

Cryptographic Algorithms Implementation

From Scratch in C

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Project Overview

- **Purpose:** Implement cryptographic algorithms without libraries
- **Language:** C
- **Algorithms Implemented:**
 - Symmetric Key: TEA, ChaCha20
 - Asymmetric Key: RSA

TEA (Tiny Encryption Algorithm)

- Designed by David Wheeler and Roger Needham (1994)
- Compact: Few lines of C code
- 128-bit key, 64-bit block
- 32 rounds using XOR, ADD, shifts

TEA Algorithm Structure

- Feistel Network Based
- Delta constant: $0x9E3779B9$ (golden ratio)
- Simple operations: addition, XOR, shifts
- No S-boxes or permutations

TEA Encryption Code

```
void tea_encrypt(uint32_t v[2], const uint32_t key[4])  
    uint32_t sum = 0, delta = 0x9E3779B9;  
    for (int i = 0; i < 32; i++) {  
        sum += delta;  
        v[0] += ((v[1] << 4) + key[0]) ^ (v[1] + sum)  
        v[1] += ((v[0] << 4) + key[2]) ^ (v[0] + sum)  
    }  
}
```

- Designed by Daniel J. Bernstein (2008)
- Stream cipher: keystream XOR with plaintext
- 256-bit key, 96-bit nonce, 32-bit counter
- Based on ARX (Addition, Rotation, XOR)

ChaCha20 Structure

- 4x4 state matrix of 32-bit words
- 20 rounds: 10 column + 10 diagonal rounds
- Core: quarter round function (ARX operations)
- No lookups \rightarrow safe against timing attacks

ChaCha20 Quarter Round

```
static inline void chacha20_quarter_round(  
    uint32_t* a, uint32_t* b, uint32_t* c, uint32_t* d  
    *a += *b; *d ^= *a; *d = (*d << 16) | (*d >> 16);  
    *c += *d; *b ^= *c; *b = (*b << 12) | (*b >> 20);  
    *a += *b; *d ^= *a; *d = (*d << 8) | (*d >> 24);  
    *c += *d; *b ^= *c; *b = (*b << 7) | (*b >> 25);  
}
```


RSA Algorithm

- Asymmetric cryptography (public key)
- Designed by Rivest, Shamir, and Adleman (1977)
- Based on integer factorization
- Commonly 2048+ bit keys

RSA Key Generation

- 1 Select primes p, q
- 2 Compute $n = p \times q$
- 3 Compute $\phi(n) = (p - 1)(q - 1)$
- 4 Choose e with $1 < e < \phi(n)$, $\gcd(e, \phi(n)) = 1$
- 5 Compute d such that $(d \cdot e) \bmod \phi(n) = 1$
- 6 **Public key:** (n, e) , **Private key:** (n, d)

RSA Encryption and Decryption

- **Encryption:** $c = m^e \bmod n$
- **Decryption:** $m = c^d \bmod n$
- **m** is message, **c** is ciphertext
- Use modular exponentiation

Implementation Challenges

- C limitations: large integers
- Modular exponentiation
- Message padding/blocking
- No libraries allowed
- Manual error handling

Implementation Details

- **TEA**: Simple Feistel + padding
- **ChaCha20**: Matrix state + counters
- **RSA**: Square-and-multiply for exponentiation

Security Considerations

- TEA: Vulnerable to related-key attacks
- ChaCha20: Considered secure (used in TLS)
- RSA: Key size and implementation critical
- Note: Educational-only codebase

Thank You!

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