatwhitespace=false,
breaklines=true,
captionpos=b,
commentstyle=gray,
deletekeywords=...,
emphstyle=orange,
escapeinside=%**),
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showstringspaces=false,
stepnumber=2,
stringstyle=orange,
tabsize=2,
title=



$$\begin{array}{l} F \\ F \\ S \\ F \\ > S \\ > D)\sigma L \lor C \neg L' \lor Dwhere L\sigma C\sigma \neg L'\sigma D\sigma \sigma = (L, L') \end{array}$$

$$[](L \vee C)\sigma(\neg L' \vee D)\sigma L \vee C\neg L' \vee D$$

$$(L \lor C) = L(\neg L' \lor D) = \neg L' \sigma = (L, L')$$

 $\mapsto][y \mapsto] \neg (y)()(x) \vee \neg (y) \neg ()_0 \bot = \{(\bot) \vee \neg (\bot), \neg (), ()\} * satisfiable[x \mapsto]() \vee \neg (y)(x) \vee \neg (y)) \neg ()S_1 \bot \{\neg (), (), () \vee \neg (\bot)\} \}$

 $\begin{array}{l} \ell_1((x,y)), \ell_2((x,())), \ell_3(((),))\ell_1 \mapsto ..*.* \\ \ell_2 \mapsto ..*.. \\ \ell_3 \mapsto \end{array}$

```
 \begin{cases} \cdot \\ \neg((,)),(x,) = \\ x\}* \\ unsatisfiable \\ S \bot = \\ \{(),\neg((,)),(\bot,) = \\ \bot\}* \\ satisfiable \\ \neq \end{cases} 
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$$\exists a_1 \dots a_m \forall y_1 \dots y_n F$$

$$F \neq x \lor (x), (y, y)$$